# Molecular Dynamics of Monomeric IAPP in Solution

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#### von

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Hiermit erkläre ich eidesstattlich, dass ich die vorliegende Dissertation	selbständig verfasst und
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## **Summary**

Conformational properties of the full-length human and rat islet amyloid polypeptide 1–37 (amyloidogenic hIAPP and non-amyloidogenic rIAPP, respectively) were studied at physiological temperatures by MD simulations both for the cysteine (reduced IAPP) and cystine (oxidized IAPP) moieties. After performing a temperature scan from 250 K to 450 K at a 20 K interval, it was found that the two temperatures, 310 K and 330 K, delimit the temperature at which the water percolation transition occurs, and were therefore chosen for observing the conformational properties of IAPP where the biological activity is highest. In fact, most living organisms have the highest biological activity in a temperature interval that corresponds to a percolation transition, which was calculated for hIAPP at ≈320 K and seems to be independent of the chemical composition of the IAPP variant. At all temperatures studied, IAPP does not adopt a well-defined conformation and is essentially random-coil in solution, although transient helices appear forming along the peptide between residues 8 and 22, particularly in the reduced form. Above the water percolation transition, the reduced hIAPP moiety presents a considerably diminished helical content remaining unstructured, while the natural cystine moiety reaches a rather compact state, presenting a radius of gyration that is almost 10 % smaller than what was measured for the other variants, and characterized by intrapeptide Hbonds that form many  $\beta$ -bridges in the C-terminal region. This compact conformation presents a short end-to-end distance and seems to form through the formation of  $\beta$ -sheet conformations in the C-terminal region with a minimization of the Y/F distances in a two-step mechanism: the first step taking place when the Y37/F23 distance is ≈1.1 nm, and subsequently Y37/F15 reaches its minimum of ≈0.86 nm. rIAPP, which does not aggregate, also presents transient helical conformations. A particularly stable helix is located in proximity of the C-terminal region, starting from residues L27 and P28. These MD simulations show that P28 in rIAPP influences the secondary structure of IAPP by stabilizing the peptide in helical conformations. When this helix is not present, the peptide presents bends or H-bonded turns at P28 that seem to inhibit the formation of the  $\beta$ -bridges seen in hIAPP. Conversely, hIAPP is highly disordered in the C-terminal region, presenting transient isolated  $\beta$ -strand conformations, particularly at higher temperatures and when the natural disulfide bond is present. Such conformational differences found in these simulations could be responsible for the different aggregational propensities of the two different homologues. In fact, the fragment 30-37, which is identical in both homologues, is known to aggregate in vitro, hence the overall sequence must be responsible for the amyloidogenicity of hIAPP. The increased helicity in rIAPP induced by the serine-to-proline variation at residue 28 seems to be a plausible inhibitor of its aggregation. The specific position of P28 could be more relevant for inhibiting the aggregation than the intrinsic properties of proline alone; in fact, IAPP in cats, which have been observed to develop diabetes mellitus type II and present islet amyloid deposits, contains a proline residue at position 29.

Another characteristic of the above-mentioned compact state of monomeric oxidized hIAPP is that a particularly reactive conformation found along the "folding" pathway, is stabilized by the presence of the disulfide bond. Such conformation presents a short end-to-end distance, allowing

the peptide to expose the amyloidogenic sequence N<sup>22</sup>FGAIL<sup>27</sup> to neighboring peptides. In the reduced hIAPP moiety, this state does not seem to form for any significant amount of time, proven by the fluctuating end-to-end distance. The mean end-to-end distance is smaller than the calculated value for a random-flight chain, proving both the flexibility of hIAPP and that there are interactions that bring the peptide to compact conformations. Conversely, due to the intrinsic rigidity of proline either rIAPP moiety seems to be too rigid to be able to fold to the short end-to-end distance conformations observed for the oxidized hIAPP moiety, although there are instances in which oxidized rIAPP reaches short end-to-end distances, corresponding to the absence of helices in the P28 region. These conformations possibly occur thanks to the disulfide bond/C-terminus interactions, as seen for hIAPP. Short Y37/L23 distances are also observed in the same time frame of short end-to-end distances as seen with Y37/F23 distances in hIAPP, but since leucine is not aromatic, it is possible that the first step in the "folding" process observed in hIAPP cannot occur in the wild-type rIAPP.

In silico mutations have been applied to the "folded" state obtained in the oxidized hIAPP simulations at 330 K, in order to observe what kind of effect proline has on the conformation. In particular, the S28P substitution induces the formation of a helix in this region and disrupts the compact structure by separating the ends of this particularly stable conformation; in fact, the wild-type oxidized homologue remains compact upon heating up to 390 K.

Thus, in light of the results presented in this Thesis, the collapsed state of the monomeric form is observed when the following three events occur:

- 1. Presence of the disulfide bond, which was observed to be more flexible than the reduced counterpart and to stabilize the short end-to-end distance in IAPP.
- 2. Absence of helical content in the C-terminus region, in order to allow more flexibility to this region of the peptide for "folding". P28 seems to stabilize the highly mobile and unstructured portion of IAPP. Moreover, such helicity seems to inhibit short end-to-end distances.
- 3. Presence of aromatic residues, in particular F23, which seems to stabilize one of the first steps in "folding".

Since these results have been obtained for the monomeric form, further studies are necessary to determine whether these three structural characteristics are also relevant for the aggregation propensity of IAPP.

## Zusammenfassung

Mittels MD-Simulation wurden Konformationseigenschaften des ungekürzten Insel-Amyloid-Polypeptids 1–37 (humanes amyloidogenes hIAPP und nicht amyloidogenes rIAPP der Ratte) bei physiologischen Temperaturen untersucht, beide sowohl mit Cystein- (reduziertes IAPP) als auch mit Cystinresten (oxidiertes IAPP). Bei der Durchführung von Messungen bei Temperaturen von 250 K bis 450 K in Intervallen von 20 K zeigte sich, dass der Perkolationsübergang des Wassers zwischen 310 K und 330 K stattfindet. Somit wurden diese Temperaturen ausgewählt, um die Konformationseigenschaften des IAPP bei seiner höchsten biologischen Aktivität zu studieren. Tatsächlich zeigen die meisten lebenden Organismen ihre höchste biologische Aktivität in einem Temperaturbereich, der dem eines Perkolationsübergangs entspricht. Für hIAPP ergab die Berechnung einen Wert von  $\approx$  320 K. Dieser Wert scheint unabhängig von der chemischen Zusammensetzung der IAPP-Variante zu sein. Bei allen untersuchten Temperaturen nimmt IAPP keine definierte Konformation ein, sondern liegt in Lösung im Wesentlichen als zufälliges Knäuel vor, obwohl sich vor allem in der reduzierten Form kurzlebige Helices zwischen den Aminosäureresten 8 und 12 zu bilden scheinen. Oberhalb des Perkolationsübergangs von Wasser zeigt das reduzierte und immer noch strukturlose hIAPP einen deutlich verminderten helikalen Anteil. Währenddessen erreicht der natürliche Cystinrest einen recht kompakten Zustand mit einem, gegenber den Messergebnissen der anderen Varianten, um nahezu 10 % verminderten Trägheitsradius. Dies wird durch die intrapeptidischen Wasserstoffbrückenbindungen, welche viele  $\beta$ -Brücken in der Region des C-Terminus bilden, hevorgerufen. Die kompakte Konformation weist einen geringen Abstand beider Termini auf und scheint sich durch die Ausbildung von  $\beta$ -Faltblattkonformationen in der C-terminalen Gegend mit einer Minimierung der Y/F-Abstände in einem zweischrittigen Mechanismus zu bilden. Der erste Schritt findet bei einem Y37/F23 Abstand von  $\approx$ 1.1 nm statt, woraufhin Y37/F15 ihre minimale Distanz von ≈0.86 nm erreichen. Das nicht aggregierende rIAPP zeigt ebenfalls kurzlebige helikale Konformationen. Eine besonders stabile Helix befindet sich in der Nähe der C-terminalen Region, beginnend mit den Aminosäureresten L27 und P28. Diese MD-Simulationen zeigen, dass P28 in rIAPP die Sekundärstruktur von IAPP durch die Stabilisierung des Peptids in helikalen Konformationen beeinflusst. Wenn diese Helix nicht vorhanden ist, zeigt das Peptid Krümmungen oder Hverbrückte Schleifen bei P28, die die Bildung von β-Brücken, wie sie in hIAPP gefunden wurden, unterdrücken. Im Gegensatz dazu ist hIAPP in der C-terminalen Region deutlich ungeordneter und zeigt, besonders bei höheren Temperaturen und wenn die natürliche Disulfidbrücke vorhanden ist, kurzlebige isolierte  $\beta$ -Strand-Konformationen. Derartige konformationelle Unterschiede, wie sie in diesen Simulationen gefunden wurden, könnten für die unterschiedlichen Aggregationsneigungen der beiden Homologe verantwortlich sein. Tatsächlich ist bekannt, dass der bei beiden Homologen identische Abschnitt 30-37 in vitro aggregiert, daher muss die gesamte Sequenz für die Amyloidogenität des hIAPP ursächlich sein. Es erscheint plausibel, dass der durch den Ersatz von Serin durch Prolin an Aminosäurerest 28 hervorgerufene höhere Anteil helikaler Konformationen im rI-APP dessen Aggregation inhibiert. Die spezifische Position des P28 könnte hierbei wichtiger für die Inhibierung sein als die intrinsischen Eigenschaften des Prolins allein. Tatsächlich wurde im IAPP

von Katzen, die einen Diabetes Mellitus Typ II entwickelt haben und Insel-Amyloid-Ablagerungen zeigen, ein Prolinrest an Position 29 gefunden.

Weiterhin ist für den oben genannten kompakten Zustand des monomeren, oxidierten hIAPP charakteristisch, dass eine besonders reaktive Konformation, die während der Faltung gefunden wurde, durch Disulfidbrücken stabilisiert ist. Eine solche Konformation besitzt einen geringen Abstand beider Termini, was dazu führt, dass die amyloidogene Sequenz N<sup>22</sup>FGAIL<sup>27</sup> gegenüber benachbarten Peptiden exponiert ist. Im reduzierten hIAPP-Rest scheint sich dieser Zustand nicht für einen signifikanten Zeitraum zu bilden, was durch die fluktuierende Distanz der Endgruppen nachgewiesen wurde. Der mittlere Abstand zwischen den Termini ist kleiner als der aus dem Irrflugmodell bestimmte Wert. Dies zeigt die hohe Flexibilität des hIAPP und dass Interaktionen, die das Peptid in eine kompakte Form überführen, vorhanden sind. Im Gegensatz dazu scheinen beide Formen des rIAPP auf Grund der dem Prolin eigenen Starrheit zu unflexibel zu sein, um sich so zu falten, dass ein geringer Abstand zwischen den Termini, wie bei der oxidierten Form des hIAPP, zustande kommt. Allerdings sind auch Fälle beobachtet wurden, in denen oxidiertes rIAPP kurze Termini-Abstände erreicht. Dies stimmt mit der Abwesenheit von Helices in der P28-Region überein. Diese Konformationen treten möglicherweise dank der bei hIAPP beobachteten Interaktionen zwischen Disulfidbrücken und C-Terminus auf. Kurze Abstände zwischen Y37 und L23 werden im selben Zeitrahmen wie die geringen Abstände zwischen Y37 und F23 in hIAPP beobachtet. Allerdings ist es durch die Tatsache, dass Leucin nicht aromatisch ist, möglich, dass der erste Schritt des beim hIAPP beobachteten Faltungsprozesses im Wildtyp des rIAPP nicht stattfinden kann.

Auf den gefalteten Zustand, der durch Simulation des oxidierten hIAPP bei 330 K erhalten wurde, wurden in silico Mutationen eingebaut, um zu beobachten, welchen Einfluss Prolin auf die Konformation ausübt. Insbesondere der S28P-Austausch scheit die Bildung einer Helix in dieser Region zu induzieren und die besonders stabile, kompakte Struktur durch Trennung der Termini zu zerstören: Tatsächlich bleibt der Wildtyp des oxidierten Homologen kompakt bis zu einer Temperatur von 390 K.

Somit scheinen, in Anbetracht der Ergebnisse dieser Arbeit, drei Charakteristika notwendig zu sein, damit die monomere Form des Polypeptids in einen kollabierten Zustand übergeht:

- 1. Anwesenheit einer Disulfidbrücke, die, wie beobachtet, flexibler als die reduzierte Entsprechung ist und den kurzen Abstand zwischen den Termini in IAPP stabilisiert.
- Abwesenheit helikaler Anteile in der C-terminalen Region, um dieser Flexibilität für die Faltung des Peptids zu verleihen. P28 scheint den hochbeweglichen und unstrukturierten Abschnitt von IAPP zu stabilisieren. Ferner scheint derartige Helikalität kurze Abstände der Termini zu unterdrücken.
- 3. Anwesenheit aromatischer Reste, im Besonderen F23, welches einen der ersten Schritte im Faltungsprozess zu stabilisieren scheint.

Da diese Ergebnisse zur monomeren Form erhalten wurden, sind weitere Studien notwendig, um zu bestimmen, ob diese drei strukturellen Charakteristika auch für die Aggregationsneigungen des IAPP relevant sind.



### Introduction

The word *protein* was coined by the Swedish scientist Jöns Berzelius in 1838 to describe a certain class of molecules and their importance. <sup>1,2</sup> In fact, it derives from the Greek word ' $\pi\rho\sigma\tau\tilde{\epsilon}\tilde{\iota}\sigma\zeta$ ', which means "of primary importance" and in turn derives from the word ' $\pi\rho\sigma\tau\sigma\zeta$ ', which means "first". <sup>3,4</sup> After almost 150 years, one can read the opening sentence of the first chapter of the book on the structure and molecular properties of proteins by Creighton <sup>5</sup>

Virtually every property that characterizes a living organism is affected by proteins. *Proteins: Structure and Molecular Properties*, Creighton (1993)

and can only wonder how much there still is to discover, in order to fully understand how these organic molecules, which constitute living organisms, function.

What is fascinating about proteins, is the multitude of roles they have within living organisms, from enzymatic catalysis to transport and storage, and from functions as complex as biogenesis to being simply structural, just to mention a few primary functions which are carried out by proteins. In other words, each cell carries out its activities, through the expression of its genes by means of its working molecules, i.e., the proteins. How many proteins are encoded by a simple unicellular eukaryote like saccharomyces cerevisiae? The predicted number expressed by this yeast genome is 6200 (as can be found on Table 7.3 in *Molecular Cell Biology* by Lodish et al. (2000)).\* But what is even more astonishing is the fact that thousands of primary structures proteins are comprised of linear chains of only twenty amino acids, which can be considered a sequence of letters of the alphabet that form words.<sup>6</sup>

Once the sequence of amino acids has been found, the adventure begins! The reason being, that many times the function of the protein is still unknown. In fact, the primary structure of the object of this study, i.e., islet amyloid polypeptide (IAPP), is known, albeit its biological function remains unclear. Moreover, the functionality of proteins and peptides depends on the native conformation, which for IAPP is also still unknown.

IAPP seems to be involved in the regulation of the glucose metabolism, since it is co-secreted with insulin from pancreatic  $\beta$ -cells. Its physiological role is unclear. Although pancreatic amyloid deposits in the islets of Langerhans have been found in more than 95% of the type II diabetes patients, the causal relationship between amyloid formation and the disease is still largely unknown. The conditions at which it aggregates are also still unclear; in fact human IAPP (hIAPP) in healthy individuals and non-insulin-dependent diabetes subjects has the same sequence. On the other hand, other variants that have a sequence identity of at least 80% such as rodent IAPP (rIAPP), do not aggregate. Moreover, healthy hIAPP transgenic in mice, which release hIAPP and insulin in a regulated manner, also do not present any islet amyloid deposits. Hence, the primary

<sup>\*</sup>The number of proteins encoded by the human genome is still under debate, ranging from 42 000 genes to 65 000-75 000 genes, as can be found on the Human Project Genome Information page http://www.ornl.gov/sci/techresources/Human\_Genome/faq/genenumber.shtml.

2 INTRODUCTION 1.1

structure of hIAPP alone is not sufficient to cause amyloid formation. In fact, islet amyloid deposits were found only in mice that presented dysfunctional  $\beta$ -cells. One of the characteristics of the deposits formed by amyloidogenic precursor proteins, such as IAPP, is the proximity of the insoluble deposits to where the protein is produced. <sup>11</sup>

Due to the complexity of living organisms and all the open questions that surround them, it would be impossible to determine the biological function of IAPP only through MD simulations. In vitro experiments on hIAPP are particularly demanding, as it forms insoluble aggregates within minutes, compared to other amyloidogenic peptides that take 1 to 3 days, like  $A\beta$ , which is responsible for the amyloid deposits in Alzheimer's Disease. The difficulty is identifying intermediate states that occur when the peptide undergoes a conformational transition from random coil to an aggregation prone conformation with increased hydrophobicity. <sup>12</sup> Therefore, in silico investigation of monomeric IAPP conformations in liquid water at physiologically relevant temperatures is possible, and should nevertheless shed light on the initial steps of aggregation. In order to find the proverbial needle in the haystack, a few points were considered to focus on putative conformational properties that could be responsible for aggregation, i.e., proline. In fact, Westermark et al. have shown that the S28-for-P28 substitution inhibits the aggregation greatly. 13 Thus, an atomistic investigation by MD simulations could elucidate how different rodent IAPP is from human IAPP and what characteristics could inhibit aggregation, focusing in particular on, but not limited to, proline. In fact, Green et al. have shown that certain mutations in rIAPP, where residues from the hIAPP sequence are substituted into the rodent sequence, e.g., L23F, form fibrils in vitro. <sup>14</sup> Thus, a parallel comparison between wild-type rIAPP and the in silico rIAPP(L23F) mutant, could also give some insight on conformational properties, which can be measured experimentally through Fluorescence Resonance Energy Transfer (FRET).

The answer to the aggregation mystery seems to revolve around the nature of proline, which is not present in hIAPP, and more precisely the twenty-eighth residue in the IAPP sequence. In fact, the position of P28 in the primary structure might be the residue that inhibits the aggregation, since cats, which can also develop diabetes mellitus type II accompanied by islet amyloid deposits, <sup>12</sup> present a proline residue in position 29 of the IAPP sequence.

#### 1.1 Islet Amyloid Polypeptide

#### 1.1.1 Diabetes Mellitus Type II

Many degenerative diseases, like Alzheimer's, Parkinson's, Creutzfeldt-Jakob, diabetes mellitus type II, and several other systematic amyloidoses are related to polypeptide aggregation. Human amyloid polypeptide (hIAPP) forms pancreatic amyloid deposits, which are found in the islets of Langerhans in more than 95 % of the type II diabetes patients, although the causal relationship between amyloid formation and the disease is still largely unknown. These deposits were discovered by Opie at the turn of the twentieth century, when he observed *hyalinosis* in postmortem samples of pancreas of individuals suffering from diabetes. Diabetes mellitus type II (DM2, hereafter), or non-insulin-dependent diabetes, is characterized by an increasing peripheral insulin resistance and secretory dysfunction of  $\beta$ -cell. The  $\beta$ -cell dysfunction is not clear, but  $\beta$ -cell mass loss does occur. The progressive loss of function of the  $\beta$ -cells can be demonstrated before the clinical pathology of hyperglycemia develops.

<sup>\*</sup>The IAPP release by  $\beta$ -cells in diabetes mellitus type I is basically none, due to  $\beta$ -cell destruction by an autoimmune condition. <sup>11</sup>

 $<sup>^{\</sup>dagger}$ Amyloid deposits are insoluble proteinaceous accumulations formed by a precursor protein, and are normally proximal to the location of production and secretion of the protein. Moreover, the highly ordered structure of the fibrils, which consists of  $\beta$ -sheets with H-bonding along the length of the fibril and presents a "cross- $\beta$ " X-ray diffraction pattern, are similar even if the size, location, and function of the approximately twenty amyloidogenic precursor proteins are quite different from one another. Fibrils, if examined by electron microscopy, are non-branching structures of indeterminate length having a diameter of 5–10 nm. <sup>11</sup>

Diabetes mellitus type II has been found to develop spontaneously in cats and monkeys (nonhuman primates), not only in man. It is quite difficult to establish the the relationship between islet amyloid deposition and the three following characteristics of diabetes mellitus type II: increased insulin resistance, onset of hyperglycemia, and  $\beta$ -cell dysfunction. Only through pancreatic biopsies, it would be possible to monitor the amyloid formation in relation with the above mentioned characteristics. Through autopsies, extensive islet amyloid deposits have been found in patients who had severe islet dysfunction, i.e., patients who needed insulin replacement therapy, rather than diet or oral hypoglycemic agents. Hence, there are insufficient  $\beta$ -cells to supply an adequate amount of insulin, but the sole cause doesn't seem to be islet amyloid. In fact, patients with long duration of diabetes mellitus type II have been found to have from prevalence <1 \% up to 90 \%, with up to 80 % islet mass occupied by amyloid, therefore the length of the disease is unrelated to the severity of it. 12 Moreover, healthy elderly subjects have been found with islet deposits, as is the case for patients with benign insulinoma. 15 Spontaneously developing diabetes mellitus type II has been observed in cats and monkeys, and through longitudinal and cross-sectional studies it was shown that these models of diabetes present a physiologic syndrome similar to that seen in man, i.e., older age of onset, obesity, impaired glucose tolerance progressing to hyperglycemia, and dependence upon insulin therapy. While the development of the disease is associated with progressive islet amyloid deposit, the same does not hold true for man; in fact, the degree of amyloidosis after many years of DM2 is variable. Further investigation through laboratory observations was needed, due to the length of the development of the disease, which occurs over years. Islet amyloid in transgenic mice and rats that express the human IAPP gene alone, did not occur. Other conditions, including increased transgene expression and obesity, brought about by high-fat feeding and genetically determined obesity, were necessary to observe islet amyloid formation. Many features of DM2 in animals have been demonstrated to be similar in man, but some are very different. Thus, the islet amyloidosis doesn't seem to be the primary causative factor for the onset of diabetes in man, as the results from animal models might have suggested. In fact, more than 50 % of the subjects have less than 20 % prevalence, i.e., the percentage of islets affected, and less than 10 % severity, i.e., the percentage of islet area occupied, whereas cross-sectional data show that macaca mulatta present 100% prevalence with > 80% severity. <sup>12</sup>

#### 1.1.2 Mutations and Homologues

Not all mutations are deleterious and lead to the death of organisms; in fact, even a perfectly adapted protein undergoes mutations. It's part of evolution. Some mutations of the nucleotide sequence are silent, when the codon mutates into a synonym codon, while others aren't. The former are called *silent sites* and the latter are called *replacement sites*, as the amino acid is replaced by a different one expressed by the newly mutated nucleotide sequence. Such replacements can be deleterious, neutral, or advantageous. <sup>16</sup> When two proteins have correlated evolution, they are called *homologues*. By comparing the homology between to proteins, one can see which residues are essential for the proteins proper function. If the residue occupies the same position, it is said to be *invariant*, and should remain in the same position for the protein to be functional, while if it changes, it could be either *conservatively substituted* or *hypervariable*. The former occurs when two amino acids, which present similar properties, occupy the same position, i.e., glutamate and aspartate, while the latter is more or less indifferent to the change of a residue in a particular position. <sup>17</sup>

Proline and glycine are often used in mutagenic studies due to their backbone conformational properties. Biological functions in vivo depend on the stability of the folded conformation, and can be lost through a mutation that destabilizes the active conformation. In other words, negative observations become significant. An inactive mutant can thus be isolated for further mutagenic studies until the function returns. This process allows the identification of the role of the original residue in the folded and functional protein. This mutation can be random or site-specific. An example could be the substitution of a proline, which presumably terminates a helix, with another

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residue that can extend the helix. Not only can proline and glycine alter the conformational entropy of the unfolded state, but so can a disulfide bond; the introduction or the replacement of one of these elements can perturb the stability of the folded state of the protein. In fact, glycine, proline, and cystine are conserved residues. Large hydrophobic residues are also seldom replaced, while acidic and hydrophilic residues are often replaced. Relative frequencies of replacement of residues that differ between the various IAPP variants are listed in Table 1.2 on the facing page (all twenty residues can be found in Figure 3.2 of Ref. 5). Normally, most of the mutations do not effect the stability of the folded state since natural selection has most probably already optimized the sequence. <sup>5</sup>

In general, proteins can tolerate the mutation of a single residue without significantly altering the native structure, but the functional properties are much more sensitive to changes. A classical example of this is the sickle-cell anemia, where a polar glutamate has been substituted by a non-polar valine produces devastating effects,\* leading to a completely different quaternary structure. Conversely, myoglobin and hemoglobin have only 20 % of the same sequence, yet share large structural, evolutionary, and functional similarities.<sup>2</sup> Thus, with this in mind, discovering which effect the 16 % divergence between human and rodent sequences has on the structural properties could be a rather daunting task.

Interestingly enough, islet amyloid formation in diabetes mellitus type II cannot be related *directly* to any post-translational modification of the peptide or gene mutations that would confer increased amyloidogenicity to the peptide. <sup>12</sup> Although, a missense mutation in the exon 3 of the IAPP gene, reported in 4.1% of the Japanese patients subject to diabetes mellitus type II, seems to lead to an earlier and more severe onset of the disease. The S20G mutation <sup>†</sup> leads to an in vitro aggregation that allows twofold amyloid at a rate threefold higher than human wild-type gene. <sup>18</sup>

#### 1.1.3 IAPP Properties

Islet amyloid polypeptide (IAPP) is a 37 amino acid peptide, which is secreted by  $\beta$ -cells, and derives from the precursor proIAPP (89 amino acid peptide), through the same enzymes that convert proinsulin to insulin, i.e., prohormone convertase 1/3 and 2. Both the IAPP and insulin transcription genes are regulated by glucose or differently regulated by Ca<sup>2+</sup>, and the secretion of either peptide is closely regulated, i.e., the plasma level of IAPP is 1–15% that of insulin. The role of IAPP seems to be insulin inhibitor, as can be deduced from experiments carried out on IAPP knockout mice. The basal level of circulating glucose and insulin was normal, although males exhibited an increased insulin response to glucose administration and a more rapid glucose disappearance in oral and intravenous glucose tolerance tests. Moreover, body mass in males increased by 20%, which could be determined by increased insulin secretion or an effect of IAPP on food intake. <sup>15</sup>

Human and rat/mouse sequences are compared directly in Table 1.1, with the conservatively substituted residues in green and the hypervariable ones in red, while those residues found in cat and monkey IAPP that differ from hIAPP are indicated in cyan, if conservatively substituted, and magenta, if hypervariable. The two wild-type islet polypeptide variants of human and rat/mouse are

<sup>\*</sup>Actually, the hemoglobin that is present in the sickle-cell anemia (HbS) is a typical case of Darwinian example, where even one single mutation has led to adaptation of organisms that compete in an environment. In fact, Anthony Allison discovered that heterozygote HbS individuals resisted malaria. <sup>17</sup>

<sup>&</sup>lt;sup>†</sup>The primary structure of hIAPP, along with other homologues, can be found in Table 1.1 on the next page.

<sup>&</sup>lt;sup>‡</sup>An interesting note on proinsulin, that may also relate to IAPP, can be made on propeptide size. It can be considered the lower limit of the size of a peptide that can be synthesized on a ribosome and translocated into the ER. Insulin is synthesized as a 110 amino acid peptide called preproinsulin. After removing the signaling protein it is converted to proinsulin, and only during its storage, is it cleaved into three parts with the removal of the C-peptide. The two remaining chains, A and B, are connected by two intrapeptide disulfide bonds formed before cleavage. Mature insulin, consisting of 55 amino acids, does not reassemble efficiently without the C-peptide, while proinsulin can refold readily. <sup>5</sup> Hence, unfolding and subsequent inability to refold may be a cause for IAPP aggregation; in fact, such hypothesis may also be supported by the fact that full or partial unfolding, rather than misfolding, seems to be a key step in amyloidogenic diseases. <sup>19</sup>

highly conserved and 84 % of the primary structure is the same. With the exception of residue 18, the different residues are localized between 20 and 29, which can be seen underlined in the hIAPP primary structure in Table 1.1. Thus, the remaining 16 % seems to determine the capability of the peptide to aggregate through  $\beta$ -pleated sheet formation, which has been proven to be amyloidogenic in human and in cat. The most noticeable difference between hIAPP and rIAPP is the presence of proline in positions 25, 28, and 29 (Table 1.1, in red) in rIAPP, which most likely doesn't form  $\beta$ -sheets due to the presence of proline, normally known as  $\beta$ -sheet breakers. Moreover, residue 23 (also in red) in rIAPP replaces an aromatic residue, phenylalanine, with an aliphatic group, leucine. The other substitutions (in green) are not as drastic, but also present amyloidogenic properties. Residues 18 are both basic, histidine in hIAPP and arginine in rIAPP, and residues 26 are both aliphatic, isoleucine in hIAPP and valine in rIAPP. Green et al. have shown that even though rIAPP is not cytotoxic and does not form fibrils, key single substitutions of the hIAPP into the rIAPP sequence, i.e., R18H, L23F, or V26I, could induce fibril formation in rat IAPP, albeit with low yield. 14

Table 1.1: IAPP Primary Structures

	1	10	20	30
	т	10	20	
human	KCNTATCAT	QRLANFLV <b>H</b> S	SNNFGAILSS	${\tt TNVGSNTY-NH_2}$
rat/mouse	KCNTATCAT	QRLANFLVRS	$\mathtt{SNNLGPVLPP}$	${\tt TNVGSNTY-NH}_2$
cat	KCNTATCAT	QRLANFL <mark>IR</mark> S	SNN <b>L</b> GAILS <b>P</b>	${\tt TNVGSNTY-NH}_2$
monkey	KCNTATCAT	QRLANFLVRS	SNNFGTILSS	$\mathtt{TNVGS}^{\mathbf{D}}\mathtt{TY}-\mathtt{NH}_2$

Single point mutations in genes can change the amino acid that is expressed, and the resulting relative values can be seen in Table 1.2, although it may not correspond to the actual observed frequencies, where the values with significant discrepancies are written in bold font. Some of the replacements occur often, e.g., Thr/Ala, and others seldom, e.g., His/Arg. Replacements involving proline also don't occur much, although the ones that are observed most, i.e., Pro/Ala and Pro/Ser, are those that are found in IAPP (proline properties will be discussed in Section 1.1.3.2). Other residues that are observed more than their expected value, e.g., Ile/Val, Asp/Asn, and Ser/Gly, are also present in IAPP.

**Table 1.2:** Relative Frequencies of Amino Acid Replacements

	Observed Values <sup>a</sup>	Expected Values <sup>b</sup>
Histidine/Arginine	10	8
Isoleucine/Valine	66	18
Phenylalanine/Leucine	17	41
Proline/Alanine	35	36
Proline/Serine	27	24
Threonine/Alanine	59	39
Threonine/Proline	7	28
Aspartic Acid/Asparagine	53	19
Serine/Glycine	45	16

<sup>&</sup>lt;sup>a</sup>Observed replacements in 1572 examples of closely related proteins. <sup>20</sup>

The first five replacements occur in human, rat/mouse, monkey, and cat, while the replacements from the sixth to the eighth occur only in monkey, and the last one is relative to the Japanese human IAPP mutation that has been found in diabetic patients. <sup>18</sup> Although histidine and arginine are

<sup>&</sup>lt;sup>b</sup>Expected replacements obtained from random single-nucleotide mutations.

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sometimes classified as basic amino acids, <sup>1,2</sup> they have different characteristics, so it's not surprising that the relative frequencies with which they replace each other is pretty low; in fact, arginine is almost entirely exposed, i.e., only 1 % of the residues are buried by at least 95 %, while histidine is slightly less exposed, i.e., 17% of the observed proteins are buried by 95% (Table 6.3, Ref. 5, page 231). While lysine and arginine are positively charged in physiological conditions, histidine can be positively or negatively charged depending on the environment, thanks to the imidazole ring, and thus is a good metal binder and is often found in active sites of proteins. <sup>1,2</sup> In human and rat/mouse IAPP, histidine and arginine are the eighteenth residue in the primary structure, and is included in a region which presents a transient helix, which seems to be important for biological function, <sup>21</sup> so it is possible to hypothesize that they also have similar behavior, i.e., as basic residues. The phenylalanine/leucine replacement also doesn't occur much due to their different characteristics, although they both are nonpolar/hydrophobic and pack well in the interior of proteins, with residues buried in at least 45 % of the residues. 5 Before discussing the monkey mutations, a quick glance at serine/glycine shows that there are indeed more replacements as what is expected. Glycine is so different from all other amino acids, as its side chain is simply H. Moreover, serine can also cap the ends of  $\alpha$ -helices thanks to the hydroxyl group in the side chain by forming H-bonds with backbone.<sup>5</sup> In monkey IAPP, asparagine is substituted by aspartic acid, which have a high observed relative replacement value, and even though they are polar and can form H-bonds, the latter is normally negatively charged in solution, while the former is neutral. 1,2 The interesting residue replacement in the primary structure is position twenty-five. First of all it is, along with residue twenty-eight, the only position that has a proline in the primary structure that doesn't aggregate, i.e., cat IAPP presents a proline residue in position twenty-nine and is known to aggregate, and second it has the highest variance, as it presents an uncharged polar residue in monkey, i.e., threonine, proline in rat/mouse, and an aliphatic residue in cat, i.e., alanine. The threonine/alanine replacement value is very high, so one could hypothesize that the structural effect these residues have on proteins is negligible, but since they are both present in the amyloidogenic moieties, and not proline, the flexibility of the polypeptide may determine the amyloidogenicity.

The first fraction (residues 1–20) of both hIAPP and rIAPP seem to have a modest helical propensity, while the remaining fraction of the peptide (residues 21–37) seems to be less structured. Moreover, such helicity seems to be required for the biologically active state. <sup>21</sup> In fact, the first twenty residues are either invariant (Table 1.1, in black) or conservatively substituted (Table 1.1, in green), which is also true for monkey and cat IAPP (Table 1.1, cyan). Therefore, one may suppose this sequence is conservatively substituted in order to function properly. On the other hand, the residues in the second half of the peptide, residues 20–29 in particular, are hypervariable, and therefore most probably don't influence its biological function.

#### 1.1.3.1 IAPP Aggregation

IAPP is the only peptide found in the amyloid deposits, which occur in the islet. The amyloidogenic form is absolutely necessary for amyloid formation, but there are other factors as well. IAPP is produced by the  $\beta$ -cells, which is the site that is most proximal to the amyloid formation, and its overproduction is not the only condition that can lead to islet amyloid deposit, and thus to  $\beta$ -cell loss. It seems that a  $\beta$ -cell dysfunction is also necessary for the islet amyloid formation; namely improperly processed proIAPP, which has been found to form fibrils and has been found in DM2 islet amyloid deposits. This could take place due to the disproportionate release of proinsulin relative to processed insulin. Since this change is present in high-risk individuals prior to the development of the disease and the PC 1/3 and PC2 proteolytic enzymes process both proinsulin and proIAPP, it is possible that proIAPP is improperly converted to IAPP. Therefore, amyloidogenic proIAPP may lead to deposits at the early phases of the islet amyloid deposit formation. This processing, in order to be efficient, needs a tightly regulated environment; in fact, optimal pH and calcium concentrations are necessary for processing of proIAPP, as shown by in vitro experiments. <sup>11</sup> DM2 fibrils are

found almost exclusively at the extracellular sites in the islets, with small deposits located adjacent to the basement membrane of islet capillaries. The basement membrane could anchor aggregates of IAPP or proIAPP, forming, therefore, a "nucleus" for fibril formation.\* In fact, the basement membranes contain heparan sulfate proteoglycans (HSPG), which are involved in synthetic IAPP fibrillogenesis, and proIAPP has a consensus sequence for HSPG.  $^{12}$  Jha et al. have shown that proIAPP exhibits a much higher amyloidogenic propensity in the presence of negatively charged membranes than in bulk solvent. However, hIAPP is still much more amyloidogenic than proIAPP. Morphological changes have been observed, although differences in the secondary structures of the aggregated species of hIAPP and proIAPP at the lipid interface are small. Unlike hIAPP, proIAPP forms essentially oligomeric-like structures at the lipid interface.  $^9$  Other studies have also shown morphological changes when IAPP interacts with negatively charged membranes; in fact, Lopes et al. show that the N-terminal part of hIAPP interacts strongly with the negatively charged lipid interface, and, through a two-step conformational transition from a largely  $\alpha$ -helical to a  $\beta$ -sheet conformation, the peptide forms ordered fibrillar structures.  $^8$ 

#### 1.1.3.2 **Proline**

Proline is a special amino acid, as the side chain is bonded to the nitrogen of the amino group forming an imino acid. This tertiary nitrogen cannot form hydrogen bonds, given the absence of N-H, and is incompatible with  $\alpha$ -helical conformations, if not at the N-terminus. Nevertheless, single proline residues can fit in long  $\alpha$ -helices by distorting the local helical geometry. The five-member ring that defines proline is relatively rigid and drastically limits the  $\phi$  angle in the Ramachandran plot to  $\approx -60^{\circ}$ , where  $\phi$  is the rotation angle of the peptide unit around the N-C<sub>\alpha</sub> bond. The secondary structures that are assumed by proline are poly(Pro)I, poly(Pro)II, and type I and type II  $\beta$ -turns. Proline residues prefer reverse turns (Ref. 5, Table 6.5, page 256), which are defined by four residues, of which two are not involved in  $\beta$ -sheets, with a H-bond between residues i and i+3, and proline occupying position i+1. Poly(Pro)I and poly(Pro)II are determined by the conformation of proline, as it can be in either cis, in form I, and trans, in form II; both of which depend on the solvent, with form II predominating in water, acetic acid, and benzyl alcohol, and form I predominating in propanol and butanol. Conformational changes have been observed to occur upon solvent change. The  $\phi$  angles are  $-83^{\circ}$  and  $-78^{\circ}$  for forms I and II, respectively. Proline also plays an important role in structural fibrous proteins, like collagen, as it can impart rigidity and stability to the structure. Collagen is characterized by a triple helix similar to poly(Pro)II, with a glycine every three residues, i.e.,  $(-Gly-Xaa-Yaa-)_n$ , with a preponderance of hydroxyproline (Hyp) as Xaa or Yaa, where Hyp forms H-bonds between the hydroxyl group and the amide group of the glycine backbone.<sup>5</sup>

Unlike the other amino acids, the peptide unit of proline does not have a partial double bond character to it; in fact, the residue preceding proline is more likely to be in a cis conformation than other residues, i.e., a 4:1 ratio favoring the trans conformation, as opposed to 1000:1, respectively to proline and other residues. The residue is also slightly distorted from planarity; in fact,  $\Delta\omega=-20^\circ$  to  $10^\circ$ , compared to  $\omega=0^\circ$  and  $180^\circ$  for cis and trans conformations, respectively. The free-energy barrier associated to a cis-trans isomerization is  $20.4\,\mathrm{kcal\,mol^{-1}}$ , making it a slow conversion, i.e.,  $\tau_{1/2}\approx20\,\mathrm{min}$ , which is temperature dependent with the rate increasing by a factor 3.3 every  $10\,^\circ\mathrm{C}$  within the normal range. The possibility of assuming a cis conformation that isn't sterically hindered, also affects the conformational properties such as the radius of gyration and end-to-end distance, which will be illustrated in Section 2.4.3 on page  $28.5\,\mathrm{mag}$ 

Another interesting characteristic of proline is its presence in rapid degradable proteins. Such proteins contain one or more "PEST" regions, which are segments of 12–60 residues, in primary

<sup>\*</sup>Nucleation seems to occur through a two-step mechanism, with the nucleation, or seed-forming step, followed by an exponential phase of fibril formation. The cytotoxicity of the amyloid deposits, seems to be caused by the initial aggregation steps. Interestingly enough, the cytotoxicity of IAPP is inhibited by Congo Red, but the fibrillogenesis isn't. <sup>11</sup>

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structures rich in proline, glutamic acid, serine, and threonine.<sup>5</sup> Whether the high amount of proline residues facilitates the degradation of rIAPP in any way, compared to the serine residues in hIAPP, and thus limits IAPP deposit in vivo is unknown, and could be something worthwhile investigating.

#### 1.2 Hydrational Water

Is there a possible explanation as to why the experimentally measured lag time of hIAPP aggregation drops drastically at approximately 320 K, as shown by Kayed et al.? <sup>10</sup> Is it a coincidence that another amyloidogenic peptide, like  $A\beta42$ , <sup>22</sup> also undergoes a conformational transition at a very close temperature?

There are definitely still many questions evolving around biomolecules and their activity. Pioneering studies by Careri et al. have shown that biomolecules regain their biological activity upon recovering the minimum amount of surrounding water molecules that form an infinite hydration network from an ensemble of small water clusters. This threshold is where water undergoes a quasi-2D percolation transition. One layer of water, or a "monolayer", is sufficient for activity of the biomolecule, and is referred to as hydrational water. These water molecules are connected by H-bonds of two different types, those that span the system, and those that don't. In other words, the H-bonds of the spanning network wrap the biomolecule completely, without covering it entirely, as there can be water molecules or small clusters of water molecules that are not connected by H-bonds to this network. At low temperature, the dimensionality of network of H-bonded water molecules is quasi-2D, and this network of H-bonds envelopes the biomolecule. Upon heating this H-bond network of the water molecules decreases, until breaking into an ensemble of small clusters.\* The process that can describe this is a quasi-2D percolation transition. Moreover, this transition occurs at biologically relevant temperatures. <sup>23</sup> (Ref. 23, 24, and the references therein, include a complete overview of the percolation transition of hydration water in biosystems.)

Studying the conformational changes of the peptide above and below the percolation transition could shed some light on why faster aggregation was measured by Kayed et al. <sup>10</sup>

#### 1.3 Overview

In aqueous solution, hIAPP has been shown to have an essentially disordered conformation as seen in far UV-CD.  $^{10,25-28}$  However, it may also assume compact structures  $^{27}$  and a transient sampling of  $\alpha$ -helical conformations has been observed.  $^{21,29}$  The former has been proven through FRET and the latter through NMR spectroscopic studies. The Förster distance between tyrosine and phenylalanine measured for hIAPP in the lag phase of the aggregation process is 12.6 Å, which, if compared to the values obtained through a random walk model,  $^{30}$  *i.e.*, 30 Å for Y37/F23 and 40 Å for Y37/F15, clearly reveals a structure that is more compact than what is expected for a fully unfolded peptide. The two homologues, human and rat IAPP, when free in solution, show comparable structures; in fact, rIAPP adopts structures which are similar to hIAPP prefibrillar states.  $^{27}$  Other studies reveal sampling of  $\alpha$ -helical conformations in the central region of the peptide for about 40% of its length, starting approximately after the tight disulfide bond. In fact, the NMR chemical shifts indicate  $\alpha$ -helical propensity from residues 5–19 and their temperature coefficients indicate such a region from residues 7–22.

The 20–29 decapeptides of the different homologues were studied in detail with regards to their aggregation propensity, and it was shown that the S28-to-P28 substitution strongly reduced the amyloidogenicity. <sup>13</sup> Normally, proline residues are both  $\beta$ -sheet and  $\alpha$ -helix breakers, but if

<sup>\*</sup>An image which can clarify this breakage of the H-bond network is that of a ball in a net. If the net is intact, the ball moves when one of the knots of the net is pulled, as the H-bond network would behave at lower temperature, i.e., by "pulling" one water molecule everything follows. If the net is weak, pulling one knot could cause the net to break leaving the ball where it is, or even breaking away from the net itself, i.e., only a water molecule or a small cluster would follow by "pulling" by a water molecule.

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present as the first element in the helix, they may act as an N-capping residue and can also stabilize helices, even at higher temperatures. <sup>31,32</sup> Other residue substitutions, e.g., rIAPP(L23F), seem to promote aggregation in rIAPP, albeit in low yield. <sup>14</sup> In fact, the fragment 30–37, which is identical in both homologues, aggregates in vitro. Hence, it is probably the overall sequence that influences the amyloidogenicity of IAPP. <sup>33</sup>

The disulfide bond between residues C2 and C7 also plays an important role. In fact, it has been found experimentally that the presence of this disulfide bond in the peptide also changes the kinetics of aggregation, making the reaction much faster and allowing it to form fibers by secondary nucleation, leaving the structure of the IAPP fiber core intact. <sup>34</sup> Moreover, the disulfide of the cystine seems to stabilize the short end-to-end distance in the oxidized moiety of hIAPP, <sup>35</sup> allowing the formation of aggregation-prone  $\beta$ -sheets. <sup>36</sup>

#### 1.4 Thesis Objectives

The most astonishing fact regarding amyloidogenesis is the fact that many precursor proteins, about twenty, differ not only in primary structure and size, but also in location. The main objective of this thesis is to observe two very similar polypeptide sequences, being 84 % conserved, and pinpoint the different conformational properties of the monomer that may induce or hinder peptide aggregation.

Finding conformational differences of the two monomeric polypeptide homologues in solution could shed light on the underlying mechanism of the aggregation pathway of hIAPP and was the focus of this work using MD simulations. The properties studied in this work were the interaction of the aromatic residues of hIAPP and rIAPP, including the mutated in silico variant rIAPP(L23F), the influence of the presence, or absence, of the disulfide bond in both homologues, and the effect of proline, in particular residue 28, on the secondary structure of IAPP. These results are presented in Chapter 5, with an outlook on future work on IAPP presented in Chapter 6.

The conformational properties have been calculated by an ad hoc python program that analyzes GROMACS <sup>37–39</sup> trajectory files. A description of this program has been illustrated in Chapter 2. Certain parameters, i.e., definitions of H-bonds, which are so important for the protein aggregation, and Ramachandran angles for the secondary structure, that have been defined in Chapter. 2, were obtained through trial and error as explained in Chapter 3.

Due to the difficulty in preparing the initial conformation for an unstructured biomolecule, a detailed description how the system was prepared can be found in Chapter 3.

A very helpful tool for the investigation of the proper temperature range and thus to localize a temperature induced conformational change is the analysis of the percolation transition of the hydrational water that surrounds the peptide. Theories on percolation on infinite systems have been developed, but the actual determination of the percolation threshold, especially for finite systems, required extensive study. This tedious work was based on determining which of the many properties of a biomolecule should be measured for locating the percolation transition. Amongst the various properties that are monitored, the prefered properties are the spanning probability and fractal dimension of the largest cluster. Similar calculations performed on other biomolecules/polypeptides  $^{22,40-42}$  have also been performed on IAPP, where the break occurs at  $\approx 320 \text{ K}$  via a quasi-2D percolation transition.  $^{43}$  A more statistically relevant calculation has since been performed, and will be presented in Chapter 4.

For convenience, Ref. 43 is available in Appendix A, with the poster presentations in Appendix B, and the initial and final conformations of the oxidized hIAPP moiety at  $330\,\mathrm{K}^{44}$  can be found in Appendix C.



## **Methods**

#### 2.1 Molecular Dynamics Simulation Methods in a Nutshell

The Molecular Dynamics Simulation Method is definitely a very powerful tool for investigating molecular conformations, and many other properties. The principles behind it are quite simple and can be explained by Newton's law of motion, with trajectories obtained by solving the renown second law,  $\mathbf{F} = m\mathbf{a}$ . In order to apply these laws there are a few assumptions to be made. The first being, that the motion of electrons are ignored, allowing the system to be treated through classical physics. An obvious limitation in this method is the inability to describe bond cleavage. The bonds are thus treated as springs, described by potentials as simple as Hooke's law for a harmonic oscillator, i.e.,  $\mathbf{F} = -k\mathbf{x}$ . Second, that the potential is obtained through pair-wise vector summation. The relationship between scalar potential and a conservative force, as seen in the following equation

$$\mathbf{F} = -\nabla V(\mathbf{r}),\tag{2.1}$$

allows a generation of trajectories from a distribution of particles, where the potential is obtained by a pair-wise vector sum between the particles that comprise the system. Hence, from distributions of particles it is possible to obtain potentials, from which forces can be obtained, and thus accelerations, which after a time  $\delta t$ , lead to new positions. This cycle is then repeated, and repeated, and repeated, and repeated. Each new position is obtained through integration of the acceleration with respect to time, by means of finite difference methods, with the *Verlet Algorithm* being the most used. The MD simulation is deterministic in a way that the past has an influence on the future of the system, also because the kinetic energy is also taken into account to determine the total energy of the system. This deterministic aspect is useful for determining conformational properties of flexible molecules. Normally, MD simulations can sample *NVE* ensembles, where *N*, the number of particles in the system, *V*, the volume, and *E*, the energy, are all kept constant. Modifications can be made in order to sample from other ensembles, for example the isobaric-isothermal ensemble, where pressure and temperature are kept constant instead of volume and energy, as seen in the microcanonical ensemble (*NVE*). The thermodynamical properties are calculated through an average by the number of time steps.  $^{2,45}$ 

Unfortunately, this holds true only if the time interval is small enough for the force to be constant, and normally this is true when it is smaller than the fastest vibration, which occurs for hydrogen bound to heavy atoms, like oxygen, so the maximum time step is  $\approx 0.5$  fs. In order to consume less computational time, it is possible by applying constrained dynamics, which allow the time step to increase, because the faster vibrations, like those which involve H bonded to heavy atoms, are "frozen out" by constraining the bond length to the equilibrium length. The suggested time step, when the molecules are flexible, with rigid bonds, allowing translation, rotation, and torsion is  $2 \text{ fs.}^{2,45}$ 

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Force fields are the sum of functional forms and parameters. Parametrization is performed to reproduce thermodynamical properties using computer simulation techniques, and may include vibrational frequencies, other than parameters to reproduce conformational properties, with the aid of cross-terms. The OPLS force field, i.e., optimized parameters for liquid simulations, has been obtained this way. Unfortunately, there are no absolute force fields, as they have been obtained through a parametrization for reproducing a certain property, and are therefore limited to their target of application. An generic functional form can be seen as follows:

$$V = V_{bonds} + V_{angles} + V_{torsion} + V_{Lennard-Jones} + V_{Coulomb}, \tag{2.2}$$

where the first three terms are interactions between bonded atoms, i.e., bond length, bond angle, and torsion angle potentials, respectively, while the last two are relative to nonbonded interactions, i.e., van der Waals potential, which is most often expressed in the common 6/12 Lennard-Jones form, and electrostatic potential, which is approximated by the Coulomb's law, respectively. Actually there is also a fourth term between bonded atoms related to out-of-plane bending, but this is used to enforce planarity and/or chirality to the modeled molecule by the use of dummy atoms and not always necessary. The last terms are usually the ones that require more time to calculate when obtaining the potential during a simulation step. A possible method to treat long-range interactions, without having to perform a cutoff, is the Ewald Method, which was derived from crystallography due to the periodicity of ions in the unit cells of crystal structures. In order to apply this method for biomolecules, a periodic boundary condition is required, as the charges are placed on a lattice, and considered to have infinitely many images in space. The smooth particle-mesh Ewald method allows to lower the aforementioned bottleneck for  $\mathcal{O}(N^2)$  to  $\mathcal{O}(N\log N)$ .

Water models are many and can be classified in three main types: simple interaction-points with rigid molecules, flexible molecules, and finally models that take polarization effects into account. SPC/E is the updated model of the SPC, which is a three point simple model, with charges exactly balanced on H and O. The van der Waals interactions are calculated with a Lennard-Jones function between the oxygen atoms only. <sup>2,45</sup>

And last but not least, the initial conformation of the sample is very important for the outcome of the experiment, in particular the removal of "hot spots", in which the system presents an high-energy interactions that can cause instability in the system. The system must therefore be adequately minimized by means of minimization algorithms. <sup>45</sup> Chapter 3 is entirely dedicated to the preparation of the initial conformation of IAPP.

The pros and cons of Molecular Dynamics Simulations can be summarized by stating that since the motion is continuous, it can be used as a bridge between structures and macroscopic kinetic data, although it is expensive to execute and yields a short time span, requiring a high CPU usage.<sup>2</sup>

#### 2.2 Preparation of Initial Conformations

The polypeptide was modeled with MOLDEN v.4.4 <sup>46</sup> in an  $\alpha$ -helical conformation and subsequently modified with SWISS-PDB VIEWER v.3.7sp5 <sup>47</sup> through the rotation around a few bonds to enable the creation of the cystine moiety by bringing the two thiol groups of C2 and C7 within 10 % of the equilibrium bond length,  $(2.048 \pm 0.026)$  Å. <sup>48</sup> SWISS-PDB VIEWER was also used to create an extended conformation of the polypeptide by dragging the Ramachandran angles to accepted values near  $-180^{\circ}$  for  $\phi$  (less than  $-130^{\circ}$ ) and  $180^{\circ}$  for  $\psi$  (greater than  $140^{\circ}$ ). These structures were simulated with the Molecular Dynamics suite GROMACS v.3.3.1 <sup>37–39</sup> using the OPLS-AA/L force field (with 2001 amino acid dihedrals). <sup>49,50</sup>

The two hIAPP moieties' molecular weights are  $3906.33\,\mathrm{Da}$  and  $3908.35\,\mathrm{Da}$ , respectively 535 atoms for the cystine moiety and 537 atoms for the cysteine moiety. All the residues, including the termini, have been set at the standard ionization state at a pH of 7.4 at  $25\,^{\circ}\mathrm{C}$  of the individual residues, yielding a net charge of  $2\,e$  for the uncapped C-terminus moiety. If the equi-

librium  $K_a$  of the ionizable side chains are considered, the only one which might have a partial charge in aqueous solution is histidine; in fact, if given the Henderson-Hasselbach equation  $pH - pK_a = log[His]/[HisH^+]$  at pH 7.4 and  $pK_a = 6.04$ , the concentration ratio is 22.9, which yields a net charge of  $0.0436\,e$ . This  $pK_a$  is relative to an amino acid in solution, therefore the protonation state can change according to the conformation of the peptide, but it is possible to approximate it to a single protonated state, where the hydrogen atom is located on  $N\epsilon 2$ , as it is the most favorable hydrogen bonding conformation. As seen in Section 2.1, MD simulations cannot describe bond cleavage, and therefore ionization states in are fixed at the beginning of the simulation. In other words, the protonation state of the residues is kept constant, rather than pH.  $^{52*}$ 

#### 2.2.1 In vacuo hIAPP Simulations

Both the  $\alpha$ -helical and fully extended ( $\beta$ -strand) conformations of either moiety were minimized with the L-BFGS algorithm<sup> $\dagger$  53</sup> and then with the Polak-Ribiere conjugate gradient algorithm<sup> $\dagger$  54</sup> with a  $\mathbf{F}_{max}$  tolerance of  $100\,\mathrm{kJ}\,\mathrm{mol}^{-1}$ , followed by an MD simulation in *NVT* ensemble of  $100\,\mathrm{ps}$  in vacuo at  $1000\,\mathrm{K}$ , with a time step of 2 fs, a  $0.9\,\mathrm{nm}$  cutoff for short-range interactions, smooth particle-mesh Ewald (SPME)<sup>55</sup> to treat the long-range Coulombic interactions and Berendsen thermostat. The following production phase, needed to sample random configurations to determine a suitable starting structure, <sup>57</sup> an additional 1 ns was performed at the same conditions, albeit using the Nosé-Hoover thermostat. <sup>58,59</sup>

The polypeptide collapses within 20 ps of equilibration to minimize the charge-charge interactions between the termini. The mean values of end-to-end distance between the  $C_{\alpha}$  atoms of the first and last residues, referred to as  $r_{eted}$ , is  $(0.62\pm0.14)$  nm or less in the four simulations in vacuo of 1 ns each. This structural parameter seems to be the only one which is strongly influenced by the charge-charge interaction in vacuo, compared to the value of at least  $(1.22\pm0.07)$  nm obtained through a 200 ns production run performed at 450 K in SPC/E water. <sup>60</sup> The lack of charge screening in vacuo, is seen also by the fact that mean values of the maximum distance between heavy atoms, referred to as  $L_{max}$ , and the radius of gyration,  $R_g$ , are comparable, but slightly smaller than the ones obtained through the solvated run at 450 K. The same holds true for the standard deviation of the mean of  $R_g$  and  $r_{eted}$ , in fact, the dielectric screening of the medium reduces the long-range Coulomb interactions, allowing the peptide more movement.

#### 2.2.2 Solvated Uncapped hIAPP

MD simulations have been carried out on four additional conformations per hIAPP moiety<sup>§</sup> obtained in vacuo, along with the above-mentioned initial  $\alpha$ -helical conformation as described in Section 2.2. The trajectories on these solvated peptides were compared in order to ensure an unbiased starting conformation to use for the production phase (see Section 2.2.3), and are studied in detail in Chapter 3.

The peptides were solvated using equilibrated SPC/E water.  $^{60}$  The initial conformations were appropriately minimized, and subsequently temperature pre-equilibrated by a short 50 ps NVT run with restraints on the solute and short time steps (0.5 fs) using Berendsen thermostat.  $^{56}$  Also a short NPT density pre-equilibration of 100 ps using Berendsen thermostat and pressure coupling  $^{56}$  was carried out before running the equilibration and production runs, using Parrinello-Rahman pressure

<sup>\*</sup>At the time of the presentation of Ref. 52 by Donnini et al., histidine protonation states were still work in progress. †Limited-memory Broyden-Fletcher-Goldfarb-Shanno algorithm by Nocedal.

<sup>&</sup>lt;sup>‡</sup>Two methods were used, since the L-BFGS implementation in GROMACS v.3.3.1 is bugged and doesn't allow SPME of the long-range interactions. First L-BFGS was used with a switch potential, then for the other minimized methods, i.e., CG, or SD for the solvated system, the SPME criteria was used, as for the other simulations. The insertion of a disulfide bridge for such a small loop is strenuous on the bond and torsion angles of a peptide and therefore requires a sturdy minimization.

<sup>§</sup>Details on how these initial conformations were chosen is discussed in Section 3.1.1.2

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coupling <sup>61,62</sup> and the Nosé-Hoover thermostat, <sup>58,59</sup> with time constant for both couplings set at 2.0 ps, and a time step of 2 fs collecting data every 2 ps. It is standard procedure to equilibrate the system through a two step equilibration, first at constant volume followed by a simulation at constant pressure. The preferred choice is the Berendsen thermostat, as this particular thermostat scales the velocities, thus bringing the temperature quickly to equilibrated values.\* If a real *NVT* ensemble is needed, correct fluctuations are obtained by applying the Nosé-Hoover thermostat. <sup>58,59</sup> The same holds true for pressure coupling, i.e., if thermodynamic properties need to be calculated through MD simulations, the Parrinello-Rahman barostat <sup>61,62</sup> needs to be applied.

Constraints were applied to the water molecules by using the SETTLE<sup>63</sup> algorithm, while for the peptide SHAKE<sup>64</sup> was applied to bonds involving hydrogen. Long-range electrostatic interactions were treated using smooth particle-mesh Ewald,  $^{55,65}$  with short-range interaction cutoffs set at 0.9 nm. Periodic boundary conditions were set in all three directions, with the box size set at 6 nm for the random conformations taken from Section 2.2.1 and 7 nm for the  $\alpha$ -helical conformation taken as reference.

The system charge was neutralized by scaling the partial charges on the peptide to neutrality as described in Section 2.3.

#### 2.2.3 Solvated Amide Capped hIAPP

The protonation states are the same as described in Section 2.2.2, with the exception of the C-terminus being amide capped, yielding a net charge of 3e for hIAPP and 4e for rIAPP. In order to neutralize the system in solution, the total charge on the biopolymer was also scaled down to neutrality by distributing an equal and opposite charge on the peptide itself, as seen for the uncapped polypeptide.

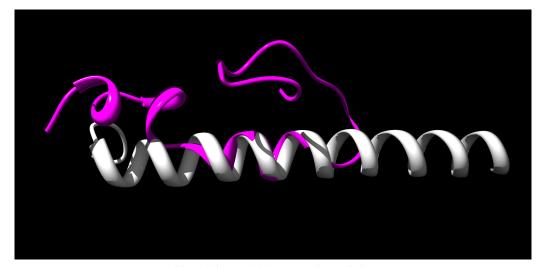
The production isobaric-isothermal MD simulation runs of  $500\,\mathrm{ns}$  for each moiety were performed at 1 bar at  $310\,\mathrm{K}$  and  $330\,\mathrm{K}$ . These runs were performed on random starting conformations, i.e., conformations which were obtained after an arbitrary pre-equilibration time of at least  $50\,\mathrm{ns}$  and that presented a  $\mathrm{C}\alpha$  RMSD of at least  $1.23\,\mathrm{nm}$  from the initial modeled  $\alpha$ -helix, as can be seen in Figure 2.1. These initial pre-equilibration data were discarded to ensure a completely random starting conformation due to the long autocorrelation times of H-bonds and secondary structure at the lower temperatures.

The peptides were solvated using equilibrated SPC/E water.  $^{60}$  After proper minimization and equilibration of the system, the following  $500 \, \mathrm{ns} \, NPT$  production runs, in which data were collected every  $2.0 \, \mathrm{ps}$ , were performed using the Nosé-Hoover thermostat  $^{58,59}$  and the Parrinello-Rahman pressure coupling  $^{61,62}$  with coupling times of  $2.0 \, \mathrm{ps}$ . In order to avoid "hot solvent and cold solute", the solvent and solute were coupled to two different thermostats and barostats. Constraints were applied to the water molecules by using the SETTLE  $^{63}$  algorithm, while for the peptide SHAKE  $^{64}$  was applied to covalent bonds involving hydrogen. Long-range electrostatic interactions were treated using smooth particle-mesh Ewald,  $^{55,65}$  with short-range interaction cutoffs set at  $0.9 \, \mathrm{nm}$ . Periodic boundary conditions were set in all three directions, with no interaction between adjacent images as the box size set at  $7 \, \mathrm{nm}$  and the maximum distance between heavy atoms,  $L_{max}$ , being no larger than  $5.5 \, \mathrm{nm}$ .

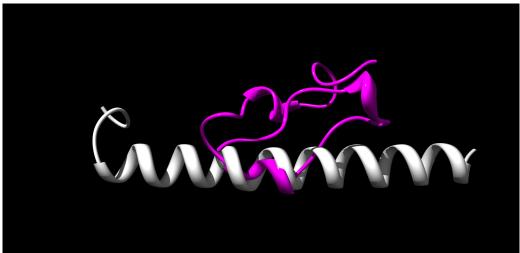
#### 2.3 Scaling Charges

One of the underlying principles of force fields is that the effective energy potentials are additive, i.e., interaction between atoms are described by a functional form, which is the sum of local terms, between bonded atoms, and nonlocal terms, between nonbonded atoms, as described by Eq. (2.2). Deviations from the equilibrium bond length, bond angle, torsion angles, and the Coulomb and

<sup>\*</sup>An interesting tutorial can be found at http://www.bevanlab.biochem.vt.edu/Pages/Personal/justin/gmx-tutorials/lysozyme/index.html.



(a) Red. hIAPP 310 K – initial vs  $\alpha$ -helix



**(b)** Red. hIAPP 310 K – after 10 ns vs  $\alpha$ -helix



(c) Ox. hIAPP 310 K – initial vs  $\alpha$ -helix

**Figure 2.1:** Comparing hIAPP initial conformations. The white ribbons show the initial  $\alpha$ -helical conformation which was simulated at 350 K as described in Section 2.2, while the magenta ribbons show the random conformation obtained after hundreds of nanoseconds, which were used as initial conformations for the 500 ns production run at 310 K and 330 K analyzed in Chapter 5.

van der Waals interactions between atom pairs describe the potential energy of the system.<sup>2</sup> The Coulomb term is therefore calculated independently from the other terms, allowing the possibility of slightly modifying the partial charges on the peptide without drastically perturbing the other terms that describe the potential energy of the system.

Oleinikova et al. and Brovchenko et al. in studies on the hydration shell of Lysozyme <sup>66</sup> and  $A\beta_{42}$  <sup>67</sup> neutralized the charge of the system by scaling the charges, so the same method was chosen in order to compare the results of the hydration shell analysis of these systems without introducing unknowns to the system, such as counter ions, which could noticeably affect the hydration water. In order to neutralize the system in solution, the total charge of the polypeptide,  $q_t^o$ , was scaled down to neutrality,  $q_t^s$ , by subtracting the partial scaled charge,  $q_i^p$ , with the appropriate sign given by the ratio  $q_t/|q_t|$  from the initial partial charge,  $q_i^o$ , as can be seen in the following equations:

$$q_t^o = \sum_{i=1}^n q_i^o = +2e, (2.3)$$

$$q_t^s = \sum_{i=1}^n q_i^s = 0, (2.4)$$

$$q_i^s = q_i^o - \frac{q_t}{|q_t|} |q_i^p|, (2.5)$$

where the partial charge needed for the charge scaling calculation,  $q_i^p$ , is obtained by multiplying the total charge by the contribution of each atom i to the absolute total charge given by the ratio  $q_i^o / \sum_{i=1}^n |q_i^o|$ , as can be seen in the following equation:

$$q_i^p = q_t \frac{q_i^o}{\sum_{i=1}^n |q_i^o|}. (2.6)$$

The scaled partial charges on each atom differ less than 1.5 % from the starting value, respectively 1.48 % for the cystine moiety and 1.47 % for the cysteine moiety,\* which leads to an error of less than 3%. †,‡ Moreover, the error that may be introduced by the use of scaled charges is still negligible considering the limitations force fields have in reproducing secondary structures, due to the difficulty in parametrizing the backbone  $\phi$  and  $\psi$  dihedral terms. <sup>71</sup> The overall charge of the polypeptide chains is positive, therefore the scaling of the charges makes the negative charges slightly more negative, and the positive charges a little less positive. Same charge repulsive interactions will be higher in the case of negative charges and lower for positive charges. It is highly unlikely that the secondary structure may be influenced by such a slight change in electrostatic potential, since the difference in interaction between scaled charges, relative to the original unscaled charges, should be negligible compared to the forces involved with the nonbonded interactions governing the secondary structure. In fact, considering a Bland-Altman plot<sup>72</sup> of the Coulomb potential comparing first the effect of different charges on the same structure, and then between independent runs with the different neutralizing methods, it seems the uncertainty introduced is negligible. The system charge was neutralized in the three following ways: scaled charges as previously described (SCAL); a neutralizing charge distributed on the smooth particle-mesh Ewald grid (SPME); 55,65 and a 150 mM sodium chloride concentration to neutralize the charge (NACL), which is obtained by adding 33 chloride anions and 31 sodium cations randomly.

<sup>\*</sup>Moreover, none of these charges pass the limit of qmax, which is used to define the hydrophobicity in  $g_sas$ , 68 so the determination of the solvent accessible surface area is not biased (see GROMACS manual for details).

<sup>†</sup>The electrostatic potential between two charges  $q_i$  and  $q_j$  separated by a distance  $r_{ij}$  is given by the following relation:  $V_{ij} = \frac{q_i q_j}{4\pi\epsilon_0 r_{ij}}$ , with the error given by  $\frac{\delta V_{ij}}{V_{ij}} = \sqrt{\left(\frac{\delta q_i}{q_i}\right)^2 + \left(\frac{\delta q_j}{r_{ij}}\right)^2 + \left(\frac{\delta r_{ij}}{r_{ij}}\right)^2} \leqslant \frac{\delta q_i}{q_i} + \frac{\delta q_j}{q_j} + \frac{\delta r_{ij}}{r_{ij}}$ . To †It is possible to run the simulation without scaling the charges and including a reaction field in the Coulomb potential

<sup>&</sup>lt;sup>‡</sup>It is possible to run the simulation without scaling the charges and including a reaction field in the Coulomb potential term or by introducing a neutralizing charge on the SPME grid, but it was preferred to scale the charges since the effects it would have on the water model used are still unclear.

The Bland-Altman plot<sup>72</sup> is normally used in medicine to test the reliability of new clinical measurements compared to old ones. Calculating the correlation coefficient is not enough, as it may be misleading; in fact, two methods that have been studied to measure the same quantity should be highly correlated. Thus two independent methods are compared by graphical interpretation of the difference of the measured quantities plotted against the average between the two, as can be seen in the right panels of Figures 2.2 and 2.3, where the left panels show the correlation between the same sets of data. The correlation coefficient,  $r_{xy}$ , in Figure 2.2 is between 0.97 to 0.99, but that isn't surprising, since the electrostatic potential is calculated for the trajectory with the same  $(V_S)$  charges used for the 30 ns MD simulation runs, then the potential is recalculated with the other charges  $(V_O)$ , e.g., for the scaled charges run (SCAL) the electrostatic potential is first calculated with the scaled charges (same charges of the simulation, indicated with S), then with the original unscaled charges (other charges, indicated with S). The electrostatic potential between two charges S and S0 are parated by a distance S1 and S2 are parated by a distance S3 are parated by a distance S4 and S5 are proposed to the following equation:

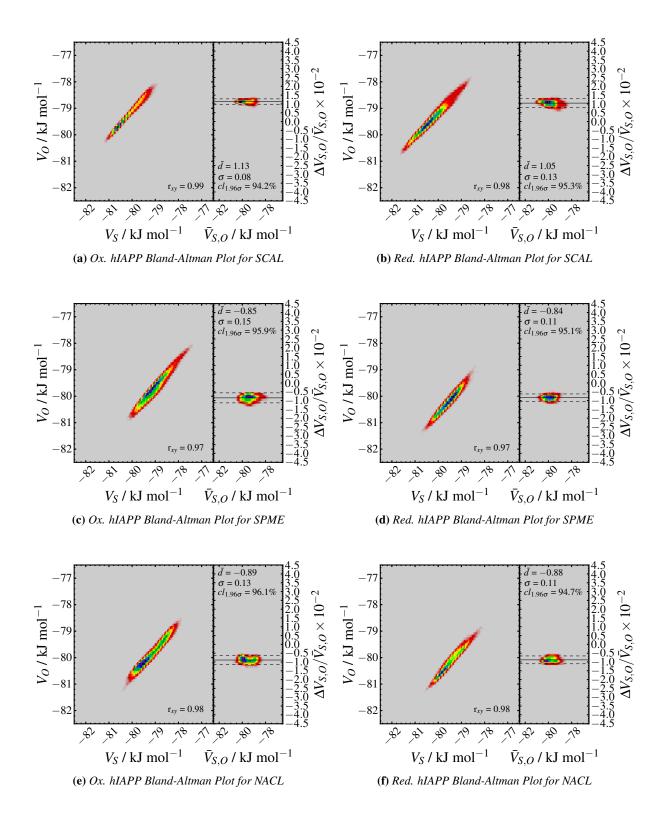
$$V_{ij} = f \frac{q_i q_j}{r_{ij}},\tag{2.7}$$

where f is the **electric conversion factor** equal to  $138.935~485~\mathrm{kJ}~\mathrm{mol}^{-1}~\mathrm{nm}~e^{-2}.^{69}$  The data on the abscissae in the right panels of Figure 2.2 are the mean value between the two different electrostatic potentials just mentioned, i.e.,  $\bar{V}_{S,O} = \frac{V_S + V_O}{2}$ , while the ordinates show the difference between them,  $\Delta V_{S,O} = V_S - V_O.^*$  If the data were truly independent, the difference between the two sets would be zero, which is not the case. The data has a systematic error, and this is a way to quantify it. As can be seen by the distribution of the data, and the confidence level of 95~%, or  $\pm 1.96\sigma$  (shown in Figures 2.2a and 2.2b), the data seem to be normally distributed, with 94.2~% and 95.3~% data within the 95~% confidence level, for the oxidized and reduced hIAPP respectively. The relative mean value of the difference of electrostatic potential percentage is -1.13~% for the cystine moiety and -1.05~% for the cysteine moiety. The other trajectories, i.e., the SPME and NACL, which have been calculated with the original OPLS-AA partial charges,  $^{49.50}$  when substituted with the scaled charges, give an even smaller absolute value of  $\Delta V_{S,O}$ , as can be seen in Figures 2.2c through 2.2f.

It is obvious that a systematic error has been introduced, but the question is how large? The initial estimate was maximum 3 \%, around 2 \% if calculated by the square root of the sum of the squares of the relative errors (as seen in Footnote † on the preceding page). The absolute value of the relative error on the calculated electrostatic potential with two different charge sets on the same conformations is less than 1.13 %. The next step is to look at the effect the scaled charges have on the electrostatic potential,  $V_D$ , compared to opposite partial charges distributed on the SPME grid,  $V_G$ , and neutralizing charges given by an NaCl solution at physiological ionic strength 150 mM,  $V_P$ . As can be seen in the left panels in Figure 2.3, the correlation between the electrostatic potential of parallel runs is uncorrelated, with  $r_{xy}$  between 0.35 and -0.17, so the Bland-Altman plots in the left panels, should also be uncorrelated. Unfortunately, only comparison of the neutralizing methods with the original charges are uncorrelated, as seen in Figures 2.3e and 2.3f, where the relative difference between  $V_G$  and  $V_P$  is -0.2% and 0.1%, respectively for oxidized and reduced hIAPP. The scaled charges seem to overestimate the electrostatic potential. In fact, just like in Figures 2.2a and 2.2b, d in Figures 2.3a through 2.3d ranges from 0.9 % to 1.4 %. This is possibly due to the fact that the unscaled charges belong to neutral charge groups, which are no longer neutral after charge scaling. As stated in the manual, if, for example, an atom-atom interaction calculated with O of a water molecule is calculated without the neutralizing charges of the other atoms in the *charge* group, e.g., the two H atoms, a large dipole can be induced in the system. <sup>69</sup> Therefore, in order to avoid this problem, the atom-atom interactions are calculated with all the atoms included in a charge group. In the case of the scaled charges, the overall charge of the peptide is neutral; not

<sup>\*</sup>In order to make it easier to quantify the differences,  $\Delta V_{S,O}$ , are divided by the mean values,  $\bar{V}_{S,O}$ , and multiplied by 100.

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**Figure 2.2:** Each subfigure shows the correlation between two data sets in the left panels and in right panels the Bland-Altman<sup>72</sup> plot of the same sets. The occurrence of the data is represented by a reverse spectral color code (ROYGBIV), where the most occurring events are violet and red the least, with black being 100% and gray 0%. Scaled charges for (a) oxidized and (b) reduced hIAPP. Neutralizing charge distributed on SPME grid for (c) oxidized and (d) reduced hIAPP. Physiological 150 mM ionic force for (e) oxidized and (f) reduced hIAPP.

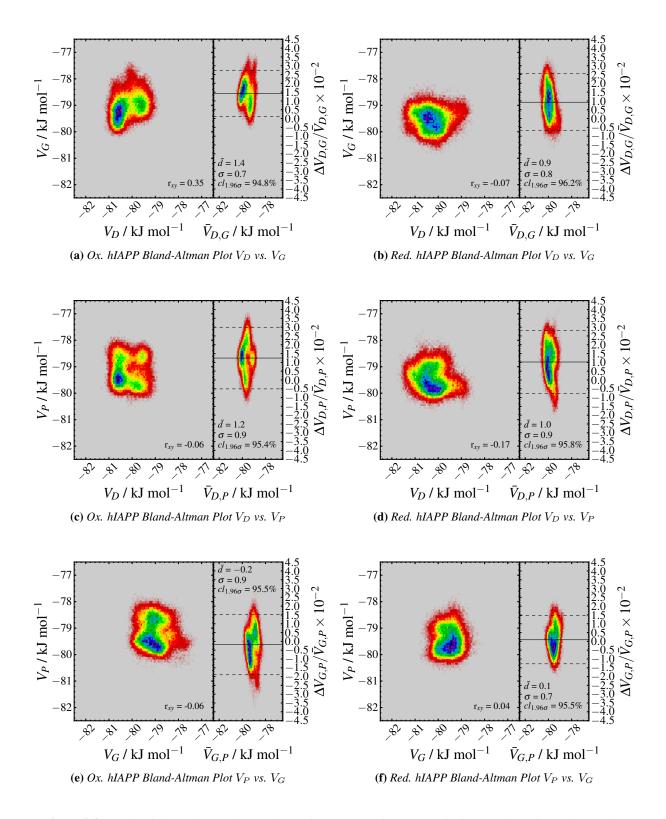
the charge of each individual group. The atoms still belong to *charge groups*, but the groups may deviate from neutrality due to the scaling of the charge, thus introducing a systematic error.

Therefore, the scaling of the charges can influence the electrostatic potential, which in turn could bias the 1-4 interactions that define the  $\phi$  and  $\psi$  torsion angles which define the secondary structure. As a first estimate, an error of 1.4% in the electrostatic potential, as estimated in Figure 2.3, could correspond to a 5° error in the dihedral angles on the Ramachandran plot, if there were no other forces or barriers involved. This should not be the case, since most torsional terms in OPLS-AA force fields are calculated from ab initio calculations on models using an HF/6-31G\* basis set, <sup>73</sup> and thus should not be influenced by the scaling of the charges. Plotting the regions relative to  $\alpha$ -helix,  $\beta$ -strands, and poly(L-proline), and a cutoff region  $60^{\circ} \times 60^{\circ}$ , comprising the regions in the Ramachandran plot which contain the maximum peaks of the corresponding areas relative to the considered secondary structures, as can be seen delimited by the dashed red squares in the images on the left of Figures 2.4 to 2.6 and given in detail in Section 2.4.1. The mean values of the data that determine these peaks, are at maximum within 5°, moreover all the mean values lie within the contour which defines the highest content of the secondary structure in consideration. The peaks of these Ramachandran plots are given by the sum of all three runs, with the areas of each marker that determine the contribution of each run to the peak within the red square. None of the charge neutralizing methods seems to contribute more than another than to the peaks, if not the salt solution of reduced hIAPP, NACL in Figure 2.5c. In fact, with the exception of Figure 2.7f in which there seems to be a more significant content of  $\beta$ -strands than the other runs, the contribution to the secondary structures for the independent 30 ns trajectories doesn't differ significantly. If the  $\phi$  and  $\psi$  angle acceptance for these secondary structures is increased by 10° in all directions delimiting a cutoff region of  $80^{\circ} \times 80^{\circ}$  (right plots of Figures 2.4 to 2.6), the mean values of  $\phi$  and  $\psi$  of the three runs diverge slightly in some runs, with some of the points which drift out of the contour with the maximum occurrence as can be noticeably seen between Figures 2.5c and 2.5d. Hence, this divergence of the mean points depends on many factors, amongst which the cutoff, and cannot be solely attributed to the charge scaling. In fact, the standard deviation of the mean, which indicates the fluctuation of the system while the conformations project their movement on this plane is normally 15° when considering the  $60^{\circ} \times 60^{\circ}$  cutoff, and reaches values of 20°. Another possible control to verify the influence of the charge scaling could have been calculating the dipole moment of the peptide bond H-N-C=O, but unfortunately the GROMACS charge groups differ from this, including also the  $C\alpha$  and  $H\alpha$ , which results in a slightly larger dipole (3.98 D vs. 3.5 D). The neutralizing charge is distributed throughout the entire peptide, so either two charge distributions for the peptide bond is not zero, making the calculation of the dipole pointless for comparison since it depends on the Cartesian coordinates of the atoms.\* A systematic error in the calculation of the dipole of the peptide bond could influence the overall secondary structure, but it seems that there is no significant difference between the characteristic Ramachandran plots for helical and extended conformations seen in Figure 2.7 on page 24. Due to this uncertainty in the calculation of the dipole, scaled charges shouldn't be used to calculate IR-spectra, since it depends on the variation of the dipole moment, <sup>2</sup> but it should be irrelevant for MD simulations.

Albeit these 30 ns MD simulation runs at 350 K and 1 bar (NPT) are relatively short for statistical purposes, it is possible to conclude that the difference in secondary structure maxima may or may not be induced by the scaling of the charges, but it is certain that the fluctuation of the system is preponderant over any slight effect the scaling of the charges may induce. In fact, such scattering is in line with the scattering of different independent simulation runs.

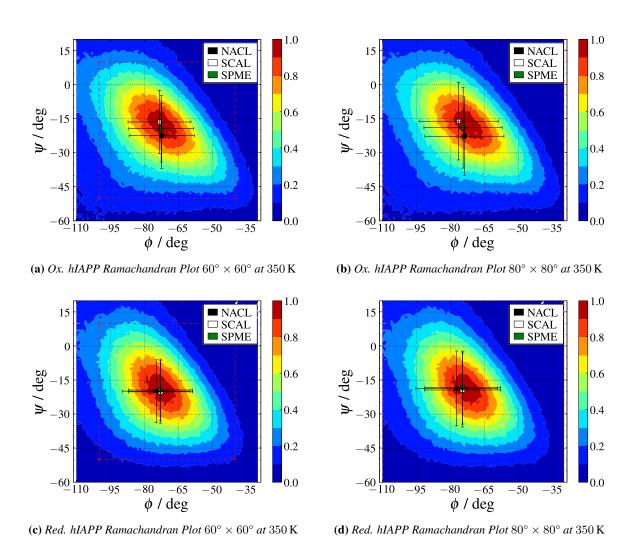
These data were obtained with uncapped IAPP fearing that the systematic error introduced was larger than with the amide capped system, since this polypeptide is much smaller than Lysozyme as

<sup>\*</sup>The central multipole expansion is based upon electric moments, which are the charge, dipole, quadrupole, and so on, and can be represented by a distribution of charges. The first is a scalar, the second a vector, and the third a tensor. Only the first non-zero moment is independent of the coordinates, <sup>45</sup> therefore a dipole of a molecule which is charged depends on the choice of the origin.

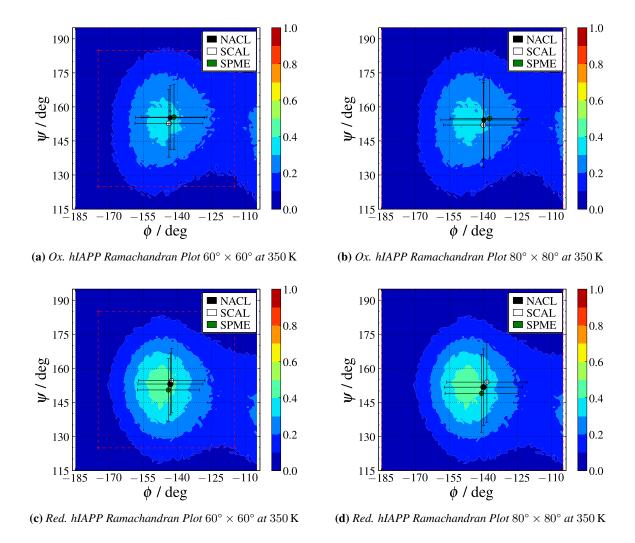


**Figure 2.3:** Each subfigure shows the correlation between two data sets in the left panels and in right panels the Bland-Altman<sup>72</sup> plot of the same sets. The occurrence of the data is represented by a reverse spectral color code (ROYGBIV), where the most occurring events are violet and red the least, with black being 100% and gray 0%. Scaled charges for (a) oxidized and (b) reduced hIAPP. Neutralizing charge distributed on SPME grid for (c) oxidized and (d) reduced hIAPP. Physiological 150 mM ionic force for (e) oxidized and (f) reduced hIAPP.

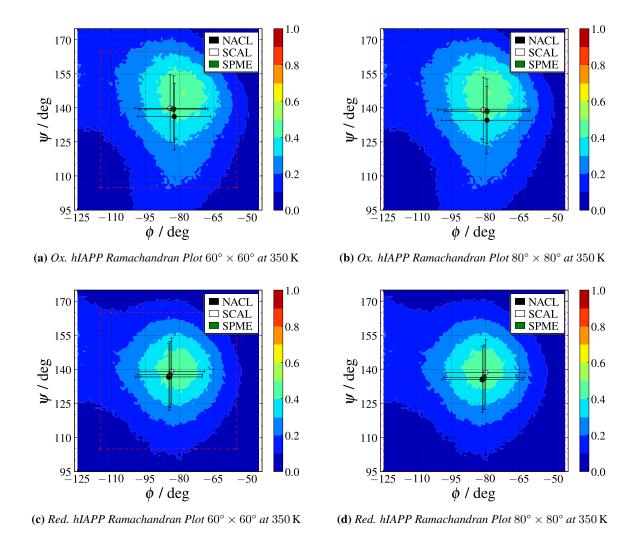
studied by Oleinikova et al., <sup>66</sup> but the formation of salt bridges tend to bias the trajectories causing short distances between charged groups, whether they are the charged termini end-to-end distances or the charged carboxyl group and R18 in rIAPP. Hence, subsequent runs with amide capped C-termini were performed, where the partial charges for hIAPP are scaled by 2.2 % and 3.0 % for rIAPP. A first approximation of the error on the electrostatic potential for the capped rIAPP, which presents a charge of 4e, is 4.2 % (as seen in Footnote  $\dagger$  on page 16), <sup>70</sup> but as seen for the uncapped hIAPP, it might also be as small as the percentage of the charge scaling, i.e., 2.2 % and 3.0 % for hIAPP and rIAPP, respectively. Moreover, A $\beta$ 42, which is a 42 residue 627 atom polypeptide bearing a similar size of IAPP, has also been scaled to neutrality from 3e without apparent effects on the force field to reproduce system properties. <sup>67</sup>



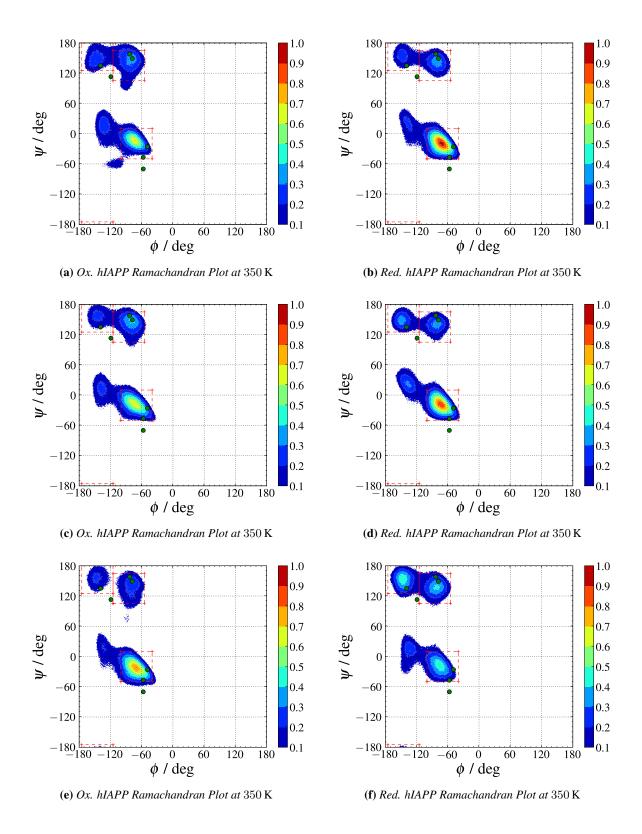
**Figure 2.4:** (a)–(b) Oxidized and (c)–(d) reduced hIAPP Ramachandran plots relative to the helical region enclosed by the dashed red line,  $-100^{\circ} \le \phi \le -40^{\circ}$  and  $10^{\circ} \le \psi \le -50^{\circ}$ , for (a) and (c), and  $-110^{\circ} \le \phi \le -30^{\circ}$  and  $20^{\circ} \le \psi \le -60^{\circ}$ , for (b) and (d) for NACL, SPME, and SCAL runs. The circles indicate the mean value of the  $\phi$  and  $\psi$  angles for the data within the dashed red square, with the area of each circle proportional to the contribution of each trajectory to the data distribution. The error bars indicate the standard deviation of the mean.



**Figure 2.5:** (a)–(b) Oxidized and (c)–(d) reduced hIAPP Ramachandran plots relative to the isolated  $\beta$ -strand region enclosed by the dashed red line,  $-175^{\circ} \leq \phi \leq -115^{\circ}$  and  $125^{\circ} \leq \psi \leq 185^{\circ}$ , for (a) and (c), and  $-185^{\circ} \leq \phi \leq -105^{\circ}$  and  $115^{\circ} \leq \psi \leq 195^{\circ}$  for (b) and (d) for NACL, SPME, and SCAL runs. The circles indicate the mean value of the  $\phi$  and  $\psi$  angles for the data within the dashed red square, with the area of each circle proportional to the contribution of each trajectory to the data distribution. The error bars indicate the standard deviation of the mean.



**Figure 2.6:** (a)–(b) Oxidized and (c)–(d) reduced hIAPP Ramachandran plots relative to the poly(Pro) II region enclosed by the dashed red line,  $-115^{\circ} \leq \phi \leq -55^{\circ}$  and  $105^{\circ} \leq \psi \leq 165^{\circ}$ , for (a) and (c), and  $-105^{\circ} \leq \phi \leq -45^{\circ}$  and  $95^{\circ} \leq \psi \leq 175^{\circ}$ , for (b) and (d) for NACL, SPME, and SCAL runs. The circles indicate the mean value of the  $\phi$  and  $\psi$  angles for the data within the dashed red square, with the area of each circle proportional to the contribution of each trajectory to the data distribution. The error bars indicate the standard deviation of the mean.



**Figure 2.7:** Ramachandran plots for the oxidized hIAPP (a) SCAL, (c) SPME, and (e) NACL runs, and for the reduced hIAPP runs (b) SCAL, (d) SPME, and (f) NACL. The green circles indicate the theoretical values calculated for rigid spheres and van der Waals radii. <sup>74,75</sup> The occurrences have been normalized and are relative to the highest peak found in (b).

2.4 SOFTWARE 25

#### 2.4 Software

The data were analyzed by an ad hoc python program, which uses PYMACS v.0.2<sup>76</sup> for the manipulation of the .xtc files, DSSPcont v.1.0<sup>77,78</sup> and SEGNO v.3.1<sup>79</sup> for the assigning secondary structure, and  $g_sas^{68}$  of the GROMACS package for calculating the solvent accessible surface area. The error estimation was carried out by applying  $g_analyze$ , <sup>80</sup> which is discussed in detail in Section 2.4.4.1, along with the statistical inefficiency present in MD Simulations.

In the following sections, a complete description of various properties that are calculated by  $xTc\_Rex.py$ ,\* and how they are defined. This script is principally hard coded for analysis of various forms of IAPP, with and without disulfide bond, i.e., the calculation of aromatic-aromatic distances, the isomeric form of Pro in rIAPP, and the chirality of the disulfide bond dihedral angle, but the generic properties, e.g.,  $R_g$ ,  $r_{eted}$ , and the number of intrapeptide H-bonds and H-bond matrices, can be calculated for any monomeric polypeptide.

#### 2.4.1 Ramachandran Angles

Besides using SEGNO<sup>79</sup> and DSSPcont<sup>77,78</sup> to assign secondary structure elements, regions of the Ramachandran plot can also be used to define secondary structure according to the  $\phi$  and  $\psi$  backbone angles. 75 The residues are assigned a particular secondary structure if the Ramachandran angles are the following, as seen in Figure 2.7:  $-100^{\circ} \le \phi \le -40^{\circ}$  and  $10^{\circ} \le \psi \le -50^{\circ}$  correspond to helical conformations,  $-175^{\circ} \le \phi \le -115^{\circ}$  and  $125^{\circ} \le \psi \le 185^{\circ}$  correspond to  $\beta$ -strands, and  $-115^{\circ} \le \phi \le -55^{\circ}$  and  $105^{\circ} \le \psi \le 165^{\circ}$  correspond to poly(L-proline) I and II helices, where poly(Pro) I is given by proline which contain all cis bonds, while poly(Pro) II are contain all trans bonds. The theoretical values calculated for rigid spheres and van der Waals radii 74,75 show a nice correspondence with the chosen cutoffs for poly(Pro), and slightly less for  $\beta$ -sheets. The extended conformations are slightly shifted to more positive values for  $\psi$ , and more negative values for  $\phi$ , with the parallel  $\beta$ -sheets not sampled, possibly due to the highly improbable conformation necessary for parallel alignment of two segments in such a short peptide. Moreover, the antiparallel  $\beta$ -sheet is seen to be more stable between the two secondary structures. The  $\beta$ -sheets, which were initially thought to be flat and planar, present a right-handed twist, hence yielding slightly more positive values for  $\phi$  and  $\psi$ . The helical conformations also deviate from the theoretical values, and normally present  $\phi$  equal to  $-62^{\circ}$  and  $\psi$   $-41^{\circ}$ . This deviation is due to the carbonyl groups pointing outward, away from the helix and the H-bonds not as straight in order to create a more favorable geometry that allows H-bond formation with water molecules or other H-bond donors.<sup>5</sup> An additional note on H-bond formation in helices, certain residues, i.e., serine, threonine, aspartic acid, and asparagine, can interfere in  $\alpha$ -helical H-bonding since the side chain can bend back and form bonds with the backbone atoms. In fact, these residues are often found in capping the  $\alpha$ -helix, as there are four peptide oxygens or hydrogens that are not involved in helix bonding. <sup>5</sup> Moreover, it's not surprising that some of the conformations present  $\phi$  and  $\psi$  angles, which are in the restricted areas of the Ramachandran plots, because the bonds and angles are flexible and can stretch and bend to avoid clashing of spheres held together by rigid bonds, used to determine the permitted values in the Ramachandran plots. These classical values are depicted by green circles in Figure 2.7, namely antiparallel  $\beta$ -sheet (-139°, 135°), parallel  $\beta$ -sheet (-119°, 113°),  $\alpha_R$ -helix (-57°, -47°),  $\alpha_R$ -helix (-57°, -47° helix  $(-49^{\circ}, -26^{\circ})$ ,  $\pi$ -helix  $(-57^{\circ}, -70^{\circ})$ , poly(Pro) I  $(-83^{\circ}, 158^{\circ})$ , poly(Pro) II  $(-78^{\circ}, 149^{\circ})$ . Ramachandran plots for known and resolved proteins which present high  $\alpha$ -helical content, Soluble Lytic Transglycosylase Slt70 (1QSA), and high  $\beta$ -sheet content, Pectin Lyase A (1IDK), show that the cutoffs chosen encompass the helical portion of the Ramachandran plot are appropriate, with the most occurring angles are slightly shifted as suggested by Creighton. On the other hand, the area of the Ramachandran plot relative to the  $\beta$ -sheets presents points that are not encompassed by the

<sup>\*</sup>The name of the ad hoc python script written for the data analysis was coined from its function of analyzing .xtc files and from the bugs that were the size of dinosaurs, i.e., T-Rex. After a few months, when the "last" bugs were ironed out, xTc\_Rex.py became of vital importance for the outcome of this work.

chosen cutoff, since the Pectin Lyase A presents parallel  $\beta$ -sheets, which are not present in hIAPP. Many data points are also present in the cutoff region assigned to poly(Pro), even when glycine and proline are not plotted, but this region is also populated by many other structures available at the PDB database, for example the PDB40 dataset, <sup>81</sup> as plotted in Molecular Modeling and Simulation by Schlick.<sup>2</sup>

By assigning the secondary structure through Ramachandran angles there is no differentiation between  $3_{10}$ ,  $\alpha$ , or  $\pi$  helices, as the H-bond pattern is not taken into account to determine which kind of helix the conformation assumes. Both SEGNO<sup>79</sup> and DSSPcont<sup>77,78</sup> assign secondary structure elements following different algorithms and do not rely solely on Ramachandran angles. In fact, DSSP, <sup>77</sup> relies on H-bonds, since H-bonds depend only on the cutoff in energy, and not on positions of  $C_{\alpha}$  or by  $\phi$  and  $\psi$  backbone angles. Moreover, only a minimum number of consecutive residues with the same conformation are considered as a secondary structural element. Even if the determination of the secondary structure determined by the selected areas of the Ramachandran plot may overestimate the helical content by including H-bonded turns, which otherwise would not be assigned as a helix, such criteria may be relevant for certain analysis, as it includes residues that individually participate in the cooperative construction of a certain conformation, and not only those that participate in a complete conformation.

Assignment	t / ns	KCNTATCATQRLANFLVHSSNNFGAILSSTNVGSNTY
DSSPcont	7.834	LLTTSLGGGGGGGGHHHHTTTSLLSGGGTTTLLLLLL
Rama. Angles	7.834	LLHLPPHHHHHHHHHHLHHLLLILHHLLLHLILLPLL
SEGNO	7.834	LLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLLL
DSSPcont	10.580	LLTTSLSSTTTSLHHHHTHHHHHHHHTLLSSLSSSSLL
Rama. Angles	10.580	LLHLIPLLHHLIPHHHHHHHHHLHLLLLLHIIHLHIPL
SEGNO	10.580	LLLLLLLLLLLMMMMMMMMLLLLLLLLLLLLL
DSSPcont	1.006	LLTTSLLSGGGGGTTSSIIIIIIIITTGGGGLLLLLL
Rama. Angles	1.006	LLHLLPILHHHHLLLLPLHLLHLLHHLHHHHPLIPLL
SEGNO	1.006	LLLIIILGGGGLLLLLLLLLLLLLLLLGGGLLLLLL

Table 2.1: Secondary Structure Assignment

As previously mentioned these classical angles are defined in solid structures and do not correspond exactly to values in solution, hence slightly different values were taken from those used in SEGNO; in fact, the  $60^{\circ} \times 60^{\circ}$  regions of  $\phi$  and  $\psi$  which encompassed the maximum of the Ramachandran plots in Figure 2.7 were chosen. In Table 2.1 three conformations at arbitrary time steps have been selected to illustrate the secondary structure assignment of helices by the Ramachandran angles (in red), SEGNO (in cyan), and DSSPcont (in green). The helices (H) defined by the Ramachandran plot correspond in many cases with both SEGNO and DSSPcont, especially for 3 and 4-turn helices, G and H respectively, even though there is a slight overestimation of helices compared to DSSPcont, since turns (T) are hydrogen bonded turns that do not have sufficient continuous residues in the same secondary structure or may be in a region of overlap between two sequences of other helices. 77 A geometrical structure assigned by DSSPcont, which can be assigned as a helix by the Ramachandran angles, is the bend (S), a property not determined by H-bonds, but rather simply by the angle between the first, the third, and the fifth  $C_{\alpha}$  of five consecutive residues, and is assigned as bend if the angle is less than 70°. Residues can be assigned as helical (H) by the Ramachandran angles, and therefore overestimating the helical content even in the case of bends assigned by DSSPcont. It is important to notice that coils or loops (L), i.e., secondary structure which cannot be assigned to any regular structure through any of the definitions found in DSSPcont, have not been assigned as H by the Ramachandran angle selection. There is also a good correspondence between Ramachandran angles which define helices (H) and mixed helices (M), assigned by SEGNO shown in the second set of data, again with a slight overestimation by the Ramachandran angle assignment. Unfortunately, the third data set shows that the sampling of the extremely rare 5-turn helix is not reproduced as clearly; in fact, the sequence of 5-turn helices detected by DSSPcont (I) is not detected by SEGNO either. The  $\pi$ -helix is rare because the backbone is so loose that it presents a hole down the middle. <sup>2</sup>

#### 2.4.2 Hydrogen Bond Definitions

An important structural property highly correlated to secondary structure is the hydrogen bonding patterns, which can be limited to the backbone, or extended to its interaction with the side chains. Considering that normally only heavy atoms are detected when resolving X ray structures, H-bonds can be expressed by the distance between heavy atoms in H-bonds, which is approximately  $3\,\text{Å}.^5$  The typical H-bond distances, as can be found in Table 2.2 of Biochemistry by Stryer, <sup>1</sup> are as follow:

bond	length / Å	bond	length / Å
O-HO	2.70	N-H···O	3.04
$O-H\cdots O^-$	2.63	$N^+-H\cdots O$	2.93
$O-H\cdots N$	2.88	$N-H\cdots N$	3.10

**Table 2.2:** Hydrogen Bonds in Biological Systems

The main component of H-bonds is the electrostatic interaction between the positive partial charge on H and the negative partial charge on the donor (D) and acceptor (A) atoms, as such  $D^{\delta-}-H^{\delta+}\cdots A^{\delta-}$ . The scaling of the charges to neutrality on a positive peptide make the negative charges more negative and the positive charges less positive, so it is possible that the D-A is slightly longer than what is found in Table 2.2, due to the larger repulsion between D and A and less screening of H between them. Comparing the backbone-backbone H-bond content obtained with the less stringent criteria described in the following paragraph, there is little or no correlation between the H-bonds of the parallel independent runs illustrated in Section 2.3 ( $|r_{xy}| \leq 0.2$ ). The Bland-Altman<sup>72</sup> plots show comparable H-bonds ( $|\Delta n_{HB}| \approx 2$ , with  $n_{HB(D)} > n_{HB(G)}$  and  $n_{HB(D)} \leq n_{HB(P)}^*$ ) with no apparent bias (not shown).

Backbone-backbone H-bonds were identified by the following two cutoff criteria: distances between the donor (D) and the acceptor (A) atoms less than 3.5 Å and donor-hydrogen-acceptor atom angles, DHA, greater or equal to 130°. Oxygen and nitrogen atoms were classified as donors if bound to hydrogen, and as acceptors if a lone pair was present. Many H-bonds in proteins involve the carbonyl C=O and the amide N-H groups of the peptide bond, and due to the lone pair in the carbonyl group the H-bonds have a preferred geometry with H on the plane defined by R<sub>2</sub>C=O, normally within 0°-7°, and deviating from the linearity of C=O···H by 50°-60°. Therefore, a more stringent definition to determine backbone-backbone H-bonds, similar to the one used by Kuster et al. 82 The carbonyl carbon of the backbone is also included in the acceptance criteria of the DHA angle, i.e., both the C=O···H and O···H-N angles in C=O···H-N must be greater than 90°, and one of the two must be greater or equal to 130°. The H-bond residue-residue matrices in Figures 5.18 and 5.19, which can be related to secondary structure, were assigned with this criteria. Such plot is defined by registering the occurrence of backbone-backbone H-bond between two residues, which are aligned along the two axes according to the peptide sequence from first to last. If the data points lie along the main diagonal, a helix may be identified. The helix, if present,

<sup>\*</sup>The number of H-bonds are labeled as for the electrostatic potential: scaled charges trajectory  $n_{HB(D)}$ , opposite partial charges distributed on the SPME grid  $n_{HB(G)}$ , and neutralizing charges given by a NaCl solution at physiological ionic strength of  $150 \, \mathrm{mM} \, n_{HB(P)}$ .

may then be classified according to the number of residues between a pair, i.e., four residues define an  $\alpha$ -helix. If the data points lie perpendicular to it, such behavior is characteristic of another secondary structure, like a  $\beta$ -sheet.

#### 2.4.3 Statistical Properties

Important information on the conformational behavior of a random polypeptide can be obtained by statistically averaging all the visited conformations; two such properties are end-to-end distance,  $r_{eted}$ , and radius of gyration,  $R_g$ . The former is the root-mean-square, RMS, of the distance between the first and last atoms of the chain, while the latter is defined as the RMS of the distance of each atom from the center of mass of the polypeptide.

As a first approximation, statistical properties, like end-to-end distance,  $r_{eted}$ , or the radius of gyration,  $R_g$ , of a random polypeptide chain can be calculated for a **unperturbed random coil**, using a **random-flight chain model**, in which each amino acid residue is not influenced by the remaining residues of the polypeptide nor is the excluded volume effect taken into account. A simplified model can thus be defined: atoms are not included, chains have no volume, all bond angles and rotation around bonds have equal probability, and bond lengths, l, are set to  $0.38\,\mathrm{nm}$ , which is the distance between adjacent  $C_\alpha$  in a planar *trans* conformation. The end-to-end distance (Eq. 2.8) and radius of gyration (Eq. 2.9) for such a model of n bonds are as follow:

$$\langle r_{eted}^2 \rangle_0^{1/2} = n^{1/2} l,$$
 (2.8)

$$\langle R_g \rangle_0^2 = \frac{nl^2}{6} \frac{n+2}{n+1},$$
 (2.9)

where the angle brackets indicate the statistical mechanical average over all conformations and the subscript zero refers to the unperturbed state.<sup>5</sup> Moreover, close examination of Eqs. (2.8) and (2.9), shows a relationship between these two statistical properties, which for a short chain is as follows:

$$\frac{\langle R_g \rangle_0^2}{\langle r_{estad}^2 \rangle_0} = \frac{1}{6} \frac{n+2}{n+1}.$$
 (2.10)

The statistical properties described by Eqs. (2.8)–(2.10), calculated with l set to 0.38 nm and n equal to 36, are listed in Table 2.3, where the values on the left are squared, while on the right they are to the first power.

**Table 2.3:** Random-flight Chain Statistical Properties (n = 36, l = 0.38 nm)

Statistical Property	Calculated Value	Statistical Property	Calculated Value
$\langle r_{eted}^2 \rangle_0$	$5.2\mathrm{nm}^2$	$\langle r_{eted}^2 \rangle_0^{1/2}$	2.3 nm
$ \langle r_{eted}^2 \rangle_0 \\ \langle R_g \rangle_0^2 $	$0.89\mathrm{nm}^2$	$\langle R_g \rangle_0$	$0.94\mathrm{nm}$
$\langle R_g \rangle_0^2 / \langle r_{eted}^2 \rangle_0$	0.17	$\langle R_g \rangle_0 / \langle r_{eted}^2 \rangle_0^{1/2}$	0.41

The radius of gyration increases with increasing chain length with a clear influence of the conformation of the peptide on how it increases. As seen in Figure 5.3 of Proteins: Structures and Molecular Properties, by Creighton(1993), a polypeptide chain of 37 amino acid residues presents smaller  $R_g$  when in spherical conformation, while it is larger when in  $\alpha$ -helical or random coil conformation. Hence, some information on the conformation of the polypeptide can be given by the average value of the radius of gyration. Moreover, due to inherent properties of the amino acid residues and the limited flexibility of the polypeptide chain, a **characteristic ratio**,  $C_n$ , exists between the measured end-to-end distance and the one calculated from the random-flight chain as seen in Eq. (2.11):<sup>5</sup>

**SOFTWARE** 

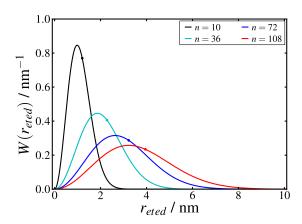
$$C_n = \frac{\langle r_{eted}^2 \rangle_0}{nl^2},\tag{2.11}$$

which for infinite chains,  $C_{\infty}$  is 9.0. This is true if no glycine or proline residues are present, since proline, if in the cis form, can lower  $C_{\infty}$  due to the change in direction of the chain, and interspersed glycine can also make the chain more flexible and lower the value of  $C_{\infty}$ , due to the absence of chiral side chains.

The distribution of the possible values of  $r_{eted}$  the random-flight chain assumes can be given by a radial distribution, W(r)dr, which is the probability of the two ends to be between a distance r and r + dr as can be seen in the following equation:<sup>5</sup>

$$W(r)dr = \left(\frac{\beta}{\sqrt{\pi}}\right)^3 e^{-\beta^2 r^2} 4\pi r^2 dr,$$
(2.12)

where  $r^2=x^2+y^2+z^2$  and  $\beta=\left(\frac{3}{2nl^2}\right)^{\frac{1}{2}}$ . Such kind of distribution is asymmetrical and the RMS value of r does not coincide with the maximum, as can be seen in Figure 2.8. A finite chain will not follow this distribution, since there is a non-zero probability of the  $r_{eted}$  to be larger that the length of the chain.



**Figure 2.8:** Radial distribution, Eq. (2.12), for various random-flight chains of arbitrary lengths, with n=36 in cyan. As the chain length increases, so does the breadth of the distribution. The RMS values of the distance between two atoms,  $\langle r_{eted}^2 \rangle_0^{1/2} = n^{1/2}l$ , are represented by a point on each distribution. Due to the asymmetry of this radial distribution, the RMS distance is not the most probable value.

#### 2.4.3.1 Water box and Maximum Distance between Heavy Atoms

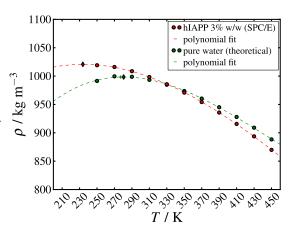
The upper limit of  $r_{eted}$  is given by the maximum distance between heavy atoms, as seen in Figure 2.10 on page 33, so  $L_{max}$  can determine the maximum extension of the polypeptide, and is useful to monitor whether the box size of the simulation is sufficiently large to avoid short range interactions between the images, i.e., for systems in which the minimum image convention is applied only the nearest image in periodic boundary conditions is considered when calculating interactions between atoms in such systems. The short-range nonbonded interactions are calculated only for atoms within a cutoff of  $0.9 \, \mathrm{nm}$ , therefore it is important that two images don't interact with each other.

A 216 nm<sup>3</sup> water box containing 7161 SPC/E<sup>60</sup> water molecules was prepared to solvate four different conformations obtained from the run in vacuum for both moieties, i.e., from RUN1 to RUN4. The box of water molecules included in the GROMACS library consists of 216 SPC water molecules equilibrated at 300 K with a box edge of 1.862 06 nm prepared by van Gusteren.\* Since the simulation run is set at 350 K, the water box must be heated after being minimized and equilibrated (L-BFGS and CG minimizations, *NPT* equilibration and production run). The starting

<sup>\*</sup>The only details found in the GROMACS library are: "216H2O, WATJP01, SPC216, SPC-MODEL, 300K, BOX(M)=1.86206NM, WFVG, MAR. 1984".

density at 300 K was  $991.8 \,\mathrm{kg}\,\mathrm{m}^{-3}$ , which after 1 ns at 350 K resulted in  $(965\pm3) \,\mathrm{kg}\,\mathrm{m}^{-3}$ . Such value seems a bit strange; even if SPC/E water presents a density lower than experimental values, <sup>83</sup> that seems a little too low. Since the water box was heated at constant pressure, it is possible that the box size expanded too much lowering the density excessively. In fact, after solvating the peptide with such water box and pre-equilibrating the system at constant volume at 350 K, the average density for a 20 ns trajectory increases to  $(970.89\pm0.03) \,\mathrm{kg}\,\mathrm{m}^{-3}$ , which is closer to that of pure water calculated\* at 350 K,  $973.68 \,\mathrm{kg}\,\mathrm{m}^{-3}$ . A temperature-dependence plot of the average values of water density can be seen in Figure 2.9, where the calculated values are indicated with full circles and the corresponding polynomial fitted curves indicated by dashed lines, where the density maxima are indicated by diamonds. Many water models fail to reproduce the water density maximum of  $0.999\,95 \,\mathrm{g}\,\mathrm{cm}^{-3}$  at  $4\,^{\circ}\mathrm{C}$ ; <sup>84</sup> in fact, SPC/E presents a maximum at  $235.15 \,\mathrm{K}$ , <sup>85</sup> which is also extrapolated to  $233.75 \,\mathrm{K}$  with the polynomial fitted curve. The polynomial fit of the calculated pure water points also reproduces the density maximum pretty well with  $998.41 \,\mathrm{kg}\,\mathrm{m}^{-3}$  at  $280.50 \,\mathrm{K}$ .

**Figure 2.9:** Water density for pure water and a hIAPP SPC/E  $3.0\,\%$ w/w solution for temperatures between  $250\,\mathrm{K}$  and  $450\,\mathrm{K}$ , with the polynomial fit  $y=ax^3+bx^2+cx+d$  in dashed line. The maximum of the water density at  $277.15\,\mathrm{K}$  obtained from the polynomial fit curve is  $999.347\,\mathrm{kg}\,\mathrm{m}^{-3}$  (indicated with a plus sign), compared to the experimental values of  $999.9750\,\mathrm{kg}\,\mathrm{m}^{-3}$  (SMOW)<sup>84</sup> and  $999.95\,\mathrm{kg}\,\mathrm{m}^{-3}$  ( $H_2O_{(l)}$ ). <sup>84</sup> The maxima of the polynomial fits are indicated by diamonds, and are  $1020.7\,\mathrm{kg}\,\mathrm{m}^{-3}$  and  $998.41\,\mathrm{kg}\,\mathrm{m}^{-3}$  at  $233.75\,\mathrm{K}$  and  $280.50\,\mathrm{K}$ , respectively.



The system box size was set to 6 nm for runs RUN1 to RUN4, and 7 nm for RUN0, since the initial  $\alpha$ -helical conformation was longer and expected to explore more extended conformations than the more compact ones obtained in vacuo. If  $L_{max}$  were to reach values comparable to the box size, one could expect eventual short-range interactions between images of the peptide, but as can be seen in Figure 2.10a, both the mean value of  $L_{max}$  and the error bars, which indicate three standard deviations, do not cross the dashed cyan line representing a distance of 0.9 nm from the average values of the side of the box. Thus, it is possible to say that, within the confidence limit of 99.7%, <sup>86</sup> the conformations do not interact with their images. Hence, 7 nm seems to be the correct choice for the box size. Confirmed also by the trajectories of the capped peptide, which explore larger values of  $r_{eted}$  more frequently, yet without crossing the cutoff limit throughout 50 ns of the MD simulation, as can be seen in Figure 2.10b.

#### 2.4.4 Data Crunching

The output of the software that was used, was subsequently parsed and processed through other ad hoc python scripts, with the use of scientific modules and packages, e.g., SciPy and NumPy, and plotted with MatPlotLib. The error estimation was carried out by applying g\_analyze. 80

#### 2.4.4.1 Error Estimate

Estimating the error of properties calculated in MD simulations is not trivial, especially because an enormous amount of data can be generated. Moreover, it is most likely highly correlated. A first approximation is finding the standard deviation, which is the square root of the variance: <sup>45</sup>

<sup>\*</sup>The water density used as comparison to the SPC/E model was obtained with the water density calculator found at the following website: http://www.csgnetwork.com/h2odenscalc.html.

$$\sigma_{\langle A \rangle} = \frac{\sigma_A}{\sqrt{M}} = \sqrt{\frac{\sum_{i=1}^{M} (A(i) - \langle A \rangle)^2}{M}},$$
(2.13)

where the standard deviation of the average value of property A is obtained by dividing by the square root of the M data values, which are not the number of data points. In fact, to be able to use this formula to estimate the standard deviation of the mean and thus the error, the data used must be independent. The data in MD simulations are highly correlated, and to properly calculate the mean, the data point needs to be collected after the correlation time, i.e., after it has lost "memory" of its previous state. In other words, it is necessary to wait for the relaxation time or correlation time to pass before using another data point.

One way to sample the data, is to create blocks of data of time,  $\tau_B$ , large enough for them to be statistically uncorrelated. The number of these blocks, M, will determine how many data points can actually contribute to calculating the "true" standard deviation, from which it is possible to calculate the "true" error. The number of points which are correlated can be given by the statistical inefficiency, s, which is determined by the number of data points which are correlated, e.g., if s=22 then only one configuration every twenty-two, of those that have been collected, bring new information to the measured property. 87 If the statistical inefficiency is calculated, then the error can also be calculated: 45

$$\delta_{\langle A \rangle} \approx \sigma \sqrt{\frac{s}{M}},$$
 (2.14)

where M is actually the number of data points.

Calculating the statistical inefficiency for each property can be a bit tedious, because one needs to know the correlation time with which the blocks are made. Luckily, g\_analyze 80 is a complete tool that calculates both the error and the autocorrelation times. The variance of the average values  $\langle B_i \rangle$  for each of the m blocks: 87

$$\sigma^2 = \frac{\sum_{i=1}^m (\langle B_i \rangle - \langle B \rangle)^2}{m} \tag{2.15}$$

is used to calculate the error on the total average, as seen in the following equation: <sup>69</sup>

$$error = \sqrt{\frac{\sum_{i=1}^{m} (\langle B_i \rangle - \langle B \rangle)^2}{m(m-1)}}.$$
 (2.16)

If the autocorrelation can be expressed as a sum of two exponentials,\* the analytical curve for the block average is: 69

$$f(t) = \sigma \sqrt{\frac{2}{T} \left\{ a \tau_1 \left[ \left( e^{\frac{-t}{\tau_1}} - 1 \right) \frac{\tau_1}{t} + 1 \right] + (1 - a) \tau_2 \left[ \left( e^{\frac{-t}{\tau_2}} - 1 \right) \frac{\tau_2}{t} + 1 \right] \right\}}, \tag{2.17}$$

where T is the total time, and a,  $\tau_1$ , and  $\tau_2$  are the parameters obtained by fitting the square of Eq. (2.17) to square of Eq. (2.16). If the actual block average is very close to its analytical curve, i.e., Eq. (2.17), the error can be given by the following equation: <sup>69</sup>

$$\delta_{\langle B \rangle} = \sigma_{\langle B \rangle} \sqrt{\frac{2}{T} \left[ a \tau_1 + (1 - a) \tau_2 \right]}. \tag{2.18}$$

<sup>\*</sup>This is derived from studies involving Principle Component Analysis on a system, in which the principle components showed both rapid and slow fluctuations, the former of the order of tens of picoseconds and the latter of hundreds of picoseconds. Thus the autocorrelation functions of the principle components can be fitted by two exponentials, one with fast and the other with slow correlation times. In other words, there are two stochastic processes with white noise and time independent friction constants.80

Current MD simulations are limited to hundreds of nanoseconds, therefore a complete sampling is not possible as proteins in solution undergo fluctuations which can range from femptoseconds to seconds, depending on the property which is measured. Fluctuations around one conformation are easily measured, but to actually see if the system is doing something more is difficult and needs plenty of time. A few examples of the errors calculated on a few properties obtained from the 65 nm reduced hIAPP RUN0 can be seen in Table 2.4.

	$\sigma_{\langle B  angle}$	$\delta_{\langle B  angle}$	a	$ au_1$ / ps	$ au_2$ / ns	T / ns	$\delta/\sigma$
$n_{HB(tot)}$	3.30	0.682	0.678	20.89	4.27	65.0	0.207
$n_{HB(bb)}$	3.30	3.73	0.361	75.06	65.0	65.0	1.13
$SASA / nm^2$	1.15	1.31	0.355	97.79	65.0	65.0	1.14
$r_{eted}$ / nm	1.16	0.583	1.0	8213	0.0	65.0	0.503

**Table 2.4:** Error Estimate Calculated by g\_analyze

When the fitting presents no negative parameters, the upper limit of the error is the standard deviation, and the more the data are uncorrelated the greater m in Eq. (2.16) is and the smaller  $\tau_2$  in Eq. (2.17) becomes. In fact, the first row of Table 2.4 shows that the number of total hydrogen bonds is well sampled and the  $\delta/\sigma$  ratio, which is the term enclosed by the square root in Eq. (2.18), is smaller than one. Although the fitting can lead to negative parameters, especially for highly correlated data or insufficient sampling, Eq. (2.18) can nevertheless be approximated to

$$\delta_{\langle B \rangle} \approx \sigma_{\langle B \rangle} \sqrt{2(1-a)}$$
 (2.19)

when  $\tau_2$  is either too long for the sampled data or negative, as seen in rows two and three in Table 2.4 relative to backbone-backbone hydrogen bonds and solvent accessible surface. In either case  $\tau_2$  is set to the simulation time. When a is negative, it is set to one and Eq. (2.18) can be approximated to

$$\delta_{\langle B \rangle} \approx \sigma_{\langle B \rangle} \sqrt{\frac{2}{T} \tau_1}$$
 (2.20)

which is still dependent on the fast correlation time,  $\tau_1$ . In the best case scenario, the data are sampled sufficiently well to allow a reasonable error, as seen in the last row in Table 2.4 relative to  $r_{eted}$ , where  $\tau_1$  is still shorter than the total simulation time, T. When the data is seriously suspicious and the fast correlation time is of various orders of magnitude larger than the simulation time, the error can be incredibly large, as can be seen in Figure 3.5, which will be discussed in Section 3.2.

#### 2.4.4.2 Savitzky-Golay Smoothing Filter

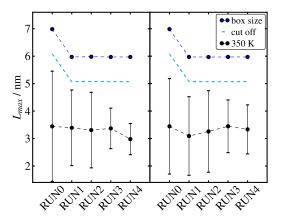
The smoothing on all the time-dependent data is performed with an implementation of the Savitzky-Golay Smoothing Filter <sup>88</sup> python script available from http://public.procoders.net/sg\_filter. The data are smoothed by an implementation of local polynomial regression of degree k on a series of at least k+1 data points. The data are reduced only to remove the fluctuations in order to aid visualization in the time-dependent plots, but have been processed it their integrity when, for example, averaged over time or binned in histograms/distributions.

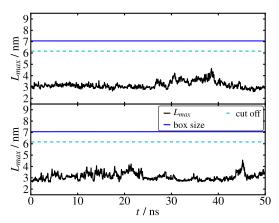
#### 2.4.4.3 Scott's Choice

The best method for binning the time-dependent data was Scott's Choice, <sup>89</sup> which defines the bin width of the histogram, h, in function of the sample standard deviation,  $\sigma$ , and the number of total observations, n, as follows:

$$h = \frac{3.5\sigma}{n^{1/3}}. (2.21)$$

2.5 HYDRATION WATER 33





(a) Maximum Distance between Heavy Atoms at 350 K

(b) Maximum Distance between Heavy Atoms at 350 K

**Figure 2.10:** (a) The mean maximum distance between heavy atoms,  $L_{max}$  (black), at 350 K, compared to the box size of the simulation (blue) and the 0.9 nm short-range interaction cutoff in relation to the box size (cyan) for each of the uncapped runs. The error bars show the confidence limit of 99.7%. The left panel shows the oxidized hIAPP, while reduced hIAPP is in the right panel. (b) Time-dependence of  $L_{max}$  (black) for capped hIAPP at 350 K compared to the box size (blue) and the SPME cutoff in relation to the box size (cyan). The top panel shows the oxidized hIAPP, while reduced hIAPP is in the bottom panel.

#### 2.4.4.4 Rounding Data - Taylor

It is interesting to note that the data has been rounded by keeping an extra significant figure when the numbers are small, i.e., one or two, and the first figure of the error is one, as suggested by Taylor. <sup>70</sup> An example can be seen when calculating the end-to-end distance, as seen in Table 3.2 on page 40. The error is large in these data due to the difficulty in calculating  $r_{eted}$ , but it would be even more so to round  $(1.6 \pm 1.2)$  nm and  $(1.4 \pm 1.2)$  nm, to  $(2 \pm 1)$  nm and  $(1 \pm 1)$  nm, respectively. Therefore, an extra figure was kept when the first error was one when presenting the data.

### 2.5 Hydration Water

#### 2.5.1 System Description

Oxidized and reduced human IAPP were simulated in liquid water at 11 temperatures between 250 K and 450 K. After pre-equilibration for 50 ns at each temperature, the subsequent runs for 400 ns and 200 ns were used for the analysis of the system properties at lower and higher temperatures, respectively. The data sampled at lower temperatures, i.e., 250 K to 350 K, was obtained by concatenating runs, i.e., ALL3, as described in Section 3.2, while at higher temperatures, i.e., 370 K to 450 K, a single run was sufficient, i.e., ALPH run as described in Section 3.2. Additionally, two conformations of reduced hIAPP, i.e., CL02 and CL03 seen in Section 3.2, exhibiting essentially different structural properties were used for simulations at 250 K. At such low temperature, the peptide conformation does not change noticeably during simulation runs of 50 ns allowing a comparison of the properties of hydration water at the surface of a peptide exhibiting different conformations. Oxidized and reduced rodent IAPP were simulated at 310 K and 330 K, i.e., in the temperature region where the strongest changes of the hydration water network are observed. After a pre-equilibration of at least 50 ns, the subsequent 500 ns were used for the data collection, as described for hIAPP in Section 2.2.3.

#### 2.5.2 Water Shell Analysis Software

The water shell program was developed by Brovchenko and Oleinikova to analyze the hydration water around peptides. The connectivity of water-water H-bonds within the hydration shells of the IAPP variants was studied similarly to previous studies 40,90 by the analysis of the various clustering properties of hydration water. If the shortest distance between the water oxygen atom and the heavy atoms of peptide does not exceed 0.45 nm, water molecules are assigned to the hydration shell. Two water molecules are considered as H-bonded, when the distance between their oxygens does not exceed  $0.335 \,\mathrm{nm}$  and their pair interaction energy is below  $-2.7 \,\mathrm{kcal} \,\mathrm{mol}^{-1}$ . The connectivity of H-bonded network of hydration water at various temperatures are characterized by the occurrence probability  $n_S$  of water clusters consisting of S molecules and number  $n_H^{ww}$  of water-water Hbonds that a water molecule forms with its neighbors. Each configuration is examined in order to distinguish the largest cluster of hydration water of size  $S_{max}$ . The distribution  $n_S$ , calculated with the largest water cluster excluded, is used to determine the mean cluster size  $S_{mean}$ . The spanning probability, SP, is defined as a probability that the largest water cluster includes most of the  $N_w$  molecules in the hydration shell, and it is calculated based on the probability distribution of  $S_{max}/N_w$ . Additionally, the largest cluster of hydration water is characterized by the fractal dimension,  $d_f$ , and by the distance between its center of mass and the center of mass of a peptide,  $H_{max}$ .

The conformation of the peptide is characterized by the properties calculated by the program described in Section 2.4, namely the radius of gyration,  $R_g$ , the solvent accessible surface area, SASA, and the number of intrapeptide H-bonds,  $n_H^{pp}$ . The width of the probability distribution P(A), where A stands for  $S_{max}/N_w$ ,  $n_H^{pp}$  or  $H_{max}$ , is calculated as  $\Delta A = \sqrt{\langle (A-A^{av})^2 \rangle / N_w}$ .



# **Preparation of the Initial Conformations**

#### 3.1 Random Conformations from Vacuum

Full-length hIAPP is a relatively large polypeptide to simulate in MD simulations with many interactions amongst the amino acid residues which seem to create problems in determining the conformation of IAPP even experimentally. As preliminary analysis to determine possible starting conformations of both the polypeptide moieties, the radius of gyration and end-to-end distance between  $C_{\alpha}$  were studied on a first set comprised of five independent initial conformations, denominated RUN0, RUN1, RUN2, RUN3, and RUN4, with RUN0 being  $\alpha$ -helical, and RUN1 through RUN4 were selected from families of structures using the GROMOS clustering algorithm <sup>91</sup> with an all-atom 0.8 nm RMSD cutoff\* on two concatenated 1 ns runs at 1000 K in vacuo obtained in Section 2.2.1 and subsequently solvated in SPC/E water, <sup>60</sup> as described in Section 2.2.2. The initial conformations of these two runs were fully extended peptide and an  $\alpha$ -helical conformation.  $^{\dagger}$  A similar approach, although in preparation for a Replica Exchange Molecular Dynamics simulation, was used by Garcia to characterize non  $\alpha$ -helical conformations in Ala peptides. <sup>57</sup>

The data of these isobaric-isothermal ensemble simulation runs were collected at 1 bar and 350 K, initially 15 nm for all five conformations, then three of them, from RUN0 to RUN2, were continued for additional 50 ns. Comparing the data of these relatively short runs to the theoretical values, obtained by using a **random-flight chain** as can be seen in Section 2.4.3 on page 28, it is possible to get a first estimate of the rigidity of the polypeptide and the intrapeptide interactions.

#### 3.1.1 Data Analysis

#### 3.1.1.1 Initial Modeled lpha-Helix Conformation

To investigate the statistical properties of hIAPP with and without the natural disulfide bridge between C2 and C7, five independent initial conformations were prepared for each moiety to explore conformational properties. Not only is this necessary to see the effect of the starting conformation

<sup>\*</sup>The total number of clustered conformations were chosen in order to have a reasonable number of groups to chose from; with such cutoff, 11 clusters were generated. For the cystine moiety a structure from the first cluster was taken, which has a right-handed dihedral angle in the disulfide bridge  $(\tau(C2_{\beta}S2_{\gamma}S7_{\gamma}C7_{\beta}))$ , referred to as  $\tau(S-S)$ , and the other structures were taken from the third, fifth and sixth clusters, representing the 73.95 % of all visited conformations. As for the cysteine moiety, two conformations were taken from the first cluster, and the other two were taken from the second and third, representing 82.13 % of the visited conformations.

 $<sup>^{\</sup>dagger}$ As a reference the original  $\alpha$ -helical structure was also solvated, since simulation runs in vacuo might get "trapped" in certain conformations due to strong charge-charge interactions. An extended conformation was not run in water, considering the results obtained in vacuo do not depend strongly on the initial conformation, if not a possible effect on the chirality of the dihedral angle of the disulfide bridge  $\tau(S-S)$ . Both the right-handed and left-handed chiralities were simulated, as seen in Section 3.2 on page 44.

on the outcome of the MD simulations, but it is interesting to investigate the unfolding of this arbitrary  $\alpha$ -helical conformation, because full or partial unfolding, rather than misfolding, seems to be a key step in amyloidogenic diseases. <sup>19</sup> Obviously, this state is taken only as a reference to an ordered state which can "unfold" since there is no known native structure of IAPP. Moreover, it may give some insight on the effect of the disulfide bridge on conformational properties and secondary structure of IAPP.

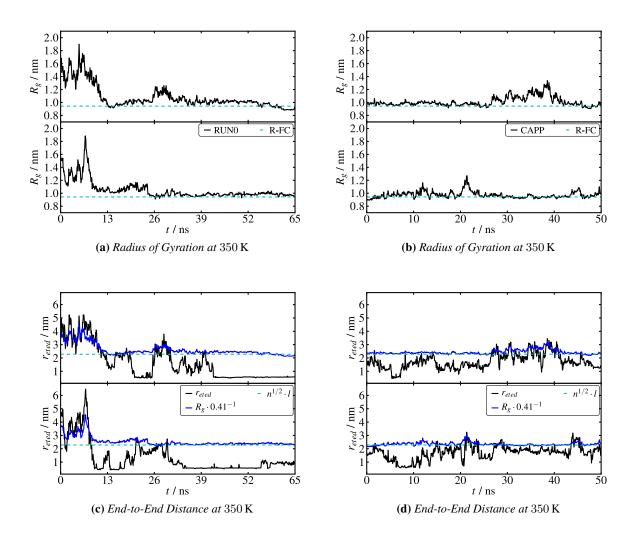


Figure 3.1: The time-dependent data relative to oxidized hIAPP are found in the top panels of each figure, while the reduced hIAPP data are found in the bottom panels. (a) and (c) are relative to uncapped hIAPP, which was initially modeled as an  $\alpha$ -helix, RUNO. (b) and (d) are relative to a completely random, but capped peptide. The blue plot in (c) and (d) is the theoretical value of  $r_{\rm eted}$ , obtained from Eq. (2.10) in Table 2.3 and the measured  $R_g$  values. The dashed cyan line indicates the values calculated for the random-flight chain Eqs. (2.8) and (2.9) seen in Table 2.3.

Fast unfolding and folding proteins may unfold on the 1–10 ns timescale at  $100 \,^{\circ}\text{C}$ ,  $^{92,93}$  so the dissolution of an initial  $\alpha$ -helical conformation can be estimated to at least  $10 \, \text{ns}$  at  $350 \, \text{K}$ . In fact, using DSSPcont  $^{77,78}$  to measure the helical content of the chosen conformers, the cysteine moiety which was initially modeled in  $\alpha$ -helical conformation, dissolves in  $10.814 \, \text{ns}$ , while the cystine moiety, possibly due to the presence of the natural disulfide bond, dissolves the initial helical content at  $5.304 \, \text{ns}$ , far before reaching similar equilibrated values of  $R_g$  measured for both moieties, hence the cystine moiety assumes numerous other conformations before reaching a compact state. In fact, from the time-dependent data in Figure 3.1, it can be seen that the two moieties follow a

different path in the dissolution of the initial modeled  $\alpha$ -helix, labeled RUN0. The time-dependence of  $R_q$  of the oxidized moiety for RUN0 can be seen in black in the top panel of Figure 3.1a, and it is clear that  $R_q$  at  $\approx 5$  ns is still far from reaching the theoretical value calculated from the randomflight chain model seen in Table 2.3. In the top panel Figure 3.1c, also relative to the oxidized moiety,  $r_{eted}$  of RUN0 fluctuates between 3 nm and 5 nm, indicating that it is exploring many different states while the helical content is diminishing. On the other hand, the reduced moiety reaches a compact state with a short  $r_{eted}$  prior to having dissolved the initial  $\alpha$ -helical content, as seen at  $\approx$ 10 ns in bottom panels of Figure 3.1a and Figure 3.1c, thus relatively independent from the helical content, i.e., the peptide already reached a compact state with short end-to-end distance before having completely dissolved the initial helical content. As seen in Figure 3.1a, especially in the second half of the runs, the data relative to  $R_q$  seems to fluctuate nicely around the theoretical value for both moieties as expected for an equilibrated system, while the data for  $r_{eted}$  seems to deviate more from its theoretical value. Considering the relation between  $r_{eted}$  and  $R_g$  expressed by Eq. (2.10) on page 28, it is possible to obtain an estimate of  $r_{eted}$  through the calculated  $R_q$ , as seen in blue in Figure 3.1c. These data seem to fit nicely onto the theoretical value of  $r_{eted}$  for the random-flight chain (cyan), which confirms the quality of the  $R_q$  data. The end-to-end distance is a difficult property to equilibrate, especially because the deviation from the theoretical value is highly dependent on the presence of glycine, which is present in positions 24 and 33 in the C-terminal half, possibly allowing the peptide to bring the two ends together more easily. As seen in the top panel of Figure 3.1c, the oxidized moiety seems more flexible and free to explore more values of  $r_{eted}$  than the reduced counterpart, as seen in the lower panel. One possible explanation of relatively low sampling of  $r_{eted}$  is that the peptide was left uncapped for this run. Due to the strong solvation properties of water, charges tend to be solvated by the surrounding water molecules, so the charged ends of this peptide could also be solvated by water. Although, a strong influence of conformational entropy will bring a random-flight chain to compact conformations, rather than extended ones. Termini in polypeptides, when found in random coil state tend to be the most distant in random coil states, moreover they are likely to be on the surface of the protein, accessible to water, and often flexible. On the other hand, when found in folded proteins the termini are frequently found closer together. In other words, the termini are more likely to be found closer together in natively folded peptides, rather than in randomly generated structures. 94 Therefore, it is possible that, even though the initial  $\alpha$ -helical content dissolved at  $\approx 10$  ns, some of the structural characteristics of helicity are retained in RUNO, making it more rigid in the central region of the peptide. Thus, in such a conformation, it would be easier to bring the termini together, leaving this rigid "core" of the peptide intact, rather than "unfolding" and reaching a compact state by gathering the ends from the central region of the peptide, as if gathering the ends of a loose rope. The latter mechanism is favored by the presence of the disulfide bond, as it seems to make the peptide more flexible. This unfolding path is purely speculative, as there is no native helical conformation, but as will be seen in Section 3.1.1.2, the cystine moiety does seem to be more flexible, from conformations which have indeed lost their helical content through a short MD run in vacuo at 1000 K. To see if there is a qualitative effect of the charged termini in the end-to-end interactions, a completely random conformation of hIAPP was capped and simulated for at least 50 ns. These data, shown in Figure 3.1b, yield values of  $R_q$ that are indistinguishable from the data after the dissolution of the initial  $\alpha$ -helical conformation. On the other hand,  $r_{eted}$ , in Figure 3.1d, shows comparable values the uncapped data only in the first portion of the simulation, with a bias towards smaller values of  $r_{eted}$  in the second half of the simulation. The uncapped polypeptide seems to explore the same states as the capped one, albeit less frequently. Further investigation on the charge effect of the uncapped peptide is necessary, since it may introduce bias to at least one of the statistical properties. A deeper analysis on the sampling is carried out in Section 3.1.1.3.

#### 3.1.1.2 Comparison of Independent Starting Conformations

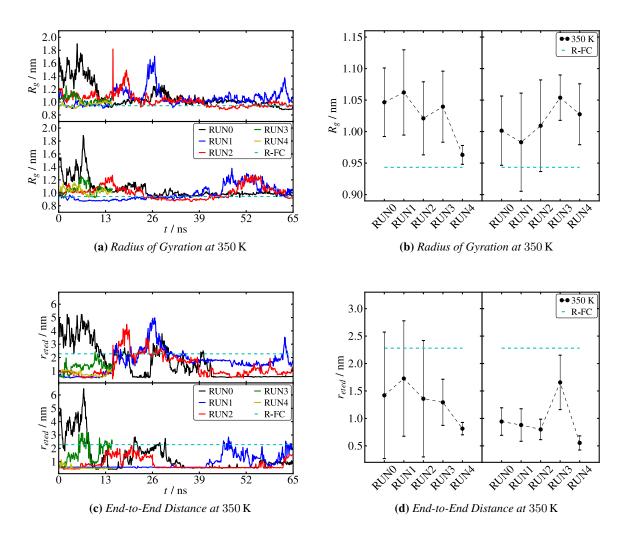
How does the starting conformation affect these statistical properties? Parallel runs on independent random conformations may shed light on this matter. Due to the strong influence that the secondary structure may have on  $R_g$  and possible bias of the  $\alpha$ -helical reference conformation, the data were collected from arbitrary initial conformations, labeled with the subscript I, and after the dissolution of the helical elements assigned via DSSPcont, subscript D. The since the initial conformations of RUNS 1 through 4, were selected from families of structures using the GROMOS clustering algorithm on two 1 ns runs at  $1000\,\mathrm{K}$  in vacuo and subsequently solvated in SPC/E water, as seen in Section 3.1 on page 35, very few data, if any, are removed from the initial run I. The time dependence of the radius of gyration and end-to-end distance can be seen in Figure 3.2 along with the mean values, which are also reported in Tables 3.1 and 3.2, in which MD runs for the oxidized hIAPP moiety conformations have been labeled with a prefix I0, while the reduced hIAPP with I1.

The mean  $R_g$  values, calculated with g\_analyze,  $^{80}$  for all the data sampled at 350 K after complete dissolution of the helical content during  $\approx 15\,\mathrm{ns}$  runs, shown in the left panel of Figure 3.2b, are within the error bar in four of the five conformations taken from the clustered conformations and are all greater than what is calculated through the random-flight model. There seems to be no apparent correlation between the average helical content and the radius of gyration. The same holds true for the hydrogen bonded turns and bends. Only RUN4 of the oxidized hIAPP moiety seems to have relevant contribution from the secondary structure to minimizing  $R_g$ ; in fact, the  $\beta$ -structure content,  $(5.1\pm0.5)\,\%$ , is relatively low, but constant throughout the simulation as can be seen by the small error. At a first glance, it seems that the higher the stable  $\beta$ -structure, the more compact the polypeptide is. Although RUN2 and RUN4 of the oxidized moiety were chosen from the same structural family, the  $R_g$  initially diverges, with RUN2 reaching similar compact conformations at the end of the run, as seen in the top panel of Figure 3.2a. Moreover, looking at the mean values in Table 3.1 closely, HoRUN2 is the only data set which includes HoRUN4. The error of  $R_g$  is relatively large possibly due to a temperature effect, but also to insufficient sampling. A deeper analysis is carried out in Section 3.1.1.3.

The five runs for the reduced moiety, as seen in the right panel of Figure 3.2b, all yield comparable average  $R_g$  results within the error bar. The fourth conformation, RUN4, was deliberately chosen for its highly compact state, which was reached through the simulation in vacuo. Even such structure, if given enough time, is able to be solvated properly and open up to a less compact state. Moreover, this state doesn't seem to be an artificial or improbable one, as RUN1 also reaches similar compact conformations. These two runs, RUN1 and RUN2, were chosen to be extended by an additional 50 ns, since they had the largest and smallest  $R_g$  values, yielding similar average values within the error bar. The longer simulations, RUN0 to RUN2, present  $R_g$  values that are closer to the theoretical one calculated for the random-flight chain model, while RUN3 and RUN4 are both further away from it, perhaps due to insufficient sampling, yet still within the error bar of the first three runs.

Since the  $R_g$  data seem to represent the theoretical values of the random-flight chain, they might also describe the expected values seen in Table 3.2 calculated from Eq. (2.10) on page 28. Unfortunately, the discrepancy is pretty large, with the theoretical value being  $\approx 2.5$  nm, and the  $r_{eted}$  no greater than 1.7 nm, with the average value oxidized moiety larger than reduced one. In fact, as seen in Section 3.1.1.1, the end-to-end distance for the cystine moiety values fluctuate much more than the cysteine moiety, which would suggest that it is a more flexible biopolymer. Whatever seemed to bias the data towards smaller  $r_{eted}$ , is much less evident when comparing the results of the parallel runs performed on the two moieties. In fact, all three of the 65 ns runs for the oxidized moiety, seen in the top panel in Figure 3.2c, show great fluctuations and explore many

<sup>\*</sup>Unless stated otherwise, the data gathered after the dissolution of the initial  $\alpha$ -helix, D, for RUN1 through RUN4 are labeled I, as the excluded data points, if any, are negligible and do not contribute to the mean or to the error estimate.



**Figure 3.2:** The time-dependent data relative to oxidized hIAPP are found in the top panels in (a) and (c), while their average values are shown in the left panels in (b) and (d), The reduced hIAPP data are found in the bottom panels in (a) and (c), with the mean values in in the right panels in (b) and (d). The mean values shown in (b) and (d) are found in detail in Tables 3.1 and 3.2, in which the prefixes Ho for oxidized hIAPP and Hr for reduced hIAPP, both relative to "dissolved"  $\alpha$ -helix, and thus labeled with the subscript D. The dashed cyan line indicates the values calculated for the random-flight chain seen in Table 2.3.

Table 3.1: Radius of Gyration at 1 bar and 350 K

	$\langle R_g  angle$ / nm		$\langle R_g  angle$ / nm
$HoRUN0_I$	$1.08 \pm 0.14$	$HrRUN0_I$	$1.05 \pm 0.10$
$HoRUN0_D$	$1.05 \pm 0.05$	$HrRUN0_D$	$1.00 \pm 0.05$
$HoRUN1_I$	$1.06 \pm 0.07$	$HrRUN1_I$	$0.98 {\pm} 0.08$
$HoRUN2_I$	$1.02 \pm 0.06$	$HrRUN2_I$	$1.01 \pm 0.07$
$HoRUN3_I$	$1.04 \pm 0.06$	$HrRUN3_I$	$1.05 \pm 0.04$
$HoRUN4_I$	$0.963 \pm 0.018$	$HrRUN4_I$	$1.03 \pm 0.05$
$HoRUN4_D$	$0.963 \pm 0.015$		

	$\langle r_{eted}  angle$ / nm	$\langle R_g  angle \cdot 0.41^{-1}$ / nm		$\langle r_{eted}  angle$ / nm	$\langle R_g  angle \cdot 0.41^{-1}$ / nm
$HoRUN0_I$	$1.6 \pm 1.2$	$2.6 \pm 0.3$	$HrRUN0_I$	$1.3 \pm 0.6$	$2.6 \pm 0.2$
$HoRUN0_D$	$1.4 \pm 1.2$	$2.56 \pm 0.12$	$HrRUN0_D$	$0.9 \pm 0.3$	$2.43 \pm 0.12$
$HoRUN1_I$	$1.7 \pm 1.1$	$2.58 \pm 0.17$	$HrRUN1_I$	$0.9 \pm 0.3$	$2.4 \pm 0.2$
$HoRUN2_I$	$1.4 \pm 1.1$	$2.49 \pm 0.15$	$HrRUN2_I$	$0.80 {\pm} 0.19$	$2.46 \pm 0.17$
$HoRUN3_I$	$1.3 \pm 0.4$	$2.54 \pm 0.15$	$HrRUN3_I$	$1.7 \pm 0.5$	$2.56 \pm 0.10$
$HoRUN4_I$	$0.81 {\pm} 0.11$	$2.35 \pm 0.04$	$HrRUN4_I$	$0.55 \pm 0.13$	$2.51 \pm 0.12$

**Table 3.2:** End-to-End Distance between  $C_{\alpha}$  at 1 bar and 350 K

states, suggesting that the entropic contribution to the Gibbs Free Energy is greater, making it the more stable peptide of the two moieties. What seems to be perplexing though, is that a cross-linking disulfide bond normally decreases the conformational entropy\* of a disordered peptide; although a disulfide bridge in an ordered conformation stabilizes it, by destabilizing the disordered conformations. The natural disulfide bond between C2 and C7, may keep the N-terminus ordered, allowing the C-terminus to explore more conformations.

Studies on amylin and its processing intermediates and the effect of the disulfide bond by Yonemoto et al., show that amyloidosis for amylin free acid<sup>†</sup> is significantly slower than for the capped wild-type amylin,  $^{95}$  which could be caused by the limitation of configuration sampling due to the formation of salt-bridges. In fact, the average distance between the charges is less than, but not limited to, 0.4 nm, which is the minimum distance to define a salt-bridge in a protein.  $^{96}$  RUN3, as seen in green in the lower panel of Figure 3.2c, explores many conformations in which such salt-bridge breaks and reforms for a maximum of  $\approx 2$  ns. Many other runs also present fluctuating  $r_{eted}$ , but through the formation of salt-bridges, it seems the flexibilty of the peptide is more limited, especially for the reduced moiety. A deeper analysis on the distribution of the  $r_{eted}$  values is discussed in Section 3.1.1.3.

#### 3.1.1.3 Independent Concatenated Data

The question on the amount of data sampled is always a difficult one to answer, especially at lower temperatures, where the sampling is even more limited, let alone calculate its uncertainty. Due to statistical inefficiency, as already discussed in Section 2.4.4.1 on page 30, it isn't possible to obtain the standard error of the mean simply by dividing the standard deviation by the square root of the data points, because MD simulation data are strongly correlated with each other. 45,87 One way to obviate this is to concatenate parallel simulation runs, but it's clear that not all the data are suitable for this. A proper error estimation can help determine which data is good, and which isn't. Obviously 15 ns, or even 65 nm are too few, let alone after discarding data, yet it is possible to see, as a first approximation, what the correlation times may be and what is necessary to equilibrate the system in order to collect data in an appropriate production run. Moreover, through the concatenation of the data, it should be possible to see if the parallel runs are equilibrated and have reached a state which is truly independent from the starting conformation.

Table 3.3 on the next page contains the mean values of  $R_g$ , on the left, and  $r_{eted}$ , on the right, of the concatenated runs RUN0, RUN1, RUN2, RUN3, and RUN4, with the relative standard de-

$$\Delta S_{conf} = -b - \frac{3}{2} R \ln n,$$

where b may vary from 2.1 to  $7.9\,\mathrm{cal\,mol}^{-1}\,^{\circ}\mathrm{C}^{-1}.^{5}$ 

<sup>\*</sup>The loss of conformational entropy for cross-links which connect two atoms separated by n residues is:

<sup>&</sup>lt;sup>†</sup>The ablation of the C-terminal G38 in amylin free acid by the peptidyl amidating monooxygenase (PAM) complex is the last step which yields the amide capped native amylin and glyoxylate.

 $N = \sum n_i$ .97

	$\langle R_g  angle$ / nm	$\sigma_{\langle R_g  angle}$ / nm	$\delta_{\langle R_g  angle}$ / nm	$\langle r_{eted}  angle$ / nm	$\sigma_{\langle r_{eted}  angle}$ / nm	$\delta_{\langle r_{eted}  angle}$ / nm
Ox. hIAPP	1.05	0.14	0.03	1.5	1.0	0.3
Red. hIAPP	1.02	0.12	0.03	$1.0_{1}$	0.8	0.17

**Table 3.3:** Standard Deviation vs. Error Estimate

viation, in the second column of each set, and the error estimate, in the third column of each set.\* As seen in Tables 3.1 and 3.2, the mean values of the independent runs is comparable in at least three out of five runs for each property of each moiety, but the uncertainty is high. The standard deviation of the concatenated data for both properties for each moiety is comparable with the error of RUN0, which isn't surprising, since MD runs should sample more conformations starting from an  $\alpha$ -helical conformation rather than already compact conformations. If an arbitrary set of data, SET1, has highly correlated conformations which are very different from another arbitrary set SET2, the standard deviation is large because the two sets show fluctuations around two states which are quite different, and can give only a few blocks of uncorrelated data, which in extreme cases yields a large error. As Eq. (2.16) on page 31 states, the error decreases by increasing the number of blocks of uncorrelated data, hence if the conformations collected from RUN0 to RUN4, are uncorrelated, but from equilibrated systems, they should contribute to lowering the error. In fact, as seen in Table 3.3, the high standard deviation describes high fluctuation, but the low error confirms a more precise mean value, which is not as trivial as it might seem.

The next step to verify proper sampling of the data, is to compare the distribution of the instant values of the time-dependent point, as can be seen in the lower panels of Figure 3.3. The data has been binned according to *Scott's Choice*, <sup>89</sup> as described in Section 2.4.4.3.

The frequencies of values of  $r_{eted}$  can be fitted to the radial distribution function, Eq. (2.12) on page 29, or other exponential functions, as has been done by Krukau et al. for the elastine-like peptide  $GVG(VPGVG)_3$ . The nonlinear curve used for fitting is the following,

$$P(x) = Ax^{\alpha} e^{-Bx^{\beta}},\tag{3.1}$$

where  $A, B, \alpha$ , and  $\beta$  are fitting parameters. The mean values seen in Table 3.3, are used to calculate the radial distribution of a hypothetical random-flight chain,  $W(r_{eted})$ , depicted in dashed lines in Figures 3.3c and 3.3d. The outcome of the fitting procedures on the  $r_{eted}$  and  $R_g$  distributions in Figure 3.3 are detailed in Tables 3.4a and 3.4b, respectively. Besides the previously mentioned fitting parameters, Table 3.3 contains  $\chi^2$ , which needs to be minimized to achieve least-squares fitting of the data frequency to the chosen parent distribution, the correlation coefficient,  $r_{PD}$ , which describes the correlation between the predicted data, P, and the measured data, P, the root-mean-square of the relative error between these two sets,  $\delta_{(P,D)} = \sqrt{\frac{1}{T}\sum_{i=1}^T \frac{(P_i - D_i)^2}{D_i^2}}$ , and Theil's  $U_1$ , 98 which determines how well a model can predict the sampled data and is expressed by the following

<sup>\*</sup>By combining the average means and standard deviations of independent runs, the same exact results are obtained as concatenating the data and calculating mean and standard deviation on them. It is quicker and less tedious than performing concatenations and all the data crunching, although the error cannot obviously be estimated. All that is needed from each independent set i is the standard deviation,  $s_i$ , the size of the set,  $n_i$ , and the mean,  $m_i$ . The standard deviation of the combined sets is given by  $S = \sqrt{\frac{B - \frac{A^2}{N}}{N-1}}$ , where  $A = \sum n_i \cdot m_i$ ,  $B = \sum \left[ s_i^2 \cdot (n_i - 1) + \frac{A_i^2}{n_i} \right]$ , and

 $<sup>^{\</sup>dagger}$ All of the data presentation has been performed by ad hoc python scripts written with MatPlotLib, SciPy, and NumPy packages, although the curve\_fit function of scipy.optimize did not seem to fit the  $R_g$  in any way, so the fitting was performed by calling the nonlinear least-squares curve fitting of gracebat (available at http://plasma-gate.weizmann.ac.il/Grace/).

formula:

$$U_1 = \frac{\sqrt{\frac{1}{T} \sum_{i=1}^{T} (P_i - D_i)^2}}{\sqrt{\frac{1}{T} \sum_{i=1}^{T} P_i^2} + \sqrt{\frac{1}{T} \sum_{i=1}^{T} D_i^2}},$$
(3.2)

where  $U_1$  is bound between 0 and 1, with the lower values yielding a better prediction.

Table 3.4: Nonlinear Curve Least-Squares Fit

(a) Nonlinear Curve Fit  $P(R_q)$ 

**(b)** Nonlinear Curve Fit  $P(r_{eted})$ 

	4 pa	ram.	2 par	am.		4 pa	ram.	2 para	am.
	Ox.	Red.	Ox.	Red.		Ox.	Red.	Ox.	Red.
$\overline{A}$	63.8	20.3	32.3	$40.1_{7}$	$\overline{A}$	1.60	2.36	2.02	19.7
B	2.5	1.6	2.53	2.72	B	1.18	1.55	1.16	4.21
$\alpha$	25.3	11.8	2	2	$\alpha$	0.40	0.31	2	2
$\beta$	9.9	8.6	2	2	$\beta$	0.98	2.18	2	2
$\chi^2$	13.37	19.65	118.9	70.49	$\chi^2$	2.88	$22.1_{1}$	4.23	20.3
$r_{PD}$	0.98	0.97	0.78	0.86	$r_{PD}$	0.73	$0.61_{5}$	$0.61_{1}$	0.66
RMS $\delta_{(P,D)}$	-	3.29	-	7.85	RMS $\delta_{(P,D)}$	3.17	1.47	0.956	1.15
$U_1$	0.10	$0.11_{8}$	$0.31_{8}$	0.23	$U_1$	$0.31_{9}$	0.47	0.40	0.43

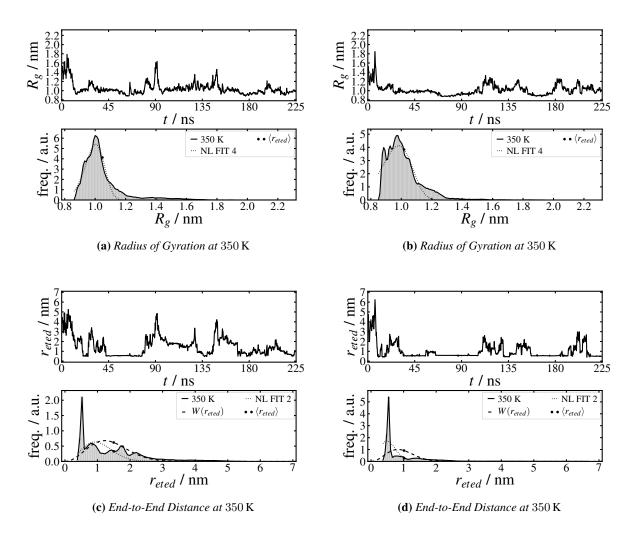
As previously mentioned,  $r_{eted}$  shows larger fluctuation for the oxidized moiety; in fact, the contour of the frequency (solid line in the lower panel of Figure 3.3c) is fitted by the radial distribution curve relatively well, if not for the peak on the left ( $r_{eted} \approx 0.5 \, \mathrm{nm}^*$ ) given by the apparent bias towards minimum end-to-end distance. This bias influences the fitting of the non-linear curve (Figure 3.3c, dotted line lower panel) shifting it towards smaller values of  $r_{eted}$ , albeit maintaining a shape comparable to the theoretical distribution  $W(r_{eted})$  (Figure 3.3c, dashed line lower panel). Obviously, the fit for the oxidized moiety is better than that of the reduced one, but it still must be taken with a grain of salt and should be confirmed by visual inspection of the data.

**Table 3.5:** End-to-End Distance from Fitting

	$\langle r_{eted}  angle$ / nm	$\langle r_{eted}  angle_A$ / nm	$\langle r_{eted}  angle_B$ / nm
Oxidized hIAPP	1.5±0.3	$0.9 \pm 0.8$	1.1±1.1
Reduced hIAPP	$1.01 \pm 0.17$	$0.4 \pm 0.5$	$0.6 {\pm} 0.7$

The best fit for  $r_{eted}$  is given by setting  $\alpha$  and  $\beta$  to two, while allowing A and B to be optimized. The  $\chi^2$  value for oxidized IAPP in Table 3.4b for the two parameter fit is greater than the one for four (4.23 vs. 2.88) and the slightly lower  $U_1$  value would suggest that the four parameter fit is better, but the RMS of the relative error is much lower for the two parameter fit (0.96 vs. 3.17), besides being the most relevant as it corresponds to the radial distribution seen in Eq. (2.12) on page 29. In fact, both fitting parameters A and B can be used to calculate  $\langle r_{eted}^2 \rangle$  by comparing Eq. (2.12) and Eq. (3.1), B is equal to  $\beta^2$  and A is proportional to  $\beta^3$ . The relative error in this fitting are at least 0.96, so the result isn't significant, but, in the best case, it could yield a supplementary check on the goodness of fit; in fact, the oxidized moiety data sampling leads to a fitted  $\langle r_{eted} \rangle$  value that is closer to the measured one, as found in the first row of Table 3.5. In fact, the reduced moiety presents a more prominent bias for towards shorter end-to-end distances, as seen in both the lower

<sup>\*</sup>This peak of short  $r_{eted}$ , which is calculated between  $C_{\alpha}$ , corresponds to a salt-bridge between the uncapped C-terminus and either charge of K1 as seen in Section 3.1.1.2.



**Figure 3.3:** The time-dependent data in the top panels are relative to the concatenation of RUN0 through RUN4 with a frequency distribution in the lower panels, where an attempt of non-linear curve fitting with two or four terms was performed (indicated with a dotted line; labeled NL FIT 2 or 4, respectively). Also in the distribution, points indicate the position of the mean value seen in Table 3.3 relative to the fit. (a) and (b) show  $R_g$  for the oxidized and reduced hIAPP moiety, respectively. In (c) and (d) the radial distribution, Eq. (2.12) on page 29, is also shown with dashed lines.

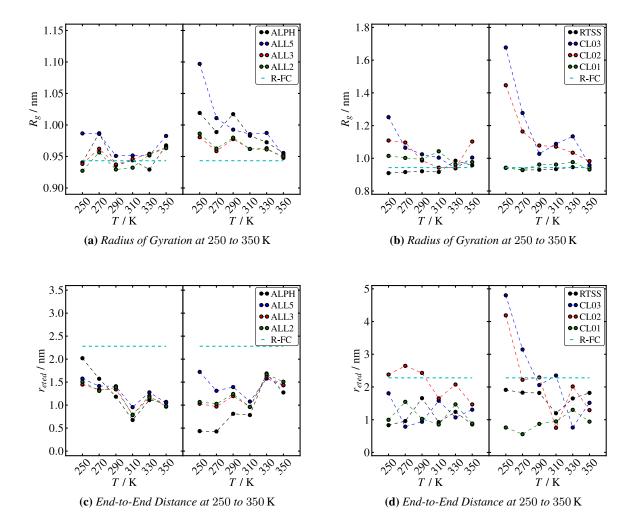
panel of Figure 3.3d and the output of the fitting in Table 3.4b. As a result, both the fitting curve and the radial distribution  $W(r_{eted})$  are markedly shifted towards this maximum in the distribution, as can be seen by the  $\chi^2$  values of 20 or more.

There seems to be no specific probability function which can describe the distribution of  $R_g$ , therefore all four parameters should be fitted. Although it is possible to set  $\alpha$  and  $\beta$  to two as for the end-to-end distance, the results are terrible; in fact, the  $\chi^2$  are at least 70, as seen in Table 3.4a. Thus all four fitting parameters were used to fit the  $R_g$  distribution in Figure 3.3a and Figure 3.3b, but once more the fitting isn't good; in fact, the shoulder on the right side of both distributions is poorly fitted by this nonlinear curve, therefore, such an analysis on  $R_g$  will not be investigated further.

### 3.2 Extended Trajectories

Collecting significant data for the test runs, which have been illustrated in the previous sections, was relatively successful, considering the brevity of those MD simulation runs. The outcome was successful aided by the fact that the temperature was relatively high, especially for physiological temperatures. The starting conformation used for runs at multiple temperatures, from 250 K to 450 K every 20 K, was the last conformation of the pre-equilibration run of 15 ns RUNO, which started from an  $\alpha$ -helical conformation (ALPH), as described in Section 2.2.2 on page 13. The box-size at 350 K for the cysteine moiety was 6.989 70 nm containing 10 842 water molecules, and 6.989 18 nm with 10 843 water molecules for the cystine moiety. Such conformation was heated, or cooled, by running a 2 ns equilibration run starting at 350 K to the desired temperature, with the same conditions previously applied. Upon equilibration of the density of the system, these conformations were then all simulated for 250 ns discarding the first 50 ns as pre-equilibration. In order to allow the polypeptide to sample the conformational space at lower temperatures, it is necessary to perform longer runs and possibly concatenate equilibrated conformations. Due to this difficulty, five initial conformations were chosen from MD simulations performed at 350 K and 450 K, with at least 10 ns or 50 ns of data discarded as pre-equilibration, as a result of long correlation times. Besides the ALPH conformation, four other initial conformations were chosen, namely: RTSS, a conformation which is characterized by a positive (right-handed) value of  $\tau(S-$ S) obtained from the last conformation of the ALPH trajectory at 350 K after 265 ns simulation, and three conformations CL01, CL02, and CL03, which were obtained from clustering the ALPH trajectory at  $450 \,\mathrm{K}$  as follows: a trajectory of  $50 \,\mathrm{ns}$  that presented the largest fluctuations of  $r_{eted}$ at 450 K was chosen from the complete 200 ns trajectories. Hence, the first set of 50 ns of the production run was chosen for the reduced moiety, while the third set was preferred for the oxidized moiety, as it presented a broader distribution of  $r_{eted}$  than the first one. Even though a simulation in vacuo at 1000 K is faster than a simulation in water at 450 K as seen in Section 2.2.1, sampling of "random" or arbitrary conformations was carried out for a solvated system in order to reduce the electrostatic interactions of the charged termini. The GROMOS clustering algorithm<sup>91</sup> with an all-atom 0.9 nm RMSD cutoff was performed on either trajectory taking every other structure, and subsequently choosing the middle structure of the most represented conformation for CL01, the least represented for CL03, and an arbitrary one in the middle for CL02. Surprisingly the reduced moiety had more clusters (17) than the oxidized moiety (10), even though it seems that at lower temperature the sampling is favorable for the oxidized moiety. Of the 12501 structures, 66 % comprise the main cluster for oxidized hIAPP, and 53 % for the reduced moiety, while 1.5 % (ox. hIAPP) and 1.1 % (red. hIAPP) comprise the arbitrary middle cluster, and 0.03 % and 0.02 % comprise the last cluster, oxidized and reduced hIAPP respectively. Conformations of proteins, can be thought of as a range of closely related microstates, which can be visited rapidly by the protein from one to another, while at lower temperature it can be "trapped" in one microstate or another. The Free Energy for these states was not calculated, but it is possible to estimate that the most frequented states are the ones with the least energy, while the ones with least occurrence have the most energy.<sup>5</sup>

CL02 and CL03 were purposely chosen to investigate the temperature effect on conformations that were highly improbable at lower temperatures. In other words, at what temperature the water shell would have be "soft" enough to allow the peptide to return within equilibrated values for the various properties, e.g.,  $R_g$  and  $r_{eted}$ . 60 ns runs were performed on these initial conformations, discarding the first 10 ns, at temperatures ranging from 250 K to 350 K, every 20 K, as can be seen in Figures 3.4 and 3.5.



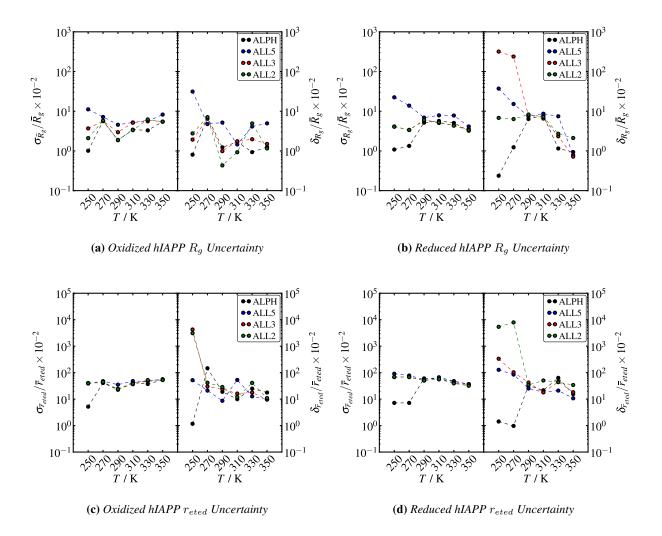
**Figure 3.4:** The mean values of the statistical properties (a)  $R_g$  and (c)  $r_{eted}$  for the single run ALPH and the concatenated runs ALL2, ALL3, and ALL5 are plotted versus temperature, with (b)  $R_g$  and (d)  $r_{eted}$  showing the individual runs, RTSS, CL01, CL02, and CL03, which have been concatenated to ALPH. The theoretical values of  $R_g$  and  $r_{eted}$  for a random-flight chain are depicted with a dashed cyan line. In all the figures, oxidized hIAPP is in the left panel, while reduced hIAPP is on the right.

In Figures 3.4a and 3.4c, the mean values of  $R_g$  and  $r_{eted}$  for the single 200 ns run ALPH are compared to the values of the concatenated runs ALL2, ALL3, ALL5, where the additional runs RTSS, CL01, CL02, and CL03, are subsequently concatenated to ALPH in the following manner: 150 ns of RTSS is concatenated to ALPH in all three cases, ALL3, includes 50 ns of CL01, and ALL5, also includes 50 ns of CL02 and CL03. The mean values of  $R_g$  and  $r_{eted}$  of the individual runs, RTSS, CL01, CL02, and CL03 can be seen individually in Figures 3.4b and 3.4d. At a first glance, the data relative to oxidized hIAPP (left panel in all subfigures of Figure 3.4) is more homogeneously spread, and that they seem readily equilibrated, compared to the reduced moiety (right panels, Figure 3.4), especially at lower temperature; in fact, both Figures 3.4b and 3.4d have

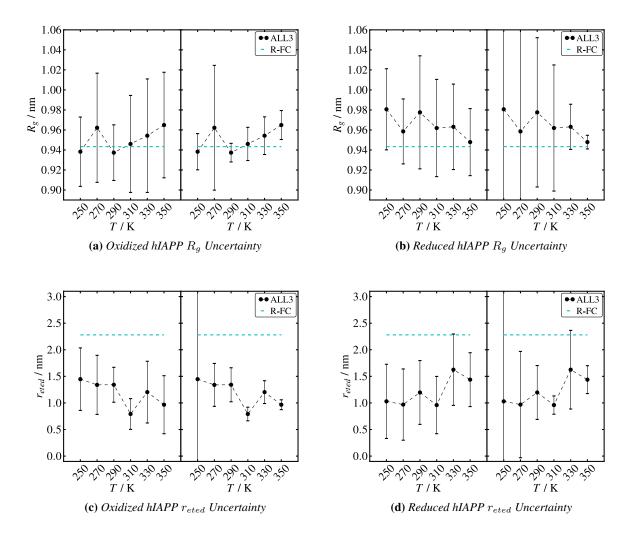
different ordinate scales than Figures 3.4a and 3.4c. If the  $R_q$  calculated for the random-flight chain is taken as a reference, both ALPH and ALL5 of the oxidized moiety (left panel Figure 3.4a) seem to deviate from it at lower temperature and at 350 K. This could mean that the ALPH run at 270 K wasn't properly sampled, and that RTSS and CL01, which were taken from trajectories at higher temperature, contribute to average out  $R_q$ . This is particularly true for the reduced moiety (right panel Figure 3.4a), where ALL2 and ALL3 are both closer to the expected theoretical value (cyan dashed line). Evidently the contribution of the higher temperature used to obtain CL01 might have helped explore more compact states, which for the cysteine moiety are insufficiently sampled at lower temperatures. While the long simulation time spent to find the initial RTSS conformation, might also have helped the sample conformations which compacted the overall structure. So it seems that for the runs to yield comparable values of  $R_q$  should at least be 290 K; in fact, even though the initial values are quite far from the theoretical values, above 270 K the values become more and more comparable to the theoretical value. Similar observations can be made for  $r_{eted}$ , as CL03 for the reduced moiety is clearly far from equilibrium at 250 K and 270 K, as is CL02 at 250 K, as can be seen in the right panel of Figure 3.4d, while the oxidized moiety presents average values of  $r_{eted}$  which are all comparable, with the exception of CL02, which is slightly above the expected value for a random-flight chain, as seen in the left panel of Figure 3.4d. The average values of  $r_{eted}$  for the concatenated values of the reduced moiety also confirm that ALPH and ALL5 diverge from ALL2 and ALL3 at lower temperature, and reach comparable values at 310 K (right panel Figure 3.4c), while the oxidized moiety presents similar values for all concatenated values (left panel Figure 3.4c).

In order to decide which concatenated data should be chosen between ALL2 and ALL3, it is necessary to look at the estimated errors of both properties for both moieties, and not only their average values. In Figure 3.5, the left panels show the standard deviations of the mean of the concatenated data, which are, as previously mentioned in Section 3.1.1.3, identical to the combined standard deviation of the independent runs, 97 while the right panel shows the relative error obtained through g\_analyze. 80 When the data are correlated within the sets and the sets are quite different from each other, the standard deviation is large, and the error is even larger, as can be seen in the left panels of Figure 3.5, the standard deviation for ALL5 is larger or equal to the other runs, which is not surprising since the initial conformations of CL02 and CL03 were 1.5 % or less of the 50 ns trajectories sampled at 450 K. Due to the huge errors, especially at lower temperature, it was necessary to plot the ordinate in logarithmic scale. Please note that the relative error for  $r_{eted}$  is two orders of magnitude larger than that of  $R_q$ . There is no clear trend of the temperature dependence of the errors compared to the standard deviation, but it seems that the runs above 330 K, and in some cases above 290 K, the error is significantly lower than the standard deviation, so the data of the concatenated sets are sufficiently uncorrelated and participate in the data sampling of similar states and contribute to finding a more "true" mean. Obviously, given the length of the peptide, its structureless nature, and the strong interactions between its residues, makes the sampling in MD simulations even harder, so a "true" mean, especially at lower temperatures, is Utopian. In other words, even running 1000 ns simulations would not lower the error by a factor of  $\approx$ 700, i.e., the square root of the number of data points, let alone at lower temperatures. Upon these considerations, the sets chosen to study the water shell properties are ALL3, CL02, and CL03. Even though ALL3 presents a large error in  $R_q$  for the reduced moiety at 250 K and 270 K (right panel Figure 3.5b, in red), it was chosen over ALL2, since the relative error of  $r_{eted}$  is smaller for the reduced hIAPP (red vs. green in the right panel of Figure 3.5d). The data used for the initial water shell analysis in Ref 43, available in Appendix A, are the 200 ns ALPH trajectories, and although they have been proven, in this section, to contain insufficient sampling of the conformational properties, the trajectories were sufficient to describe the properties of the hydration shell, such as the percolation transition.

The temperature dependence of the uncertainty of the mean values of  $R_g$  and  $r_{eted}$  for the ALL3 data is shown in detail in Figure 3.6, with the standard deviation depicted by the error bars in the



**Figure 3.5:** Temperature-dependence of the relative standard deviation of the mean (left panels) and relative error (right panels) for the concatenated data ALL2, ALL3, ALL5 and the individual run ALPH. Due to the amplitude of the relative estimated error at lower temperature, the data are represented in semi-logarithmic scale on the ordinate axis. (a) and (b) are relative to  $R_g$  and (c) and (d) are relative to  $r_{\rm eted}$ , with the oxidized hIAPP on the left and the reduced one on the right.



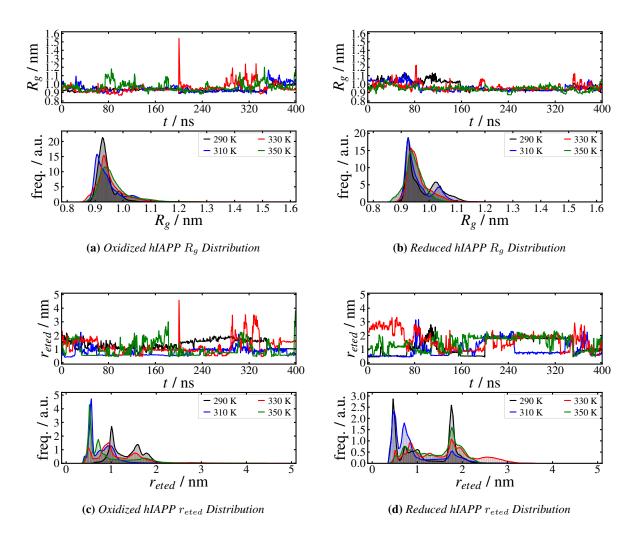
**Figure 3.6:** Temperature dependence of the mean values of  $R_g$  ((a) for the oxidized moiety and (b) for the reduced moiety), and  $r_{eted}$  ((c) for the oxidized moiety and (d) for the reduced moiety) of the concatenated run ALL3, where the error bars in the left panels represent the standard deviation of the mean, while those in the right panels represent the estimated error. The large error bars were truncated, in order to see the trends of the standard deviation error of the mean vs. the error estimate. For a complete representation of the error estimate, please see Figure 3.5, which is a semi-logarithmic plot.

left panels and the error estimate in the right panels. For normally distributed data, it is expected that the standard deviation of the mean is the same for all the runs, with a slight increase given by the greater thermal motion at higher temperatures. As one can see in Figure 3.5, the relative standard deviation of the mean for  $R_g$  is between 2.96 % and 5.94 %, while for  $r_{eted}$  it's much higher, 24.4 % to 56.5 %. In both cases, for each set of data, the values of the standard deviation of the mean are comparable within each set. In the right panel of each subfigure, the estimated error is shown. The oxidized moiety shows a significant reduction of the error from the standard deviation of the mean starting from 290 K for  $R_g$  (right panel Figure 3.6a) and from 310 K for  $r_{eted}$  (right panel Figure 3.6c). Obviously, the error for  $r_{eted}$  at 250 K in enormous, as seen in Figure 3.5c. Unfortunately, the data for reduced hIAPP is not quite a good. The errors for  $R_g$  at low temperature are even larger than those for the oxidized moiety, as shown in Figure 3.5b, and are smaller than the standard deviation only at 330 K and 350 K (right panel Figure 3.6b). But then again, the ALL3 concatenation was chosen because the error was smaller for  $r_{eted}$ ; in fact, the error is smaller than the standard deviation starting from 290 K (right panel Figure 3.6d). Moreover, the low sampling at lower temperature yields, once again, a very large error at 250 K.

Comparing these data to the theoretical values for a random-flight chain (Figure 3.6 dashed cyan line), the mean value of  $r_{eted}$  is smaller for both moieties (Figures 3.6c and 3.6d), while  $R_g$  is larger for the reduced moiety (Figure 3.6b), and fluctuating about it for the oxidized moiety (Figure 3.6a).

Although there are some uncertainties with the data relative to mean values of  $R_g$  for the reduced hIAPP moiety, an interesting trend can be seen in Figure 3.7; in fact, the large error at 290 K and 310 K is caused by the presence of two distinct states, as can be seen in the lower panel in Figure 3.7b. At these two temperatures (distributions in black for 290 K and blue for 310 K), the peaks around 1.05 nm are highly populated, and do not seem to merge with the other data, resulting in highly populated peaks that contribute to a large error since the two sets are nicely distributed individually, but do not mix. Upon heating, these peaks that correspond to a larger  $R_a$ , become nothing more than a tail of an asymmetrical distribution (distributions in red for 330 K and green for 350 K), hence the error becomes smaller than the standard deviation of the mean since the data are uncorrelated. Whether this can be caused by the percolation transition at  $\approx 320 \, \text{K}$  or simply greater flexibility of the peptide and higher kinetic energy due to a higher temperature is still to be determined, but it's interesting to notice such a nice coincidence. The error for the oxidized moiety is small for all the temperatures, because the data are more compatible, and there is only a slight shoulder in the distribution, as can be seen in black for 290 K and blue for 310 K the lower panel in Figure 3.7a, which is not as populated as what was seen for the reduced moiety. Unfortunately, there is no clear-cut trend for the  $r_{eted}$  distribution, which is also confirmed by the fact that many errors between 290 and 350 K illustrated in Figures 3.6c and 3.6d are of the same order of magnitude of the standard deviation of the mean. Therefore, the data are not bad, because comparable to the standard deviation of the mean, but not sampled well enough to reduce the error. A trend that can be seen for the reduced moiety, is the lowering of the peak around 1.8 nm upon heating, while the distribution for the oxidized moiety, is the shift that occurs for the entire distribution from 290 K to  $310 \,\mathrm{K}$  to lower values of  $r_{eted}$ . Even though from  $10 \,\mathrm{ns}$  to  $50 \,\mathrm{ns}$  data were discarded from the as pre-equilibration, please note that all these trajectories, ALPH, RTSS, and CL01, were obtained from the same starting conformation, so one can see the temperature effect on properties such as  $R_q$  and  $r_{eted}$ . Obviously, discarding, for example 10 ns, from five parallel runs at different temperatures, will not give the same initial conformation for the production run, but it could sometimes be correlated, as can be seen for  $r_{eted}$  of the reduced moiety (Figure 3.7d).

It seems from what has thus far demonstrated, that the data at  $350\,\mathrm{K}$  presents sufficient sampling to suppose that only one run at higher temperatures, i.e., from  $370\,\mathrm{K}$  to  $450\,\mathrm{K}$ , should suffice to describe trends of temperature dependence for conformational properties; in fact, such data are useful for providing a more complete picture on the hydrational properties of the peptide. Higher temperatures are not considered, especially because they are not physiologically feasible considering that peptide bonds are hydrolyzed in  $\approx 1\,\mathrm{min}$  at  $250\,^{\circ}\mathrm{C}.^{5}$ 



**Figure 3.7:** The time-dependent data relative to temperatures 290 K to 350 K resulting from concatenation of ALPH, RTSS, and CL01 are seen in the top panels, while their frequency distribution are depicted in the lower panels.

3.3 CONCLUSIONS 51

#### 3.3 Conclusions

In this chapter a detailed description has been presented on the preparation of hIAPP for the study of conformational properties, secondary structure, and hydrational and volumetric properties of the first layer of the hydration shell. In order to simplify the system as much a possible, the positive charge of the polypeptide determined by the N-terminus, lysine-1, and arginine-11 has been scaled to neutrality by distributing an equal and negative charge amongst the residues. This leads to slightly more negative partial charges, and less positive charges by less than 1.5 % of the original value. As far as can be seen by the graphical analysis of Bland-Altman plots, a possible systematic error of 1.5 % on the electrostatic potential given by the scaled partial charges has been introduced by this procedure, although it should not influence the determination of the secondary structure as the torsional terms in the OPLS-AA are determined through ab initio calculations. The Ramachandran angles that have been chosen to encompass regions assigned to helical and extended conformations, don't seem to be influenced by the scaling of the charges, if not by a slightly sharper peak in the  $60^{\circ} \times 60^{\circ}$  region that defines the helical conformations. Moreover, the helical contribution of the polypeptide to the overall secondary structure seems to correspond well to secondary structure assignment software, albeit with a slight overestimation since the definition of the Ramachandran angles does not consider other properties to determine helices, such as H-bonds, nor does it assign secondary structure to a minimum number of consecutive helical elements. Hence, a single residue may be assigned to a helix, even if it actually isn't part of three or five consecutive residues that define a helix, but it can possibly foresee the formation of helices one element at a time, as opposed to seeing the abrupt formation and dissolution of helical elements of three, four, or five residues. As this analysis was performed on short runs to investigate on the effect of the charge scaling and for the selection of the proper Ramachandran angles to determine the regions of the three secondary structures considered, an actual study on the secondary structure of IAPP will be performed in Chapter 5.

The full-length hIAPP was run in vacuo at  $1000\,\mathrm{K}$  for 1 ns to sample random conformations in order to chose an adequate and unbiased initial conformation for MD-simulations in liquid water, although slightly longer runs in water at  $450\,\mathrm{K}$  give similar results. These trajectories seem to be biased by a charge-charge interaction between the negatively charged uncapped dissociated C-terminus and the positively charged protonated N-terminus, partially limiting the exploration of more extended conformations, therefore investigation on secondary structure should be performed on an peptide bearing a neutrally charged amide-capped C-terminus, as seen in Chapter 5. Of the statistical properties presented in this chapter, the end-to-end distance,  $r_{eted}$ , seems to be influenced the most by the presence of the charged termini, while the radius of gyration,  $R_g$ , seems to be independent from the charges on the termini. Two forms of hIAPP, characterized by different oxidation states, i.e., with and without disulfide bond between C2 and C7, seem to manifest different flexibility, with the oxidized form seemingly more capable of exploring the conformational space than the reduced counterpart.

The difficulty of sampling of the 37-residue polypeptide at lower temperature was partially superseded by performing runs from different starting conformations; in fact, at 330 K the collected data can be concatenated and averaged out, which coincidentally takes place after the calculated percolation transition which occurs at approximately 320 K. The MD-simulations at lower temperatures, especially below 310 K, were performed mostly for collecting data for the studying the hydration shell properties. In particular, a few conformations at 250 K were chosen to evaluate such properties, where the peptide is less flexible without being frozen since the SPC/E water model does not show a density maximum until 234 K.



## Water Percolation

#### **Hvdration Water Properties** 4.1

Through MD simulations it is possible to study in detail the temperature effect on the connectivity of hydrogen bonds in the hydration shells of islet amyloid polypeptides and other biomolecules. Many variants of IAPP have been studied to see the effect of chemical modifications on the hydrogenbonded network of hydration water that homogeneously envelopes a peptide at low temperature and breaks into an ensemble of small clusters upon heating. Of the many properties analyzed, the ones that show strong correlation, or better anti-correlation, are the radius of gyration,  $R_a$ , and the solvent accessible surface area, SASA; in fact, these two properties of IAPP start to increase when the hydration water network breaks upon heating. The fluctuations of the number of intrapeptide hydrogen bonds show negative, or anti, correlation with the fraction of molecules in the largest cluster of hydration water. The more intrapeptide H-bonds that are formed, the more thermally stable the network of hydration water is, resulting in a more hydrophobic peptide surface. The thermal stability of the H-bonded water network in the hydration shells of the IAPP variants and several other biomolecules is found rather similar: the network breaks between 300 K and 330 K, i.e., in the temperature interval, where the biological activity of living organisms is maximal. This particular temperature range was chosen to analyze the IAPP variants, and in particular the oxydized moiety of hIAPP, since Kayed et al. have reported that its experimentally measured lag time in aggregation drops drastically at about 320 K. <sup>10</sup> The conformational changes that have been observed in the MD simulations of IAPP variants are described in Chapter 5.

The properties of water near surfaces differ strongly from the properties of bulk liquid water. <sup>99</sup>At biologically relevant thermodynamic conditions, the surface effects do not spread essentially beyond the first surface water layer. Thus, approximately a monolayer of liquid water adjusted to the surface, hydration water hereafter, can be considered as a subsystem with its own structural, dynamic, and thermodynamic properties. The properties of hydration water can hardly be measured experimentally, but they have been intensively studied near various surfaces by simulations.

In general, the thermodynamic properties of water near surfaces seem to follow the general laws of the surface critical behavior observed for simple fluids and for lattices. 99-101 The density of hydration water decreases almost linearly with temperature upon heating and, at ambient conditions, its thermal expansion coefficient\* exceeds that of bulk water near both hydrophobic and moderately hydrophilic surfaces. 102 Due to the high thermal expansivity, the constant pressure heat capacity of hydration water notably exceeds the bulk value. 42 The presence of the highly directional waterwater H-bonds causes additional surface effects specific for H-bonded fluids only. Water properties

 $<sup>^*\</sup>alpha_h = -rac{1}{
ho_h}rac{\delta
ho_h}{\delta T} = rac{\delta(-ln
ho_h)}{\delta T};^{102}\alpha_V = \left(rac{1}{V}rac{\delta V}{\delta T}
ight)_p^{-103}$  pg. 659, Berry et al.  $^\dagger$  Heat capacity and thermal expansion, as well as elasticity, have been empirically proven to be qualitatively correlated; in fact, elastically stiff materials present low thermal expansion, while materials with high thermal expansion are capable of absorbing more energy per unit temperature increase leading to thermal expansion. 104

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near a surface are affected by rearrangement of water-water H-bonds as well as by the formation of water-surface H-bonds.

The degree of the *connectivity* of the H-bonds between the water molecules in the hydration shell is an important characteristic of hydration water, which can affect its thermodynamic and dynamic properties. <sup>105,106</sup> Two quite different states of the connectivity of the H-bonds in the hydration shell can be distinguished: a) hydration water forms an infinite percolating, or spanning, H-bonded network; b) hydration water consists of small finite H-bonded clusters. At the surface of a finite object, e.g., a biomolecule, the percolating network is always finite, but its spanning characteristic appears in the homogeneous coverage of a surface. <sup>107</sup> The simulation studies have shown that the hydration water near various bio-surfaces forms a quasi-two-dimensional spanning H-bonded network at low temperatures. Upon heating, the number of water-water H-bonds within the hydration shell decreases and the spanning network of hydration water breaks into an ensemble of small H-bonded clusters. <sup>40,90</sup> This process may be well described as a quasi-two-dimensional percolation transition and it occurs in a biologically relevant temperature range. <sup>40,99</sup> Taking into account the crucial role of hydration water in biology, it is possible to assume that the drastic change in the connectivity of H-bonds influences properties of both hydration water and biomolecules.

Up to now, the thermal break of the H-bonded network in the hydration shell has been studied for several polypeptides in water: elastin-like peptide,  $^{40,41}$  A $\beta_{42}$ -peptide,  $^{22}$  NFGAIL-peptide and GNNQQNY-peptide. 42 The molecular weight of these peptides varies from 634 Da (NFGAILpeptide\*) to  $4511 \,\mathrm{Da}$  (A $\beta_{42}$ -peptide), with the oxidized moiety of hIAPP being 3906 Da. The temperature interval, where the spanning network of hydration water breaks upon heating, is rather similar in all cases, although the width of the temperature interval where the network breaks is different for the different biomolecules. The water network has been found stronger in the hydration shells of thermophilic proteins, <sup>109</sup> although in that study, Sterpone et al. did not estimate the temperature of the thermal break of the spanning water network. The reason of rather similar stability of spanning water networks in the shells of many biomolecules is not clear. At a first glance, the temperature stability of the spanning network of hydration water may depend on the size of a biomolecule and on the degree of the hydrophilicity/hydrophobicity of the biomolecular surface. Both factors can affect water-water H-bonding within the hydration shell and, accordingly, the thermal stability of the spanning network of hydration water. However, from the data available, it remains unclear, how the thermal break of hydration water depends on the properties of a biomolecule. More simulations of biomolecules with various chemical structures and conformations are required to answer this question.

In this chapter, a study is presented on the thermal stability of the hydration water network near several modifications of the islet amyloid polypeptide by simulations. Brovchenko et al. have studied the thermal stability of the hydration water network at the surface of another similar amyloidogenic peptide of approximately the same size as hIAPP, i.e.,  $A\beta_{42}$ -peptide, although the simulations were much shorter (a maximum of 20 ns)<sup>22</sup> and thus presented a rather strong scattering of the data points. The data sampled for IAPP is essentially improved through much longer trajectories (up to 400 ns), allowing greater accuracy of the data. Not only is this data compared to  $A\beta_{42}$ -peptide, but also to even longer trajectories of IAPP variants that present different chemical structure. The resulting effect of the chemical structure and conformation of the polypeptide on the spanning character of the hydration water network is analyzed, and is compared to those of the aforementioned biomolecules.

 $<sup>^*</sup>$ This amino acid sequence was studied due to its putative amyloidogenic properties; in fact, it was found to be the shortest fragment of IAPP capable of aggregating.  $^{108}$ 

# 4.2 Hydration Water Analysis

# 4.2.1 Temperature-Induced Percolation Transition of Hydration Water

The probability distributions of the fraction of the largest cluster relative to the number of water molecules in the hydration shell of hIAPP at various temperatures,  $P(S_{max}/N_w)$ , are shown in the upper panel of Figure 4.1, with the distributions for other IAPP variants being very similar. The evolution of this distribution with temperature shows the process of the break of the H-bonded network of hydration water. At the lowest temperature studied, the largest cluster of hydration water includes most of the water molecules, as can be seen at 250 K, where the percolation probability, defined by the average value of  $S_{max}/N_w$ , is about 0.92. A feature of the percolation probability, is that it is roughly symmetrical around 0.5, and for these data the broadest distribution occurs at 310 K and 330 K, as can be seen by dashed lines in the upper panel of Figure 4.1. This can also be seen in the upper panel of Figure 4.3, where the width  $\Delta(S_{max}/N_w)$  of the probability distribution  $P(S_{max}/N_w)$  changes non-monotonically with temperature showing a maximum at about 310-330 K. In fact, at low and high temperatures, the distribution  $P(S_{max}/N_w)$  is rather narrow, while it is wide at intermediate temperatures of about 310 K to 330 K. The temperature dependencies of the width  $\Delta(S_{max}/N_w)$  of the probability distribution  $P(S_{max}/N_w)$  for the hydration shells of hIAPP and hIAPP<sup>S\*</sup> are shown in the upper panel of Figure 4.3, in which a maximum at  $T=(324\pm3)\,\mathrm{K}$ can be seen for both moieties. This means that the strongest variations of the size of the largest water cluster occur at this temperature.

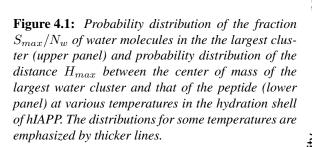
Given the rough symmetry around  $S_{max}/N_w=0.5$  of the probability distributions shown in the top panel of Figure 4.1, the probability that the largest cluster contains more than half of water molecules in the hydration shell is defined as the spanning probability, SP. The spanning probability is calculated as an integral of the probability distributions shown in the upper panel of Figure 4.1 for  $S_{max}/N_w \geq 0.5$ , and can be seen in the middle panel of Figure 4.2 as a function of temperature. The spanning probability can be fitted to a sigmoidal function with the inflection point at  $T=(322.5\pm0.5)$  K, corresponding to SP=0.5. The temperatures of the inflection point for hIAPP and hIAPP differ by less than 0.1 K. Similar to previous studies, the temperature corresponding to SP=0.5 is assigned to the midpoint of the percolation transition of hydration water in the hydration shell of a biomolecule. This midpoint is rather close to the temperatures where the mean cluster size  $S_{mean}$  and the width  $\Delta(S_{max}/N_w)$  of the distribution  $P(S_{max}/N_w)$  are maximal, as can be seen in Figure 4.3.

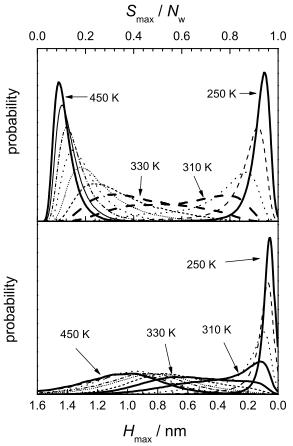
The temperature dependence of  $(S_{max}/N_w)^{av}$  is shown in the upper panel of Figure 4.2. Upon heating, the largest cluster includes less and less water molecules and  $(S_{max}/N_w)^{av}$  does not exceed  $\approx 0.3$  at temperatures above 350 K. Although the percolation probability behaves differently below and above the percolation threshold, <sup>110</sup> the fragment of the temperature dependence  $(S_{max}/N_w)^{av}(T)$  can be approximated by a sigmoidal function with the inflection point at about 314 K for both hIAPP and hIAPP<sup>S</sup> peptides, depicted by the lines in the upper panel of Figure 4.2.

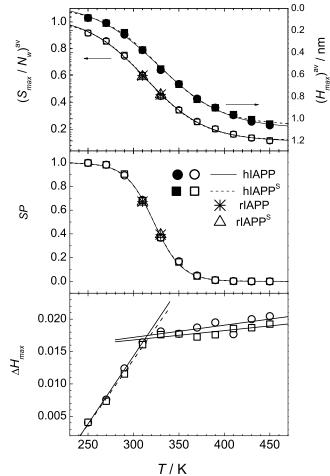
The temperature dependence of the mean size  $S_{mean}$  of water clusters normalized by the number of water molecules in the hydration shells of hIAPP and hIAPP $^S$  are shown in the lower panel of Figure 4.3, where  $S_{mean}$  is calculated by excluding the largest cluster. In accordance with the percolation theory,  $S_{mean}$  is a measure of the fluctuations of the size of clusters in the system studied, and since it shows a maximum at  $T \approx (339 \pm 4) \, \mathrm{K}$  for both moieties, the strongest rearrangement of water clusters in the hydration shell occurs at about  $339 \, \mathrm{K}$ .  $S_{mean}$  diverges at the percolation transition in an infinite system and passes through the maximum, approaching the percolation transition in a finite system. Therefore, it is possible to conclude that the percolation transition of water in the hydration shells of hIAPP and hIAPP $^S$  occurs at temperatures less than 339 K.

As mentioned in Section 1.4, one of the tedious aspects of applying the percolation theory, is

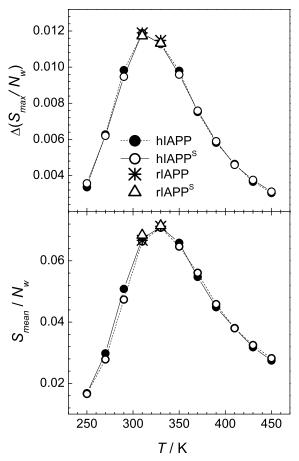
<sup>\*</sup>In this chapter the oxidized moiety is denoted by a the superscript "S" for consistency with the figures. The absence of the superscript refers to the reduced moiety.







**Figure 4.2:** Temperature dependencies of the average fraction  $(S_{max}/N_w)^{av}$  of molecules in the largest cluster of hydration water (upper panel), of the spanning probability SP (middle panel), and of the standard deviation  $\Delta H_{max}$  (lower panel) for water in the hydration shells of peptides (open circles and squares for hIAPP and hIAPPS, respectively). The fits of the temperature dependencies SP(T) and  $(S_{max}/N_w)^{av}$  to a sigmoidal function and  $\Delta H_{max}(T)$  to a linear function are shown by lines. Data points for the two rat IAPP moieties are shown in the upper and middle panels for T=310 K and 330 K.



**Figure 4.3:** Temperature dependencies of the standard deviation  $\Delta(S_{max}/N_w)$  of the fraction of molecules in the largest cluster (upper panel) and of the mean size  $S_{mean}$  of clusters (lower panel) in the hydration shells of the IAPP variants, where the mean is calculated excluding the largest cluster.

finding properties that can help define the percolation transition. One of them is  $H_{max}$ , which is the distance between the center of mass of the largest water cluster and the center of mass of a biomolecule, and it defines the spanning character of the largest cluster, i.e., its ability to envelope the biomolecule homogeneously. In the limit  $S_{max}/N_w \to 1$ , when all molecules in the hydration shell belong to the largest cluster being most homogeneously distributed at the surface,  $H_{max} \to 0$  and the ability of the water network to envelope a biomolecule homogeneously is maximal. If the largest cluster covers only a small part of the biomolecules,  $H_{max}$  differs essentially from zero. The probability distributions  $P(H_{max})$  for the largest water cluster in the hydration shell of hIAPP at various temperatures are shown in the lower panel of Figure 4.1. The data relative to the hIAPPS distributions are quite similar (data not shown). In most configurations\* at 250 K,  $H_{max}$  is less than just 0.1 nm, which means that the largest water cluster envelopes the peptide homogeneously at low temperatures. Upon heating, the probability distribution  $P(H_{max})$  shifts rapidly to larger values of  $H_{max}$  and becomes much wider.

The temperature dependence of the average value  $(H_{max})^{av}$  for the largest water cluster is shown in the upper panel of Figure 4.2 (NB, on the right axis), where one can see it closely follows the temperature dependence of the percolation probability, i.e., the average fraction  $(S_{max}/N_w)^{av}$  of water molecules in the largest cluster. The dependence of  $(H_{max})^{av}$  on  $(S_{max}/N_w)^{av}$  is shown in Figure 4.4, which can be perfectly fitted by the empirical equation:

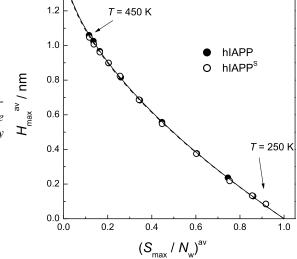
$$(H_{max})^{av} = R \cdot (B - \beta (S_{max}/N_w)^{av}), \tag{4.1}$$

where  $R = (1.48 \pm 0.02)$  nm,  $\beta = 0.58 \pm 0.02$ , and B = 1.00 for both hIAPP and hIAPP<sup>S</sup>. Thus,  $(H_{max})^{av}$  is equal to zero, when all water molecules in the hydration shell are in one cluster. In

<sup>\*</sup>The term configuration indicates that both the peptide and hydration shell are taken into account, as opposed to conformation, which refers to atom distributions that can be obtained without breaking bonds.

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the limit of very high temperatures, when all hydration water molecules have no H-bonds within hydration shell, the largest cluster includes a single water molecule and the value  $(H_{max})^{av}$  is about 1.47 nm, which slightly exceeds the radius of gyration of peptides considered (see below).



**Figure 4.4:** Dependence of  $(H_{max})^{av}$  on the average fraction  $(S_{max}/N_w)^{av}$  of water molecules in the largest cluster. The fits to the Eq. (4.1) are shown by lines.

The temperature dependence of the width  $\Delta H_{max}$  of the probability distribution  $P(H_{max})$  for the largest water cluster is shown in the lower panel of Figure 4.2, where two distinct temperature regimes can be seen. Upon heating,  $\Delta H_{max}$  increases strongly at  $T{<}320\,\mathrm{K}$ , and increases to a lesser extent at  $T{>}320\,\mathrm{K}$ . The linear fits of these two regimes are shown by lines in the lower panel of Figure 4.2. The crossover between two regimes occurs at about 315 K and 316 K for hIAPP and hIAPP<sup>S</sup>, respectively.

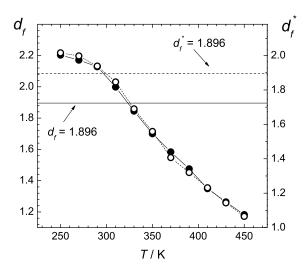
The probability distribution,  $n_S$ , of the water cluster size in the hydration shell, S, can also estimate the percolation transition, but this distribution is strongly affected by the finite system size. In fact, it never obeys the power law of  $n_S \sim S^{-2.05}$  as expected at the percolation transition in 2D systems, and should therefore not be used for the location of the percolation transition in finite systems, but it still compares relatively well with the other methods utilized to determine the percolation transition (data not shown). It is therefore necessary to find an alternative method; in fact, the structure of the largest water clusters can be characterized by the fractal dimension,  $d_f$ , which describes how the mass distribution m(r) of the largest cluster scales with distance r:

$$m(r) \sim r^{d_f}. (4.2)$$

The mass distribution is similar to a radial distribution function, and was obtained by calculating the oxygen-oxygen distance between  $H_2O_i$  and each of the remaining  $H_2O_{j\neq i}$  molecules of the largest cluster, and summing up the oxygen-oxygen distances. The same procedure is carried out for each of the water molecules that are H-bonded. This distribution is also affected by the finite size of the system, as the number of water molecules in the largest cluster can not be infinite, thus the mass distribution for the finite system diverges from the infinite one. The values of r for which the mass distribution behaves like an infinite system are kept, and those beyond it are discarded. The values  $d_f$  were obtained from the fits of the distribution m(r) to Eq. (4.2) within the range r<1.8 nm; in fact, in this range, the mass of the largest cluster increases with r, whereas it decreases at r>1.8 nm due to the finite size of the cluster. The temperature dependence of the values  $d_f$  obtained from the fits for hIAPP and hIAPP $^S$  are shown in Figure 4.5, where it can be seen that  $d_f$  achieves the largest value  $\approx 2.20$  at 250 K, which indicates that the hydration water is not strictly 2D, but rather a quasi-2D system.\* A quite similar value ( $d_f = 2.22$ ) was obtained in the hydration water shell studies at the surface of Snase.  $^{107}$  The fractal dimension of percolating cluster is equal to 1.896

<sup>\*</sup>Due to the height of the water shell, the hydration water is no longer ideal two dimensional, but rather quasi-2D.

at the percolation threshold of 2D systems and  $d_f$  of the largest water cluster achieves this value at about 325 K, as seen in Figure 4.5. Taking into account that the fractal dimension of the whole shell of hydration water is about 2.2, it is reasonable to define the normalized fractal dimension  $d_f^* = d_f(2/2.20)$ , as shown on the right axis in Figure 4.5, where such defined fractal dimension achieves the value 1.896 at  $\approx 300$  K.



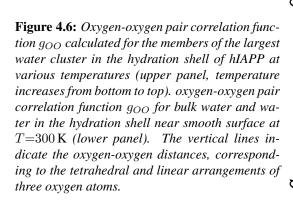
**Figure 4.5:** Temperature dependence of the fractal dimension  $d_f$  of the largest water cluster in the hydration shells of hIAPP (solid circles) and hIAPP (open circles). The right scale shows  $d_f^*$  normalized by the deviation of the fractal dimension of the whole hydration shell from 2:  $d_f^* = d_f \frac{2}{2.20}$ . The horizontal line corresponds to the value  $d_f^*$  expected at the percolation threshold in two-dimensional systems.

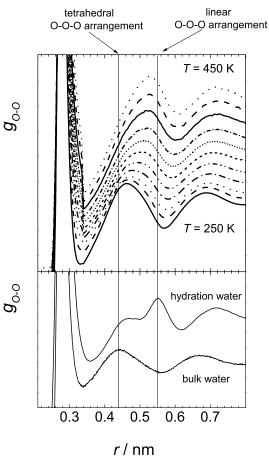
The arrangement of water molecules in the largest cluster can be characterized by the oxygen-oxygen pair correlation function,  $g_{OO}$ , calculated for the members of the largest water cluster, and can be seen for hIAPP at various temperatures in the upper panel of Figure 4.6, where these functions for hIAPP are quite similar, and thus not shown. At low temperatures,  $g_{OO}$  indicates tetrahedral-like arrangement of the water molecules in the largest cluster in the hydration shell; in fact, the second peak of  $g_{OO}$  is located at about 0.46 nm, which is close to the peak at 0.44 nm in bulk liquid water, as shown in the lower panel of Figure 4.6. Upon heating, this peak moves towards larger distances and is located at  $r\approx 0.53$  nm at 450 K, which is close to the location of the peak of  $g_{OO}$  at  $r\approx 0.55$  nm for hydration water near smooth hydrophilic surfaces, and corresponds to the linear arrangement of oxygens of three water molecules. Therefore, the tetrahedral arrangement dominates in the structure of the largest clusters at  $T\leq 330$  K, when the most of these clusters are spanning. At higher temperatures, when most of the largest clusters are non-spanning, a linear-like arrangement dominates in their structure.

### 4.2.2 Effect of the Spanning Water Network on Peptide Properties

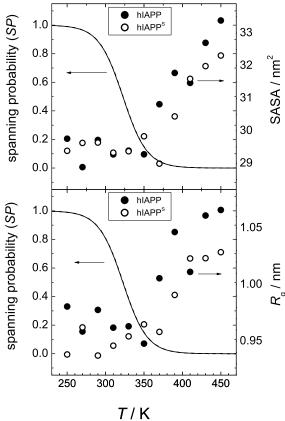
Various clustering properties of hydration water at the surfaces of hIAPP and hIAPP $^S$  indicate that the thermal break of hydration water network occurs in the temperature interval between  $\approx 300 \, \mathrm{K}$  and  $\approx 350 \, \mathrm{K}$ . To clarify a possible effect of this break on the conformational properties of peptides, the temperature dependencies of the solvent accessible surface area, SASA, and the radius of gyration,  $R_g$ , have been analyzed with respect to the temperature dependence of the spanning probability, as can be seen in Figure 4.7. SASA of both hIAPP and hIAPP $^S$  does not change notably at low temperatures from 250 K to 350 K (Figure 4.7, upper panel), whereas at higher temperatures the peptides show a sharp increase in SASA upon heating. A similar characteristic of the temperature dependence is observed also for the radius of gyration  $R_g$  of peptides (Figure 4.7, lower panel). Therefore, the structural properties of both hIAPP moieties undergo some qualitative changes, when the probability to observe water clusters that include most of the molecules in the hydration shell becomes lower than approximately 0.2 (see lines in Figure 4.7, showing the temperature dependence of the spanning probability SP).

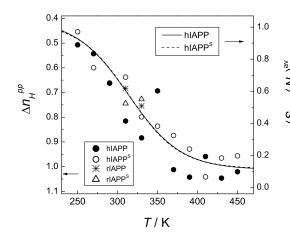
 $<sup>^{\</sup>dagger}$ This normalization is called upon to get an estimate of the of a 2D system from data obtained from a quasi-2D system.





**Figure 4.7:** Temperature dependence of the radius of gyration  $R_g$  (lower panel) and SASA (upper panel) of both hIAPP moieties (symbols). Temperature dependence of the spanning probability of H-bonded network in the hydration shell of both hIAPP moieties (lines). Both  $R_g$  and SASA start to increase upon heating, when a spanning network is almost broken.





**Figure 4.8:** Temperature dependence of the width  $\Delta(n_H^{pp})$  of the probability distribution  $P(n_H^{pp})$  of the number of intrapeptide H-bonds  $n_H^{pp}$  in hIAPP, hIAPPS, rIAPP, and rIAPPS (symbols), and percolation probability  $(S_{max}/N_w)^{av}$  (lines). NB, the values of  $\Delta(n_H^{pp})$  decrease along the ordinate.

The stability of the secondary structure can be characterized by the width,  $\Delta(n_H^{pp})$ , of the probability distribution,  $P(n_H^{pp})$ , of the total number of intrapeptide H-bonds,  $n_H^{pp}$ , as defined in Section 2.4.2. The value of  $\Delta(n_H^{pp})$  reflects the ability of the peptide to undergo conformational changes accompanied by the fluctuations of the number of intrapeptide H-bonds: larger  $\Delta(n_H^{pp})$  values indicate more conformational flexibility of peptides. The temperature dependence of  $\Delta(n_H^{pp})$  for hIAPP and hIAPPs is shown in Figure 4.8 together with the temperature dependence of the percolation probability  $(S_{max}/N_w)^{av}$ , where it is evidenced that a weaker H-bonded network of hydration water, i.e., smaller fraction of water molecules in the largest cluster, corresponds to stronger fluctuations of  $n_H^{pp}$ .

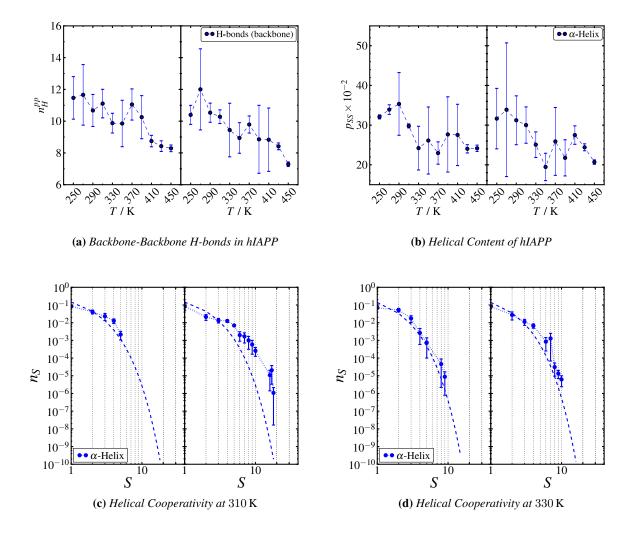
A closer look into the secondary structure of the peptide as defined in Section 2.4.1, shows that, even though both the helical content, as seen in Figure 4.9b, and the H-bonds in Figure 4.9a decrease with temperature, they don't follow exactly the same trend. In other words, the H-bonds for both moieties decrease quasi-monotonically upon heating, with large scattering of the data due to relatively difficult sampling for the ALL3 set of data, while the helical content is more or less constant below  $320 \, \text{K}$ , and decreases to another more or less constant value above  $320 \, \text{K}$ .\* The data relative to the secondary structure in Figure 4.9b does indeed show a large scattering and large uncertainty for certain runs, but better accuracy through longer simulation runs should give a more quantitative result. Another characteritic of the secondary structure that is strongly influenced by the percolation transition, is the cooperative "condensation", as can be seen in Figures 4.9c and 4.9d. The probability  $n_s$  of finding S consecutive in the same conformation in uncorrelated distribution is:  $111 \, \text{M}$ 

$$n_s = (1 - p)^2 p^S, (4.3)$$

where p is the probability of finding the secondary structure of the studied biopolymer. The probability used in Eq. (4.3), is the mean value of helical content,  $p_{SS}$  in Figure 4.9b, obtained for 400 ns of concatenated data (i.e., the ALL3 trajectories, as described in Section 3.2) for the lower temperatures, and 200 ns for the higher temperatures (i.e., ALPH trajectories). The helical content at 310 K, as seen in Figure 4.9c, for the reduced moiety (right panel) deviates from the theoretical value obtained for an infinite chain (dashed line). As will be discussed in Chapter 5, the reduced moiety of IAPP seems to present more helical content, compared to the oxidized moiety. Moreover, it seems that the introduction of the natural disulfide bond present between C2 and C7, also disrupts the cooperativity of the helices (left panel). At 330 K, the cooperativity that was seen at lower temperture for the reduced moiety is close to random, as can be seen with the overlap with the the dashed line. The temperature effect seems to allow the oxidized peptide to explore also longer helices, as can be seen in the left panel of Figure 4.9d.

<sup>\*</sup>In fact, the ALPH data have been fitted to a line with zero slope in a poster presented in Jülich, which can be found in the Appendix B, Figure B.1, but this is mostly speculative, as there is plenty of scattering.

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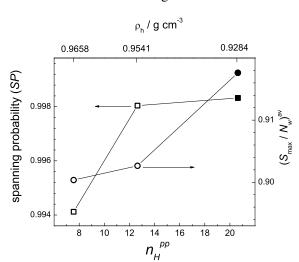


**Figure 4.9:** Temperature dependence of (a) intrapeptide backbone-backbone H-bonds,  $n_{F}^{pp}$ , and (b) helical content percentage,  $p_{SS}$ , of oxidized (left panel) and reduced (right panel) hIAPP. The helical content is defined by the number of residues that have the dihedral angles  $\phi$  and  $\psi$  defined in Section 2.4.1. Probability  $n_{S}$  to find S successive residues with helical conformation at (c) 310 K and (d) 330 K. The dashed line show  $n_{S}$  for a random distribution in an infinite chain with the same content probability  $p_{SS}$ , plotted in (b), for residues with analogous structure as expected by Eq. (4.3). The error bars indicate the estimated error calculated by  $g_{analyze}$ .

## 4.2.3 Effect of Peptide Structure on the Spanning Network of Hydration Water

The presence of a disulfide bond between C2 and C7 residues of hIAPP in the polypeptide does not affect noticeably the clustering of water molecules in the hydration shell of hIAPP, as can be seen from Figures 4.2 to 4.5 on pages 56–59. Although the amino acid content of rIAPP differs from that of hIAPP by about 16%, this modification has a negligible effect on the clustering of water molecules in the hydration shell; in fact, several parameters characterizing water clustering are compared for both moieties of hIAPP and rIAPP in Figures 4.2 and 4.3, allowing the conclusion that the thermal stability of the hydration water network on the surfaces of the studied hIAPP and rIAPP peptides is almost the same.

As will be discussed in detail in Chapter 5, the studied polypeptides do not show some well-defined secondary structure, so in order to study the effect of the peptide conformation on the clustering properties of water in its hydration shell, different conformations of hIAPP exhibiting essentially different structural properties were studied at 250 K. At such low temperature, the peptide conformation does not change noticeably during simulation runs of 50 ns, without being "frozen" (see discussion on the SPC/E water model density in Section 2.4.3.1, Figure 2.9). In addition to the main simulation run, two runs with less ordered initial peptide conformations, i.e., CL02 and CL03 seen in Section 3.2, characterized by smaller number of intrapeptide H-bonds,  $n_H^{pp}$ , were simulated at 250 K. The obtained spanning probability, SP, and the percolation probability,  $(S_{max}/N_w)^{av}$ , for three quite different conformations of hIAPP are shown in Figure 4.10 as a function of  $n_H^{pp}$ , where, despite the strong scatter of the data, a clear correlation between two measures of the strength of the percolating network of hydration water and the number of intrapeptide H-bonds can be seen: the water network is stronger for conformations with larger values of  $n_H^{pp}$ .



**Figure 4.10:** Dependence of the spanning probability (squares) and the percolation probability  $(S_{max}/N_w)^{av}$  (circles) on the number of intrapeptide H-bonds  $n_H^{p}$  in the main simulation run (closed symbols) and in two additional runs with lower values of  $n_H^{pp}$  (open symbols) at 250 K.

The change of the number of intrapeptide H-bonds,  $n_H^{pp}$ , affects the water-peptide interaction and, therefore, the connectivity of water molecules in the hydration shell. Obviously, the decrease of  $n_H^{pp}$  causes an increase of the number of water-peptide H-bonds, and as a result, the surface of a peptide becomes more hydrophilic, causing the hydration water density to increase. Indeed, the density of hydration water,  $\rho_h$ , has been found to increase with decreasing  $n_H^{pp}$ ,  $n_H^{112}$  which should make the H-bonded water network stronger. However, the formation of direct water-peptide H-bonds has also an opposite effect, as it worsens the ability of water molecules to form water-water H-bonds; in fact, the weakening of the water network with decreasing  $n_H^{pp}$ , as seen in Figure 4.10, shows that the increase of density is not able to compensate the damage of the H-bonded water network caused by formation of water-peptide H-bonds.

The change of the spanning probability upon varying  $n_H^{pp}$  is very small as it can be studied at very low temperature only, when SP is close to 1, where an estimation of the effect of  $n_H^{pp}$  on the temperature of the midpoint of the percolation can be carried out by shifting the fitting sigmoidal function SP(T) (middle panel in Figure 4.2) in the temperature range in order to get the change

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of SP, which occurs upon decreasing  $n_H^{pp}$  at  $250~{\rm K}$  (Figure 4.10). Such estimation shows, that the midpoint of the percolation transition shifts by just  $5~{\rm K}$  to lower temperatures, when  $n_H^{pp}$  decreases from  $\approx \! 20~{\rm to} \approx \! 8$ .

## 4.3 Conclusions

Analysis of the effect of temperature on the clustering of hydration water at the surfaces of IAPP variants evidences a thermally induced break of the spanning H-bonded network of hydration water into an ensemble of small, i.e., finite, clusters via a percolation transition. Various properties describing clustering and percolation show a strong qualitative change of the connectivity of H-bonds within the hydration shell of IAPP in the temperature interval from 300 K to 330 K, and as shown in Figure 4.2, the midpoint of the percolation transition occurs at approximately 320 K. Close to this temperature, the fluctuations of the size of the H-bonded water clusters in the hydration shell are maximal, as seen in Figure 4.3. The fractal dimension of the largest cluster (Figure 4.5) and the average number of water-water H-bonds formed by one molecule (data not shown) achieves values corresponding to the 2D percolation threshold just above 300 K; in fact, the ability of the H-bonded water network to cover a peptide homogeneously changes qualitatively at about 310 K, as shown in Figure 4.2.

The analysis presented in this chapter indicates that the break of the spanning water network correlates with the essential structural changes of IAPP; in fact, when the peptide is enveloped by a spanning water network, its compactness, characterized by the radius of gyration  $R_g$  and by the solvent accessible surface area SASA, does not change with temperature, while in the absence of this network, both  $R_g$  and SASA increase upon heating. This trend correlates with the helical content; in fact, despite the scattering of the data, the helicity of the peptide at lower temperatures is more or less constant, while at higher temperatures it drops to values that are temperature independent. Moreover, the conformational flexibility of a peptide characterized by the fluctuations of the number of intrapeptide H-bonds show negative (or anti) correlation with the "strength" of the network of hydration water, characterized by the fraction of water molecules in this network.\* This is in accord with the studies of the spanning water network on the conformational flexibility of ELP; <sup>41</sup> in fact, at low temperatures, it exhibits long-lived rigid conformations controlled by the intrapeptide H-bonds between distant residues, while, when the spanning network of the hydration water breaks upon heating, the flexibility of ELP increases drastically, exhibiting structural properties typical for a random chain.

The variation of the chemical structure of the peptide as well as the variation of its conformation, controlled by the total number of intrapeptide H-bonds, practically does not affect the thermal stability of the hydration water network, which holds true also for the capping of hIAPP variants. The temperature shift of various parameters describing the connectivity of H-bonds in the hydration shell due to these changes does not exceed a few degrees, as seen in Figures 4.2 to 4.5 on pages 56–59. Such universality of the temperature range, where the spanning network of hydration water breaks, is even more evident when the thermal stability of the hydration of water at the surface of several different biomolecules are compared (data not shown), in which the size and the degree of the hydrophiblicity/hydrophobicity vary strongly in the set of these molecules. The thermal stability of the spanning network of hydration water is, nevertheless, surprisingly similar for all the studied molecules.

The temperature interval, where the strongest changes of the connectivity of H-bonds in the hydration water shell occur, is between 300 K and 330 K; temperature interval in which the activity

<sup>\*</sup>Although it may be highly speculative, the trends seen for the concatenation of independent runs in Figure 3.6b on page 48 also show better sampling starting from 290 K, and in particular in Figure 3.7b on page 50 above 310 K. It's obvious that at higher temperatures the sampling is better, but it would be interesting to investigate whether this rigidity of the peptide in exploring  $R_g$  is caused by the water shell or not; a few runs in vacuo at lower temperatures could possibly answer that question.

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of living organisms is maximal. <sup>106</sup> The body temperature of the warm-blooded organisms, i.e., the only organisms that can keep their body temperature almost constant, is between 310 K and 320 K. As biological functions are possible in the presence of hydration water only, the occurrence of the maximal biological activity at temperatures, where the connectivity of H-bonds in the hydration shell undergoes strong changes, doesn't seem to be accidental. Although it is still not clear which particular property of hydration water promotes strong biological activity in this temperature range.

The changes in the conformation and aggregation behavior of many biomolecules are the strongest between 300 K and 330 K; in particular, the experimentally measured lag time of hIAPP aggregation drops drastically at about 320 K. <sup>10</sup> Besides, many biomolecules undergo conformational transition and aggregation in this temperature interval, which may also be related to the qualitative changes of the hydration water network in the same temperature interval. As has been shown by Oleinikova et al., the thermal break of the H-bonded water network causes sharp changes of the components of the specific heat of hydration water, related to water-water interactions within the hydration shell and to the interactions between hydration water and surrounding "bulk-like" water. <sup>42</sup> These changes enhance the connectivity between hydration and bulk water, rendering, therefore, the surface of a biomolecule effectively more hydrophobic, and may thus provoke denaturation and aggregation of biomolecules.



# Comparing hIAPP and rIAPP in Liquid Water

A mystery that has been keeping many scientists busy is how completely different amino acid sequences can form aggregates in amyloidoses. These data presented in this thesis alone definitely can't answer that question, but there are a few findings that can shed a little light on the behavior of monomeric of islet amyloid polypeptide in liquid water, since the human homologue does aggregate and is present in more than 95 % of the type II diabetes patients, while the rat/mouse homologue doesn't, even though the primary structure differs by only 16 %. As demonstrated in Chapter 3, even gathering the data from the trajectories was a bit problematic, since it lacks a well-defined conformation. In order to sample sufficient conformations, 500 ns trajectories were calculated starting from a completely random conformation. The temperature dependencies obtained in Chapter 4, show that the peptide undergoes a conformational transition when heated to 330 K, which was also observed experimentally by Kayed et al. since the lag time in aggregation drastically dropped around 320 K. <sup>10</sup> Therefore, the choice of temperatures for the sampling of conformations was limited to 310 K and 330 K, which also happen to be physiologically relevant temperatures.

# 5.1 Conformational Changes of Oxidized hIAPP at $330~\mathrm{K}$

In the investigation of possible initial conformations of IAPP for the MD simulations, it was observed that secondary structure had a noticeable effect on reducing  $R_g$  by 8% to 15% in one of the runs of oxidized hIAPP at 350 K (i.e., HoRUN4 in Table 3.1), which, at first, seemed an outlier due to the small  $R_g$ , as seen in Figure 3.2b on page 39 of Section 3.1.1.2. It was found that there is a small, but stable,  $\beta$ -structural content of  $(5.1 \pm 0.5)$ %, that makes its structure more compact. In fact, further investigation of the effect of  $\beta$ -structures on oxidized hIAPP at 330 K was carried out and is discussed in this chapter.

A very striking characteristic of hIAPP is the flexibility of the oxidized moiety to reach compact conformations, as opposed to rIAPP, which seems to be more rigid possibly due to the higher helical content. The presence of the disulfide bond seems to play a role in the initiation of the collapsing of the peptide due to the stability of the threonine/disulfide interaction. The collapsed state is characterized by  $\beta$ -bridges and  $\beta$ -ladders, short tyrosine/phenylalanine distance, and diminished hydrophobic SASA. Collapsed states are not reached by the reduced hIAPP, perhaps for the absence of the disulfide bond and the presence of transient  $\alpha$ -helices in the C-terminal region. All the forms of rIAPP that have been studied, with the exception of the oxidized moiety at 310 K, seem too rigid to fold into conformations characterized by short  $r_{eted}$ , which seems to be necessary for collapsing into the compact monomeric state. This rigidity seems to be caused by helicity that includes P28; in fact, as seen in Figure 5.13c, there is no helical content, i.e.,  $\alpha$  and  $\alpha$  and  $\alpha$  helices, when  $\alpha$  are minimum in Figure 5.2a (top panel, in blue).

# 5.1.1 Conformational Properties $R_q$ , $r_{eted}$ , and SASA of IAPP

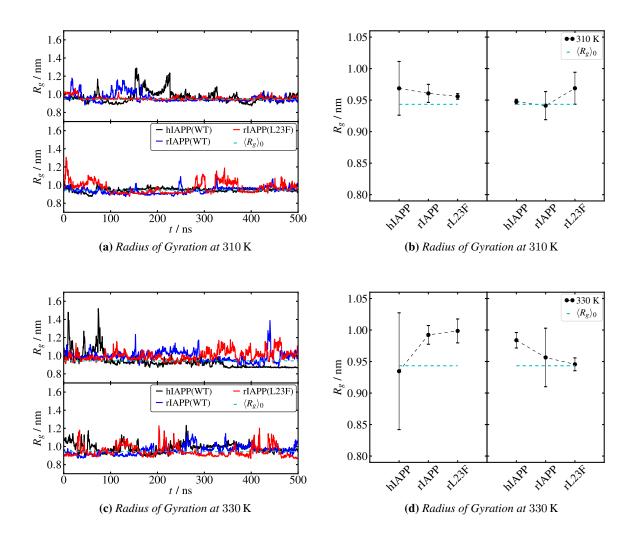
The conformational properties for each moiety of hIAPP, i.e.,  $R_a$ ,  $L_{max}$ , and SASA, increase with temperature for the cysteine moiety, as does the standard deviation of the mean, indicating a greater flexibility of the peptide with increasing temperature. Mean values of the conformational properties  $r_{eted}$  and  $R_q$ , with the estimated error, are shown in Tables 5.1 and 5.2, but as will be explained later in this section, the oxidized moiety collapses into a compact state and thus only the first 350 ns of the trajectory can be used to estimate average values of conformational properties before the peptide collapses. In Table 5.2, the subscript "c" refers to the collapsed state of the oxidized moiety, which corresponds to the last 150 ns, while the subscript "E" refers to the first 350 ns, excluding therefore the collapsed conformation. The same subdivision of the data is also shown for the reduced moiety, as a reference; in fact, the reduced hIAPP moiety at 330 K averages out to  $\approx 0.98$  nm, whether the data are taken from the first portion of the trajectory, "E", the last, "C", or the entire trajectory. Moreover, the reduced moiety increases with temperature from  $(0.948 \pm 0.004)$  nm to  $(0.984 \pm 0.012)$  nm, as seen in Tables 5.1 and 5.2. At 310 K, the cystine moiety seems to be more flexible and able to explore more states that are visited by the cysteine moiety at the same temperature, as can be seen by the fluctuation of  $R_g$  and  $r_{eted}$  in Table 5.1. Fluctuations in these conformational properties can be seen in the time-dependent plots of  $R_g$  and  $r_{eted}$ , Figures 5.1 and 5.2 respectively. The most striking feature is the compactness of the peptide, defined by the small values of  $R_g$ , observed in the upper panel of Figure 5.1c from 350 ns on, i.e., trajectory "C". Such values are also much smaller than the theoretical value obtained for a random-flight chain, depicted in cyan. Hence at 330 K, the oxidized hIAPP moiety reaches a state smaller than an unperturbed random coil, by means of interactions between aromatic residues and backbone-backbone intrapeptide H-bonds, as will be demonstrated in the following sections. This collapsed state of oxidized hIAPP at 330 K presents a  $R_g$  9.0 % smaller than the mean value of  $R_g$  of the 350 ns before the collapse, 11.2% smaller than the reduced moiety at 330 K, and 9.5% smaller than the mean value of all the rIAPP runs at 330 K, results which agree with a higher degree of folding monomeric hIAPP found by Soong et al. 113

A cluster analysis on every tenth frame of the hIAPP cystine moiety simulation run at  $330\,\mathrm{K}$  by means of the GROMOS algorithm<sup>91</sup> using a cutoff of  $0.3\,\mathrm{nm}$  on the backbone atom RMSD, shows that the family of compact conformations, which includes the one stabilized by  $\beta$ -structures, is present  $39\,\%$  of the time, i.e., at least  $9\,\%$  more than what would be expected from  $150\,\mathrm{ns}$  of the compact stabilized conformation. In fact, the second most populated family of structures of the first  $350\,\mathrm{ns}$ , which is  $11\,\%$  of the total number of conformations of the initial portion of the trajectory, contains the centroid conformation of the most populated family of structures of the full simulation. Therefore, a compact conformation is already present before the peptide collapses. Further investigation on how the peptide "folds" into a more compact conformation is possible through the analysis of these data, and should shed light on the peptide "folding". The word folding is used loosely here, since the peptide is natively unstructured, and the pathway to the observed collapsed conformation is not intended to describe the native conformation.

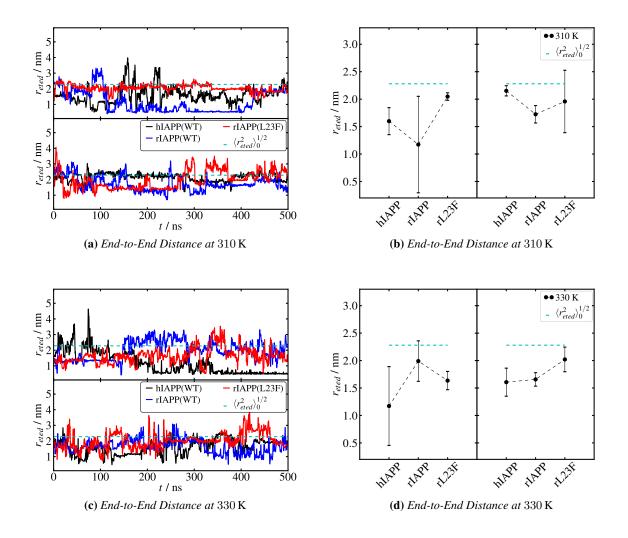
One aspect that seems to be necessary for the ability of the peptide to form this collapsed state is the presence of the disulfide bond;  $^{35}$  in fact, in the top panel of Figure 5.2c one can see a short end-to-end distance, not only in the final  $150\,\mathrm{ns}$ , but also at  $\approx\!200\,\mathrm{ns}$ , albeit short-lived. Hence, the oxidized moiety seems to be flexible enough to fold and collapse into a compact state at temperatures above the percolation transition, i.e.,  $320\,\mathrm{K}$ , while rIAPP seems too rigid to be able to fold into more compact states as also shown by Vaiana et al.  $^{35}$  The reduced hIAPP moiety also seems too rigid to fold in the central region (residues 10–20), due to the high helical content in that region, as seen in Figure 5.13b; in fact, the mean  $r_{eted}$  measured for all the rIAPP runs at  $330\,\mathrm{K}$  is between  $1.64\,\mathrm{nm}$  and  $2.0\,\mathrm{nm}$  and  $(1.6\pm0.3)\,\mathrm{nm}$  for the reduced hIAPP moiety. On the other

<sup>\*</sup>Errata corrige, in Ref. 44 it should read 11.2% instead of 11.1% (typo from 11.19%).

<sup>&</sup>lt;sup>†</sup>Errata corrige, in Ref. 44 it should read 9.5 % instead of 9.9 % (typo from 9.49 %).



**Figure 5.1:** The time-dependent data relative to oxidized (top panel) and reduced (lower panel) hIAPP at (a) 310 K and (c) 330 K, while their corresponding average values are shown in (b) and (d), with the oxidized and reduced moieties in the left and right panels, respectively. The mean values are found in Tables 5.1 and 5.2. The dashed cyan line indicates the values calculated for the random-flight chain seen in Table 2.3.



**Figure 5.2:** The time-dependent data relative to oxidized (top panel) and reduced (lower panel) hIAPP at (a) 310 K and (c) 330 K, while their corresponding average values are shown in (b) and (d), with the oxidized and reduced moieties in the left and right panels, respectively. The mean values are found in Tables 5.1 and 5.2. The dashed cyan line indicates the values calculated for the random-flight chain seen in Table 2.3.

hand, the cystine moiety reaches a very short  $r_{eted}$  of  $(0.54 \pm 0.02)$  nm, confirmed by the H-bond between T36/C2 shown in Figure 5.19a, which is present only for this folded peptide. This can be explained by the interaction between residues along the chain and the disulfide bond of the cystine moiety, which do not occur in the cysteine moiety. There are, in fact, side chain interactions with the disulfide region between T36 and both C2 and C7, albeit with an occurrence of 20%-25% each (data not shown). A small value of  $r_{eted}$  was also observed in oxidized rIAPP at 310 K (blue line in the top panel of Figure 5.2a), underlining the importance of the disulfide bond to stabilize short end-to-end distances, confirmed also by a H-bond between N35/C7 (occurrence >50 %, data not shown), although not enough allow the peptide to fold into a more compact conformation. As can be seen in the top panel of Figure 5.9c, there is no aromatic-aromatic interaction to stabilize this state, as it is the Y37/L23 distance that is short, and not Y37/F15. In hIAPP, residue twenty-three is aromatic, i.e., phenylalanine, while in rIAPP, it is an aliphatic chain, i.e., leucine. Further observations on the aromatic-aromatic interactions are made in Section 5.2.1.

**Table 5.1:** Conformational Properties  $r_{eted}$  and  $R_g$  at 1 bar and 310 K

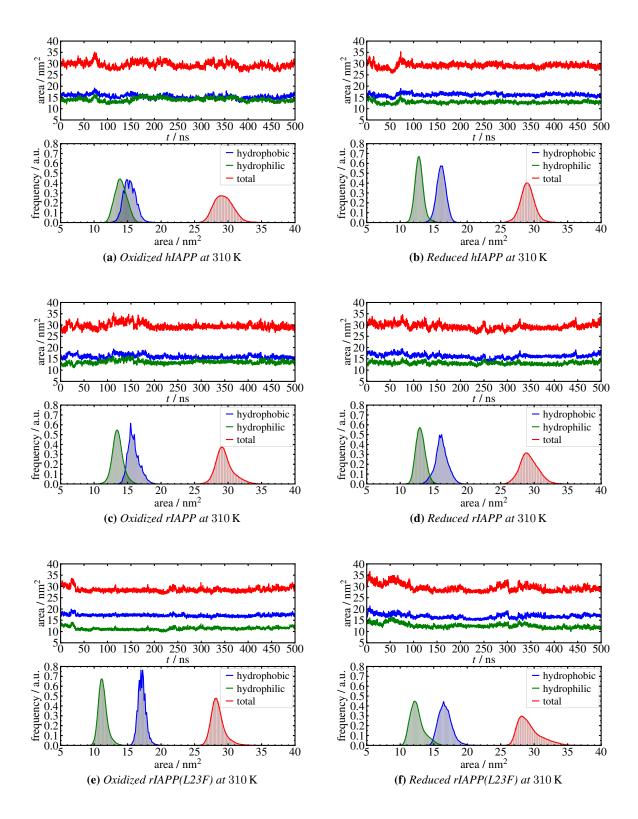
	$\langle r_{eted}  angle$ / nm	$\langle R_g  angle$ / nm		$\langle r_{eted}  angle$ / nm	$\langle R_g  angle$ / nm
Ox. hIAPP	$1.6 \pm 0.2$	$0.97 \pm 0.04$	Red. hIAPP	$2.15 \pm 0.09$	$0.948 \pm 0.004$
Ox. rIAPP	$1.2 \pm 0.9$	$0.961 \pm 0.014$	Red. rIAPP	$1.72 \pm 0.16$	$0.94 \pm 0.02$
Ox. rL23F	$2.05{\pm}0.07$	$0.956 \pm 0.004$	Red. rL23F	$2.0 \pm 0.6$	$0.97 \pm 0.03$

**Table 5.2:** Conformational Properties  $r_{eted}$  and  $R_q$  at 1 bar and 330 K

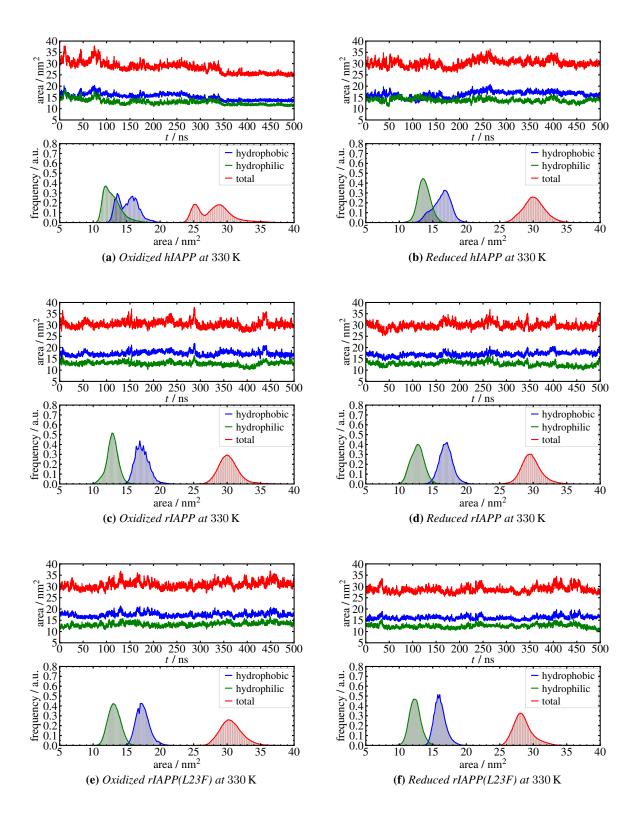
	$\langle r_{eted}  angle$ / nm	$\langle R_g  angle$ / nm		$\langle r_{eted}  angle$ / nm	$\langle R_g  angle$ / nm
Ox. hIAPP	1.2±0.7	0.93±0.09	Red. hIAPP	1.6±0.3	$0.984 \pm 0.012$
Ox. rIAPP	$2.0 \pm 0.4$	$0.992 {\pm} 0.015$	Red. rIAPP	$1.66 \pm 0.12$	$0.96 {\pm} 0.05$
Ox. rL23F	$1.64 \pm 0.17$	$0.999 \pm 0.019$	Red. rL23F	$2.0 {\pm} 0.2$	$0.946 \pm 0.010$
Ox. $hIAPP_E$	$1.4 \pm 0.9$	$0.96{\pm}0.08$	Red. $hIAPP_E$	$1.48 {\pm} 0.12$	$0.986 {\pm} 0.015$
Ox. $hIAPP_C$	$0.54 {\pm} 0.02$	$0.8738 \pm 0.0009$	Red. $hIAPP_C$	$1.9 \pm 0.4$	$0.98 \pm 0.04$

Investigating the final portion of the 330 K simulation run of oxidized hIAPP, the frequency distribution of SASA (Figure 5.4a, bottom) shows the reduction of SASA; in fact, the entire run clearly shows two states, one larger before the peptide folds into the compact state, and one smaller after it collapses. This can be seen not only for the total SASA (Figure 5.4a, in red), but in particular for the fraction of SASA relative to the hydrophobic residues (Figure 5.4a, in blue), hence hydrophobic interactions seem to push the peptide towards a more compact conformation. The overall trend that can be seen in Figures 5.3 and 5.4, is that the hydrophilic fraction of SASA is less than the hydrophobic fraction; in fact, the hydrophilic distribution (in green) is always to the left of the hydrophobic one (in blue). Another characteristic seen in these SASA distributions, is the fact that small hydrophobic SASA exposures are more frequent for hIAPP than for the rIAPP variants; in fact, oxidized hIAPP at both temperatures and reduced hIAPP at 330 K, seen in Figures 5.3a, 5.4a, and 5.4b, respectively, show significant hydrophobic SASA less than 15 nm². This could mean that hIAPP is more flexible than the rIAPP variants to be able to fold and "tuck under" the hydrophobic parts, with the cystine moiety being more flexible at lower temperature.

The correlation between  $R_g$  and SASA could possibly shed some light also on the shape of the peptide, i.e., if the peptide is in a spherical conformation, SASA correlates with  $R_g^2$ , while if it is more like an elongated ellipsoid, it correlates with  $R_g$ .<sup>67</sup> As seen in the Figures 5.5 and 5.6, at the two temperatures studied, the correlation presents coefficients r that are at least 0.60, with the



**Figure 5.3:** Time dependence of the SASA (top) and frequency distribution of the data (bottom) at 310 K. Hydrophilic (in green), hydrophobic (in blue), and total (in red) SASA for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F).



**Figure 5.4:** Time dependence of the SASA (top) and frequency distribution of the data (bottom) at 330 K. Hydrophilic (in green), hydrophobic (in blue), and total (in red) SASA for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F).

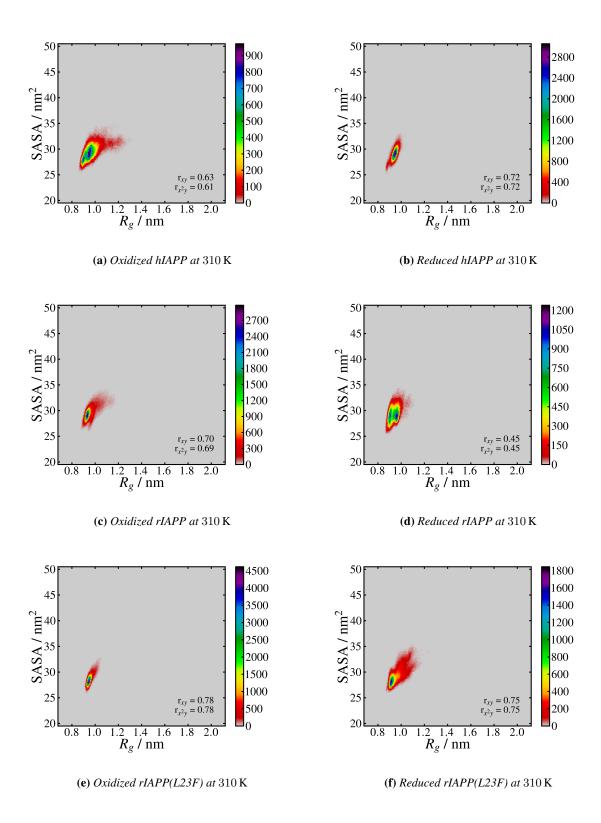
exception of reduced rIAPP at 310 K, as seen in Figure 5.5d. There is no overall clear difference between the correlation coefficients  $r_{xy}$  and  $r_{x^2y}$ , if not in the case of the oxidized hIAPP; in fact, in Figure 5.6a, the correlation coefficient is at least 0.81, with it improving to 0.84 when the correlation between  $R_g$  and SASA is linear, i.e.,  $r_{xy}$ . It is, therefore, not possible to discern between a spherical or cylindrical/elongated ellipsoid-like conformation, although there is, in most cases, a slight preference for the latter. One possible explanation is that the values of  $R_g$  are very close to 1 nm, as seen in Tables 5.1 and 5.2, so for these data this relationship between SASA and  $R_g$  is not accurate enough to distinguish between different powers of  $R_g$ .

A temperature dependence of the previously mentioned conformational properties for the cystine moiety cannot be established without a bias, as the peptide folds into a compact state by forming  $\beta$ -bridges. In fact, both moieties show a decrease in helical content with increasing temperature, while the number of H-bonds  $(n_{HB})$  decreases with increasing temperature for the cysteine moiety, and increases for the cystine moiety. An anti-correlation can be observed between  $n_{HB}$  and  $R_g$  at 330 K, where the correlation coefficient  $r_{xy}$  is -0.66 (see Figure 5.8a), compared to the remaining conformations in Figures 5.7 and 5.8, underlining the compactness of the peptide. If the data points are reduced by block averaging, the correlation coefficient increases in the following manner: -0.74, -0.77, and -0.82, when blocks are formed by averaging over 50 ps, 500 ps, and 5 ns, respectively. The correlation of the 100 mean values, obtained through block averages over 5 ns, is good, until the last data points, in which the  $R_g$  has reached its minimum, and the total number of H-bonds still increases (data not shown).

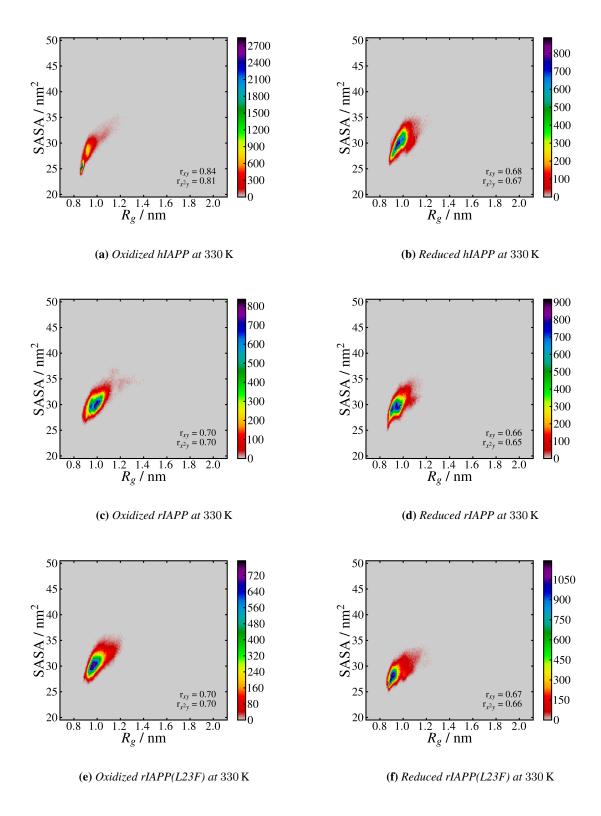
# 5.2 Compact hIAPP Conformation at $330\,\mathrm{K}$

#### 5.2.1 Aromatic-Aromatic Interactions

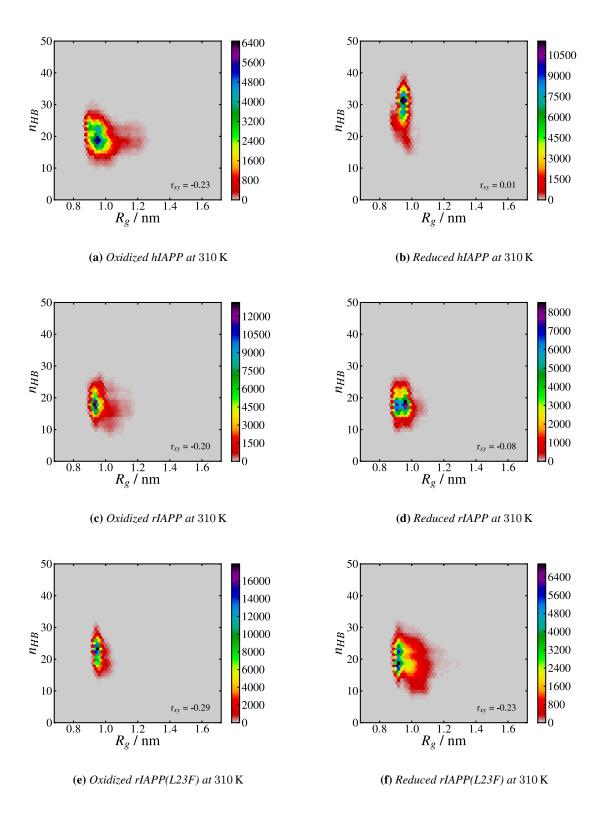
In solution, the peptide seems to be rather compact, and although essentially random coil in nature, there are some ordered structural elements that can give additional information with regards to the aggregation propensity of the peptide. Aromatic residues, such as tyrosine and phenylalanine, seem to play an important role in aggregation. In the mature fibers, Y37 is close to both F15 and F23, <sup>27</sup> while the hIAPP peptide in solution does not have an ordered structure. 10 Measuring the distance between the  $C\alpha$ 's of these residues at 310 K and 330 K, the average values of the time-dependent plots in Figures 5.9 and 5.10 fluctuate between 0.5 nm and 2.5 nm. This clearly shows that IAPP is more compact than what would be expected for a completely random peptide; in fact, a random walk model<sup>30</sup> of the polypeptide between residues Y37/F23 and Y37/F15 predicts distances of 3.0 nm and 4.0 nm, respectively. 27 As the peptide seems unstructured in solution, the Förster distances between the tyrosine and phenylalanine can be related to the radius of gyration. If not in the hIAPP cystine run at 330 K, there is no direct correlation between  $R_q$  and Y/F distances. Since aromatic residues that are farther than 1.8 nm apart cannot give reliable FRET results, a peptide in solution with the average distance larger than such value will be essentially unstructured. There seems to be no marked temperature dependence with this conformational property. Moreover, similar distances are found in rodent IAPP and since F23 is not present in rIAPP, interaction between aromatic residues can be excluded as the sole cause of stabilizing the single IAPP peptide conformation in solution. In fact, Marek et al. have shown that intramolecular or intermolecular aromatic-aromatic or aromatic-hydrophobic interactions are not required for IAPP amyloid formation, by creating a triple mutant that doesn't contain aromatic residues, i.e., phenylalanine and tyrosine have been replaced by leucine. The aromatic residues are, however, relevant for the kinetics and influence the topology of the deposits. 114 From the data collected for the in silico mutated rIAPP sequence, in which leucine was mutated into phenylalanine (L23F), which was found to form aggregates at small yields, <sup>14</sup> there do not seem to be any significant differences in the Y37/F23lL23 and Y37/F15 distances between the rIAPP, hIAPP, and rIAPP(L23F) moieties, as can be seen in the top panels of Figures 5.9 and 5.10. Through the data collected of the Y/F distances for oxidized hIAPP at



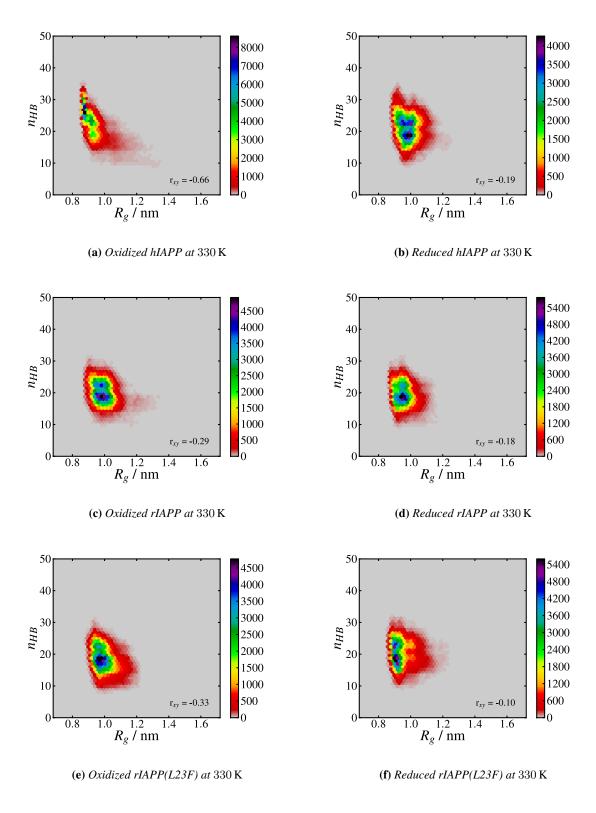
**Figure 5.5:** Radius of Gyration,  $R_g$ , and solvent accessible surface area, SASA, correlation at 310 K for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). The correlation coefficients,  $r_{xy}$  and  $r_{x^2y}$ , where the latter correlates the SASA against  $R_g^2$ , were calculated with NumPy.



**Figure 5.6:** Radius of Gyration,  $R_g$ , and solvent accessible surface area, SASA, correlation of the at 330 K for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). The correlation coefficients,  $r_{xy}$  and  $r_{x^2y}$ , where the latter correlates the SASA against  $R_g^2$ , were calculated with NumPy.



**Figure 5.7:** Radius of Gyration,  $R_g$ , and number of H-Bonds,  $n_{HB}$ , correlation at 310 K for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). The correlation coefficient,  $r_{xy}$ , was calculated with NumPy.



**Figure 5.8:** Radius of Gyration,  $R_g$ , and number of H-Bonds,  $n_{HB}$ , correlation of the at 330 K for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). The correlation coefficient,  $r_{xy}$ , was calculated with NumPy.

330 K, it is possible to shed light on the mechanism of how the peptide folds into a compact structure, as seen in Figure 5.4a. The correlation seen in Figure 5.6a, along with visual comparison of the data, allow the compactness of the peptide to be described by either the total SASA or  $R_a$ . While the peptide is compact, as seen by the small SASA from 100 ns onwards (Figure 5.4a, top), these aromatic residues are still mobile and not buried within the peptide surface. The Y37/F23 distance fluctuates greatly from  $0.4\,\mathrm{nm}$  to  $2.3\,\mathrm{nm}$ , until it reaches the value of  $1.1\,\mathrm{nm}$  at  $\approx 300\,\mathrm{ns}$ (Figure 5.10a top, blue), comparable to 1.26 nm, which Padrick and Miranker measured during the lag phase in hIAPP.<sup>27</sup> After approximately 50 ns upon reaching this minimum, the Y37/F15 distance also reaches minimum  $\approx 0.8$  nm (Figure 5.10a top, green), presenting more fluctuations than the Y37/F23 distance. The Y37/F23 value averaged over the last 150 ns is  $(1.103 \pm 0.002)$  nm and Y37/F15 is  $(0.86 \pm 0.10)$  nm, which correspond to a high content of backbone-backbone H-bonds given by the  $\beta$ -structures (Figure 5.10a bottom, green). As can be seen in Figure 5.10a, the short Y37/F15 distance is necessary, but not sufficient, to fold the peptide; in fact, between 80 ns and 120 ns these Y/F distances are very short, but the radius of gyration is  $\approx 0.95$  nm and not 0.87 nm as measured in the final 150 ns (top panel in Figure 5.1c), the former comparing nicely to the value of 0.94 nm calculated for a random-flight chain, as seen in Section 2.4.3. In that same time frame, between 80 ns and 120 ns,  $r_{eted}$  is also relatively close to the value obtained for a random-flight chain, and not  $(0.54 \pm 0.02)$  nm, as observed in the collapsed conformation (top panel in Figure 5.2c).

Of the secondary structure assigned by DSSPcont, the  $\beta$ -structures, which include both  $\beta$ -bridges and  $\beta$ -ladders,\* show a steady increase to  $\approx 20$  %, starting from  $\approx 80$  ns, which corresponds to the minimum Y37/F15 distance (Figure 5.10a bottom, green). By comparison, the reduced moiety also presents very short Y37/F23 distances at  $\approx 80$  ns (Figure 5.10b top, blue), but there is no corresponding increase in  $\beta$ -structures (Figure 5.10b bottom, green). In the same run, the  $\beta$ -structures do increase to  $\approx 20$  %, but only temporarily, and then disappear. The elevated  $\beta$ -structures seen in the reduced moiety correspond to larger Y/F distances ( $\geq 1.5$  nm) and not  $\approx 1.1$  nm as found in the oxidized moiety. Therefore, it seems, that a short Y37/F15 distance, and not Y37/F23, may initiate the folding to the observed compact state of IAPP, and both Y/F distances need to be shorter than 1.1 nm in order to stabilize it.

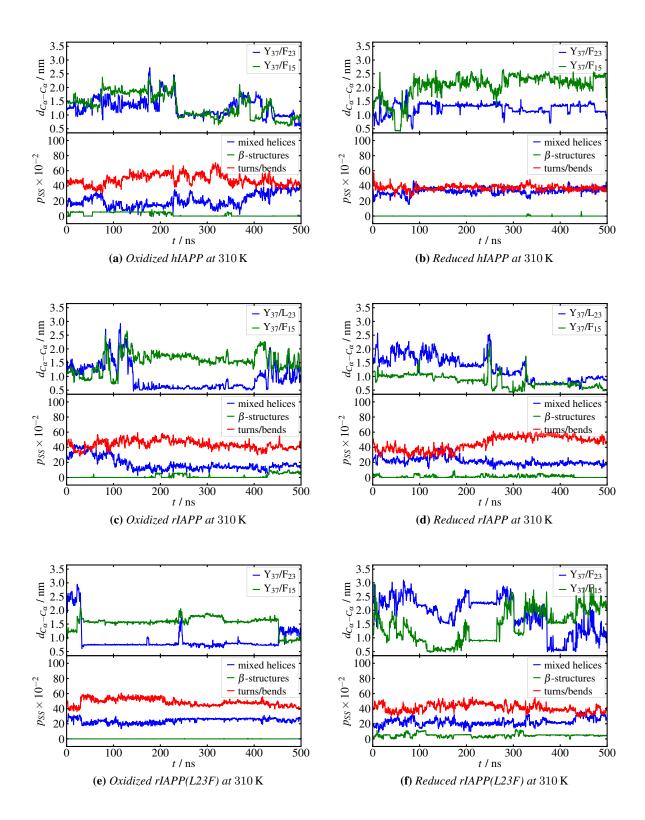
The other variants of IAPP that have been studied do not show such compact structures reached by the oxidized hIAPP at 330 K; in fact, none of them show  $\beta$ -structure content, as seen in bottom panels of Figures 5.9 and 5.10. Further investigation of the data, particularly the secondary structure and H-bonds, should shed light on this particular conformation and how it was obtained.

#### 5.2.2 Secondary Structure

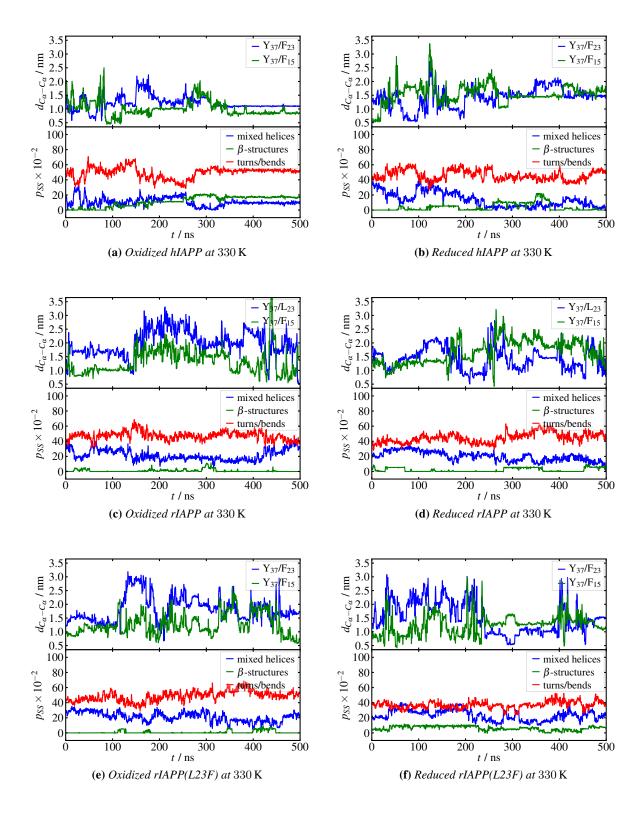
#### 5.2.2.1 Ramachandran Angles

Intrapeptide H-bonds and consequently helical secondary structural conformations generally decrease with increasing temperature, indicating greater disordered conformations as temperature increases. Interestingly enough, as illustrated in Chapter 4, the helical content, defined by Ramachandran angles, was more or less constant beyond 330 K, and not decreasing continuously as might be expected by comparison with the corresponding H-bond trends. This scenario might be correlated to what seems to be a quasi-2D percolation transition of the hydration water, whose midpoint is about 320 K.  $^{43,112}$  In other words, the hydration water network around the peptide is more compact below 320 K and limits the freedom of movement of the peptide, whereas above such temperature, the peptide gains flexibility and explores more easily further conformations, thus reducing the helical content of the peptide. The contribution of isolated  $\beta$ -strands and the poly(L-proline) II helices increase slightly with temperature, although their content is almost negligible. This same trend is seen for both moieties of hIAPP, although the trend of the contribution of poly(L-proline) II helices is not as clear as it is for the isolated  $\beta$ -strands. The compact hIAPP structure

<sup>\*</sup> $\beta$ -bridges are simply ladders of length one or a residue in an isolated  $\beta$ -bridge, while all other ladders are labeled as  $\beta$ -ladders or extended strands that participate in a  $\beta$ -ladder.



**Figure 5.9:** Time dependence of the distance between the  $C\alpha$ ,  $d_{C\alpha-C\alpha}$ , of residues Y37/F23\L23 (in blue, top) and Y37/F15 (in green, top) and secondary structure assigned by DSSPcont, <sup>77,78</sup> where  $p_{SS}$  is the probability of secondary structure elements of mixed helices (in blue, bottom), comprised collectively of  $3_{10}$ -helices,  $\alpha$ -helices, and  $\pi$ -helices,  $\beta$ -structures (in green, bottom), which comprise  $\beta$ -bridges and  $\beta$ -ladders, and H-bonded turns and bends (in red, bottom). The data temperature is  $310 \, \text{K}$  for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F).



**Figure 5.10:** Time dependence of the distance between the  $C\alpha$ ,  $d_{C\alpha-C\alpha}$ , of residues Y37/F23\L23 (in blue, top) and Y37/F15 (in green, top) and secondary structure assigned by DSSPcont, <sup>77,78</sup> where  $p_{SS}$  is the probability of secondary structure elements of mixed helices (in blue, bottom), comprised collectively of  $3_{10}$ -helices,  $\alpha$ -helices, and  $\pi$ -helices,  $\beta$ -structures (in green, bottom), which comprise  $\beta$ -bridges and  $\beta$ -ladders, and H-bonded turns and bends (in red, bottom). The data temperature is 330 K (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F).

obtained in this simulation at 330 K, presents  $\beta$ -bridges in the C-terminal region. Comparing the Ramachandran plots in Figures 5.11 and 5.12, the decrease of the helical content upon heating corresponds to an increase in the extended conformations, in particular in the isolated  $\beta$ -strand region. The volume under the surfaces delimited by the dashed red lines, yield the probabilities of secondary structure listed in Table 5.3. Although this definition may overestimate helical content, especially evident for oxidized hIAPP at 330 K, it allows the calculation of the cooperativity of secondary structure by means of Eq. (4.3). No "condensation" of helices was found in these trajectories, most probably due to the high fluctuations observed in the helices, as can be seen in Figure 5.15, underlining the fact that the longer helices are highly transient. In peptides  $\alpha$ -helices can form in  $10^{-5}$  s to  $10^{-7}$  s, <sup>5</sup> so  $5 \times 10^{-7}$  s, i.e., 500 ns, is probably the minimum amount of simulation time to be able to observe anything significant at 310-330 K, although longer simulation times could reduce the uncertainties, especially at lower temperature; in fact, the first set of 200 ns trajectories, i.e., ALPH described in Section 3.2, turned out to be insufficient.

 $310 \, \mathrm{K}$  $330 \, \mathrm{K}$  $310 \, \mathrm{K}$  $330 \, \mathrm{K}$ Ox. hIAPP  $39 \pm 8$  $30.2 \pm 1.2$ Red. hIAPP  $47 \pm 2$  $29 \pm 14$ Ox. rIAPP  $33 \pm 6$  $34 \pm 4$ Red. rIAPP  $35.8 \pm 1.8$  $36.0\pm1.8$ Ox. rL23F  $41.3 \pm 0.8$ Red. rL23F  $36.4 \pm 1.7$  $32.1\pm1.1$  $34 \pm 7$ Ox.  $hIAPP_E$  $29.0 \pm 0.9$ Red.  $hIAPP_E$  $32 \pm 13$ 

Red. hIAPPC

 $22.6 \pm 1.3$ 

 $33.0 \pm 0.5$ 

**Table 5.3:** Helical Content assigned by  $\phi$  and  $\psi$  angles at 1 bar and at 310 K and 330 K

#### 5.2.2.2 DSSPcont

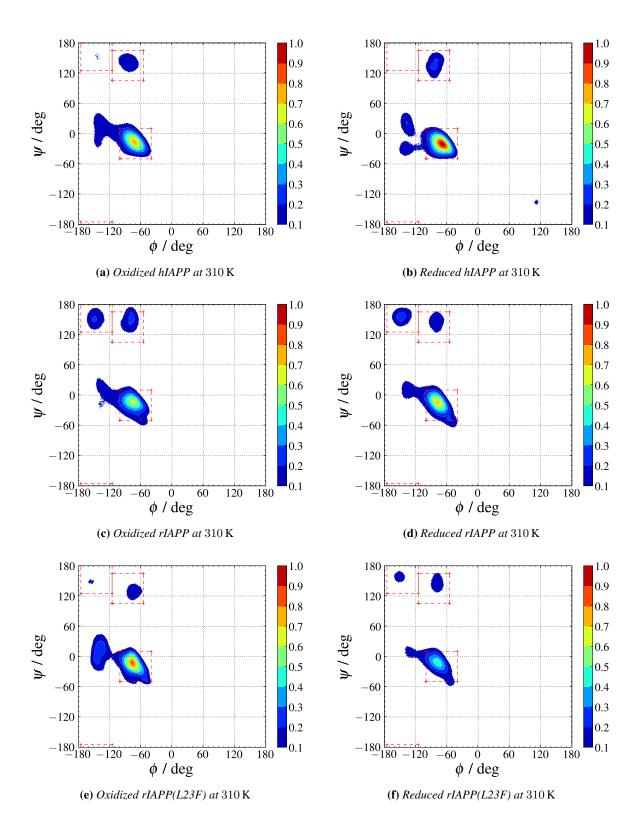
Ox.  $hIAPP_C$ 

The secondary structure was preferably assigned by DSSPcont, <sup>77,78</sup> and considering the average value of all the helical elements plotted in Figures 5.9 and 5.10, there is a drastic reduction upon heating for both moieties of hIAPP, while rIAPP seems independent of the temperature increase from 310 K to 330 K, as listed in Table 5.4.

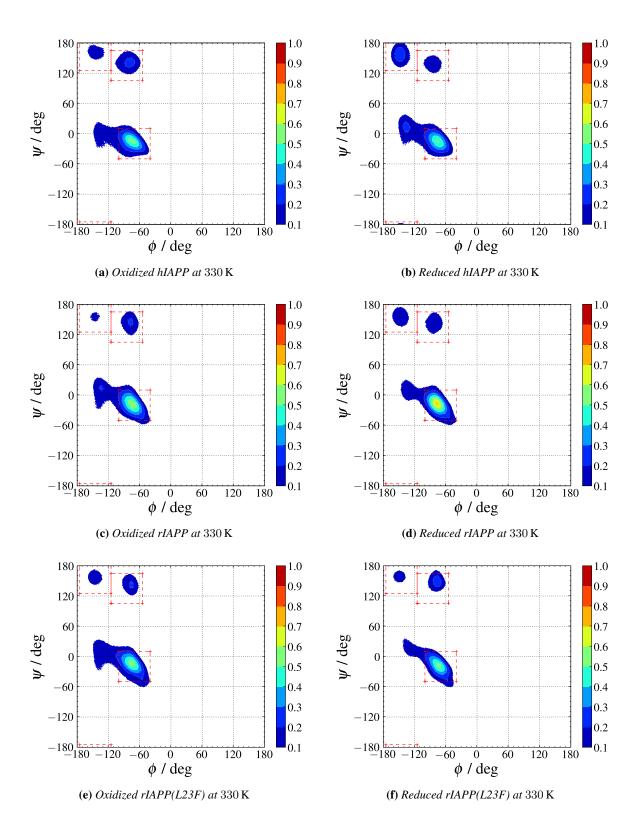
	$310\mathrm{K}$	$330\mathrm{K}$		$310\mathrm{K}$	330 K
Ox. hIAPP	20±10	11±5	Red. hIAPP	33.1±1.1	14±13
Ox. rIAPP	$18 \pm 12$	$22\pm3$	Red. rIAPP	$21\pm3$	$20\pm5$
Ox. rL23F	$24.2 \pm 1.4$	$21\pm3$	Red. rL23F	$22.5 \pm 1.4$	$24\pm3$
Ox. $hIAPP_E$		11±3	Red. $hIAPP_E$		$16 \pm 14$
Ox. $hIAPP_C$		$9.75 \pm 0.15$	Red. $hIAPP_C$		$8\pm3$

**Table 5.4:** Helical Content assigned by DSSPcont at 1 bar and at 310 K and 330 K

The time-dependent plot of collective secondary structure seen in Figures 5.9 and 5.10 in Section 5.2.1 can be seen in detail in Figures 5.13 and 5.14, for 310 K and 330 K respectively. The probability of each residue to be in one of the possible helical conformations, expressed in percentage, can be found in Figure 5.15. hIAPP is clearly disordered in solution at 330 K, as seen in Figure 5.14a, with transient  $3_{10}$ -helices (Figure 5.14a, light blue),  $\beta$ -bridges (Figure 5.14a, violet), and  $\beta$ -ladders (Figure 5.14a, dark blue) throughout the first  $\approx 350 \,\mathrm{ns}$  of the run. Further discussion on these particular  $\beta$ -ladders are addressed in more detail in Section 5.2.3. At  $\approx 250$  ns, the first step towards the formation of  $\beta$ -bridges throughout the C-terminal region occurs through a rearrangement of  $\beta$ -ladders (Figure 5.14a, dark blue) and temporary dissolution of  $3_{10}$ -helices (Figure 5.14a, light blue), all of which occurs approximately 50 ns before the Y37/F23 distance reaches



**Figure 5.11:** Ramachandran Plots with characteristic secondary structure dihedral angles delimited by dashed red lines, as defined in Section 2.4.1. The occurrence is normalized to Figure 5.11b. The data temperature is 310 K for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F).



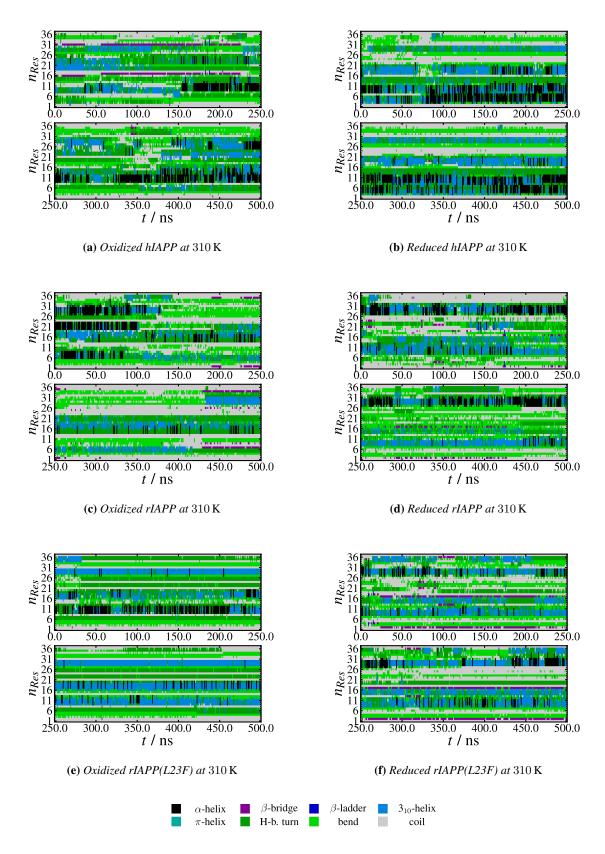
**Figure 5.12:** Ramachandran Plots with characteristic secondary structure dihedral angles delimited by dashed red lines, as defined in Section 2.4.1. The occurrence is normalized to Figure 5.11b. The data temperature is 330 K (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F).

its minimum (blue line in the top panel of Figure 5.10a, at  $\approx 325\,\mathrm{ns}$ ). At  $\approx 350\,\mathrm{ns}$ , the peptide has formed all the aforementioned  $\beta$ -bridges (Figure 5.14a, violet) and does not change for the rest of the simulation run, presenting a helical content localized between residues A5 and T10, with the residues contributing from 32 % to 82 % of occurrence; the data in Figure 5.15a is relative to the entire 500 ns, so the average content shown is lower than what is measured for the last 150 ns. Lack of helicity between L27 and S29, seems relevant for the flexibility that enables the peptide to fold; in fact, while the peptide is still exploring conformations during the first  $\approx 100\,\mathrm{ns}$ , as can be seen by the high fluctuations of  $R_g$  (Figure 5.1c, top panel) there is a transient  $3_{10}$ -helix/H-bonded turn in region 27 to 29, which is not present in the folded conformation. The three  $\beta$ -bridges are all antiparallel and located as follows: A) R11/V17 and A13/L16; B) L16/S28; C) N22/S34. The definitions used to assign  $\beta$ -bridges in DSSPcont do not correspond to those used to define H-bonds, as described in Section 2.4.2, therefore the results differ slightly from those discussed in Section 5.2.4, see Figure 5.19a. However, the H-bonds calculated by UCSF Chimera 115 for the snapshot of this folded state correspond to the ones assigned in the H-bond matrix (data not shown).

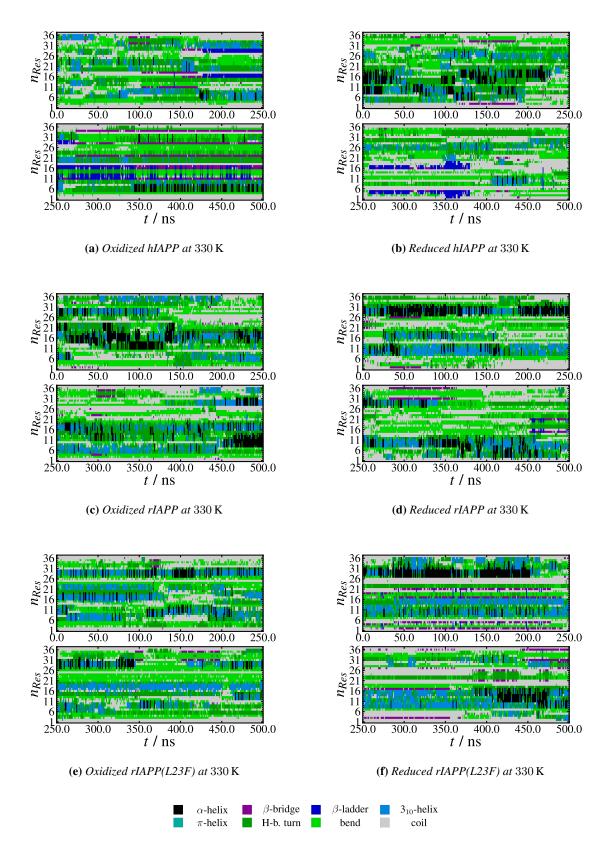
The cysteine moiety containing hIAPP at 310 K (Figure 5.13b) shows a transient  $\alpha$ -helical content, localized from residues N3 to N21, and from S28 to T30, as seen in the bottom panel of Figure 5.15a in black, with the former helical segment being disrupted by the introduction of the disulfide bond, although transient helical assignments are found in the same region; in fact, the helical content for this oxidized moiety (Figure 5.13a) is localized between residues A5 and V17, with the residues contributing from 6.8 % to 70 % of occurrence (Figure 5.15a, top panel in black). Another transient helix is located between residues S19 and S30, with contribution of the residues between 16 % and 44 %, as seen in Figure 5.15a. Moreover, the temperature dependence of the helical content listed in Table 5.4 can clearly be visualized in Figure 5.15a, where the height of the bars shows a decrease in helicity with temperature. The reduced moiety of hIAPP loses the marked helical content seen at 310 K, with the helical portion of the C-terminus shifting down a few residues, starting from residue twenty-five. In particular, the helical content of the cysteine moiety containing peptide disappears almost completely after  $\approx$ 230 ns of the simulation for hIAPP, as seen in Figure 5.14b.

Rodent IAPP shows similar trends to the corresponding human homologue, with a striking difference: rIAPP presents a more persistent helix localized near the proline residues, at L27 and N31, even at 330 K (Figure 5.14c), the temperature at which a similar helix in hIAPP disappears. The H-bonding ability of residues I26 and L27, together with the flexibilty in region 25–28, have been shown to define the amyloid-forming potential of hIAPP(20-29) fragment. 116,117 Therefore, a stable helix in this region, which limits the flexibility and the ability of forming interpeptide H-bonds, should also limit the ability in aggregating; in fact, the helical content of the cysteine moiety containing peptide disappears  $\approx 350$  ns for rIAPP (Figure 5.14d), while the cystine moiety containing rIAPP (Figure 5.14c) peptide maintains its helical content which starts from around L27, and two regions from A8 and V17. The helical content dissolves in the L27 region at  $\approx$ 125 ns, but reforms at  $\approx 375$  ns, initially as a H-bonded turn, then as transient  $3_{10}/\alpha$ -helices. As previously mentioned, a small value of  $r_{eted}$  was also observed in oxidized rIAPP at  $310\,\mathrm{K}$  (blue line in the top panel of Figure 5.2a, between  $\approx 120 \text{ ns}$  to  $\approx 400 \text{ ns.}$ ), approximately in the same time frame in which the helix between L27 and N31 is not present. The regions in which the helicity is present in the mutated rIAPP moieties are quite similar to those observed wild-type, with the exception of the reduced moiety, which displays a shorter helix between A8 and V17, and at the same time less transient that the wild-type counterpart (Figure 5.15c).

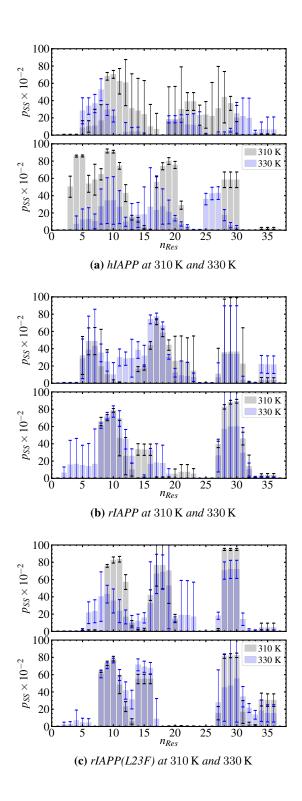
Both the human and rodent homologues share the characteristic of displaying a greater contribution to the helical content of the peptide given by residues 5 through 17. In fact, Nanga et al. have found that the RMSD of the backbone atoms of such interval in rIAPP is  $(0.22 \pm 0.07)$  Å, while the interval between 5 and 23 yields a backbone atom RMSD of  $(0.51 \pm 0.19)$  Å. <sup>118</sup> Root-mean-square calculations on these trajectories show a corresponding trend of smaller RMSF for residues 5–17 and larger RMSF for residues 5–23, both of which increase upon heating. The largest RMSF



**Figure 5.13:** Time dependence of secondary structure assigned by DSSPcont, <sup>77,78</sup> where  $3_{10}$ -helices are in light blue,  $\alpha$ -helices in black,  $\beta$ -bridges in violet, and  $\beta$ -ladders in dark blue; H-bonded turns are in dark green and bends are in light green. The data temperature is  $310 \, \text{K}$  (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). The data are plotted every  $1.0 \, \text{ns}$ .



**Figure 5.14:** Time dependence of secondary structure assigned by DSSPcont, <sup>77,78</sup> where  $3_{10}$ -helices are in light blue,  $\alpha$ -helices in black,  $\beta$ -bridges in violet, and  $\beta$ -ladders in dark blue; H-bonded turns are in dark green and bends are in light green. The data temperature is  $330 \, \text{K}$  (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). The data are plotted every  $1.0 \, \text{ns}$ .



**Figure 5.15:** Mean helical content for (a) hIAPP, (b) rIAPP, and (c) rIAPP(L23F) at  $310\,\mathrm{K}$  (in black) and  $330\,\mathrm{K}$  (in blue), as assigned by DSSPcont, <sup>77,78</sup> where any occurrence of  $3_{10}$ ,  $\alpha$ , or  $\pi$  helices seen in Figures 5.13 and 5.14 contribute to this distribution. The upper panels show the oxidized moiety, while the reduced moiety is found in the lower panels.

is found in the interval 30–37, which also increases upon heating. The exception to this trend is the oxidized rIAPP at 310 K, but that seems to be due to the fact that P25 is in a *trans* conformation, which could stabilize the helicity in the otherwise more disordered C-terminus. Nanga et al. have seen that the P25 and P28, but not P29, undergo *cis-trans* isomerization, <sup>118</sup> but given the slowness of the *cis-trans* isomerization, <sup>5</sup> the transition from the initial *trans* conformation is highly unlikely during MD simulations. In the cysteine moiety rIAPP simulation, P25 underwent a *trans-cis* conformational change, and in the cystine moiety at both temperatures there are moments in which P25 presents torsion tension for another *trans-cis* isomerization, albeit not sufficient for the transition, while P28 and P29 did not.

## 5.2.3 Snapshots of IAPP

Further investigation on this compact conformation and the pathway which leads to it, shows a short antiparallel  $\beta$ -ladder between residues V17/S28 and L16/S29, with the residues in between forming a loop (as can be seen by the dark blue lines between  $\approx$ 175 ns and  $\approx$ 275 ns in Figure 5.14a and by the H-bonds spawning from S28 and S29 in cornflower blue in Figure 5.16b). This can be compared to the aggregation prone  $\beta$ -hairpin conformation found by Dupuis et al.; <sup>36</sup> in fact, the snapshot conformation seen in Figure 5.16b collapses quickly into a very compact conformation, but could very well interact with neighboring peptides due to the exposure of the N<sup>22</sup>FGAIL<sup>27</sup> (shown in Figure 5.16b in violet and black ribbon), which was found along with F<sup>23</sup>GAIL<sup>27</sup>, to be the shortest sequence to form  $\beta$ -sheet-containing fibrils. <sup>108</sup> The snapshot in Figure 5.16b was taken at  $\approx$ 220 ns in Figure 5.14a, while the other hIAPP snapshot was taken at  $\approx$ 66 ns, which corresponds to a very expanded conformation with large  $R_q$ , as seen in Figure 5.1c.

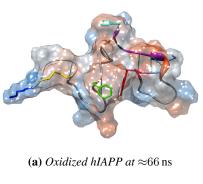
Not only helical conformations are assigned through DSSPcont, but also H-bonded turns or bends, and in such cases these proline residues can induce kinks or turns, which inhibit the alignment of elements in the C-terminus necessary for  $\beta$ -structure formation. An example of a bend and of a H-bonded turn may be seen in the snapshots of rIAPP, which are depicted in Figures 5.16c and 5.16d, respectively. These snapshots show the secondary structure elements seen in Figure 5.14c at  $\approx 170\,\text{ns}$  and  $\approx 440\,\text{ns}$ . The snapshot of rIAPP (Figure 5.16c) is taken at a time where no defined helical structure is present around P28; in fact DSSPcont  $^{77,78}$  identified it as a bend, where the curvature is at least  $70^\circ$ . The other snapshot (Figure 5.16d) exemplifies how the residues P28/T30 are not quite identifiable as a  $3_{10}$ -helix, but a hydrogen bonded turn, and even such a conformation seems to be sufficient to inhibit the alignment of the residues necessary for the formation of the  $\beta$ -bridges. A snapshot of this proline N-capped  $\alpha$ -helix can be seen in the 23–37 fragment of rIAPP on the left of Figure 5.17b.

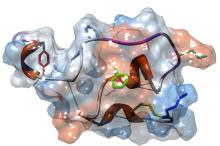
The main element of secondary structure that can be seen in both moieties is the helix in proximity of C7 (Figure 5.16b and 5.16c).\*

An exemplification of what was discussed in Figure 5.10 is the distance between the  $C\alpha$  atoms of Y37 (in red) and F23/L23 (in cyan) and residues F15 (in green); in particular, in Figure 5.16b, Y37/F15 is 1.06 nm, and Y37/F23 is 1.22 nm. Besides the depicted peptide in Figure 5.16c that presents a Y37/F15 distance of 1.6 nm, while Y37/L23 is 2.6 nm, all the other peptides show  $d_{C\alpha-C\alpha}$  less than 2.0 nm; hence leading to a compact conformation compared to random walk distances of at least 3.0 nm or 4.0 nm in either case. <sup>30</sup>

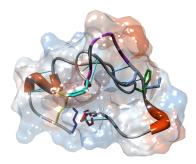
Additional snapshots of a few characteristics of IAPP can be seen in Figure 5.17. The N-terminal region of hIAPP has been shown to interact with negatively charged membranes undergoing a  $\alpha$ -helix to  $\beta$ -sheet conformational change, along with other studies that hypothesize biological activity with the helicity of the N-terminal region; herefore, a snapshot of this  $\alpha$ -helical region from residues 8 to 22 was prepared to show the hydrophobic/hydrophilic character of IAPP. In Figure 5.17a, one can see that one side of the peptide is clearly hydrophobic (on the left, in orange), while the other is clearly hydrophilic (on the right, in blue). This region is exactly like

<sup>\*</sup>Confirmed by a private communication with Prof. Dr. David Eisenberg at "Amyloid 2009" in Halle.

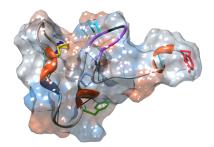




(c) Oxidized rIAPP at  $\approx$ 170 ns



**(b)** Oxidized hIAPP at  $\approx$ 220 ns



(d) Oxidized rIAPP at  $\approx$ 440 ns

**Figure 5.16:** Snapshots of oxidized (a)–(b) hIAPP and (c)–(d) rIAPP at 330 K, where K1 is blue, C2 and C7 are in yellow, Y37-NH<sub>2</sub> are red, F15 is green, F23/L23 is cyan, and S28/P28 and S29/P29 are in cornflower blue. The violet ribbon corresponds to the N<sup>22</sup>(F/L)GAIL<sup>27</sup> sequence, with G24 in black. The POV-Ray rendered<sup>119</sup> images are made with UCSF Chimera; <sup>115</sup> the orange helices and the overall ribbon representation of the secondary structure are assigned by ksdssp, <sup>77</sup> and the surface was calculated with the MSMS package. <sup>120</sup> The hydrophobicity surface shows the amino acid hydrophobicity in the Kyte-Doolittle scale <sup>121</sup> with colors ranging from dodger blue for the most hydrophilic to white at 0.0 to orange red for the most hydrophobic.

rIAPP, with the exception of the eighteenth residue, and both interact with the membranes,  $^{29}$  so the distribution of the peptides would suggest there is a putative binding site with hydrophobic or hydrophilic regions. This is purely speculative, but it could be interesting to investigate this  $\alpha$ -helical region of IAPP and membranes, or IAPP with possible binding proteins, via MD simulations. A snapshot of oxidized rIAPP at  $\approx 26$  ns of Figure 5.13c is characterized by an interaction between the helix observed in the N-terminal region (on the left) and the C-terminal region (on the right), as can be seen in Figure 5.17b. Bringing these two fragments of the peptide together, one can see the overlap of the corresponding hydrophobic-hydrophobic and hydrophilic-hydrophilic regions defined by the exposure of side chains in the helices. This conformation could be one of the possible stable conformations of rIAPP in solution that is less compact than the  $\beta$ -ladder rich hIAPP monomer due to the higher helical content.

#### 5.2.4 H-bond Patterns and Secondary Structure of Oxidized hIAPP at 330 K

The distribution of average backbone-backbone H-bonds between residues (Figures 5.18 and 5.19) may also be used to localize secondary structure elements, by the position of H-bonds on the matrix as described in Section 2.4.2 on page 27.

In Figure 5.19a, a detailed residue-residue H-bond matrix of the last 150 ns of the run of oxidized hIAPP at 330 K is depicted. A short helix can be seen in the N-terminus, between R11 and T4, from L16 to A13, and from N21/N22 to H18. An important point, present only in the folded peptide, is T36/C2, which also corresponds to a short  $r_{eted}$ . Other relevant points on the H-bond matrix, with occurrences above 80 % (Figure 5.19a, from dark blue to black) are V17/L27, H18/Q10, F23/G33, S29/F15, and N35/N21. The N21/H18 helix is present throughout the 330 K run, as are the H18/Q10 and the aforementioned  $\beta$ -bridges except S29/F15, albeit to a lesser extent (data for 500 ns not shown). What is interesting to note, is that H18 also participates in a  $\beta$ -bridge with Q10, and there is no corresponding equivalent H-bond in the rIAPP data which involves R18.

At  $310~\rm K$ , the cystine moiety presents helices from H18 to T4 and from N31 to H18, traces of diagonal elements related to  $\beta$ -bridges, and a relatively high mobility of the last residues, which form many H-bonds, albeit with low occurrence (Figure 5.18a). The cysteine moiety, on the other hand, shows a more prominent helical content between N22 and C2, with the C-terminal region not as mobile as seen in the oxidized counterpart at  $310~\rm K$  (Figure 5.18b). Another persistent helical element involves T30/L27, which shifts towards S28/G24 upon heating (Figure 5.19b). At  $330~\rm K$ , the reduced moiety of hIAPP presents many transient helices, a flexible C-terminus, with fluctuating H-bonds along the perpendicular diagonal, none of which correspond to the critical points seen for the oxidized moiety.

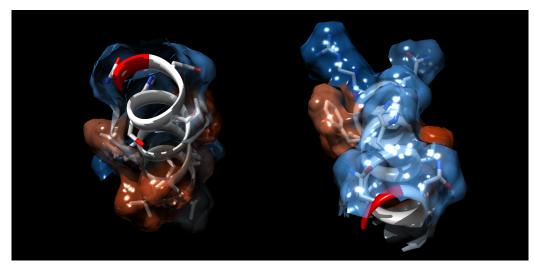
Figure 5.19c illustrates the H-bond matrix of oxidized rIAPP at 330 K, where a strong, albeit fluctuating, helical component is found between S19 and A5, with the highest occurrence in S19/L16\* and R18/F15, with none of the  $\beta$ -bridge elements seen for the human homologue. The C-terminal region fluctuates, but limited to transient helices, with far less points off the main diagonal as seen for the corresponding hIAPP moiety. In fact, none of the previously mentioned critical points are seen in rIAPP, especially the two H-bonds formed by H18. The H-bond matrix of rIAPP(L23F) is very similar to rIAPP, with an extremely high occurrence of helix involving N31/L27, even at 330 K (Figures 5.18e and 5.19e). The mutant differs in the presence of H-bonds on the diagonal G24/N21 at 310 K (Figure 5.18e) and F23/S20 at 330 K (Figure 5.19e).

#### 5.2.5 System Perturbation

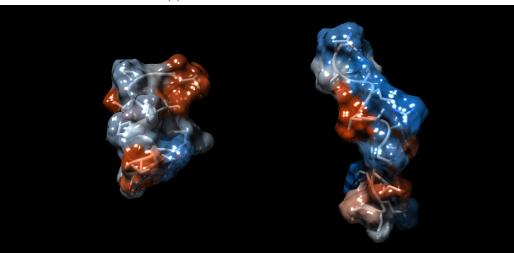
#### 5.2.5.1 Thermal Induced "Unfolding"

Even after extending the simulation run by 100 ns, of which only the first 10 ns are shown as reference and labeled as COMP, the compact conformation does not "unfold". Only upon heating,

<sup>\*</sup>Errata corrige, in Ref. 44 it should read L16 instead of L18

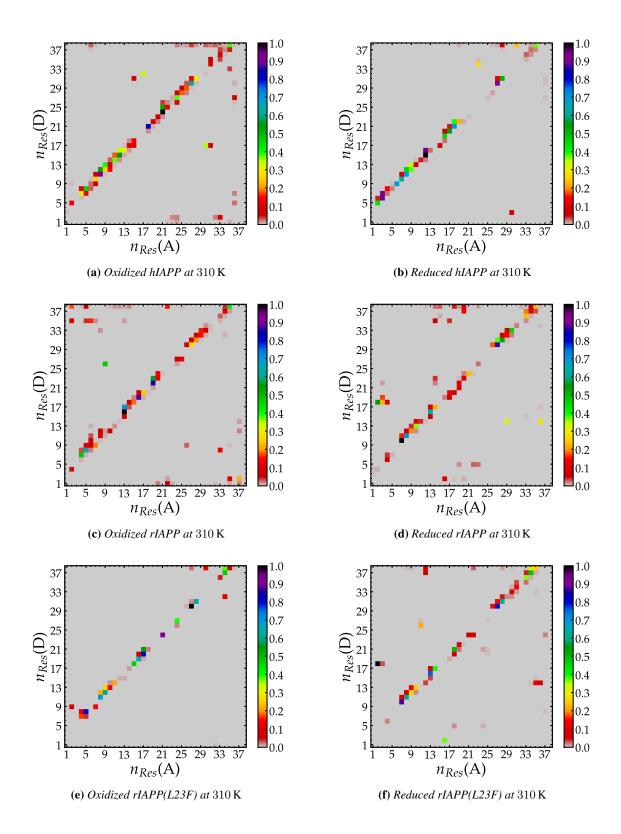


(a) Ox. hIAPP  $\alpha$ -helix residues 8–22

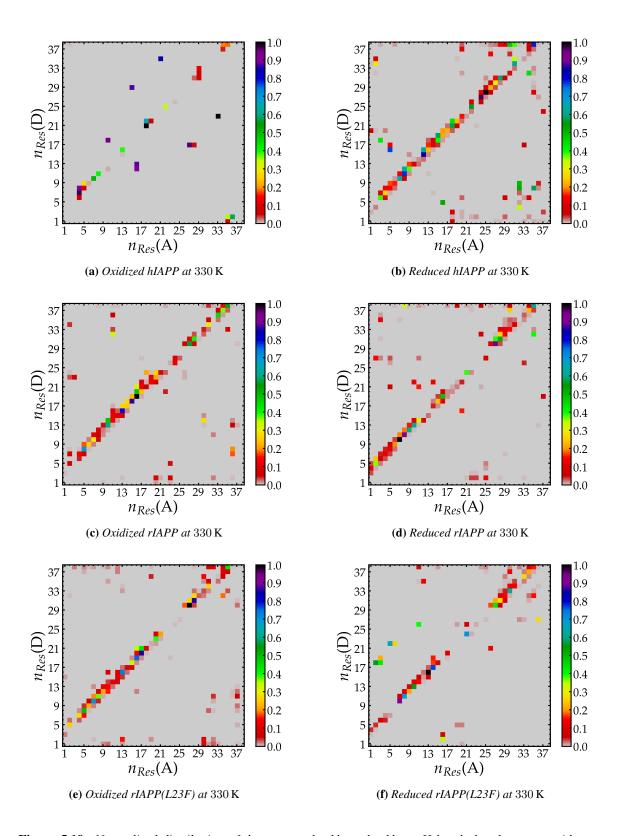


**(b)** Ox. hIAPP  $\alpha$ -helix residues 8–22(r) and 23–37(l)

**Figure 5.17:** (a) The hIAPP region 8 to 22, with A8 (in red ribbon) pointing towards the reader and N22 (in blue ribbon) pointing away from the reader, shows hydrophobic residues on the bottom of the peptide (left), and hydrophilic residues on top (right). The hydrophobicity surface shows the amino acid hydrophobicity in the Kyte-Doolittle scale <sup>121</sup> with colors ranging from dodger blue for the most hydrophilic to white at 0.0 to orange red for the most hydrophobic. The white ribbons show the initial  $\alpha$ -helical conformation which was simulated at 350 K as described in Section 2.2. (b) Oxidized rIAPP at  $\approx$ 26 ns at 310 K showing the helical fragment 23 to 37 (left) and 8 to 22 (right) with the A8 pointing downwards. The two parts are taken from the same conformation, which has been split in order to show the hydrophobic and hydrophilic interactions between the N-terminal and C-terminal halves. Please note the proline N-capped  $\alpha$ -helix in the figure on the left. The POV-Ray rendered <sup>119</sup> images are made with UCSF Chimera; <sup>115</sup> the orange helices and the overall ribbon representation of the secondary structure are assigned by ksdssp, <sup>77</sup> and the surface was calculated with the MSMS package. <sup>120</sup>



**Figure 5.18:** Normalized distribution of the average backbone-backbone H-bond plots between residues, where the residue number,  $n_{Res}$ , on the abscissa is the acceptor (A) of the pair, and the ordinate is the donor (D). Residue 38 is the amide cap of Y37. The ROYGBIV spectral color code shows increasing occurrence while the color changes as the colors of the white light spectrum, from red to violet. The least occurrence of zero is depicted in gray, and the maximum occurrence is depicted in black. The data temperature is  $310 \, \mathrm{K}$  for (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). All the data refer to the entire simulation run of  $500 \, \mathrm{ns}$ .



**Figure 5.19:** Normalized distribution of the average backbone-backbone H-bond plots between residues, where the residue number,  $n_{Res}$ , on the abscissa is the acceptor (A) of the pair, and the ordinate is the donor (D). Residue 38 is the amide cap of Y37. The ROYGBIV spectral color code shows increasing occurrence while the color changes as the colors of the white light spectrum, from red to violet. The least occurrence of zero is depicted in gray, and the maximum occurrence is depicted in black. The data temperature is  $330 \, \mathrm{K}$  (a) oxidized and (b) reduced hIAPP; (c) oxidized and (d) reduced rIAPP; (e) oxidized and (f) reduced rIAPP(L23F). Only (a) refers to the last  $150 \, \mathrm{ns}$  of the simulation run, while the others are all the entire simulation run of  $500 \, \mathrm{ns}$ .

does the system show increase of  $R_g$ , as seen in Figure 5.20a, and  $r_{eted}$ , as seen in Figure 5.20c. Although the peptide seems to open up to less compact conformations at 390 K, it still is pretty compact at 410 K. This is most definitely due to the poor sampling, even though the simulations are performed at high temperature, they are still only 10 ns long. Obviously, at 450 K the peptide samples many extended conformations, reaching values of  $r_{eted}$  that are greater than 4 nm. As a first approximation, the compact peptide "unfolds" at 390 K, but further investigation at lower temperatures could lower this limit.

The perturbation on the helical content of the peptide is seen in Figure 5.21a. The peptide is clearly unstructured at  $450\,\mathrm{K}$ . At lower temperatures, i.e., between  $350\,\mathrm{K}$  and  $410\,\mathrm{K}$ , the helical content of the peptide seems to increase between residues 5 to 10, and corresponds to an increase in  $r_{eted}$ . Similar perturbations are seen in by introducing single point mutations on the "folded" structure, as in Section 5.2.5.2.

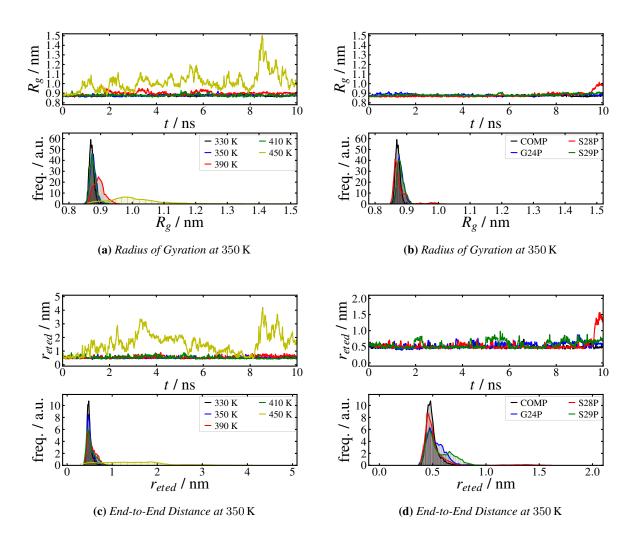
#### 5.2.5.2 In silico Point Mutations on Oxidized hIAPP at 330 K

In silico mutations performed on the collapsed oxidized hIAPP conformation, S28P, S29P, and G24P, disrupt its compactness. In fact, as can be seen in Figure 5.16b, S28 and S29 (side chain shown in cornflower blue), which participate in the formation of a  $\beta$ -sheet, and G24 (depicted by a black ribbon), whose flexibility helps in the formation of the loop between H18 and L27, would be strongly perturbed by the substitution of proline. The proline residues in the serine-to-proline single point mutations are present in wild-type rIAPP, while the glycine-to-proline is not. Short 10 ns simulations performed on these in silico mutations, disrupt the compact "folded" conformation obtained at 330 K, as can be seen in Figures 5.20b and 5.20d. Both G24P and S29P show a broadening of the distribution to larger values of  $R_g$ , while S28P shows a broad shoulder, with a tail that is given by the "unfolding" of the collapsed state. The perturbation is seen more clearly for  $r_{eted}$  distributions, with the lowering of the distribution peak and the formation of a shoulder in G24P and S29P, and a tail in S28P.

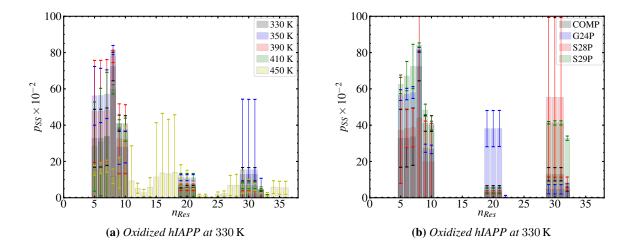
The small increase in  $R_g$  in the G24P mutation trajectory is caused by the disruption of the secondary structure of the C-terminus, as can be seen in the increase in helicity in Figure 5.21b, which induces fluctuations in the Y37/F23 distances (data not shown). S29P perturbs the Y37/F15 distances, from 0.87 nm to 1.02 nm, as well as the increase in  $R_g$ . What is most surprising is the perturbation of the S28P mutation. It does not perturb the  $\beta$ -structure around it, as one might expect, rather it disrupts the end-to-end distance, most probably by inducing torsion which detaches the C-terminus from the disulfide region; in fact, the H-bond between T36/C2 shown in Figure 5.19a decreases from  $\approx 60\%$  to  $\approx 10\%$  (data not shown). T36 then forms a H-bond with the amide terminus of Y37, with an occurrence of  $\approx 35\%$ . Both S28P and S29P, as seen in Figure 5.21b, increase the mixed helical content between residues 29 to 31 from 13% to 55% and from 13% to 41%, respectively. Hence, these perturbations induced by serine-to-proline mutation, which destabilize the compact conformation in less than 10 ns of simulation, may very well be sufficient to induce rigidity in rIAPP, thus inhibiting the polypeptide to reach a short end-to-end distance, which seems necessary to reach compact states,  $^{35}$  or states which present aggregation-prone  $\beta$ -sheets.  $^{36}$ 

#### 5.3 Discussion and Conclusions

Single peptide runs obviously cannot reveal mechanistic information about the aggregation process, but they can unravel conformations and regions of the peptide responsible for initiation and inhibition of the aggregation reaction of IAPP, as seen for the helix around P28, the absence of aromatic residues in key positions like F23 in native rIAPP, and the presence or absence of the disulfide bond in hIAPP.



**Figure 5.20:** The time-dependent data of  $R_g$  for (a) temperature perturbation of the compact conformation COMP (from 330 K to 450 K) and (b) in silico mutations G24P, S28P, and S29P at 330 K, with a frequency distribution in the lower panels. The same display of data can be seen for  $r_{\rm eted}$ , for (c) temperature perturbation of the compact conformation and (d) in silico mutations.



**Figure 5.21:** Mean helical content for (a) temperature system perturbation and (b) in silico mutations, as assigned by DSSPcont, <sup>77,78</sup> where any occurrence of  $3_{10}$ ,  $\alpha$ , or  $\pi$  helices contribute to this distribution. A reference MD simulation continuation run on the compact conformation obtained at 330 K is labeled COMP (in black).

#### 5.3.1 Compact, but not Entirely Disordered, Polypeptide

Either moiety of hIAPP forms a more or less compact structure, with a small radius of gyration in either case, albeit different in secondary structure content, with the natural cystine moiety yielding a more "flexible" peptide, particularly above the percolation transition at 320 K. In fact, the oxidized moiety of hIAPP at 330 K collapses into a compact state which is about 10 % smaller than both rIAPP moieties and the reduced hIAPP moiety. The presence or absence of helical conformations, even if transient, may influence the kinetics of the aggregation. Experimental results from Koo and Miranker indicate that the aggregation is faster when the disulfide bond is present. Moreover, Padrick and Miranker have shown that the aggregated peptide has an ordered C-terminus, which is less ordered when in solution. Padrick and Miranker have also shown that the tyrosine and phenylalanine residues are within 1.5 nm in either homologue of IAPP. The mean distance between  $C\alpha$ – $C\alpha$  of Y37/F23 and Y37/F15 that were measured, fluctuates greatly between 0.5 nm and 2.5 nm, in which many instances can be efficiently measured with FRET, thus confirming that the peptide is not as disordered as an unfolded peptide would be, with such tyrosine-phenylalanine measurable distances.

#### 5.3.2 Effect of P28 on the C-Terminal Region

The MD simulations of monomeric human and rodent IAPP show an important aspect of the C-terminal region which seems to be the capability of rIAPP and the in silico mutants hIAPP(S28P) and hIAPP(S29P) of forming helices from residue 28 on. In fact, both rIAPP and rIAPP(L23F) form helices in this region, a region that is highly unordered in oxidized hIAPP at 330 K. This is possibly due to the nature of residue 28, one of the six different residues in sequence between human and rodent IAPP. Westermark et al. have shown that the S28-for-P28 substitution inhibits the aggregation greatly. <sup>13</sup> Kayed et al. have shown that the polypeptides in solution are prevalently random coil in nature, <sup>10</sup> and that is confirmed by the low content of  $\beta$ -structures and a transient helical content seen in the computer simulations.

The helical region around residue P28 is probably not the only reason why rIAPP does not aggregate, but it definitely is relevant. In fact, P28 and the ordered structure around it, could limit the interactions between the C-terminal halves of neighboring peptides, especially the H-bonding I26

and L27 residues, and the aromatic residues which seem fundamental for the aggregation process. The examination of the H-bond matrix shows that S28 is enclosed by its two neighboring residues that form pairs, V17/L27 and S29/F23, that seem to stabilize the compact conformation which presents three antiparallel  $\beta$ -bridges, which yield an average  $R_g$  value that is at least 9% smaller than the values calculated for the other variants of IAPP. In fact, Soong et al. have also shown that hIAPP is significantly more compact than rIAPP, suggesting a higher degree of folding. The MD simulations show a stable helix in this region, other than bends or H-bonded turns, limiting its flexibility and the ability of forming interpeptide H-bonds, and thus should also limit its ability to aggregate. In fact, the oxidized rIAPP run at 310 K presented a short end-to-end distance, which seems necessary for the peptide "folding", only when the helix around S28 was not present.

#### 5.3.3 Effect of Aromatic Residues

The difference in amyloidogenicity between human and rodent amylin could be caused by the presence of aromatic residues along the C-terminal half. In fact, rIAPP(L23F) also aggregates, albeit at low yields. <sup>14</sup> However, P28 may limit the interaction of the C-terminal halves which seems relevant for interaction and aggregation. In fact, residues I26 and L27, and/or with the flexibilty in region 25–28, may define the amyloid-forming potential of the hIAPP(20–29) fragment as shown by Moriarty and Raleigh, <sup>116</sup> and Azriel and Gazit. <sup>117</sup>

The in silico mutation of oxidized rIAPP reveals a helical region around P28 throughout the entire 500 ns MD simulation at 310 K and 330 K. Little or no secondary structure elements are located in proximity of residue F23, renders residue 23 in the oxidized L23F mutant mobile, allowing it to switch between being exposed to solvent and being embedded within the peptide, and could therefore be able to interact with neighboring aromatic residues, thus initiating aggregate formation. Moreover, the H-bond pair F23/G33 contributing to stabilize the  $\beta$ -bridges, involves a phenylalanine residue, which could need Y37 to align the participating residues and initiate the formation of the  $\beta$ -bridges. In fact, exposure of hydrophobic patches seems to be relevant for the formation of the  $\beta$ -bridges, since the hydrophobic surfaces diminish with the total SASA and two clear states can be seen in the distribution of such values. Moreover, phenylalanine has been found to enhance  $\beta$ -sheet formation. Various other elements should be considered for determining the amyloidogenicity of IAPP. The presence of P28 in rIAPP definitely influences the secondary structure of the C-terminal half. The high mobility of F23 in rIAPP(L23F) could be the driving force of the aggregation of the L23F mutant, while the structure around P28 could be inhibiting, limiting the yield of the aggregate. Such helicity, albeit transient, may limit the mobility of residue F23, and therefore inhibit aggregate formation. F23 also seems relevant in initiating the "folding" to a compact conformation in IAPP. In fact, a short Y37/L23 observed in rIAPP at 310 K and a short end-to-end distance, which seems to necessary for folding, did not lead to a collapse possibly for the lack of Y37/F23 aromatic-aromatic interaction observed for hIAPP.

#### 5.3.4 Temperature Effect on Oxidized hIAPP

Kayed et al. have also shown that hIAPP, when heated from  $298\,\mathrm{K}$  to  $363\,\mathrm{K}$ , undergoes thermal "denaturation". In particular, a highly cooperative conformational transition occurs when the temperature was raised from  $308\,\mathrm{K}$  to  $318\,\mathrm{K}$ ,  $^{10}$  which compares well with the temperature chosen for these calculations. The percolation transition for IAPP has been calculated at  $\approx 320\,\mathrm{K}$ ,  $^{43,112}$  so studying the monomeric system at  $310\,\mathrm{K}$  and  $330\,\mathrm{K}$  should shed light on the mechanism of a conformational transition which occurs during the lag phase prior to aggregation of hIAPP. In fact, all the runs at  $310\,\mathrm{K}$ , with the exception of the hIAPP cystine moiety, show little or no exploration of such possible states. Moreover, at  $310\,\mathrm{K}$  reduced hIAPP presents also a relatively stable helix starting from S28, which could be one of the causes of a slower aggregation of the cysteine moiety. On the other hand, at  $330\,\mathrm{K}$  oxidized hIAPP is flexible enough to allow the termini to be within

 $\approx$ 0.54 nm and form  $\beta$ -bridges and  $\beta$ -ladders in the C-terminal region, with the contemporary formation of stable, albeit transient, helices in the N-terminus, around C7. More recent studies on the temperature dependent aggregation by Vaiana et al. have shown that at lower temperatures the monomeric form could be detected for long periods of time, but aggregation appeared immediately at higher temperature, <sup>122</sup> confirming the low reactivity of the hIAPP at lower temperatures. Moreover, the reactive conformation of oxidized hIAPP, which was found to collapse at 330 K compared to the other relatively inert conformations that didn't collapse, is confirmed by the fact that Kayed et al. also found two distinct conformers that have different amyloidogenic properties, <sup>10</sup> which was later confirmed by Dupuis et al. <sup>36</sup>

#### 5.3.5 Effect of the Disulfide Bond

The presence of the disulfide bond in hIAPP makes the peptide more flexible and able to sample more conformations in the C-terminal half, thus facilitating interactions with neighboring peptides, as can also be seen in transient isolated  $\beta$ -strands localized in the C-terminus (data not shown). Moreover, the disulfide of the cystine seems to stabilize the short end-to-end distance in the oxidized moiety of hIAPP, <sup>35</sup> allowing the formation of aggregation-prone  $\beta$ -sheets. <sup>36</sup> The presence of disulfide bond allowed the observation of a short end-to-end distance in rIAPP, although without a subsequent folding of the peptide. On the other hand, the absence of the disulfide bond also influences the stability of the peptide. In fact, the peptide shows cooperative helicity, especially at lower temperatures between residues 4 and 22, hence less flexible, while at higher temperatures, where the turn content increases, there is no stabilizing effect of the disulfide, which forms a template to stabilize the short end-to-end distance, <sup>35</sup> leaving the peptide completely unstructured.



### **Outlook**

Studying an unstructured peptide in solution is definitely a daunting task, but nevertheless some characteristics of IAPP were identified. Three seemingly important events were observed in the folding of hIAPP at 330 K, i.e., a) short end-to-end distance, b) short Y/F distance, and c)  $\beta$ -structure H-bond formation, although further investigation of their order is needed to fully understand the underlying mechanism that brings IAPP to a state which is  $\approx 10\,\%$  more compact than rIAPP in solution.

The most obvious point is the presence of the disulfide bond, which makes the peptide more flexible than the reduced moiety and seemingly stabilizes short end-to-end distances, <sup>35</sup> which seem necessary for IAPP folding.

Aromatic residues also seem to play an important role in allowing the peptide to reach this compact conformation, although it is still unclear which interaction initiates the folding. The most obvious interaction occurs when Y37 and F23 come closer, allowing the peptide to reduce its radius of gyration brought about by the increase in  $\beta$ -ladders to  $\approx 20\,\%$  in the normally unstructured C-terminal region of hIAPP. However, the first formation of  $\beta$ -structure H-bonds occurs when Y37 and F15 are within 1.2 nm, so further investigation on the importance of this step in the folding process is needed. In fact, in molecular interactions there is a loss in entropy, because the degrees of freedom are reduced when two parts are brought together. Many such interactions can actually stabilize the folded conformation, and the entropy loss for consecutive interactions can be less than the sum of individual interactions. In other words, bringing two parts together initially requires energy for the entropy loss, but the successive steps require less energy because the interacting parts are kept close thanks to the previously formed interactions. Therefore, further investigation is needed for clarifying if the formation of the initial  $\beta$ -structures can take place even without this first aromatic-aromatic interaction, given by short Y37/F15 distances.

Another point that would need clarification, is how the L23F rIAPP in vitro mutant aggregates. <sup>14</sup> Unfortunately, no particular behavior of the monomeric in silico mutant was observed, if not for a stable helix around P28, although a particular conformation showing a short end-to-end distance was seen for the oxidized wild-type rIAPP, when this helix around P28 was absent. Such conformation was characterized by a short Y37/L23 distance, but since leucine is aliphatic, it wasn't possible to observe any aromatic-aromatic interactions. One possibility, for further investigation, would be to produce an L23F in silico mutation on such conformation observed in rIAPP and calculate a trajectory starting from that perturbed conformation (obviously, after appropriate minimization). Another possibility, would be to perform MD simulations on the rIAPP(L23F) mutant by restraining the Y37/F23 distance to 1.2 nm, while allowing the peptide to explore the conformations limiting the degrees of freedom. Since the in vitro mutation formed fibrils, albeit in low yield, it could be helpful to notice the observe the effect proline, in particular P28, has on the secondary structure

Any possible combination of residue twenty-five in silico mutations on monomeric IAPP pep-

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tides could be interesting, due to its hypervariability in the various homologues, and the presence of proline in rodent IAPP.

Further investigation could be taking the snapshot conformation seen in Figure 5.16b, and perform MD simulations on oligomeric forms in solution, investigating the interactions of the  $N^{22}FGAIL^{27}$  sequence between neighboring peptides. Since, that particular conformation collapsed onto itself, it would be interesting to see what it would do with similar neighboring conformations.

Finally, it would be interesting to investigate how various conformations of this monomeric peptide obtained in this work, and in particular the helical portion between residues 8 to 22, interact with model lipid bilayers.



## **Proceedings**



# Effect of Temperature on the Structural and Hydrational Properties of Human Islet Amyloid Polypeptide in Water

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#### Effect of Temperature on the Structural and Hydrational Properties of Human Islet Amyloid Polypeptide in Water

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Structural and hydrational properties of the full-length human islet amyloid polypeptide 1-37 (hIAPP) were studied in a temperature range from 250 to 450 K by molecular dynamics computer simulations. At all temperatures studied, hIAPP does not adopt a well-defined conformation. The distribution of residues having the dihedral angles  $\phi$  and  $\psi$  within the allowed regions of the Ramachandran plot which define  $\beta$ -sheets and poly(L-proline) II structures along the peptide chain is close to random, whereas a clear trend towards cooperative "condensation" is seen for residues having Ramachandran angles which characterize lpha-helices. This cooperativity and the number of intrapeptide H-Bonds is suppressed by heating or by introducing the natural intramolecular disulfide bond between residues 2 and 7. Intrinsic volumetric properties of hIAPP were estimated by taking into account the difference in the volumetric properties of hydration and bulk water. The temperature dependence of the density of hydration water indicates that the effective hydrophobicity of the hIAPP surface is close to that of carbon-like surfaces. The thermal expansion coefficient of hIAPP is found to be negative and decreases continuously upon heating from  $\sim -3 \cdot 10^{-4}$  to  $\sim -2 \cdot 10^{-3}$  K<sup>-1</sup>. The spanning H-bonded network of hydration water at the hIAPP surface breaks via a percolation transition at about 320 K, which may be related to the drastic speed up of hIAPP aggregation seen experimentally in this temperature region.

#### 1 Introduction

The aggregation of the human islet amyloid polypeptide (hIAPP) is involved in Diabetes Mellitus Type II. Hence, knowledge of the conformational behavior of this peptide is important for understanding the aggregation mechanism of hIAPP and for finding the means to prevent formation of its ordered fibrillar aggregates, which may be the main cause of decease. Experimental studies of the structural properties of hIAPP have not been successful due to its strong propensity to aggregate.

#### 2 Systems and Methods

In this work, we performed MD computer simulation studies of the structural and hydrational properties of a single hIAPP peptide in liquid water in the temperature range from 250 to 450 K. All atomic molecular dynamics simulations were carried out with GRO-MACS v.3.3.1 using the OPLS-AA/L force field for the peptide and SPCE water molecules. Initially, the peptide was prepared in various starting conformations, including an  $\alpha$ -helical conformation, four random conformations obtained from 1 ns runs at 1000 K *in vacuo*, of which one of the initial conformations being a fully extended isolated  $\beta$ -strand. After 15 to 30 ns simulation runs in water, the conformational behavior of hIAPP no longer depended on the initial configuration used. After 50 ns of equilibration at each temperature studied,

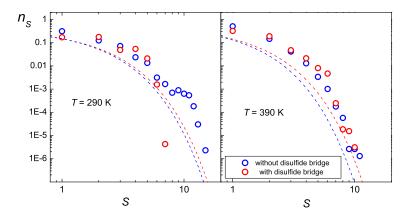


Figure 1. Probability  $n_S$  to find S successive residues with helical conformation. The dashed lines show  $n_S$  for a random distribution of residues in an infinite chain with the same content p of residues with analogous structure:  $n_S = (1 - p)^2 p^S$ .

200 ns trajectories were used for the analysis of the system properties. Two moieties of hIAPP were studied: hIAPP with and without the natural disulfide bridge between C2 and C7 residues.

#### 3 Structural Properties

Analysis of the secondary structure shows that at all the temperatures studied, hIAPP does not adopt a well-defined conformation. The helical content of hIAPP, estimated as a fraction of residues having the dihedral angles within the allowed region of the Ramachandran plot, do not depend noticeably on the presence of a disulfide bridge and decrease upon heating. However, the ability of the helical residues to form a continuous sequence along the peptide chain is strongly suppressed by the disulfide bridge. This can be seen from the comparison of the probability distributions  $n_S$  to find S successive residues with helical conformation shown in Fig. 1. Large clusters of residues with helical dihedral angles disappear by introducing the disulfide bridge and by heating.

#### 4 Volumetric Properties

The intrinsic volumetric properties of a biomolecule in water can be studied, when the density of hydration water is known. The temperature dependence of the density  $\rho_h$  of the hydration water in a shell 0.3 nm thick at the hIAPP surface and of the density  $\rho_b$  of a bulk liquid water are shown in Fig. 2:  $\rho_h$  is below  $\rho_b$  and its temperature dependence is essentially linear. The temperature dependence of the density of hydration water indicates that the effective hydrophobicity of the hIAPP surface is close to that of carbon-like surfaces. Knowing the temperature dependences of  $\rho_h$  and  $\rho_b$ , we can estimate the intrinsic volume  $V_{int}$  of hIAPP from the equation:  $V_{int} = V_{app} - \Delta V$ . Here,  $V_{app}$  is the apparent volume of hIAPP measured as the difference between the volumes of the simulation boxes

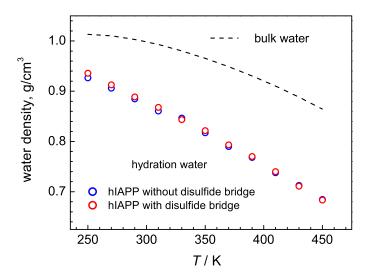


Figure 2. Temperature dependence of the density of bulk water and hydration water near hIAPP.

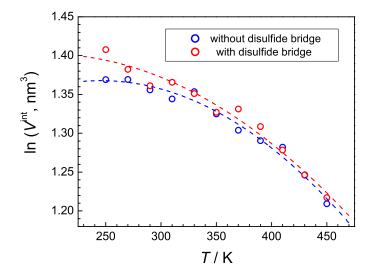


Figure 3. The temperature dependence of the logarithm of  $V_{int}$  of hIAPP. The lines are the fits to a quadratic polynomial.

with and without hIAPP, respectively, both having the same number of water molecules. The term  $\Delta V$  accounts for the change of the system volume due to the different densities of hydration and bulk water,  $\Delta V = V_h(1 - \rho_h/\rho_b)$ , where  $V_h$  is the volume of hydration water. In a first approximation,  $V_h$  is the product of the solvent accessible area and the thickness of the hydration shell. The temperature dependence of the logarithm of  $V_{int}$  of

hIAPP is shown in Fig. 3. The slope of this dependence is equal to the intrinsic thermal expansion coefficient  $\alpha_{int}$ . Similarly to the case of amyloid  $\beta$  peptide  $(1-42)^1$ ,  $\alpha_{int}$  of hIAPP is negative and becomes even more negative upon heating. Such behavior can be attributed to a decreasing helical content and a decreasing number of intrapeptide H-bonds. Note, that the disintegration of large clusters of helical residues by the disulfide bridge at low temperature (see Fig. 1) makes  $\alpha_{int}$  more negative (see Fig. 3).

### 5 Thermal Disruption of the Hydration Water Network at the hIAPP Surface

The spanning H-bonded network of hydration water, which covers hIAPP homogeneously at low temperatures, breaks via a quasi-2D percolation transition, whose midpoint is located at about 320 K. Interestingly, approximately at this temperature, the experimentally measured lag time of hIAPP aggregation drops drastically<sup>2</sup>. Hence, we might conclude that the breakdown of the spanning H-Bonding network of hydration water might foster hIAPP aggregation.

#### Acknowledgments

Financial support from the International Max-Planck Research School in Chemical Biology and from the Federal State of NRW and the EU (Europäischer Fonds für regionale Entwicklung) is gratefully acknowledged.

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- 2. R. Kayed et al., Conformational transitions of islet amyloid polypeptide (IAPP) in amyloid formation in vitro, J. Mol. Biol., 287, 781, 1999.

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Appendix				
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## **Poster Presentations**



# Effect of Temperature on the Structural and Hydrational Properties of Human Islet Amyloid Polypeptide in Water

#### Maximilian N. Andrews, Ivan Brovchenko and Roland Winter

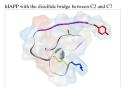
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#### Introduction

The aggregation of human islet amyloid polypeptides (hIAPP) is involved in Diabetes Mellitus Type II. Knowledge of the conformational behavior of this peptide is important for understanding the aggregation mechanism of hIAPP and for finding means to prevent formation of its ordered fibiliar aggregates. Experimental studies of the structural and hydrational properties of hIAPP have not been successful due to its strong propensity to aggregate. Hence, we performed MD computer simulation studies of the structural and hydrational properties of a single hIAPP peptide in liquid water in a wide temperature

#### Systems and Methods

Two moieties of hIAPP were studied:

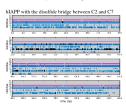


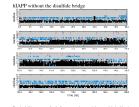


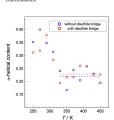
All atomic molecular dynamic simulations of a single hIAPP peptide in liquid water were carried out in the temperature range from 250 to 450 K with GROMACS v.3.3.1 using OPLS-AA/L force field for the peptide and SPCE water molecules. The PME method was used to treat long range electrostatic interactions. Initially, the peptide was prepared in various starting conformations, including an  $\alpha$ -helical conformation and four random conformations obtained from 1 ns runs in vacuo of three different starting conformations, of which one was an fully extended isolated  $\beta$ -strand. After 20 to 30 ns simulation runs in water, the conformational behavior of hIAPP no longer depended on the initial configuration used, and in the case with the disulfide bridge this occurred before 15 ns.

#### Structural properties of hIAPP

Time evolution of the secondary structure at 270 K, assigned by the program DSSPcont, with  $\alpha$ -helices colored black,  $3_{10}$ -helices in light blue, and  $\beta$ -bridges in purple.







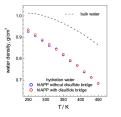
 $n_s = (1 - p)^2 p^5$ 

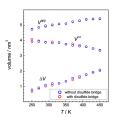
- At all the temperatures studied, hIAPP does not adopt a well-defined conformation. Both the helical content and the number of intrapeptide H-bonds of hIAPP decrease with temperature.
- Condensation." which is the strongest for residues from 1 to 17. This trend is strongly suppressed by introducing the disulfide bridge between residues 2 and 7 and by heating.

#### Volumetric properties of hIAPP

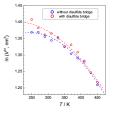
Temperature dependence of the apparent volume  $V^{app}$ , the volume change  $\Delta V$  caused by the different volumetric properties of bulk and hydration water, and the intrinsic volume  $V^{lod}$  of hIAPP.

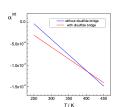
 $V^{int} = V^{app} - \Delta V$ ;  $\Delta V = V_{stoff}(1 - o_b/o_b)$ 





re dependence of  $ln(V^{int})$ . The slope of this e is equal to the intrinsic thermal expansion  $\alpha^{int}$  of hIAPP. The lines are the fits to a

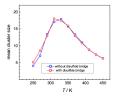


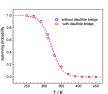


- The density of the hydration water is below that of bulk water and corresponds to that of hydrophobic carbon-like surfaces. Its temperature dependence is essentially linear.
   The intrinsic thermal expansion coefficient a<sup>int</sup> of hIAPP is negative and decreases from about 0 to —1.5 · 10<sup>-3</sup> K<sup>-1</sup> upon heating from 250 to 450 K. This can be attributed to the decreasing helical content of hIAPP and to the decreasing number of intrapeptide H-bonds. Both these factors make the structure of the perhit less ordered and allows its tighter packing.
   At low temperatures, the presence of the disulfide bridge makes hIAPP more hydrophilic and makes its expansivity more negative.

#### Thermal disruption of the hydration water network at the hIAPP surface

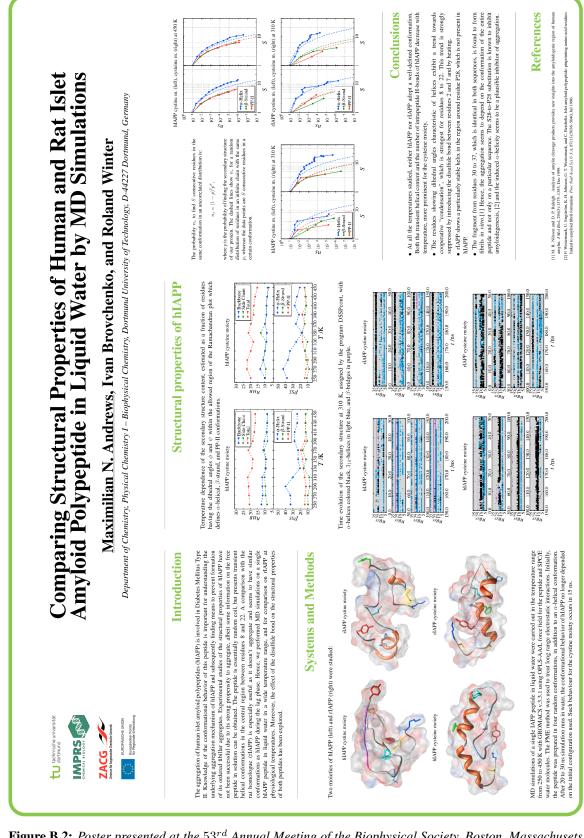
Temperature dependence of the mean size  $S_{\rm mean}$  of H-bonded water clusters in the hydration shell of hIAPP.





A spanning H-bonded network of hydration water, which covers hIAPP homogeneously at low temperatures, breaks via a quasi-2D percolation transition, whose midpoint is at about 320 K. Approximately at this temperature, the experimentally measured lag time of hIAPP aggregation drops in a drastic way (R. Kayed et al., J. Mol. Biol., 287 (1999) 781). We may assume, that the rupture of the spanning network of hydration water essentially speeds up peptide aggregation.

Figure B.1: Poster presented at "From Computational Biophysics to Systems Biology (CBSB08)", Jülich, Germany.



**Figure B.2:** Poster presented at the  $53^{rd}$  Annual Meeting of the Biophysical Society, Boston, Massachusets and at "Amyloid 2009", Halle (Saale), Germany.



## **Starting and Final Conformations**

TITLE	Rand	dom I	Initi	ial	Confor	mation 33	0 K 1 ba	r		
SSBOND	1 C	YS A	2	2	CYS A					
ATOM	1	N	LYS		1	68.310	36.930	1.510	0.00	0.00
MOTA	2	Н1	LYS	Α	1	69.150	37.270	1.950	0.00	0.00
ATOM	3	Н2	LYS	Α	1	68.380	37.290	0.570	0.00	0.00
ATOM	4	НЗ	LYS	Α	1	67.460	37.130	2.020	0.00	0.00
ATOM	5	CA	LYS	Α	1	68.210	35.540	1.590	0.00	0.00
ATOM	6	HA	LYS	Α	1	67.400	35.350	0.880	0.00	0.00
ATOM	7	СВ	LYS	Α	1	69.580	34.760	1.160	0.00	0.00
ATOM	8	HB1	LYS	Α	1	70.020	35.340	0.350	0.00	0.00
ATOM	9	HB2	LYS	Α	1	70.270	34.690	2.000	0.00	0.00
ATOM	10	CG	LYS	Α	1	69.480	33.410	0.660	0.00	0.00
ATOM	11	HG1	LYS	Α	1	69.150	32.710	1.430	0.00	0.00
ATOM	12	HG2	LYS	Α	1	68.880	33.370	-0.250	0.00	0.00
ATOM	13	CD	LYS	Α	1	70.910	32.940	0.300	0.00	0.00
ATOM	14	HD1	LYS	Α	1	71.330	33.690	-0.370	0.00	0.00
ATOM	15	HD2	LYS	Α	1	71.520	32.970	1.200	0.00	0.00
ATOM	16	CE	LYS	Α	1	70.910	31.560	-0.320	0.00	0.00
ATOM	17	HE1	LYS	A	1	70.170	30.860	0.060	0.00	0.00
ATOM	18	HE2	LYS	A	1	70.730	31.560	-1.400	0.00	0.00
ATOM	19	NZ	LYS	A	1	72.210	30.930	-0.110	0.00	0.00
ATOM	20	HZ1	LYS	A	1	72.930	31.180	-0.780	0.00	0.00
ATOM	21	HZ2	LYS	Α	1	72.460	30.930	0.870	0.00	0.00
ATOM	22	HZ3	LYS	Α	1	71.980	29.990	-0.400	0.00	0.00
ATOM	23	С	LYS	Α	1	67.710	35.170	3.020	0.00	0.00
ATOM	24	0	LYS	Α	1	68.040	35.790	4.070	0.00	0.00
ATOM	25	N	CYS	Α	2	66.900	34.090	3.110	0.00	0.00
ATOM	26	Н	CYS	Α	2	66.540	33.640	2.280	0.00	0.00
ATOM	27	CA	CYS	Α	2	66.340	33.610	4.410	0.00	0.00
ATOM	28	HA	CYS	A	2	65.830	34.470	4.860	0.00	0.00
ATOM	29	СВ	CYS	A	2	65.230	32.590	4.030	0.00	0.00
ATOM	30	HB1	CYS	Α	2	64.530	32.420	4.850	0.00	0.00
ATOM	31	HB2	CYS	Α	2	64.580	33.020	3.260	0.00	0.00
ATOM	32	SG	CYS	Α	2	65.770	30.900	3.440	0.00	0.00
ATOM	33	С	CYS	Α	2	67.370	33.010	5.400	0.00	0.00
ATOM	34	0	CYS	Α	2	68.260	32.270	5.020	0.00	0.00
ATOM	35	N	ASN	A	3	67.290	33.430	6.600	0.00	0.00
ATOM	36	Н	ASN	A	3	66.570	34.110	6.800	0.00	0.00
ATOM	37	CA	ASN	A	3	68.190	33.140	7.710	0.00	0.00
ATOM	38	HA	ASN	Α	3	68.690	32.200	7.490	0.00	0.00
ATOM	39	СВ	ASN	Α	3	69.320	34.270	7.850	0.00	0.00
ATOM	40	HB1	ASN	A	3	69.990	33.970	8.650	0.00	0.00

ATOM	41	HB2	ASN	А	3	70.000	34.280	7.000	0.00	0.00
ATOM	42	CG	ASN	А	3	68.800	35.750	8.000	0.00	0.00
ATOM	43	OD1	ASN	Α	3	68.710	36.190	9.160	0.00	0.00
ATOM	44		ASN		3	68.500	36.470	6.950	0.00	0.00
MOTA	45	1HD2			3	68.610	36.130	6.000	0.00	0.00
MOTA	46	2HD2			3	68.300	37.450	7.090	0.00	0.00
MOTA	47	С	ASN		3	67.390	33.030	9.040	0.00	0.00
MOTA	48	0	ASN	А	3	67.950	33.190	10.100	0.00	0.00
MOTA	49	N	THR	А	4	66.090	32.790	8.930	0.00	0.00
MOTA	50	Н	THR	А	4	65.690	32.740	8.000	0.00	0.00
MOTA	51	CA	THR		4	65.250	32.580	10.090	0.00	0.00
ATOM	52	HA	THR		4	65.690	32.130	10.980	0.00	0.00
MOTA	53	СВ	THR		4	64.600	33.900	10.670	0.00	0.00
ATOM	54	HB	THR		4	63.890	33.640	11.450	0.00	0.00
ATOM	55	OG1	THR		4	64.120	34.740	9.570	0.00	0.00
ATOM	56	HG1	THR		4	63.340	34.330	9.220	0.00	0.00
ATOM	57	CG2	THR		4	65.590	34.830	11.410	0.00	0.00
ATOM	58	1HG2	THR		4	66.340	35.300	10.770	0.00	0.00
ATOM	59	2HG2	THR		4	65.060	35.670	11.880	0.00	0.00
ATOM	60	3HG2	THR		4	66.050	34.290	12.240	0.00	0.00
ATOM	61	С	THR		4	64.220	31.420	9.780	0.00	0.00
ATOM	62	0	THR		4	63.200	31.270	10.470	0.00	0.00
ATOM	63	N	ALA		5	64.550	30.660	8.770	0.00	0.00
ATOM	64	Н	ALA		5	65.290	30.900	8.120	0.00	0.00
ATOM	65	CA	ALA		5	63.970	29.410	8.360	0.00	0.00
MOTA	66	HA	ALA		5	64.080	28.840	9.280	0.00	0.00
ATOM	67	СВ	ALA		5	62.440	29.590	7.970	0.00	0.00
ATOM	68	HB1	ALA		5	61.950	28.700	7.580	0.00	0.00
ATOM	69		ALA		5	61.870	30.070	8.760	0.00	0.00
ATOM	70	нв3	ALA		5	62.350	30.310	7.150	0.00	0.00
ATOM	71	С	ALA		5	64.740	28.950	7.140	0.00	0.00
ATOM	72	0	ALA		5	65.510	29.720	6.620	0.00	0.00
ATOM	73	N	THR		6	64.470	27.780	6.530	0.00	0.00
ATOM	74	Н	THR		6	63.830	27.110	6.930	0.00	0.00
ATOM	75	CA	THR		6	65.000	27.280	5.220	0.00	0.00
ATOM	76	HA	THR		6	66.020	27.620	5.040	0.00	0.00
ATOM	77	CB	THR		6	64.910	25.710	5.340	0.00	0.00
ATOM	78	HB	THR		6	65.050	25.380	4.310	0.00	0.00
ATOM	79	OG1			6	63.650	25.330	5.830	0.00	0.00
ATOM	80		THR		6	63.090	25.780	5.220	0.00	0.00
ATOM	81		THR		6	66.060	25.110	6.110	0.00	0.00
ATOM	82	1HG2			6	65.820	24.080	6.380	0.00	0.00
ATOM		2HG2			6	66.920	25.050	5.450	0.00	0.00
ATOM	84	3HG2			6	66.270	25.660	7.030	0.00	0.00
ATOM	85	С	THR		6	64.090	27.640	4.040	0.00	0.00
ATOM	86	0	THR		6	62.840	27.680	4.220	0.00	0.00
ATOM	87	N	CYS		7	64.610	27.780	2.830	0.00	0.00
ATOM	88	Н	CYS		7	65.600	27.640	2.700	0.00	0.00
ATOM	89	CA	CYS		7	63.760	28.100	1.680	0.00	0.00
ATOM	90	HA	CYS		7	62.730	27.830	1.930	0.00	0.00
ATOM	91	CB	CYS		7	63.640	29.630	1.420	0.00	0.00
ATOM	92		CYS		7	63.150	29.730	0.450	0.00	0.00
ATOM	93 94	SG	CYS CYS		7 7	62.850 65.170	30.080	2.020 1.530	0.00	0.00
ATOM	95	SG C	CYS		7	64.160	27.180	0.480	0.00	0.00
ATOM	95	0	CYS		7	65.170	26.540	0.480	0.00	0.00
ATOM	96	N	ALA		8	63.310	27.100	-0.510	0.00	0.00
ATOM	98				8	62.390	27.100	-0.310		0.00
ATOM	ソ٥	Н	ALA	А	0	0∠.390	27.500	-0.390	0.00	0.00

ATOM	99	CA	ALA	А	8	63.620	26.540	-1.860	0.00	0.00
ATOM	100	HA	ALA	А	8	63.940	25.540	-1.540	0.00	0.00
MOTA	101	СВ	ALA	Α	8	62.360	26.580	-2.650	0.00	0.00
ATOM	102	HB1	ALA	Α	8	61.940	27.580	-2.680	0.00	0.00
MOTA	103	HB2	ALA		8	62.500	26.040	-3.590	0.00	0.00
MOTA	104	нв3	ALA	А	8	61.720	26.000	-1.980	0.00	0.00
MOTA	105	С	ALA	А	8	64.860	27.230	-2.530	0.00	0.00
MOTA	106	0	ALA		8	65.740	26.600	-3.180	0.00	0.00
MOTA	107	N	THR	А	9	64.940	28.520	-2.370	0.00	0.00
MOTA	108	Н	THR		9	64.270	29.010	-1.790	0.00	0.00
MOTA	109	CA	THR		9	65.820	29.430	-2.990	0.00	0.00
MOTA	110	HA	THR	А	9	66.060	29.130	-4.010	0.00	0.00
MOTA	111	СВ	THR		9	65.080	30.760	-3.020	0.00	0.00
MOTA	112	HB	THR		9	65.700	31.560	-3.410	0.00	0.00
MOTA	113	OG1	THR	A	9	64.560	31.190	-1.770	0.00	0.00
MOTA	114	HG1	THR	A	9	65.190	31.570	-1.180	0.00	0.00
MOTA	115	CG2	THR		9	63.900	30.690	-4.050	0.00	0.00
MOTA	116	1HG2	THR		9	64.260	30.180	-4.940	0.00	0.00
MOTA	117	2HG2	THR		9	63.070	30.020	-3.810	0.00	0.00
MOTA	118	3HG2	THR		9	63.510	31.660	-4.320	0.00	0.00
MOTA	119	С	THR		9	67.140	29.520	-2.090	0.00	0.00
MOTA	120	0	THR		9	67.860	30.520	-2.050	0.00	0.00
MOTA	121	N	GLN		10	67.330	28.430	-1.330	0.00	0.00
MOTA	122	Н	GLN		10	66.770	27.640	-1.610	0.00	0.00
MOTA	123	CA	GLN		10	68.340	28.290	-0.310	0.00	0.00
MOTA	124	HA	GLN		10	69.220	28.860	-0.600	0.00	0.00
MOTA	125	СВ	GLN		10	68.000	28.930	0.980	0.00	0.00
MOTA	126	HB1	GLN		10	67.900	30.000	0.770	0.00	0.00
MOTA	127	HB2	GLN		10	66.970	28.690	1.240	0.00	0.00
MOTA	128	CG	GLN		10	68.990	28.950	2.190	0.00	0.00
MOTA	129	HG1	GLN		10	69.970	29.030	1.720	0.00	0.00
MOTA	130	HG2			10	68.880	29.830	2.820	0.00	0.00
ATOM	131	CD	GLN		10	68.770	27.640	2.960	0.00	0.00
ATOM	132	OE1	GLN		10	67.770	26.910	2.860	0.00	0.00
ATOM	133		GLN		10	69.550	27.510	4.060	0.00	0.00
ATOM	134	1HE2	GLN		10	70.470	27.940	4.030	0.00	0.00
ATOM	135	2HE2			10	69.330	26.920	4.850	0.00	0.00
ATOM	136	С	GLN		10	68.790	26.820	-0.350	0.00	0.00
ATOM	137	0	GLN		10	69.940	26.510	-0.640	0.00	0.00
ATOM	138	N	ARG		11	67.780	25.940	-0.400	0.00	0.00
ATOM	139	Н	ARG		11	66.830	26.190	-0.180	0.00	0.00
ATOM	140	CA	ARG		11	67.900	24.580	-1.080	0.00	0.00
ATOM	141	HA	ARG		11	68.640	23.930	-0.620	0.00	0.00
ATOM	142	CB	ARG		11	66.590	23.760	-0.670	0.00	0.00
ATOM	143		ARG		11	66.400	23.870	0.390	0.00	0.00
ATOM	144		ARG		11	65.750	24.120	-1.280	0.00	0.00
ATOM	145	CG	ARG		11	66.770	22.180	-0.780	0.00	0.00
ATOM	146		ARG		11	66.850	21.870	-1.820	0.00	0.00
ATOM	147		ARG		11	67.680	21.910	-0.250	0.00	0.00
ATOM	148	CD	ARG		11	65.600	21.510	-0.110	0.00	0.00
ATOM	149		ARG		11	65.340	21.960	0.850	0.00	0.00
ATOM	150		ARG		11	64.740	21.710	-0.740	0.00	0.00
ATOM	151	NE	ARG		11	65.830	20.040	0.080	0.00	0.00
ATOM	152	HE C7	ARG		11	66.760	19.990	0.480	0.00	0.00
ATOM	153	CZ NU1	ARG		11	64.980	19.000	0.100	0.00	0.00
ATOM	154		ARG		11	63.670	19.170	-0.070	0.00	0.00
ATOM	155	1HH1			11	63.330	20.120	-0.070	0.00	0.00
MOTA	T20	2HH1	AKG	Α	11	62.960	18.460	0.010	0.00	0.00

MOTA	157	NH2	ARG	Α	11	65.470	17.780	0.240	0.00	0.00
ATOM	158	1HH2	ARG	Α	11	66.440	17.550	0.430	0.00	0.00
ATOM	159	2HH2	ARG	Α	11	64.850	16.990	0.170	0.00	0.00
ATOM	160	С	ARG	Α	11	68.340	24.520	-2.540	0.00	0.00
ATOM	161	0	ARG	Α	11	67.910	23.730	-3.340	0.00	0.00
ATOM	162	N	LEU	Α	12	69.240	25.390	-2.940	0.00	0.00
ATOM	163	Н	LEU	Α	12	69.640	25.950	-2.190	0.00	0.00
ATOM	164	CA	LEU	Α	12	69.920	25.390	-4.190	0.00	0.00
ATOM	165	НА	LEU	Α	12	69.350	25.250	-5.110	0.00	0.00
ATOM	166	СВ	LEU		12	70.580	26.810	-4.290	0.00	0.00
ATOM	167	HB1	LEU		12	70.990	27.060	-3.310	0.00	0.00
ATOM	168	HB2	LEU		12	71.380	26.890	-5.020	0.00	0.00
ATOM	169	CG	LEU		12	69.660	27.950	-4.610	0.00	0.00
ATOM	170	HG	LEU		12	68.690	27.780	-4.130	0.00	0.00
ATOM	171	CD1	LEU		12	70.170	29.320	-4.180	0.00	0.00
ATOM	172	1HD1	LEU		12	71.150	29.500	-4.620	0.00	0.00
ATOM	173	2HD1	LEU		12	69.450	30.140	-4.170	0.00	0.00
	174	3HD1			12		29.380			
MOTA						70.430		-3.130	0.00	0.00
ATOM	175		LEU		12	69.380	28.100	-6.150	0.00	0.00
ATOM	176	1HD2	LEU		12	70.200	28.440	-6.790	0.00	0.00
ATOM	177		LEU		12	69.010	27.170	-6.580	0.00	0.00
ATOM	178	3HD2			12	68.570	28.810	-6.320	0.00	0.00
ATOM	179	С	LEU		12	71.110	24.380	-4.100	0.00	0.00
ATOM	180	0	LEU		12	71.660	24.140	-5.180	0.00	0.00
MOTA	181	N	ALA	Α	13	71.450	23.770	-2.930	0.00	0.00
ATOM	182	Н	ALA	Α	13	70.730	23.920	-2.240	0.00	0.00
MOTA	183	CA	ALA	Α	13	72.030	22.440	-2.880	0.00	0.00
ATOM	184	HA	ALA	Α	13	72.250	21.950	-3.830	0.00	0.00
ATOM	185	СВ	ALA	Α	13	73.290	22.470	-2.000	0.00	0.00
ATOM	186	HB1	ALA	Α	13	73.000	22.640	-0.960	0.00	0.00
ATOM	187	HB2	ALA	Α	13	73.790	21.530	-2.220	0.00	0.00
ATOM	188	нв3	ALA	Α	13	73.870	23.350	-2.300	0.00	0.00
ATOM	189	С	ALA	Α	13	70.950	21.420	-2.280	0.00	0.00
ATOM	190	0	ALA	Α	13	70.400	21.620	-1.210	0.00	0.00
ATOM	191	N	ASN	Α	14	70.730	20.280	-2.910	0.00	0.00
ATOM	192	Н	ASN	Α	14	71.270	20.070	-3.740	0.00	0.00
ATOM	193	CA	ASN	Α	14	69.570	19.400	-2.560	0.00	0.00
ATOM	194	НА	ASN	Α	14	68.700	19.990	-2.290	0.00	0.00
ATOM	195	СВ	ASN		14	69.210	18.440	-3.660	0.00	0.00
ATOM	196		ASN		14	70.060	17.780	-3.790	0.00	0.00
ATOM	197		ASN		14	68.430	17.750	-3.340	0.00	0.00
ATOM	198	CG	ASN		14	68.800	18.950	-5.080	0.00	0.00
ATOM	199		ASN		14	69.630	19.300	-5.910	0.00	0.00
ATOM	200		ASN		14	67.460	18.910	-5.320	0.00	0.00
ATOM	201	1HD2			14	66.760	18.530	-4.700	0.00	0.00
ATOM		2HD2			14	67.030	19.170	-6.190	0.00	0.00
ATOM	203	C	ASN		14	69.980	18.570	-1.340	0.00	0.00
ATOM	204	0	ASN		14	69.030	17.920	-0.800	0.00	0.00
ATOM	205	N	PHE		15	71.220	18.570	-0.840	0.00	0.00
		Н			15	72.060	19.030	-1.170	0.00	
ATOM	206		PHE							0.00
ATOM	207	CA	PHE		15 15	71.550	17.890	0.450	0.00	0.00
ATOM	208	HA	PHE		15	70.960	16.980	0.550	0.00	0.00
ATOM	209	CB	PHE		15	73.070	17.560	0.520	0.00	0.00
ATOM	210		PHE		15	73.430	17.110	1.440	0.00	0.00
ATOM	211		PHE		15	73.340	16.750	-0.160	0.00	0.00
ATOM	212	CG	PHE		15	74.040	18.680	0.110	0.00	0.00
ATOM	213		PHE		15	74.130	19.850	0.910	0.00	0.00
ATOM	214	HD1	PHE	A	15	73.510	20.020	1.780	0.00	0.00

MOTA	215	CD2	PHE	Α	15	74.910	18.600	-1.050	0.00	0.00
ATOM	216	HD2	PHE	Α	15	74.990	17.790	-1.770	0.00	0.00
ATOM	217	CE1	PHE	Α	15	75.000	20.900	0.620	0.00	0.00
ATOM	218	HE1	PHE	Α	15	74.930	21.790	1.230	0.00	0.00
ATOM	219		PHE		15	75.860	19.600	-1.300	0.00	0.00
ATOM	220		PHE		15	76.580	19.540	-2.100	0.00	0.00
ATOM	221	CZ	PHE		15	75.910	20.740	-0.450	0.00	0.00
ATOM	222	ΗZ	PHE		15	76.550	21.570	-0.700	0.00	0.00
ATOM	223	С	PHE		15	71.140	18.830	1.600	0.00	0.00
ATOM	224	0	PHE		15	71.140	18.350	2.710	0.00	0.00
ATOM	225	N	LEU		16	70.680	20.040	1.370	0.00	0.00
ATOM	226	Н	LEU	Α	16	70.590	20.320	0.400	0.00	0.00
ATOM	227	CA	LEU	Α	16	70.160	20.860	2.490	0.00	0.00
MOTA	228	HA	LEU	Α	16	70.670	20.670	3.440	0.00	0.00
ATOM	229	CB	LEU	Α	16	70.090	22.350	2.140	0.00	0.00
ATOM	230	HB1	LEU	Α	16	69.680	22.440	1.130	0.00	0.00
ATOM	231	HB2	LEU	Α	16	69.520	22.870	2.920	0.00	0.00
ATOM	232	CG	LEU	Α	16	71.540	22.950	2.070	0.00	0.00
ATOM	233	HG	LEU		16	71.950	22.480	1.170	0.00	0.00
ATOM	234	CD1			16	71.630	24.410	1.740	0.00	0.00
ATOM	235	1HD1			16	71.210	25.000	2.550	0.00	0.00
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ATOM	236	2HD1			16	72.660	24.760	1.650	0.00	0.00
ATOM	237	3HD1			16	71.050	24.620	0.840	0.00	0.00
ATOM	238		LEU		16	72.440	22.640	3.240	0.00	0.00
ATOM	239	1HD2			16	71.940	22.810	4.200	0.00	0.00
ATOM	240	2HD2	LEU	Α	16	72.790	21.610	3.280	0.00	0.00
MOTA	241	3HD2	LEU	Α	16	73.380	23.180	3.320	0.00	0.00
ATOM	242	С	LEU	Α	16	68.720	20.360	2.790	0.00	0.00
ATOM	243	0	LEU	Α	16	67.950	20.070	1.900	0.00	0.00
ATOM	244	N	VAL	Α	17	68.380	20.340	4.110	0.00	0.00
ATOM	245	Н	VAL	Α	17	69.170	20.350	4.730	0.00	0.00
ATOM	246	CA	VAL	Α	17	67.040	20.070	4.700	0.00	0.00
ATOM	247	HA	VAL		17	66.480	19.340	4.110	0.00	0.00
ATOM	248	СВ	VAL		17	67.200	19.370	6.100	0.00	0.00
ATOM	249	HB	VAL		17	66.230	18.990	6.420	0.00	0.00
ATOM	250		VAL		17	68.100	18.110	6.020	0.00	0.00
ATOM	251	1HG1			17	69.070	18.260	5.570	0.00	0.00
ATOM	252	2HG1			17	68.170	17.690	7.020	0.00	0.00
ATOM	253	3HG1			17	67.660	17.280	5.470	0.00	0.00
ATOM	254		VAL		17	67.890	20.200	7.170	0.00	0.00
MOTA	255	1HG2			17	68.170	19.550	8.010	0.00	0.00
ATOM	256	2HG2	VAL	Α	17	68.790	20.740	6.890	0.00	0.00
MOTA	257	3HG2	VAL	Α	17	67.220	20.920	7.640	0.00	0.00
MOTA	258	С	VAL	Α	17	66.140	21.310	4.830	0.00	0.00
ATOM	259	0	VAL	Α	17	66.550	22.450	4.780	0.00	0.00
ATOM	260	N	HIS	Α	18	64.890	21.030	5.260	0.00	0.00
ATOM	261	Н	HIS		18	64.680	20.050	5.250	0.00	0.00
ATOM	262	CA	HIS		18	63.900	22.040	5.640	0.00	0.00
ATOM	263	НА	HIS		18	64.200	23.030	5.300	0.00	0.00
ATOM	264	СВ	HIS		18	62.570	21.600	5.050	0.00	0.00
	265						21.510		0.00	0.00
ATOM			HIS		18	62.630		3.970		
ATOM	266		HIS		18	62.460	20.580	5.440	0.00	0.00
ATOM	267	CG	HIS		18	61.340	22.430	5.370	0.00	0.00
ATOM	268		HIS		18	60.550	22.310	6.550	0.00	0.00
MOTA	269		HIS		18	60.950	23.570	4.730	0.00	0.00
ATOM	270		HIS		18	61.300	23.930	3.770	0.00	0.00
MOTA	271	CE1	HIS	Α	18	59.790	23.400	6.550	0.00	0.00
ATOM	272	HE1	HIS	Α	18	59.040	23.530	7.310	0.00	0.00

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ATOM	273		HIS		18	59.98		5.480	0.00	0.00
ATOM	274		HIS		18	59.42		5.260	0.00	0.00
ATOM	275	С	HIS		18	63.81		7.220	0.00	0.00
ATOM	276	0	HIS		18	63.98		7.880	0.00	0.00
MOTA	277	N	SER	Α	19	63.42		7.770	0.00	0.00
ATOM	278	Н	SER	Α	19	63.52	0 24.070	7.230	0.00	0.00
MOTA	279	CA	SER	Α	19	63.34	0 23.460	9.220	0.00	0.00
ATOM	280	HA	SER	Α	19	64.26	0 23.080	9.680	0.00	0.00
ATOM	281	CB	SER	Α	19	63.20	0 24.940	9.410	0.00	0.00
ATOM	282	HB1	SER	Α	19	63.18	0 25.150	10.480	0.00	0.00
ATOM	283	HB2	SER	Α	19	64.07	0 25.480	9.020	0.00	0.00
ATOM	284	OG	SER	Α	19	62.12		8.660	0.00	0.00
ATOM	285	HG	SER	Α	19	62.04		7.790	0.00	0.00
ATOM	286	С	SER		19	62.22		10.050	0.00	0.00
ATOM	287	0	SER		19	62.19		11.290	0.00	0.00
ATOM	288	N	SER		20	61.29		9.440	0.00	0.00
ATOM	289	Н	SER		20	61.40		8.450	0.00	0.00
ATOM	290	CA	SER		20	60.50		10.100	0.00	0.00
ATOM	291	HA	SER		20	59.99		10.980	0.00	0.00
ATOM	292	CB	SER		20	59.49		9.050	0.00	0.00
ATOM	293	HB1	SER		20	58.90		9.590	0.00	0.00
ATOM	294	HB2	SER		20	58.80		8.820	0.00	0.00
ATOM	295	OG	SER		20	59.95		7.810	0.00	0.00
ATOM	296	HG	SER		20	60.25		7.350	0.00	0.00
ATOM	297	С	SER	Α	20	61.31		10.680	0.00	0.00
ATOM	298	0	SER	Α	20	60.84		11.680	0.00	0.00
ATOM	299	N	ASN	Α	21	62.48		10.160	0.00	0.00
MOTA	300	Η	ASN	Α	21	62.75	0 20.180	9.430	0.00	0.00
MOTA	301	CA	ASN	Α	21	63.28	0 18.450	10.630	0.00	0.00
ATOM	302	HA	ASN	Α	21	62.63	0 17.640	10.970	0.00	0.00
ATOM	303	CB	ASN	Α	21	64.17	0 17.870	9.460	0.00	0.00
ATOM	304	HB1	ASN	Α	21	64.97	0 18.540	9.140	0.00	0.00
ATOM	305	HB2	ASN	Α	21	64.71	0 17.020	9.870	0.00	0.00
ATOM	306	CG	ASN	Α	21	63.38		8.210	0.00	0.00
ATOM	307	OD1	ASN	Α	21	63.01	0 16.350	7.960	0.00	0.00
ATOM	308		ASN		21	63.35		7.230	0.00	0.00
ATOM	309	1HD2			21	63.84		7.390	0.00	0.00
ATOM		2HD2			21	62.85		6.380	0.00	0.00
ATOM	311	C	ASN		21	64.18		11.810	0.00	0.00
ATOM	312	0	ASN		21	65.43		11.760	0.00	0.00
ATOM	313	N	ASN		22	63.56		12.870	0.00	0.00
ATOM	314	Н	ASN		22	62.55		12.840	0.00	0.00
					22			14.150		
ATOM	315	CA	ASN			64.28			0.00	0.00
ATOM	316	HA	ASN		22	65.14		13.830	0.00	0.00
ATOM	317	CB	ASN		22	63.29		14.990	0.00	0.00
ATOM	318		ASN		22	63.62		16.020	0.00	0.00
ATOM	319		ASN		22	63.18		14.450	0.00	0.00
ATOM	320	CG	ASN		22	61.91		15.250	0.00	0.00
ATOM	321		ASN		22	61.55		15.290	0.00	0.00
MOTA	322		ASN		22	60.95		15.470	0.00	0.00
ATOM	323	1HD2			22	61.21		15.790	0.00	0.00
ATOM		2HD2	ASN	Α	22	60.00	0 20.440	15.700	0.00	0.00
MOTA	325	С	ASN	Α	22	64.90	0 18.480	14.910	0.00	0.00
MOTA	326	0	ASN	Α	22	65.69	0 18.650	15.820	0.00	0.00
ATOM	327	N	PHE	Α	23	64.48	0 17.230	14.630	0.00	0.00
ATOM	328	Н	PHE		23	63.85		13.840	0.00	0.00
ATOM	329	CA	PHE		23	65.07		15.020	0.00	0.00
ATOM	330	НА	PHE		23	65.39		16.060	0.00	0.00

ATOM	331	СВ	PHE	Α	23	63.92	20 14.95	14.890	0.00	0.00
ATOM	332	HB1	PHE	Α	23	64.25	13.95	15.160	0.00	0.00
MOTA	333	HB2	PHE	Α	23	63.17	70 15.14	15.650	0.00	0.00
MOTA	334	CG	PHE	Α	23	63.18	30 14.81	13.550	0.00	0.00
MOTA	335	CD1	PHE	Α	23	63.67	70 13.99	12.580	0.00	0.00
MOTA	336	HD1	PHE	Α	23	64.56	13.40	12.750	0.00	0.00
MOTA	337	CD2	PHE	Α	23	61.93	30 15.50	13.360	0.00	0.00
MOTA	338	HD2	PHE	Α	23	61.46	16.04	14.160	0.00	0.00
MOTA	339	CE1	PHE	Α	23	62.98	30 13.81	11.400	0.00	0.00
MOTA	340	HE1	PHE	Α	23	63.35	13.15	10.630	0.00	0.00
MOTA	341	CE2	PHE	Α	23	61.26	50 15.27	12.140	0.00	0.00
MOTA	342	HE2	PHE	Α	23	60.34	10 15.76	11.860	0.00	0.00
MOTA	343	CZ	PHE	Α	23	61.79	00 14.46	11.200	0.00	0.00
MOTA	344	ΗZ	PHE	Α	23	61.32	20 14.50	0 10.230	0.00	0.00
MOTA	345	С	PHE	Α	23	66.23	30 15.45	14.040	0.00	0.00
MOTA	346	0	PHE	Α	23	66.84	10 14.48	14.460	0.00	0.00
MOTA	347	N	GLY	Α	24	66.44	10 15.99	12.820	0.00	0.00
MOTA	348	Н	GLY	Α	24	65.87	70 16.73	12.450	0.00	0.00
MOTA	349	CA	GLY	Α	24	67.36	15.48	11.770	0.00	0.00
ATOM	350	HA1	GLY	Α	24	67.85	14.60	12.170	0.00	0.00
ATOM	351	HA2	GLY	Α	24	66.91	15.36	10.780	0.00	0.00
ATOM	352	С	GLY	Α	24	68.44	10 16.45	11.480	0.00	0.00
ATOM	353	0	GLY	Α	24	69.57	70 16.07	11.150	0.00	0.00
ATOM	354	N	ALA	Α	25	68.22	20 17.72	11.710	0.00	0.00
ATOM	355	Н	ALA	Α	25	67.30	00 17.95	12.060	0.00	0.00
ATOM	356	CA	ALA	Α	25	69.17	70 18.84	11.620	0.00	0.00
ATOM	357	HA	ALA	Α	25	69.71	0 18.79	10.680	0.00	0.00
ATOM	358	CB	ALA	Α	25	68.48	30 20.27	11.510	0.00	0.00
ATOM	359	HB1	ALA	Α	25	69.09	20.93	10.900	0.00	0.00
ATOM	360	HB2	ALA	Α	25	67.45	20.24	11.160	0.00	0.00
ATOM	361	нв3	ALA	Α	25	68.43	20.68	12.520	0.00	0.00
ATOM	362	С	ALA	Α	25	70.34	10 18.82	12.650	0.00	0.00
ATOM	363	0	ALA	Α	25	71.16	19.75	12.740	0.00	0.00
ATOM	364	N	ILE	Α	26	70.50	00 17.77	13.400	0.00	0.00
ATOM	365	Н	ILE	Α	26	70.08	30 16.87	13.210	0.00	0.00
ATOM	366	CA	ILE	Α	26	71.35	17.64	14.660	0.00	0.00
ATOM	367	HA	ILE	Α	26	71.87	70 18.57	14.870	0.00	0.00
ATOM	368	СВ	ILE	Α	26	70.47	70 17.31	15.940	0.00	0.00
ATOM	369	HB	ILE	Α	26	71.19	00 17.25	16.760	0.00	0.00
ATOM	370	CG1	ILE	Α	26	69.57	70 16.04	15.730	0.00	0.00
ATOM	371	1HG1	ILE	Α	26	68.88	30 16.18	14.900	0.00	0.00
ATOM	372	2HG1	ILE	Α	26	70.21	15.17	15.610	0.00	0.00
MOTA	373	CG2	ILE	Α	26	69.61	18.55	16.280	0.00	0.00
MOTA	374	1HG2	ILE	A	26	69.06	18.89	15.400	0.00	0.00
MOTA	375	2HG2	ILE	Α	26	68.83	30 18.44	17.030	0.00	0.00
MOTA	376	3HG2	ILE	Α	26	70.35	19.33	16.480	0.00	0.00
MOTA	377	CD	ILE	Α	26	68.79	0 15.79	17.040	0.00	0.00
MOTA	378	HD1	ILE	Α	26	67.87	70 16.37	16.970	0.00	0.00
MOTA	379	HD2	ILE	Α	26	68.58	30 14.72	17.160	0.00	0.00
MOTA	380	HD3	ILE	Α	26	69.31	16.02	17.970	0.00	0.00
MOTA	381	С	ILE	Α	26	72.41	16.52	14.420	0.00	0.00
MOTA	382	0	ILE	Α	26	73.16	16.25	15.360	0.00	0.00
ATOM	383	N	LEU	Α	27	72.53	30 15.94	13.170	0.00	0.00
ATOM	384	Н	LEU	Α	27	71.99	00 16.26	12.370	0.00	0.00
ATOM	385	CA	LEU	Α	27	73.53	30 14.97	12.750	0.00	0.00
MOTA	386	HA	LEU	Α	27	73.86		13.580	0.00	0.00
MOTA	387	СВ	LEU	Α	27	72.97		11.660	0.00	0.00
MOTA	388	HB1	LEU	A	27	72.61	14.74	0 10.920	0.00	0.00

		0		_	0.5		0.00	40 500	44 050		
ATOM	389		LEU		27		.870	13.500	11.350	0.00	0.00
MOTA	390	CG	LEU	A	27	71	.860	13.060	12.170	0.00	0.00
MOTA	391	HG	LEU	Α	27	71	.070	13.650	12.630	0.00	0.00
MOTA	392	CD1	LEU	Α	27	71	.190	12.430	10.960	0.00	0.00
ATOM	393	1HD1	LEU	Α	27	70	.750	13.050	10.180	0.00	0.00
ATOM	394	2HD1	LEU	Α	27	71	.890	11.720	10.520	0.00	0.00
ATOM	395	3HD1	LEU	Α	27	70	.410	11.770	11.330	0.00	0.00
ATOM	396		LEU		27		.470	11.960	13.030	0.00	0.00
ATOM	397	1HD2			27		.710	11.190	13.130	0.00	0.00
ATOM	398	2HD2			27		.320	11.520	12.500	0.00	0.00
ATOM	399	3HD2			27		.770	12.300	14.020	0.00	0.00
ATOM	400	С	LEU		27		.610	15.830	12.100	0.00	0.00
MOTA	401	0	LEU		27		.340	16.890	11.580	0.00	0.00
MOTA	402	N	SER	Α	28	75	.850	15.310	12.110	0.00	0.00
ATOM	403	Н	SER	Α	28	76	.070	14.620	12.810	0.00	0.00
ATOM	404	CA	SER	Α	28	77	.090	15.710	11.510	0.00	0.00
ATOM	405	HA	SER	Α	28	77	.420	16.720	11.770	0.00	0.00
ATOM	406	СВ	SER	Α	28	78	.140	14.770	12.030	0.00	0.00
ATOM	407	HB1	SER	Α	28	79	.050	15.070	11.510	0.00	0.00
ATOM	408	нв2	SER		28		.370	14.880	13.090	0.00	0.00
ATOM	409	OG	SER		28		.850	13.450	11.620	0.00	0.00
ATOM	410	HG	SER		28		.260	13.430	10.800	0.00	0.00
ATOM	411	С	SER		28		.050	15.850	9.910	0.00	0.00
ATOM	412	0	SER		28		.750	16.640	9.350	0.00	0.00
ATOM	413	N	SER		29		.100	15.140	9.220	0.00	0.00
MOTA	414	Н	SER	Α	29	75	.530	14.460	9.710	0.00	0.00
ATOM	415	CA	SER	Α	29	75	.900	14.990	7.770	0.00	0.00
MOTA	416	HA	SER	Α	29	76	.880	15.210	7.360	0.00	0.00
MOTA	417	CB	SER	Α	29	75	.320	13.550	7.610	0.00	0.00
ATOM	418	HB1	SER	Α	29	75	.160	13.300	6.560	0.00	0.00
ATOM	419	HB2	SER	Α	29	75	.970	12.730	7.930	0.00	0.00
ATOM	420	OG	SER	Α	29	74	.100	13.320	8.410	0.00	0.00
ATOM	421	HG	SER		29		.380	13.750	7.970	0.00	0.00
ATOM	422	С	SER		29		.970	16.010	7.110	0.00	0.00
ATOM	423	0	SER		29		.560	15.790	5.960	0.00	0.00
ATOM	424	N	THR		30		.430	16.970	7.830	0.00	0.00
					30		.620	17.000			
ATOM	425	Н	THR						8.830	0.00	0.00
ATOM	426	CA	THR		30		.780	18.210	7.310	0.00	0.00
ATOM	427	HA	THR		30		.250	18.270	6.330	0.00	0.00
MOTA	428	СВ	THR		30		.340	17.910	7.070	0.00	0.00
MOTA	429	HB	THR	Α	30	72	.220	16.950	6.570	0.00	0.00
MOTA	430	OG1	THR	Α	30		.780	18.900	6.220	0.00	0.00
MOTA	431	HG1	THR	Α	30	72	.120	18.860	5.340	0.00	0.00
MOTA	432	CG2	THR	Α	30	71	.470	17.970	8.370	0.00	0.00
ATOM	433	1HG2	THR	Α	30	71	.920	17.560	9.280	0.00	0.00
ATOM	434	2HG2	THR	Α	30	71	.390	18.980	8.760	0.00	0.00
ATOM	435	3HG2			30		.500	17.550	8.120	0.00	0.00
ATOM	436	С	THR		30		.220	19.490	8.100	0.00	0.00
ATOM	437	0	THR		30		.990	19.430	9.040	0.00	0.00
										0.00	
ATOM	438	N	ASN		31		.590	20.650	7.840		0.00
ATOM	439	H	ASN		31		.940	20.750	7.060	0.00	0.00
ATOM	440	CA	ASN		31		.730	21.920	8.590	0.00	0.00
ATOM	441	HA	ASN		31		.340	21.800	9.610	0.00	0.00
MOTA	442	СВ	ASN		31		.180	22.390	8.670	0.00	0.00
MOTA	443	HB1	ASN	Α	31	75	.850	21.610	9.030	0.00	0.00
MOTA	444	HB2	ASN	Α	31	75	.460	22.670	7.650	0.00	0.00
MOTA	445	CG	ASN	Α	31	75	.360	23.500	9.710	0.00	0.00
MOTA	446	OD1	ASN	Α	31	75	.590	23.320	10.870	0.00	0.00

MOTA	447	ND2	ASN	Α	31	75.470	24.840	9.360	0.00	0.00
MOTA	448	1HD2			31	75.270	25.090	8.400	0.00	0.00
MOTA	449	2HD2	ASN	Α	31	75.700	25.500	10.090	0.00	0.00
MOTA	450	С	ASN	Α	31	72.980	23.030	7.870	0.00	0.00
MOTA	451	0	ASN	Α	31	73.270	23.260	6.680	0.00	0.00
MOTA	452	N	VAL	Α	32	72.100	23.790	8.510	0.00	0.00
MOTA	453	Н	VAL	Α	32	71.780	23.630	9.460	0.00	0.00
MOTA	454	CA	VAL	Α	32	71.180	24.750	7.940	0.00	0.00
MOTA	455	HA	VAL	Α	32	71.600	24.940	6.950	0.00	0.00
MOTA	456	CB	VAL	Α	32	69.780	24.060	7.600	0.00	0.00
MOTA	457	HB	VAL	Α	32	69.140	24.850	7.180	0.00	0.00
MOTA	458	CG1	VAL	Α	32	69.850	23.240	6.310	0.00	0.00
MOTA	459	1HG1	VAL	Α	32	68.840	23.070	5.940	0.00	0.00
MOTA	460	2HG1	VAL	Α	32	70.430	23.750	5.550	0.00	0.00
ATOM	461	3HG1	VAL	Α	32	70.340	22.280	6.470	0.00	0.00
ATOM	462	CG2	VAL	Α	32	69.030	23.400	8.810	0.00	0.00
ATOM	463	1HG2	VAL	Α	32	69.700	22.800	9.430	0.00	0.00
ATOM	464	2HG2	VAL	Α	32	68.450	24.140	9.360	0.00	0.00
ATOM	465	3HG2			32	68.250	22.700	8.530	0.00	0.00
ATOM	466	С	VAL		32	71.060	26.130	8.740	0.00	0.00
ATOM	467	0	VAL		32	70.430	27.070	8.260	0.00	0.00
ATOM	468	N	GLY		33	71.830	26.100	9.820	0.00	0.00
ATOM	469	Н	GLY		33	72.110	25.210	10.190	0.00	0.00
ATOM	470	CA	GLY		33	71.520	27.150	10.840	0.00	0.00
ATOM	471	HA1	GLY		33	72.520	27.360	11.230	0.00	0.00
ATOM	472	HA2	GLY		33	71.150	28.040	10.320	0.00	0.00
ATOM	473	C	GLY		33	70.530	26.680	11.890	0.00	0.00
ATOM	474	0	GLY		33	69.350	26.480	11.610	0.00	0.00
ATOM	475	N	SER		34	70.930	26.490	13.160	0.00	0.00
ATOM	476	Н	SER		34	71.790	26.900	13.490	0.00	0.00
ATOM	477	CA	SER		34	70.070	26.020	14.300	0.00	0.00
ATOM	478	HA	SER		34	69.650	25.100	13.910	0.00	0.00
ATOM	479	СВ	SER		34	70.940	25.670	15.560	0.00	0.00
ATOM	480	HB1	SER		34	70.260	25.610	16.420	0.00	0.00
	481	HB2	SER		34	71.280	24.650	15.440	0.00	0.00
ATOM					34					
ATOM	482	OG	SER		34	71.910	26.630 27.480	15.640 15.950	0.00	0.00
ATOM	483	HG	SER			71.650			0.00	
ATOM	484	С	SER		34	68.930	26.970	14.590	0.00	0.00
ATOM	485	0	SER		34	67.850	26.560	15.000	0.00	0.00
ATOM	486	N	ASN		35	69.200	28.250	14.300	0.00	0.00
ATOM	487	H	ASN		35	70.150	28.420	14.000	0.00	0.00
ATOM	488	CA	ASN		35	68.250	29.300	14.400	0.00	0.00
ATOM	489	HA	ASN		35	67.990	29.190	15.450	0.00	0.00
ATOM	490	СВ	ASN		35	68.890	30.730	14.280	0.00	0.00
ATOM	491		ASN		35	68.200	31.490	14.650	0.00	0.00
ATOM	492		ASN		35	69.790	30.820	14.890	0.00	0.00
MOTA	493	CG	ASN		35	69.200	31.060	12.830	0.00	0.00
MOTA	494		ASN		35	70.090	30.480	12.200	0.00	0.00
MOTA	495		ASN		35	68.570	32.060	12.280	0.00	0.00
MOTA	496	1HD2			35	67.970	32.550	12.920	0.00	0.00
MOTA	497	2HD2			35	68.710	32.310	11.310	0.00	0.00
MOTA	498	С	ASN	Α	35	67.000	29.050	13.580	0.00	0.00
MOTA	499	0	ASN	Α	35	66.020	29.700	13.910	0.00	0.00
MOTA	500	N	THR	Α	36	66.990	28.230	12.520	0.00	0.00
MOTA	501	Н	THR	Α	36	67.910	27.920	12.250	0.00	0.00
MOTA	502	CA	THR	Α	36	65.900	28.090	11.540	0.00	0.00
MOTA	503	HA	THR	Α	36	65.650	29.120	11.270	0.00	0.00
MOTA	504	СВ	THR	A	36	66.490	27.380	10.280	0.00	0.00

ATOM	505	HB	THR	Α	36	65.750	27.170	9.510	0.00	0.00
ATOM	506	OG1	THR	Α	36	66.970	26.060	10.450	0.00	0.00
ATOM	507	HG1	THR	Α	36	67.760	26.110	10.980	0.00	0.00
ATOM	508	CG2	THR	Α	36	67.600	28.270	9.670	0.00	0.00
ATOM	509	1HG2	THR	Α	36	68.380	28.510	10.390	0.00	0.00
ATOM	510	2HG2	THR	Α	36	68.110	27.780	8.830	0.00	0.00
ATOM	511	3HG2	THR	Α	36	67.260	29.210	9.240	0.00	0.00
ATOM	512	С	THR	Α	36	64.640	27.390	12.180	0.00	0.00
ATOM	513	0	THR	Α	36	63.580	27.640	11.700	0.00	0.00
ATOM	514	N	TYR	Α	37	64.880	26.680	13.280	0.00	0.00
ATOM	515	Н	TYR	Α	37	65.790	26.640	13.710	0.00	0.00
ATOM	516	CA	TYR	Α	37	63.990	25.840	14.070	0.00	0.00
ATOM	517	HA	TYR	Α	37	62.950	26.070	13.810	0.00	0.00
ATOM	518	СВ	TYR	Α	37	64.120	24.390	13.600	0.00	0.00
ATOM	519	HB1	TYR	Α	37	63.400	23.780	14.140	0.00	0.00
ATOM	520	HB2	TYR	Α	37	64.000	24.270	12.520	0.00	0.00
ATOM	521	CG	TYR	Α	37	65.380	23.690	14.020	0.00	0.00
ATOM	522	CD1	TYR	Α	37	66.550	23.820	13.220	0.00	0.00
ATOM	523	HD1	TYR	Α	37	66.600	24.480	12.370	0.00	0.00
ATOM	524	CD2	TYR	Α	37	65.470	22.860	15.130	0.00	0.00
ATOM	525	HD2	TYR	Α	37	64.650	22.870	15.830	0.00	0.00
ATOM	526	CE1	TYR	Α	37	67.670	23.100	13.490	0.00	0.00
ATOM	527	HE1	TYR	Α	37	68.560	23.240	12.890	0.00	0.00
ATOM	528	CE2	TYR	Α	37	66.660	22.270	15.510	0.00	0.00
ATOM	529	HE2	TYR	Α	37	66.760	21.690	16.420	0.00	0.00
ATOM	530	CZ	TYR	Α	37	67.760	22.380	14.650	0.00	0.00
ATOM	531	ОН	TYR	Α	37	69.020	21.920	15.060	0.00	0.00
ATOM	532	НН	TYR	Α	37	69.070	21.680	15.980	0.00	0.00
ATOM	533	С	TYR	Α	37	64.150	26.120	15.530	0.00	0.00
ATOM	534	0	TYR	Α	37	63.700	25.360	16.370	0.00	0.00
ATOM	535	N	NH2	Α	38	64.780	27.240	15.860	0.00	0.00
ATOM	536	Н1	NH2	Α	38	65.070	27.890	15.150	0.00	0.00
ATOM	537	Н2	NH2	Α	38	65.020	27.500	16.800	0.00	0.00
CONECT	32	94								
CONECT	94	32								
END										

TITLE	Col	llapse	ed Co	oni	formation	330 K 1	bar			
SSBOND	1 (	CYS A	2	2	CYS A	7				
ATOM	1	N	LYS	Α	1	50.180	1.660	28.350	0.00	0.00
ATOM	2	Н1	LYS	Α	1	49.780	1.700	27.420	0.00	0.00
ATOM	3	Н2	LYS	Α	1	50.270	0.720	28.710	0.00	0.00
ATOM	4	нЗ	LYS	Α	1	49.510	2.050	28.980	0.00	0.00
ATOM	5	CA	LYS	Α	1	51.460	2.350	28.150	0.00	0.00
ATOM	6	HA	LYS	Α	1	52.080	1.860	27.410	0.00	0.00
ATOM	7	СВ	LYS	Α	1	51.320	3.870	27.720	0.00	0.00
ATOM	8	HB1	LYS	Α	1	50.340	4.290	27.960	0.00	0.00
ATOM	9	HB2	LYS	Α	1	51.980	4.500	28.320	0.00	0.00
ATOM	10	CG	LYS	Α	1	51.260	4.200	26.190	0.00	0.00
ATOM	11	HG1		Α	1	52.060	3.780	25.580	0.00	0.00
ATOM	12	HG2		Α	1	50.430	3.630	25.760	0.00	0.00
ATOM	13	CD		Α	1	51.060	5.730	25.920	0.00	0.00
ATOM	14	HD1		Α	1	50.300	6.080	26.620	0.00	0.00
ATOM	15	HD2		A	1	51.970	6.280	26.150	0.00	0.00
ATOM	16	CE		A	1	50.530	6.030	24.530	0.00	0.00
ATOM	17	HE1		Α	1	51.170	5.600	23.770	0.00	0.00
ATOM	18	HE2		A	1	49.500	5.670	24.510	0.00	0.00
ATOM	19	NZ		A	1	50.540	7.500	24.270	0.00	0.00
ATOM	20	HZ1	LYS	A	1	49.930	7.720	23.500	0.00	0.00
ATOM	21	HZ2	LYS	A	1	50.250	8.140	25.000	0.00	0.00
ATOM	22	HZ3	LYS	A	1	51.460	7.840	24.030	0.00	0.00
ATOM	23	C		A	1	52.330	2.200	29.360	0.00	0.00
ATOM	24	0		A	1	51.970	2.160	30.530	0.00	0.00
ATOM	25	N		A	2	53.610	2.210	29.100	0.00	0.00
ATOM	26	Н		A	2	53.930	2.150	28.140	0.00	0.00
ATOM	27	CA		A	2	54.670	2.280	30.080	0.00	0.00
ATOM	28	HA		A	2	54.470	2.950	30.920	0.00	0.00
ATOM	29	СВ		A	2	54.910	0.930	30.800	0.00	0.00
ATOM	30	HB1		A	2	53.990	0.570	31.260	0.00	0.00
ATOM	31	HB2		A	2	55.190	0.200	30.030	0.00	0.00
ATOM	32	SG		A	2	56.140	0.940	32.220	0.00	0.00
ATOM	33	С		A	2	55.890	2.800	29.270	0.00	0.00
ATOM	34	0	CYS	A	2	56.320	2.250	28.240	0.00	0.00
ATOM	35	N	ASN		3	56.570	3.830	29.780	0.00	0.00
ATOM	36	Н	ASN		3	56.160	4.390	30.520	0.00	0.00
ATOM	37	CA	ASN		3	57.900	4.330	29.360	0.00	0.00
ATOM	38	HA	ASN		3	58.410	3.520	28.840	0.00	0.00
ATOM	39	СВ	ASN		3	57.660	5.480	28.390	0.00	0.00
ATOM	40		ASN		3	56.800	5.450	27.720	0.00	0.00
ATOM	41		ASN		3	57.370	6.390	28.910	0.00	0.00
ATOM	42	CG	ASN		3	58.900	5.810	27.490	0.00	0.00
ATOM	43		ASN		3	60.010	5.440	27.810	0.00	0.00
ATOM	44		ASN		3	58.670	6.600	26.500	0.00	0.00
ATOM	45	1HD2			3	57.780	7.000	26.230	0.00	0.00
ATOM	46	2HD2			3	59.440	6.980	25.960	0.00	0.00
ATOM	47	С	ASN		3	58.640	4.790	30.660	0.00	0.00
ATOM	48	0	ASN		3	58.700	5.950	31.000	0.00	0.00
ATOM	49	N	THR		4	59.130	3.740	31.350	0.00	0.00
ATOM	50	Н	THR		4	58.930	2.860	30.880	0.00	0.00
ATOM	51	CA	THR		4	60.020	3.820	32.430	0.00	0.00
ATOM	52	НА	THR		4	60.480	4.810	32.560	0.00	0.00
ATOM	53	СВ	THR		4	59.320	3.560	33.750	0.00	0.00
ATOM	54	НВ	THR		4	60.040	3.850	34.520	0.00	0.00
ATOM	55	OG1	THR		4	58.980	2.160	33.860	0.00	0.00
ATOM	56		THR		4	58.180	1.940	33.400	0.00	0.00

ATOM	57	CG2	THR	Α	4	58.010	4.280	34.000	0.00	0.00
ATOM	58	1HG2	THR	Α	4	57.160	3.760	33.550	0.00	0.00
MOTA	59	2HG2	THR	Α	4	57.790	4.250	35.070	0.00	0.00
MOTA	60	3HG2	THR	А	4	57.880	5.290	33.620	0.00	0.00
MOTA	61	С	THR		4	61.200	2.880	32.150	0.00	0.00
MOTA	62	0	THR	А	4	61.070	1.910	31.350	0.00	0.00
MOTA	63	N	ALA		5	62.270	3.010	32.920	0.00	0.00
MOTA	64	Н	ALA		5	62.220	3.810	33.550	0.00	0.00
MOTA	65	CA	ALA		5	63.590	2.280	32.870	0.00	0.00
MOTA	66	HA	ALA		5	64.090	2.350	31.900	0.00	0.00
MOTA	67	СВ	ALA		5	64.530	3.050	33.910	0.00	0.00
MOTA	68	HB1	ALA		5	63.980	3.140	34.840	0.00	0.00
MOTA	69	HB2	ALA		5	65.470	2.520	34.070	0.00	0.00
MOTA	70	нв3	ALA		5	64.730	4.070	33.600	0.00	0.00
MOTA	71	С	ALA		5	63.570	0.720	33.070	0.00	0.00
MOTA	72	0	ALA		5	64.660	0.210	33.120	0.00	0.00
MOTA	73	N	THR		6	62.370	0.150	33.080	0.00	0.00
MOTA	74	Н	THR		6	61.640	0.780	32.770	0.00	0.00
MOTA	75	CA	THR		6	62.060	-1.210	33.420	0.00	0.00
MOTA	76	HA	THR		6	62.890	-1.840	33.100	0.00	0.00
MOTA	77	СВ	THR		6	62.000	-1.460	35.000	0.00	0.00
MOTA	78	HB	THR		6	63.010	-1.440	35.420	0.00	0.00
MOTA	79	OG1	THR		6	61.590	-2.750	35.430	0.00	0.00
MOTA	80	HG1	THR		6	62.140	-3.430	35.080	0.00	0.00
MOTA	81	CG2	THR		6	61.170	-0.460	35.740	0.00	0.00
MOTA	82	1HG2	THR		6	61.350	0.540	35.350	0.00	0.00
MOTA	83	2HG2	THR		6	60.120	-0.720	35.580	0.00	0.00
MOTA	84	3HG2	THR		6	61.360	-0.550	36.810	0.00	0.00
MOTA	85	С	THR		6	60.850	-1.720	32.510	0.00	0.00
MOTA	86	0	THR		6	60.310	-2.760	32.750	0.00	0.00
MOTA	87	N		A	7	60.450	-0.940	31.420	0.00	0.00
MOTA	88	Н		A	7	60.970	-0.100	31.230	0.00	0.00
ATOM	89	CA	CYS		7	59.530	-1.350	30.340	0.00	0.00
ATOM	90	HA		А	7	59.710	-2.430	30.310	0.00	0.00
ATOM	91	CB		A	7	58.120	-1.060	30.790	0.00	0.00
ATOM	92	HB1	CYS	A	7	57.400	-1.520	30.100	0.00	0.00
ATOM	93			A	7	57.930	-1.550	31.750	0.00	0.00
ATOM	94	SG	CYS		7	57.890	0.720	31.200	0.00	0.00
ATOM	95	С	CYS		7	59.970	-0.750	29.050	0.00	0.00
ATOM	96	0	CYS		7	59.680	-1.340	28.020	0.00	0.00
ATOM	97	N	ALA		8	60.600	0.410	29.080	0.00	0.00
ATOM	98	H	ALA		8	60.700	0.890	29.960	0.00	0.00
ATOM	99	CA	ALA		8	61.240	0.960	27.860	0.00	0.00
ATOM	100	HA	ALA		8	60.610	0.890	26.970	0.00	0.00
ATOM	101	CB	ALA		8	61.490	2.460	28.180	0.00	0.00
ATOM	102		ALA		8	61.860	3.010	27.310	0.00	0.00
ATOM	103		ALA		8	60.540	2.870	28.520	0.00	0.00
ATOM	104		ALA		8	62.270	2.400	28.930	0.00	0.00
ATOM	105	С	ALA		8	62.530	0.260	27.460	0.00	0.00
ATOM	106	0	ALA		8	63.110	0.550	26.390	0.00	0.00
ATOM	107	N	THR		9	62.900	-0.760	28.310	0.00	0.00
ATOM	108	H	THR		9	62.580	-1.020	29.230	0.00	0.00
ATOM	109	CA	THR		9	64.100	-1.560	28.040	0.00	0.00
ATOM	110	HA	THR		9	64.870	-0.920	27.620	0.00	0.00
ATOM	111	CB	THR		9	64.540	-2.110	29.480	0.00	0.00
ATOM	112	HB OC1	THR		9	65.310	-2.870	29.340	0.00	0.00
ATOM	113	OG1	THR		9	63.410	-2.690	30.180	0.00	0.00
ATOM	114	HGI	THR	А	9	63.720	-3.280	30.840	0.00	0.00

MOTA	115	CG2	THR	Α	9	65.100	-1.260	30.590	0.00	0.00
ATOM	116	1HG2	THR	Α	9	64.380	-0.470	30.790	0.00	0.00
MOTA	117	2HG2	THR	Α	9	65.380	-1.950	31.390	0.00	0.00
MOTA	118	3HG2	THR		9	66.080	-0.820	30.380	0.00	0.00
MOTA	119	С	THR		9	63.780	-2.740	27.100	0.00	0.00
ATOM	120	0	THR	А	9	64.700	-3.210	26.480	0.00	0.00
ATOM	121	N	GLN	А	10	62.500	-3.090	27.000	0.00	0.00
ATOM	122	Н	GLN	А	10	61.860	-2.580	27.600	0.00	0.00
ATOM	123	CA	GLN	А	10	61.890	-3.980	26.020	0.00	0.00
MOTA	124	HA	GLN		10	62.630	-4.730	25.740	0.00	0.00
ATOM	125	СВ	GLN	А	10	60.620	-4.490	26.690	0.00	0.00
ATOM	126	HB1	GLN		10	59.870	-3.700	26.690	0.00	0.00
ATOM	127	HB2	GLN		10	60.160	-5.300	26.120	0.00	0.00
MOTA	128	CG	GLN		10	60.930	-5.060	28.120	0.00	0.00
ATOM	129	HG1	GLN		10	61.150	-4.240	28.800	0.00	0.00
ATOM	130	HG2	GLN		10	59.980	-5.560	28.330	0.00	0.00
ATOM	131	CD	GLN		10	62.100	-5.900	28.480	0.00	0.00
ATOM	132	OE1	GLN		10	62.700	-6.500	27.700	0.00	0.00
MOTA	133	NE2	GLN		10	62.230	-5.950	29.770	0.00	0.00
ATOM	134	1HE2	GLN		10	61.450	-5.710	30.370	0.00	0.00
ATOM	135	2HE2	GLN		10	63.070	-6.370	30.170	0.00	0.00
ATOM	136	С	GLN		10	61.440	-3.200	24.770	0.00	0.00
ATOM	137	0	GLN		10	60.660	-3.790	24.040	0.00	0.00
ATOM	138	N	ARG		11	61.950	-1.990	24.370	0.00	0.00
ATOM	139	Н	ARG		11	62.690	-1.500	24.870	0.00	0.00
ATOM	140	CA	ARG		11	61.760	-1.450	23.090	0.00	0.00
MOTA	141	HA	ARG		11	61.050	-1.890	22.400	0.00	0.00
ATOM	142	СВ	ARG		11	61.500	0.090	23.380	0.00	0.00
ATOM	143	HB1	ARG		11	62.350	0.610	23.830	0.00	0.00
ATOM	144		ARG		11	61.370	0.570	22.410	0.00	0.00
MOTA	145	CG	ARG		11	60.190	0.370	24.090	0.00	0.00
MOTA	146	HG1	ARG		11	59.410	-0.110	23.500	0.00	0.00
ATOM	147		ARG		11	60.000	-0.100	25.050	0.00	0.00
ATOM	148	CD	ARG		11	59.980	1.850	24.220	0.00	0.00
ATOM	149		ARG		11	60.550	2.310	25.020	0.00	0.00
ATOM	150		ARG		11	60.210	2.410	23.320	0.00	0.00
MOTA	151	NE	ARG		11	58.640	2.110	24.690	0.00	0.00
ATOM	152	HE	ARG		11	58.190	1.330	25.150	0.00	0.00
MOTA	153	CZ	ARG		11	58.180	3.360	24.620	0.00	0.00
MOTA	154		ARG		11	58.830	4.340	23.940	0.00	0.00
ATOM	155	1HH1			11	59.770	4.160	23.630	0.00	0.00
ATOM		2HH1			11	58.510	5.290	23.860	0.00	0.00
ATOM	157		ARG		11	56.970	3.590	25.140	0.00	0.00
ATOM	158	1HH2			11	56.400	2.900	25.620	0.00	0.00
ATOM	159				11	56.600	4.530	25.120	0.00	0.00
ATOM	160	C	ARG		11	63.150	-1.490	22.480	0.00	0.00
ATOM	161	0	ARG		11	64.120	-0.980	23.030	0.00	0.00
ATOM	162	N	LEU		12	63.160	-2.010	21.220	0.00	0.00
ATOM	163	Н	LEU		12	62.290	-2.440	20.930	0.00	0.00
ATOM	164	CA	LEU		12	64.290	-2.060	20.350	0.00	0.00
ATOM	165	HA	LEU		12	65.200	-1.950	20.950	0.00	0.00
ATOM	166	CB up1	LEU		12	64.380	-3.440	19.550	0.00	0.00
ATOM	167 168		LEU LEU		12 12	63.380	-3.550 -3.270	19.150 18.790	0.00	0.00
ATOM	169		LEU		12	65.140 64.860	-3.270 -4.680	20.460	0.00	0.00
ATOM		CG HG	LEU		12	65.650	-4.680 -4.320	20.460	0.00	0.00
ATOM	170		LEU		12	63.670	-4.320 -5.320	21.130	0.00	0.00
ATOM	171	1HD1			12	63.860	-5.320 -6.270	21.120		
MOTA	1/2	тилт	л₽О	Η	工乙	03.000	-0.2/0	21.020	0.00	0.00

ATOM	173	2HD1	LEU	Α	12	63.390	-4.660	21.940	0.00	0.00
ATOM	174	3HD1	LEU	Α	12	62.790	-5.410	20.480	0.00	0.00
ATOM	175	CD2	LEU	Α	12	65.520	-5.720	19.520	0.00	0.00
ATOM	176	1HD2	LEU	Α	12	65.710	-6.650	20.050	0.00	0.00
MOTA	177	2HD2	LEU	Α	12	64.940	-5.830	18.610	0.00	0.00
ATOM	178	3HD2	LEU	Α	12	66.530	-5.490	19.190	0.00	0.00
ATOM	179	С	LEU	Α	12	64.200	-0.920	19.350	0.00	0.00
ATOM	180	0	LEU	Α	12	65.200	-0.220	19.140	0.00	0.00
ATOM	181	N	ALA	Α	13	62.980	-0.620	18.830	0.00	0.00
ATOM	182	Н	ALA	Α	13	62.290	-1.190	19.290	0.00	0.00
ATOM	183	CA	ALA	Α	13	62.580	0.470	17.950	0.00	0.00
ATOM	184	HA	ALA	Α	13	63.210	1.290	18.270	0.00	0.00
ATOM	185	СВ	ALA	Α	13	62.900	0.150	16.440	0.00	0.00
ATOM	186	HB1	ALA	Α	13	63.830	-0.390	16.280	0.00	0.00
ATOM	187	HB2	ALA	Α	13	62.120	-0.330	15.840	0.00	0.00
ATOM	188	нв3	ALA	Α	13	63.050	1.090	15.910	0.00	0.00
ATOM	189	С	ALA	Α	13	61.120	0.900	18.150	0.00	0.00
ATOM	190	0	ALA	Α	13	60.390	0.220	18.760	0.00	0.00
ATOM	191	N	ASN	Α	14	60.740	2.000	17.460	0.00	0.00
ATOM	192	Н	ASN	Α	14	61.530	2.440	17.010	0.00	0.00
ATOM	193	CA	ASN	Α	14	59.350	2.620	17.320	0.00	0.00
ATOM	194	НА	ASN	Α	14	59.200	2.920	18.360	0.00	0.00
ATOM	195	СВ	ASN		14	59.430	3.990	16.560	0.00	0.00
ATOM	196	HB1	ASN		14	58.520	4.600	16.540	0.00	0.00
ATOM	197	нв2	ASN		14	60.190	4.650	16.990	0.00	0.00
ATOM	198	CG	ASN		14	59.770	3.930	15.020	0.00	0.00
ATOM	199		ASN		14	58.920	4.040	14.170	0.00	0.00
ATOM	200		ASN		14	61.020	3.800	14.790	0.00	0.00
ATOM	201	1HD2			14	61.680	3.750	15.550	0.00	0.00
ATOM	202	2HD2			14	61.440	3.850	13.870	0.00	0.00
ATOM	203	С	ASN		14	58.210	1.740	16.860	0.00	0.00
ATOM	204	0	ASN		14	57.100	2.260	16.840	0.00	0.00
ATOM	205	N	PHE		15	58.410	0.470	16.500	0.00	0.00
ATOM	206	Н	PHE		15	59.350	0.100	16.460	0.00	0.00
ATOM	207	CA	PHE		15	57.360	-0.550	16.150	0.00	0.00
ATOM	208	НА	PHE		15	56.420	-0.400	16.680	0.00	0.00
ATOM	209	СВ	PHE		15	56.890	-0.430	14.720	0.00	0.00
ATOM	210		PHE		15	55.950	-0.980	14.710	0.00	0.00
ATOM	211		PHE		15	56.670	0.570	14.370	0.00	0.00
ATOM	212	CG	PHE		15	57.820	-0.940	13.650	0.00	0.00
ATOM	213		PHE		15	59.020	-0.310	13.310	0.00	0.00
ATOM	214		PHE		15	59.290	0.550	13.910	0.00	0.00
ATOM	215		PHE		15	57.470	-2.080	12.870	0.00	0.00
ATOM	216		PHE		15	56.530	-2.600	12.950	0.00	0.00
ATOM	217		PHE		15	59.840	-0.820	12.300	0.00	0.00
ATOM	218		PHE		15	60.720	-0.230	12.090	0.00	0.00
ATOM	219		PHE		15	58.300	-2.650	11.880	0.00	0.00
ATOM	220		PHE		15	57.990	-3.510	11.310	0.00	0.00
ATOM	221	CZ	PHE		15	59.520	-2.020	11.620	0.00	0.00
ATOM	222	ΗZ	PHE		15	60.190	-2.390	10.860	0.00	0.00
ATOM	223	C	PHE		15	57.940	-1.950	16.480	0.00	0.00
ATOM	224	0	PHE		15	57.380	-3.010	16.150	0.00	0.00
ATOM	225	N	LEU		16	59.140	-1.930	17.120	0.00	0.00
ATOM	226	Н	LEU		16	59.500	-1.130	17.610	0.00	0.00
ATOM	227	CA	LEU		16	59.890	-3.140	17.400	0.00	0.00
ATOM	228	HA	LEU		16	59.340	-4.050	17.160	0.00	0.00
ATOM	229	СВ	LEU		16	61.240	-3.090	16.550	0.00	0.00
ATOM	230		LEU		16	61.900	-2.300	16.880	0.00	0.00
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MOTA	231	HB2	LEU	Α	16	61.900	-3.950	16.670	0.00	0.00
ATOM	232	CG	LEU	Α	16	60.950	-3.060	15.060	0.00	0.00
ATOM	233	HG	LEU	Α	16	60.110	-2.410	14.830	0.00	0.00
ATOM	234	CD1	LEU	Α	16	62.180	-2.510	14.300	0.00	0.00
ATOM	235	1HD1	LEU	Α	16	62.510	-3.270	13.600	0.00	0.00
ATOM	236	2HD1	LEU	Α	16	62.180	-1.530	13.810	0.00	0.00
ATOM	237	3HD1			16	62.980	-2.250	15.000	0.00	0.00
ATOM	238		LEU		16	60.680	-4.500	14.580	0.00	0.00
ATOM	239	1HD2			16	60.690	-4.580	13.490	0.00	0.00
ATOM	240	2HD2			16	61.430	-5.220	14.920	0.00	0.00
ATOM	241	3HD2	LEU	Α	16	59.770	-4.780	15.120	0.00	0.00
ATOM	242	С	LEU	Α	16	60.130	-3.330	18.930	0.00	0.00
MOTA	243	0	LEU	Α	16	60.820	-2.550	19.570	0.00	0.00
ATOM	244	N	VAL	Α	17	59.610	-4.400	19.520	0.00	0.00
ATOM	245	Н	VAL	Α	17	59.240	-5.090	18.880	0.00	0.00
ATOM	246	CA	VAL	Α	17	59.340	-4.610	20.930	0.00	0.00
ATOM	247	НА	VAL	Α	17	60.030	-3.960	21.470	0.00	0.00
ATOM	248	СВ	VAL	Α	17	57.890	-4.250	21.300	0.00	0.00
ATOM	249	HB	VAL		17	57.150	-4.900	20.840	0.00	0.00
ATOM	250		VAL		17	57.670	-4.500	22.850	0.00	0.00
	251	1HG1			17	57.960	-5.530	23.060	0.00	0.00
ATOM										
ATOM	252	2HG1			17	58.350	-3.810	23.340	0.00	0.00
ATOM	253	3HG1			17	56.650	-4.340	23.190	0.00	0.00
ATOM	254		VAL		17	57.490	-2.830	20.760	0.00	0.00
ATOM	255	1HG2			17	58.160	-2.170	21.320	0.00	0.00
ATOM	256	2HG2	VAL	Α	17	57.590	-2.880	19.670	0.00	0.00
ATOM	257	3HG2	VAL	Α	17	56.450	-2.630	21.020	0.00	0.00
ATOM	258	С	VAL	Α	17	59.820	-6.060	21.380	0.00	0.00
ATOM	259	0	VAL	Α	17	59.590	-7.080	20.750	0.00	0.00
ATOM	260	N	HIS	Α	18	60.560	-6.290	22.480	0.00	0.00
ATOM	261	Н	HIS	Α	18	60.860	-5.460	22.980	0.00	0.00
ATOM	262	CA	HIS		18	61.010	-7.520	23.120	0.00	0.00
ATOM	263	HA	HIS		18	61.730	-8.010	22.460	0.00	0.00
ATOM	264	СВ	HIS		18	61.710	-7.360	24.450	0.00	0.00
ATOM	265	HB1	HIS		18	62.500	-6.640	24.260	0.00	0.00
ATOM	266	HB2	HIS		18	61.020	-7.010	25.220	0.00	0.00
ATOM	267	CG	HIS		18	62.500	-8.550	24.990	0.00	0.00
ATOM	268		HIS		18	61.930	-9.640	25.670	0.00	0.00
MOTA	269		HIS		18	63.800		24.790	0.00	0.00
ATOM	270	HD2	HIS	Α	18	64.610		24.310	0.00	0.00
MOTA	271	CE1	HIS	Α	18	62.890	-10.490	25.950	0.00	0.00
ATOM	272	HE1	HIS	Α	18	62.570	-11.410	26.410	0.00	0.00
ATOM	273	NE2	HIS	Α	18	64.050	-10.110	25.430	0.00	0.00
ATOM	274	HE2	HIS	Α	18	64.840	-10.720	25.280	0.00	0.00
ATOM	275	С	HIS	Α	18	59.830	-8.500	23.320	0.00	0.00
ATOM	276	0	HIS		18	58.700		23.620	0.00	0.00
ATOM	277	N	SER		19	60.150		23.280	0.00	0.00
ATOM	278	Н	SER		19	61.140		23.140	0.00	0.00
ATOM	279	CA	SER		19		-10.900	23.410	0.00	0.00
ATOM	280	HA	SER		19		-10.950	22.540	0.00	0.00
ATOM	281	CB	SER		19		-12.240	23.510	0.00	0.00
ATOM	282	HB1	SER		19		-13.050	23.640	0.00	0.00
ATOM	283	HB2	SER		19		-12.450	22.550	0.00	0.00
MOTA	284	OG	SER	Α	19	60.590	-12.380	24.690	0.00	0.00
ATOM	285	HG	SER	Α	19	61.200	-11.670	24.720	0.00	0.00
MOTA	286	С	SER	Α	19	58.290	-10.800	24.690	0.00	0.00
ATOM	287	0	SER	Α	19	57.090	-11.120	24.650	0.00	0.00
ATOM	288	N	SER		20	58.770	-10.220	25.780	0.00	0.00

MOTA	289	Н	SER	Α	20	59.58	30	-9.700	25.490	0.00	0.00
ATOM	290	CA	SER	Α	20	58.16		-9.970	27.080	0.00	0.00
ATOM	291	HA	SER	A	20	57.61		-10.880	27.290	0.00	0.00
ATOM	292	СВ	SER		20	59.22		-9.880	28.150	0.00	0.00
ATOM	293	HB1	SER		20	58.82		-9.800	29.160	0.00	0.00
ATOM	294	HB2	SER		20	59.77		-10.830	28.190	0.00	0.00
ATOM	295	OG	SER		20	60.03		-8.780	28.000	0.00	0.00
ATOM	296	HG	SER		20	60.46		-8.910	27.170	0.00	0.00
ATOM	297	С	SER		20	57.16		-8.800	27.210	0.00	0.00
ATOM	298	0	SER	A	20	56.38		-8.790	28.150	0.00	0.00
ATOM	299	N		A	21	57.20		-7.800	26.270	0.00	0.00
ATOM	300	Н		A	21	57.87		-7.740	25.510	0.00	0.00
ATOM	301	CA	ASN		21	56.30		-6.730	26.260	0.00	0.00
ATOM	302	HA	ASN		21	55.70		-6.640	27.170	0.00	0.00
ATOM	303	СВ		A	21	57.08		-5.440	26.350	0.00	0.00
ATOM	304	HB1	_	A	21	57.72		-5.620	27.220	0.00	0.00
MOTA	305		_	A	21	57.70		-5.170	25.500	0.00	0.00
MOTA	306	CG	ASN	A	21	56.16		-4.270	26.680	0.00	0.00
MOTA	307	OD1	_	A	21	55.39		-3.900	25.810	0.00	0.00
MOTA	308		_	A	21	56.26		-3 <b>.</b> 770	27.910	0.00	0.00
ATOM	309		ASN	A	21	56.87		-4.170	28.610	0.00	0.00
MOTA	310	2HD2		A	21	55.94		-2.820	28.020	0.00	0.00
ATOM	311	С	ASN		21	55.33		-6.760	25.010	0.00	0.00
ATOM	312	0	ASN		21	54.18		-6.220	25.090	0.00	0.00
ATOM	313	N	ASN		22	55.77		-7.530	23.940	0.00	0.00
ATOM	314	Н	ASN		22	56.66		-8.010	23.910	0.00	0.00
ATOM	315	CA	ASN		22	54.91		-7.770	22.700	0.00	0.00
ATOM	316	HA	ASN		22	54.58		-6.750	22.510	0.00	0.00
ATOM	317	СВ	ASN		22	55.84		-8.370	21.590	0.00	0.00
ATOM	318	HB1	ASN		22	56.73		-7.740	21.610	0.00	0.00
ATOM	319		ASN		22	56.16		-9.370	21.880	0.00	0.00
ATOM	320	CG	ASN		22	55.21		-8.360	20.230	0.00	0.00
ATOM	321			A	22	54.16		-8.920	20.000	0.00	0.00
ATOM	322			A	22	55.83		-7.690	19.290	0.00	0.00
ATOM	323	1HD2		A	22	56.68		-7.170	19.440	0.00	0.00
ATOM	324	2HD2		A	22	55.31		-7.630	18.420	0.00	0.00
ATOM	325	С	ASN		22	53.80		-8.620	23.130	0.00	0.00
ATOM	326	0	ASN		22	53.96		-9.460	24.020	0.00	0.00
ATOM	327	N	PHE		23	52.71		-8.490	22.450	0.00	0.00
ATOM	328	Н	PHE		23	52.60		-7.640	21.910	0.00	0.00
ATOM	329	CA	PHE		23	51.45		-9.220	22.600	0.00	0.00
ATOM	330	HA	PHE		23	51.25		-9.460	23.640	0.00	0.00
ATOM	331	СВ	PHE		23	50.20		-8.290	22.220	0.00	0.00
ATOM	332		PHE		23	50.31		-7.980	21.180	0.00	0.00
ATOM	333		PHE		23	49.25		-8.830	22.270	0.00	0.00
ATOM	334	CG	PHE		23	49.93		-7.130	23.120	0.00	0.00
ATOM	335		PHE		23	49.01		-6.200	22.710	0.00	0.00
ATOM	336		PHE		23	48.53		-6.270	21.740	0.00	0.00
ATOM	337		PHE		23	50.40		-7.110	24.460	0.00	0.00
ATOM	338		PHE		23	50.95		-7.910	24.940	0.00	0.00
ATOM	339		PHE		23	48.63		-5.180	23.540	0.00	0.00
ATOM	340		PHE		23	48.04		-4.290	23.330	0.00	0.00
ATOM	341		PHE		23	49.91		-6.110	25.410	0.00	0.00
ATOM	342		PHE		23	50.15		-6.090	26.460	0.00	0.00
ATOM	343	CZ	PHE		23	49.08		-5.130	24.850	0.00	0.00
ATOM	344	ΗZ	PHE		23	48.73		-4.310	25.460	0.00	0.00
ATOM	345	С	PHE		23			-10.490	21.770	0.00	0.00
ATOM	346	0	PHE	А	23	50.40	υÜ	-11.230	22.010	0.00	0.00

ATOM	347	N	GLY	Α	24	52.260	-10.770	20.840	0.00	0.00
MOTA	348	Н	GLY	Α	24	52.900	-10.020	20.620	0.00	0.00
ATOM	349	CA	GLY	Α	24	52.340	-12.060	20.120	0.00	0.00
ATOM	350	HA1	GLY	Α	24	51.640	-12.860	20.360	0.00	0.00
ATOM	351	HA2	GLY	Α	24	52.120	-11.900	19.070	0.00	0.00
ATOM	352	С	GLY	Α	24	53.710		20.270	0.00	0.00
ATOM	353	0	GLY		24	53.940	-13.700	19.580	0.00	0.00
ATOM	354	N	ALA		25	54.550		21.170	0.00	0.00
ATOM	355	Н	ALA		25	54.180		21.630	0.00	0.00
ATOM	356	CA	ALA		25	55.840	-12.750	21.570	0.00	0.00
	357	HA	ALA		25	56.200		22.330	0.00	0.00
ATOM										
ATOM	358	CB	ALA		25	55.750		22.120	0.00	0.00
ATOM	359	HB1	ALA		25	56.510		22.870	0.00	0.00
ATOM	360	HB2	ALA		25	54.830		22.650	0.00	0.00
ATOM	361	нв3	ALA		25	55.920		21.360	0.00	0.00
ATOM	362	С	ALA		25	56.990		20.550	0.00	0.00
MOTA	363	0	ALA		25	57.990		20.650	0.00	0.00
MOTA	364	N	ILE	A	26	56.820		19.550	0.00	0.00
MOTA	365	Н	ILE	Α	26	55.880	-11.490	19.340	0.00	0.00
MOTA	366	CA	ILE	Α	26	57.730	-11.580	18.380	0.00	0.00
MOTA	367	HA	ILE	Α	26	58.650	-12.170	18.320	0.00	0.00
MOTA	368	CB	ILE	Α	26	56.890	-11.650	17.080	0.00	0.00
ATOM	369	HB	ILE	Α	26	57.540	-11.480	16.220	0.00	0.00
ATOM	370	CG1	ILE	Α	26	55.700	-10.570	16.990	0.00	0.00
ATOM	371	1HG1	ILE	Α	26	55.080	-10.590	17.890	0.00	0.00
ATOM	372	2HG1	ILE	Α	26	56.040	-9.550	17.130	0.00	0.00
ATOM	373	CG2	ILE		26	56.410		16.810	0.00	0.00
ATOM	374	1HG2	ILE		26	55.710		17.600	0.00	0.00
ATOM	375	2HG2	ILE		26	56.020		15.800	0.00	0.00
ATOM	376	3HG2	ILE		26	57.290		16.840	0.00	0.00
ATOM	377	CD	ILE		26	54.980		15.730	0.00	0.00
ATOM	378	HD1	ILE		26	54.590		15.440	0.00	0.00
ATOM	379	HD2	ILE		26	54.080		15.830	0.00	0.00
	380	HD3	ILE		26	55.590		14.910	0.00	0.00
ATOM		С			26			18.540		
ATOM	381		ILE			58.250		19.730	0.00	0.00
ATOM	382	0	ILE		26	58.270	-9.660		0.00	0.00
ATOM	383	N	LEU		27	58.920	-9.560	17.450	0.00	0.00
ATOM	384	H	LEU		27		-10.130	16.660	0.00	0.00
ATOM	385	CA	LEU		27	59.430		17.500	0.00	0.00
ATOM	386	HA	LEU		27	59.790		18.510	0.00	0.00
MOTA	387	СВ	LEU		27	60.610		16.500	0.00	0.00
MOTA	388		LEU		27	60.310		15.710	0.00	0.00
MOTA	389	HB2	LEU	Α	27	60.650		16.070	0.00	0.00
MOTA	390	CG	LEU		27	61.910	-8.590	17.030	0.00	0.00
MOTA	391	HG	LEU	Α	27	61.760	-9.620	17.360	0.00	0.00
MOTA	392	CD1	LEU	Α	27	62.850	-8.720	15.890	0.00	0.00
MOTA	393	1HD1	LEU	Α	27	63.010	-7.700	15.550	0.00	0.00
ATOM	394	2HD1	LEU	Α	27	63.790	-9.180	16.210	0.00	0.00
ATOM	395	3HD1			27	62.490	-9.190	14.970	0.00	0.00
ATOM	396		LEU		27	62.640		18.060	0.00	0.00
ATOM	397	1HD2			27	62.680		17.860	0.00	0.00
ATOM	398	2HD2			27	62.160	-7.710	19.040	0.00	0.00
ATOM	399	3HD2			27	63.700	-7.950	18.110	0.00	0.00
ATOM	400	C	LEU		27	58.400	-7.160	17.130	0.00	0.00
ATOM	401	0	LEU		27	58.060	-6.300	17.130	0.00	0.00
ATOM	402	N	SER		28	57.900		15.890	0.00	0.00
ATOM	403	Н	SER		28	58.270		15.340	0.00	0.00
		п СА			28	56.970		15.230	0.00	0.00
MOTA	404	CA	SER	А	∠ ŏ	30.9/0	-0.2/0	13.230	0.00	0.00

MOTA	405	HA	SER	Α	28	57.490	-5.310	15.140	0.00	0.00
ATOM	406	СВ	SER	Α	28	56.720	-6.830	13.790	0.00	0.00
MOTA	407	HB1	SER	Α	28	56.040	-6.200	13.230	0.00	0.00
MOTA	408	HB2	SER	Α	28	57.650	-6.880	13.210	0.00	0.00
MOTA	409	OG	SER	Α	28	56.190	-8.160	13.750	0.00	0.00
MOTA	410	HG	SER	Α	28	55.390	-8.230	14.250	0.00	0.00
MOTA	411	С	SER	Α	28	55.650	-6.220	15.900	0.00	0.00
MOTA	412	0	SER	Α	28	54.930	-7.180	16.100	0.00	0.00
MOTA	413	N	SER	Α	29	55.420	-5.030	16.420	0.00	0.00
MOTA	414	Н	SER	Α	29	56.060	-4.290	16.190	0.00	0.00
MOTA	415	CA	SER	Α	29	54.290	-4.690	17.310	0.00	0.00
MOTA	416	HA	SER	Α	29	53.940	-5.580	17.840	0.00	0.00
MOTA	417	СВ	SER	Α	29	54.870	-3.640	18.330	0.00	0.00
MOTA	418	HB1	SER	Α	29	53.970	-3.350	18.880	0.00	0.00
MOTA	419	HB2	SER	Α	29	55.670	-4.020	18.960	0.00	0.00
MOTA	420	OG	SER	Α	29	55.280	-2.410	17.820	0.00	0.00
MOTA	421	HG	SER	Α	29	56.030	-2.550	17.260	0.00	0.00
MOTA	422	С	SER	Α	29	53.020	-4.260	16.520	0.00	0.00
MOTA	423	0	SER	Α	29	52.000	-4.100	17.100	0.00	0.00
MOTA	424	N	THR	Α	30	53.140	-4.200	15.180	0.00	0.00
MOTA	425	Н	THR	Α	30	53.990	-4.470	14.710	0.00	0.00
ATOM	426	CA	THR	Α	30	52.170	-3.640	14.270	0.00	0.00
ATOM	427	HA	THR	Α	30	51.730	-2.730	14.660	0.00	0.00
ATOM	428	CB	THR	Α	30	52.970	-3.420	12.920	0.00	0.00
ATOM	429	HB	THR	Α	30	52.290	-3.530	12.070	0.00	0.00
ATOM	430	OG1	THR	Α	30	53.950	-4.380	12.720	0.00	0.00
ATOM	431	HG1	THR	Α	30	54.180	-4.350	11.800	0.00	0.00
ATOM	432	CG2	THR	Α	30	53.560	-2.020	12.810	0.00	0.00
ATOM	433	1HG2	THR	Α	30	54.190	-1.690	13.640	0.00	0.00
ATOM	434	2HG2	THR	Α	30	54.150	-2.100	11.900	0.00	0.00
ATOM	435	3HG2	THR	Α	30	52.830	-1.230	12.630	0.00	0.00
MOTA	436	С	THR	Α	30	51.020	-4.640	13.920	0.00	0.00
MOTA	437	0	THR	Α	30	50.050	-4.250	13.320	0.00	0.00
MOTA	438	N	ASN	Α	31	51.120	-5.940	14.260	0.00	0.00
MOTA	439	Н	ASN	Α	31	52.050	-6.190	14.590	0.00	0.00
MOTA	440	CA	ASN	Α	31	50.160	-7.040	13.780	0.00	0.00
MOTA	441	HA	ASN	Α	31	49.260	-6.560	13.400	0.00	0.00
MOTA	442	СВ	ASN	Α	31	50.810	-7.910	12.660	0.00	0.00
MOTA	443	HB1	ASN	Α	31	50.090	-8.490	12.080	0.00	0.00
MOTA	444	HB2	ASN	Α	31	51.260	-7.400	11.810	0.00	0.00
MOTA	445	CG	ASN	Α	31	51.960	-8.690	13.310	0.00	0.00
MOTA	446	OD1	ASN	Α	31	53.000	-8.180	13.740	0.00	0.00
MOTA	447	ND2	ASN	А	31	51.780	-9.980	13.480	0.00	0.00
MOTA	448	1HD2			31		-10.440	13.560	0.00	0.00
MOTA	449	2HD2	ASN	А	31	52.510	-10.460	13.980	0.00	0.00
MOTA	450	С	ASN	А	31	49.640	-7.850	14.930	0.00	0.00
MOTA	451	0	ASN	А	31	48.970	-8.850	14.740	0.00	0.00
MOTA	452	N	VAL	Α	32	49.900	-7.410	16.150	0.00	0.00
MOTA	453	Н	VAL	Α	32	50.290	-6.480	16.210	0.00	0.00
MOTA	454	CA	VAL	Α	32	49.570	-8.030	17.420	0.00	0.00
MOTA	455	HA	VAL	Α	32	48.640	-8.590	17.440	0.00	0.00
MOTA	456	СВ	VAL	Α	32	50.640	-9.140	17.810	0.00	0.00
MOTA	457	НВ	VAL		32	50.490	-9.400	18.860	0.00	0.00
MOTA	458		VAL		32		-10.430	17.080	0.00	0.00
MOTA	459	1HG1			32		-11.290	17.520	0.00	0.00
MOTA	460	2HG1			32		-10.490	17.320	0.00	0.00
MOTA	461	3HG1			32		-10.330	16.010	0.00	0.00
ATOM	462	CG2	VAL	Α	32	52.090	-8.750	17.650	0.00	0.00

MOTA	463	1HG2	VAL	Α	32	52.	310	-8.420	16.	630	0.00	0.00
MOTA	464	2HG2	VAL	Α	32	52.	370	-8.020	18.	400	0.00	0.00
MOTA	465	3HG2	VAL	Α	32	52.	690	-9.600	17.		0.00	0.00
ATOM	466	С	VAL	Α	32	49.		-6.890	18.		0.00	0.00
MOTA	467	0	VAL		32	48.		-6.640	18.		0.00	0.00
MOTA	468	N	GLY		33	50.		-6.110	18.		0.00	0.00
MOTA	469	Н	GLY		33	51.		-6.420	18.		0.00	0.00
MOTA	470	CA	GLY		33	50.		-5.090	19.		0.00	0.00
MOTA	471	HA1	GLY		33	50.		-4.110	19.		0.00	0.00
MOTA	472	HA2	GLY		33	49.		-5.040	20.		0.00	0.00
MOTA	473	С	GLY		33	51.		-5.250	20.		0.00	0.00
MOTA	474	0	GLY		33	52.		-6.210	20.		0.00	0.00
MOTA	475	N	SER		34	51.		-4.300	21.		0.00	0.00
MOTA	476	Н	SER		34	50.		-3.650	21.		0.00	0.00
MOTA	477	CA	SER		34	52.		-4.270	22.		0.00	0.00
MOTA	478	HA	SER		34	52.		-5.270	23.		0.00	0.00
MOTA	479	СВ	SER		34	53.		-3.650	22.		0.00	0.00
MOTA	480	HB1	SER		34	54.		-3.470	23.		0.00	0.00
MOTA	481	HB2	SER		34	54.		-4.150	21.		0.00	0.00
MOTA	482	OG	SER		34	53.		-2.390	21.		0.00	0.00
MOTA	483	HG	SER		34	52.		-2.500	21.		0.00	0.00
MOTA	484	С	SER		34	51.		-3.450	23.		0.00	0.00
MOTA	485	0	SER		34	51.		-2.680	23.		0.00	0.00
MOTA	486	N	ASN		35	52.		-3.700	25.		0.00	0.00
MOTA	487	Н	ASN		35	53.		-4.450	25.		0.00	0.00
MOTA	488	CA	ASN		35	52.		-2.990	26.		0.00	0.00
MOTA	489	HA	ASN		35	51.		-2.980	26.		0.00	0.00
MOTA	490	СВ	ASN		35	52.		-3.870	27.		0.00	0.00
MOTA	491	HB1	ASN		35	52.		-4.930	27.		0.00	0.00
MOTA	492		ASN		35	53.		-3.520	27.		0.00	0.00
MOTA	493	CG	ASN		35	51.		-3.740	28.		0.00	0.00
MOTA	494				35	52.		-2.790	29.		0.00	0.00
ATOM	495		ASN		35	51.		-4.660	29.		0.00	0.00
ATOM	496	1HD2			35	50.		-5.530	28.		0.00	0.00
ATOM	497	2HD2			35	50.		-4.570	30.		0.00	0.00
ATOM	498	С	ASN		35	52.		-1.630	26.		0.00	0.00
MOTA	499	0	ASN		35	52.		-0.720	26.		0.00	0.00
ATOM	500	N	THR		36	53.		-1.480	26.		0.00	0.00
ATOM	501	Н	THR		36	54.		-2.330	25.		0.00	0.00
ATOM	502	CA	THR		36	54.		-0.280	26.		0.00	0.00
ATOM	503	HA	THR		36	54.		-0.140	27.		0.00	0.00
ATOM	504	СВ	THR		36	56.		-0.630	25.		0.00	0.00
ATOM	505	HB	THR		36	56.		-1.480	26.		0.00	0.00
ATOM	506	OG1	THR		36	57.		0.470	26.		0.00	0.00
ATOM	507		THR		36	56.		1.020	26.		0.00	0.00
ATOM	508		THR		36	56.		-1.120	24.		0.00	0.00
ATOM	509	1HG2			36	55.		-1.780	23.		0.00	0.00
ATOM	510	2HG2			36	56.		-0.240	23.		0.00	0.00
ATOM	511				36	57.		-1.660	24.		0.00	0.00
ATOM	512	C	THR		36	54.		0.850	25.		0.00	0.00
ATOM	513	0	THR		36	54.		1.980	25.		0.00	0.00
ATOM	514	N	TYR		37	53.		0.670	24.		0.00	0.00
ATOM	515	H	TYR		37	53.		-0.250	23.		0.00	0.00
ATOM	516	CA	TYR		37	53.		1.710	23.		0.00	0.00
ATOM	517	HA	TYR		37	53.		2.670	23.		0.00	0.00
ATOM	518	CB	TYR		37	53.		1.420	21.		0.00	0.00
ATOM	519	HB1	TYR		37	52.		0.540	21.		0.00	0.00
MOTA	520	нв∠	TYR	А	37	52.	000	2.250	21.	∠3U	0.00	0.00

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136	APPENDIX	C

MOTA	521	CG	TYR	Α	37	54.850	1.560	21.440	0.00	0.00
MOTA	522	CD1	TYR	Α	37	55.570	2.590	21.990	0.00	0.00
ATOM	523	HD1	TYR	Α	37	55.200	3.410	22.590	0.00	0.00
ATOM	524	CD2	TYR	Α	37	55.500	0.640	20.550	0.00	0.00
MOTA	525	HD2	TYR	Α	37	54.900	-0.130	20.090	0.00	0.00
MOTA	526	CE1	TYR	Α	37	56.990	2.680	21.750	0.00	0.00
MOTA	527	HE1	TYR	Α	37	57.600	3.480	22.120	0.00	0.00
ATOM	528	CE2	TYR	Α	37	56.900	0.730	20.370	0.00	0.00
ATOM	529	HE2	TYR	Α	37	57.300	0.020	19.670	0.00	0.00
MOTA	530	CZ	TYR	Α	37	57.710	1.740	21.040	0.00	0.00
MOTA	531	ОН	TYR	Α	37	59.050	1.770	20.930	0.00	0.00
MOTA	532	НН	TYR	Α	37	59.300	1.120	20.290	0.00	0.00
MOTA	533	С	TYR	Α	37	51.600	1.950	23.590	0.00	0.00
MOTA	534	0	TYR	Α	37	50.910	2.700	22.900	0.00	0.00
MOTA	535	N	NH2	Α	38	51.040	1.380	24.660	0.00	0.00
MOTA	536	Н1	NH2	Α	38	51.600	0.750	25.220	0.00	0.00
MOTA	537	Н2	NH2	Α	38	50.160	1.740	25.000	0.00	0.00
CONECT	32	94								
CONECT	94	32								
END										

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# Maximilian N. Andrews Hartford, CT (USA) April 27, 1973

"Never go backward. Attempt, and do it with all your might.

Determination is power."—Charles Simmons

#### Education

Since Oct.'06

**Promotion**, *Technische Universität*, Dortmund, *expected conclusion Spring 2011*. I attended TU Dortmund with an IMPRS-CB (International Max Planck Research School of Chemical Biology) fellowship. At the beginning of my Doctorate in Biophysics I set up a Linux computer cluster, with which I carried out Molecular Dynamics simulations on IAPP (Islet Amyloid Polypeptide) in liquid water. *Ad hoc* Python software was written for the data analysis. In 2009 I presented my results at the Biophysical Society Conference in Boston.

• Title of the Ph.D. Thesis: Molecular Dynamics of Monomeric IAPP in Solution.

Oct.'92-Mar.'06

Diploma di Laurea, Università di Bologna, BO, Italy, 110 e lode.

Five-year Italian Degree in Chemistry, graduated on March 23 2006 with 110 *e lode*, i.e. the highest possible mark in Italy, with honors.

- Title of the Diploma Thesis: Molecular Dynamics of the Membrane Protien KcsA.
- **Specialized in**: Physical Chemistry with supplementary knowledge in Biochemistry, Genetics, and Biomolecular Chemistry.

Sep.'87-Jun.'92

**Diploma di Maturità Scientifica**, Scientific High School "Liceo Scientifico Luigi Valeriani", Imola (BO), Italy, 53/60.

• Merit Scholarship: Work in Archaeology after the 4th school year.

# Most Recent Working Experience

Jan.'07-Sep.'09

**Wissenschaftlicher Angestellter**, *Lehrerfahrung/Praktikumsbetreuung*, Technische Universität, Dortmund.

Instructions on how to carry out laboratory experiments to Chemistry and Biological Chemistry students and consequent evaluation of their results at the Technical University of Dortmund.

#### **Publications**

- Andrews, M. N., and R. Winter, 2010. Comparing the structural properties of human and rat islet amyloid polypeptide by MD computer simulations. *Biophys. Chem.* in print.
- Brovchenko, I., M. N. Andrews, and A. Oleinikova, 2010. Volumetric properties of human islet amyloid polypeptide in liquid water. *Phys. Chem. Chem. Phys.* 12:4233–4238
- Brovchenko, I., M. N. Andrews, and A. Oleinikova, 2011. Thermal stability of hydrogen-bonded water network in the hydration shell of islet amyloid polypeptide. *J. Phys.: Condens. Matter* in print.

#### Presentations

Effect of Temperature on the Structural and Hydrational Properties of Human Islet Amyloid Polypeptide in Water.

M. N. Andrews, I. Brovchenko, and R. Winter

- Mar.'09 **Biophysical Society 53**<sup>rd</sup> **Annual Meeting**, *Boston*, Massachusetts.
- Feb.'09 **Amyloid 2009**, *Halle(Saale)*, Germany.
- Sep.'08 Workshop on Gromacs and Advanced Simulation Methods, Göttingen, Germany.
- Jul.'08 **Polymorphism, Dynamics and Function of Water at Molecular Interfaces**, *Universitätskolleg Bommerholz*, Germany.
- May'08 From Computational Biophysics to Systems Biology, Jülich, Germany.

### Language Knowledge

English "Father" tongue Bilingual native speaker – American Father; School in the USA.

Italian Mother tongue Bilingual native speaker – Italian Mother; School in Italy.

German B2 Certificate Good written and spoken – P.D.L. Dortmund, from Sep.'09 to Feb.'10.

## Computer Knowledge

Administration Linux, Windows Chemistry Gromacs, Amber, Gaussian Office–Suites Microsoft Office, OpenOffice Image process. The GIMP, ImageMagick

Programming Python, LATEX, Fortran Editors XEmacs

#### Personal Interests

Body Feldenkrais® Method and Yoga Mind Reading, visiting museums, traveling

Soul Music, playing drums and giving lessons, going to the movies